

Elementary Particle Physics: theory and experiments

LHC:

Searches for New Physics

Selected new results at 13 TeV

LEP:

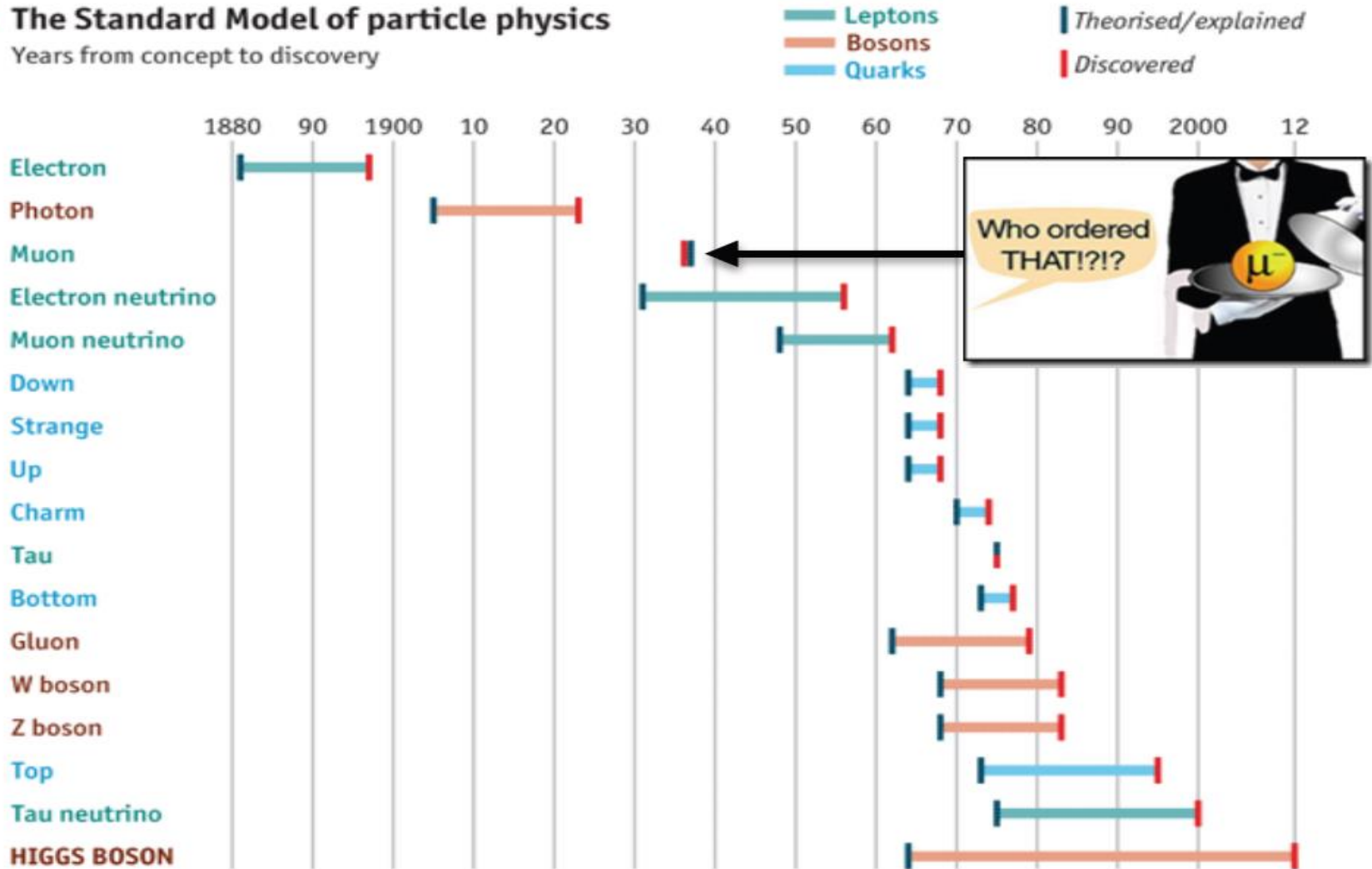
Few precision measurements

Based on seminar: M. Kado, CERN Council meeting, 15.12 2015

Uncharted discoveries?

The Standard Model of particle physics

Years from concept to discovery



Source: *The Economist*

Many unanswered questions ...

Why there are 3 families of particles? Are there more?

Why is the top quark so heavy?

Why there's more matter than anti-matter?

How do neutrinos get mass?

1960: SLAC u up quark	1954: Drottningen & SLAC c charm quark	1980: Fermilab t top quark	1979: DESY g gluon
1960: SLAC d down quark	1947: Manchester University s strange quark	1977: Fermilab b bottom quark	1923: Washington University γ photon
1926: Savannah River Plant ν_e electron neutrino	1962: Brookhaven ν_μ muon neutrino	2000: Fermilab ν_τ tau neutrino	1963: CERN W W boson
1927: Cavendish Laboratory e electron	1937: Caltech and Harvard μ muon	1970: SLAC τ tau	1963: CERN Z Z boson
			2012: CERN H Higgs boson

Are there more forces?

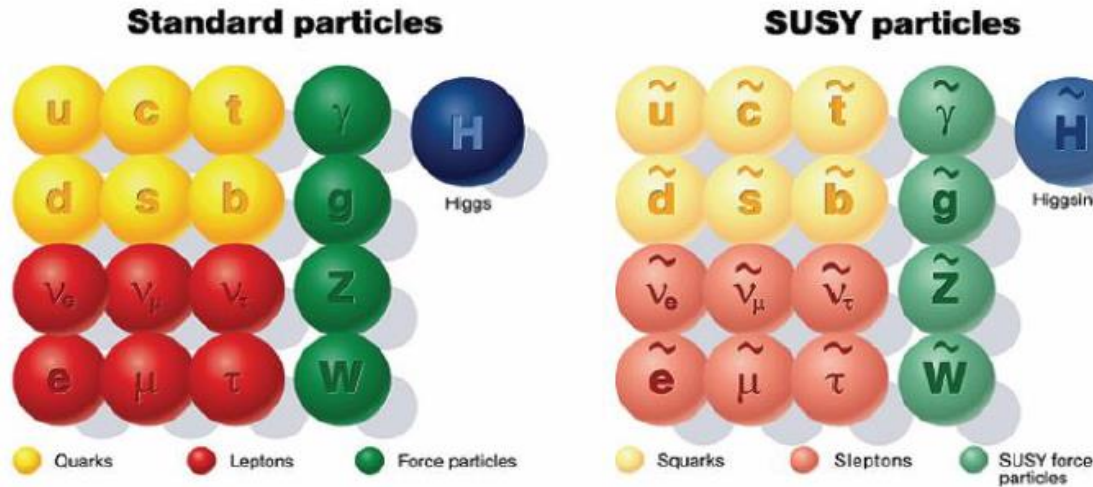
What keeps the Higgs mass so small?

How do we incorporate gravity?

What is Dark Matter?

... and as many possible answers to probe!

- Super-symmetry?



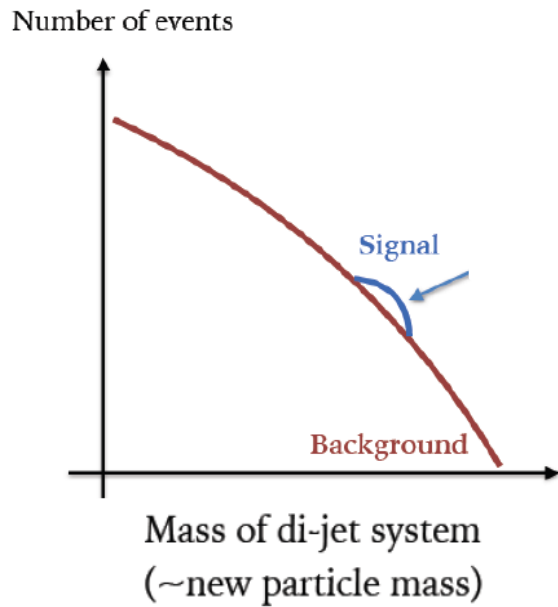
- Composite quark and/or leptons?
- New Heavy bosons?
- Gravitons?
- Dark Matter particles?
- ...



How would new phenomena manifest?

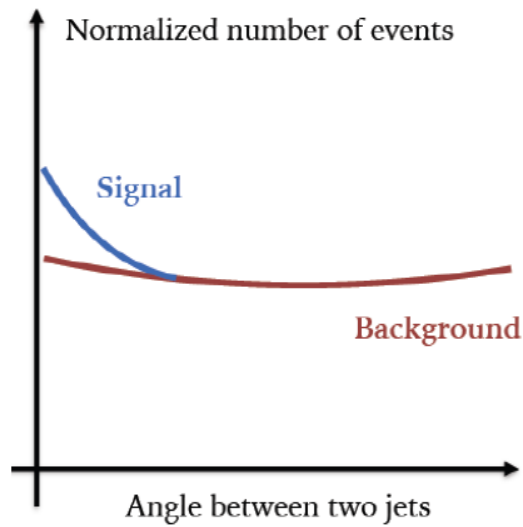
New particles:

resonant excess (bump) over Standard Model background



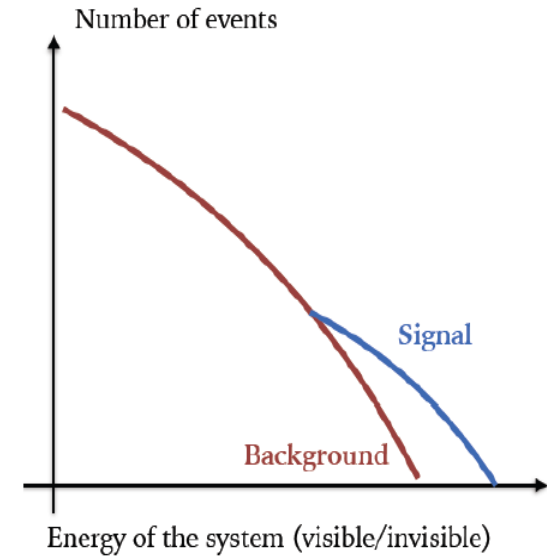
New interactions:

more central production (~Rutherford experiment)

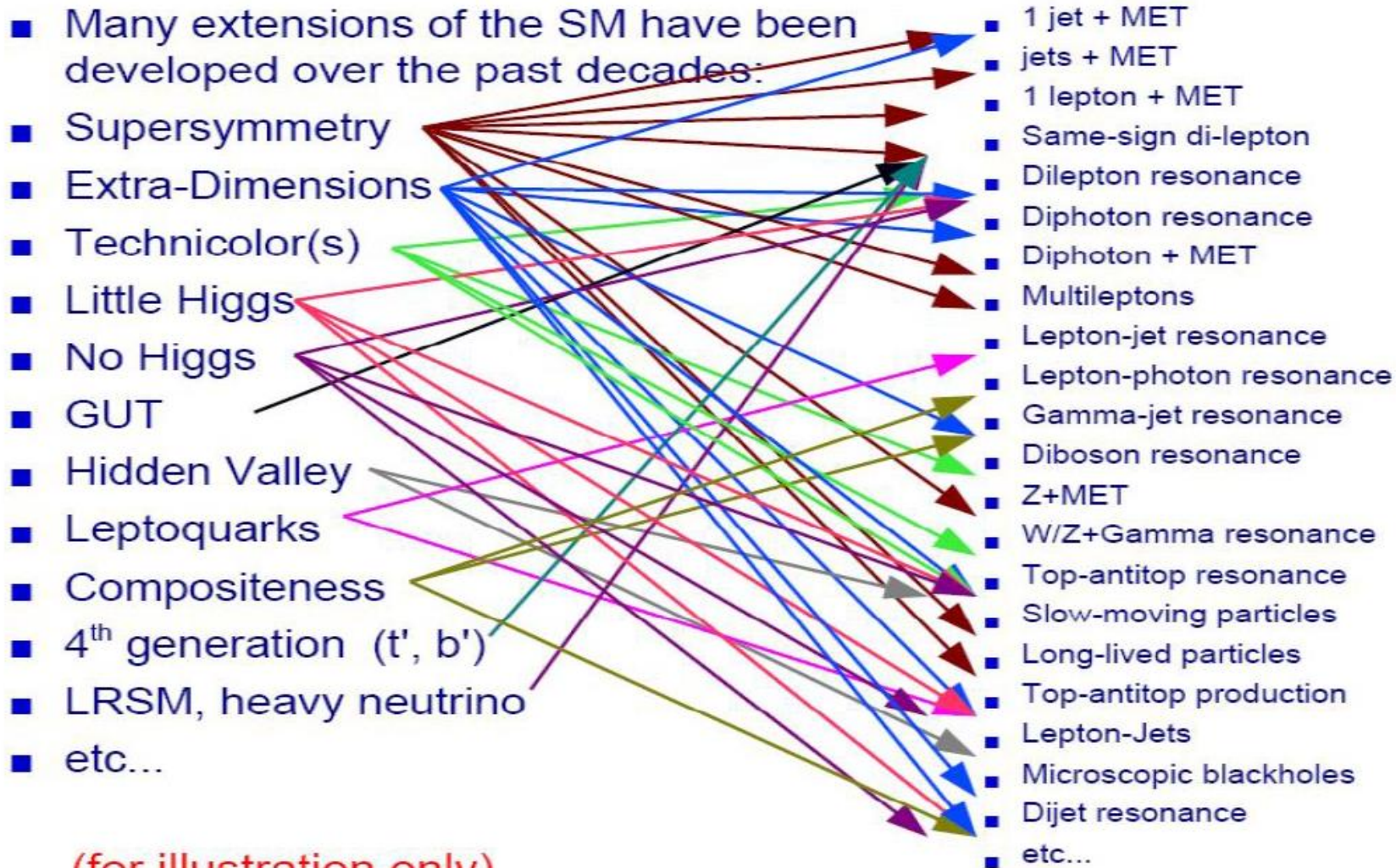


New particles and states:

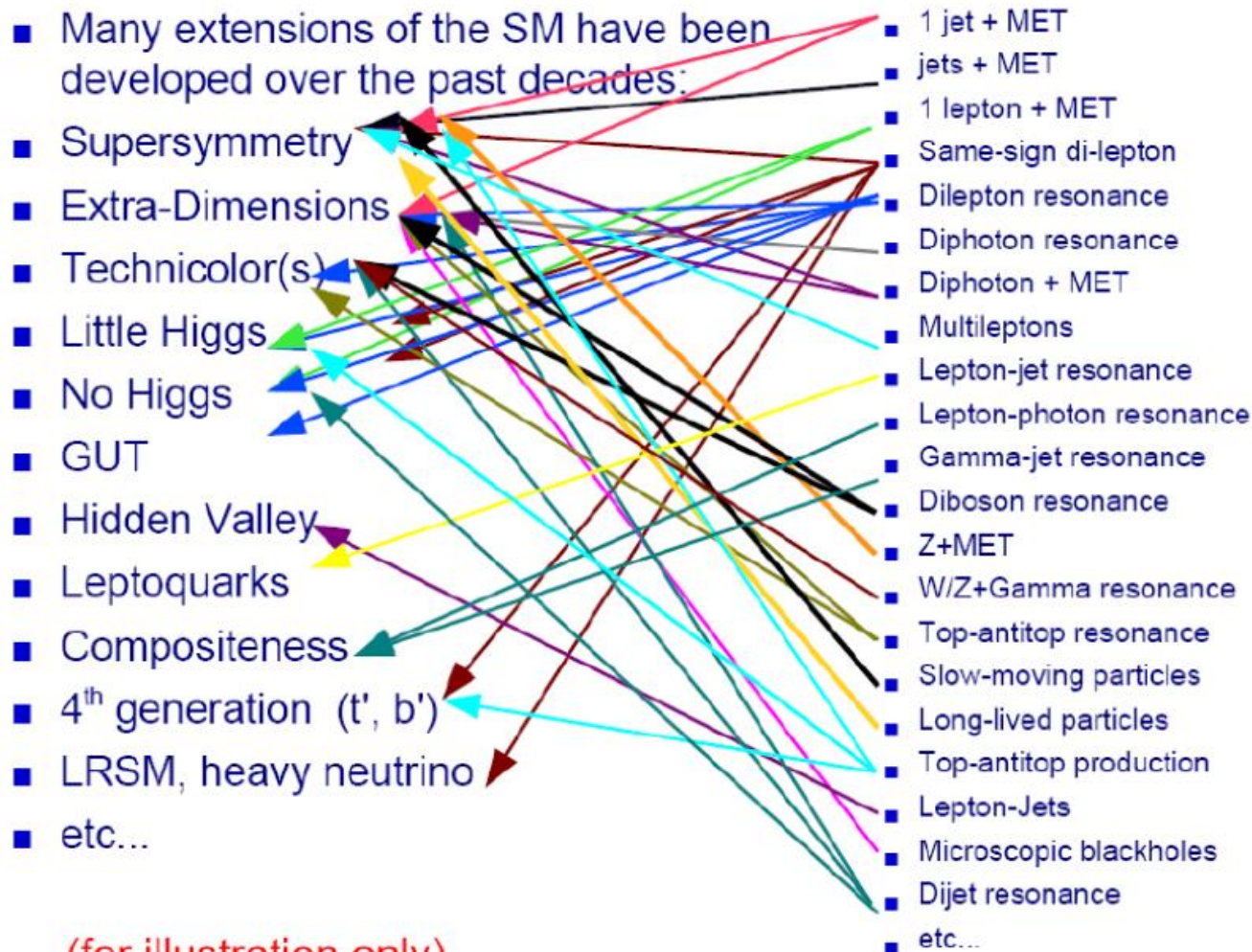
larger multiplicity of objects at high masses



Long list of models and signatures



Long list of models and signatures



A complex 2D problem

Experimentally, a **signature standpoint** makes a lot of sense:

- Practical
- Less model-dependent
- **Important to cover every possible signature**

(for illustration only)

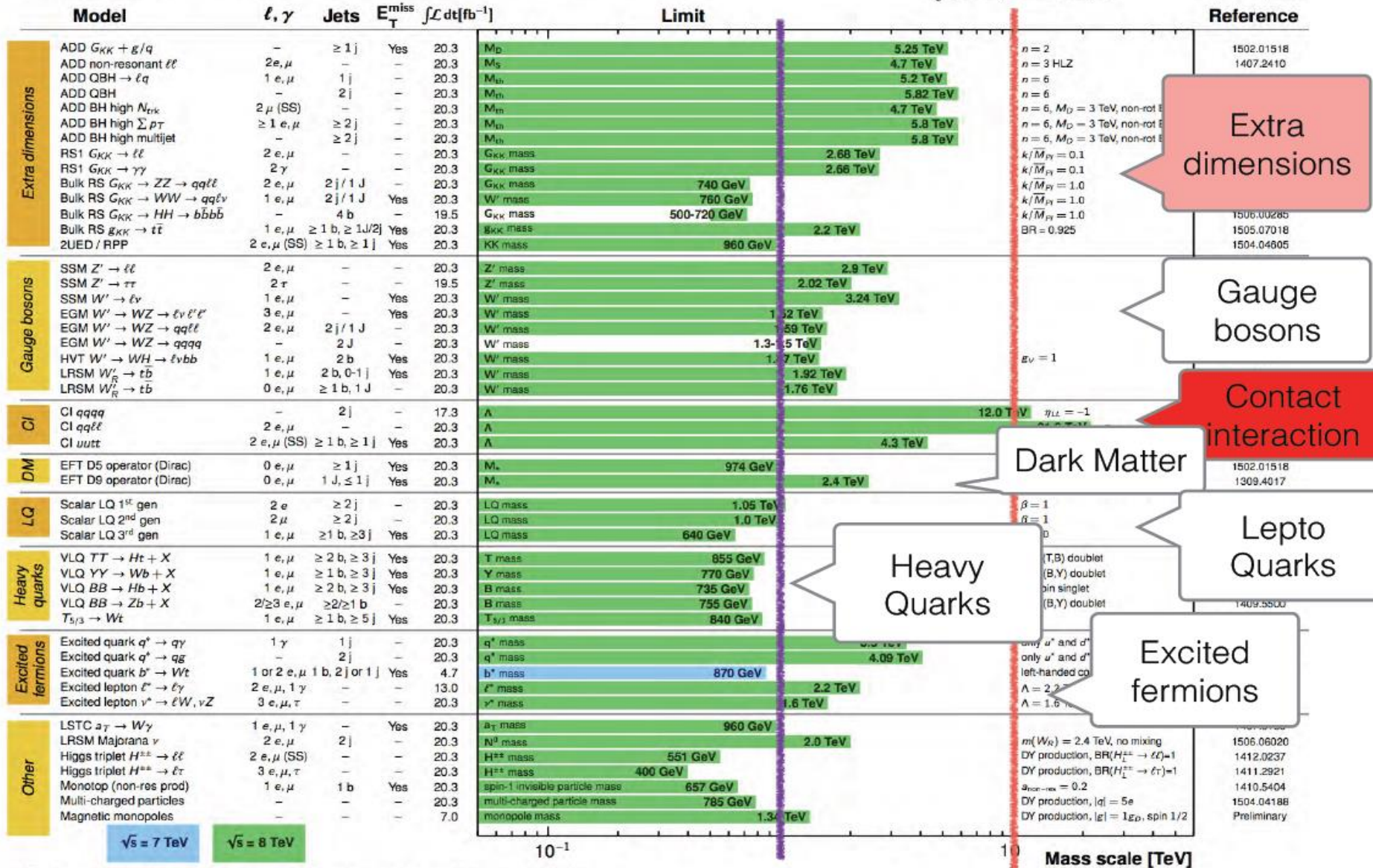
ATLAS Exotics Searches* - 95% CL Exclusion

Status: July 2015

ATLAS Preliminary

$\sqrt{s} = 7, 8 \text{ TeV}$

$\int \mathcal{L} dt = (4.7 - 20.3) \text{ fb}^{-1}$



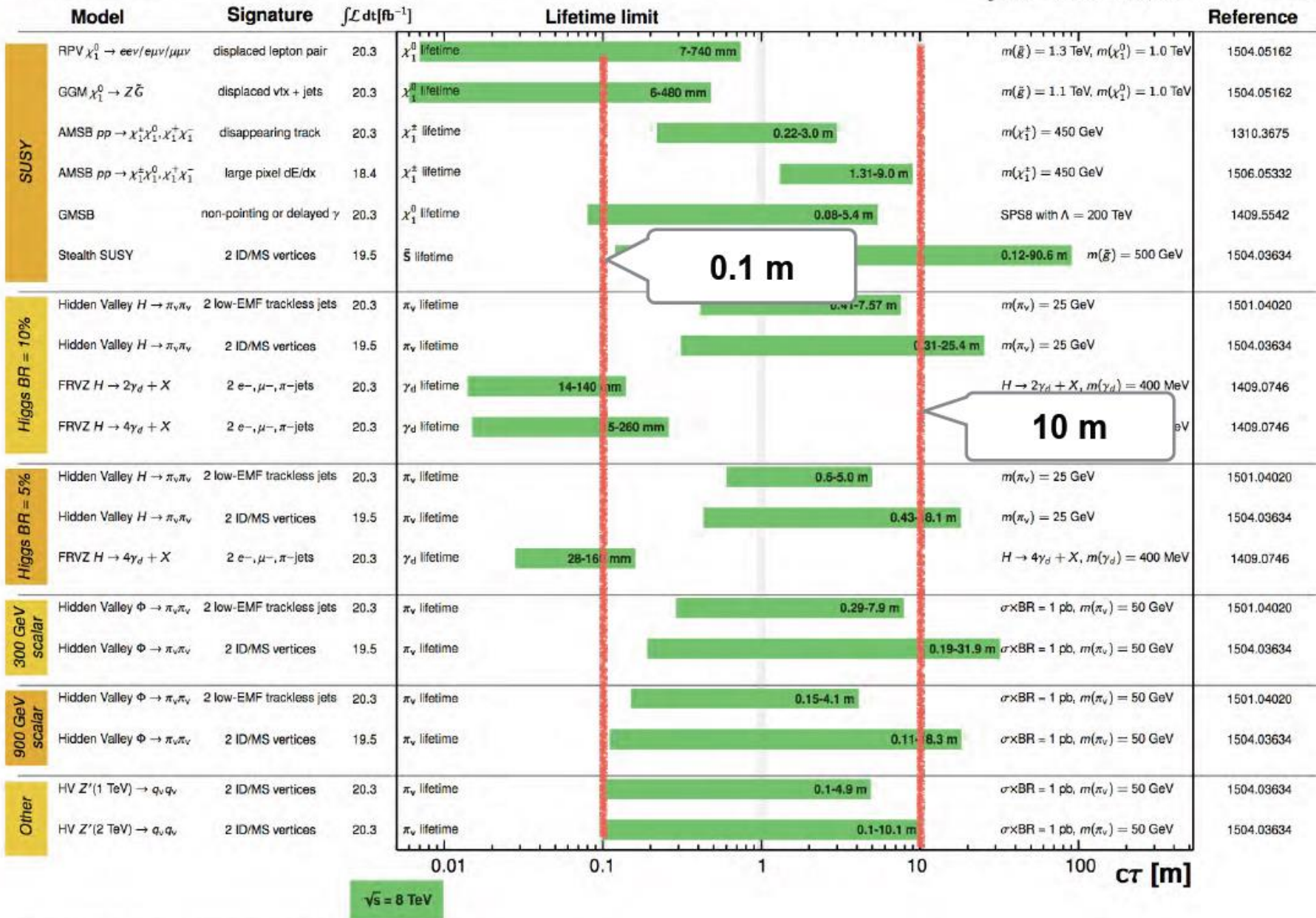
*Only a selection of the available mass limits on new states or phenomena is shown.

ATLAS Long-lived Particle Searches* - 95% CL Exclusion

Status: July 2015

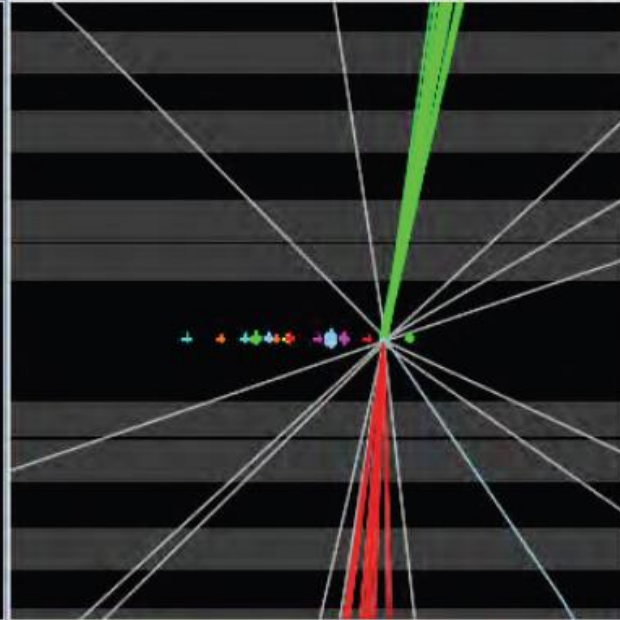
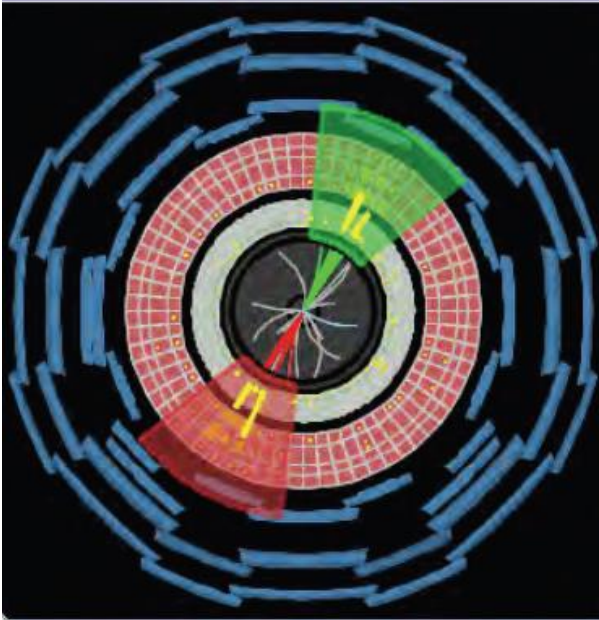
ATLAS Preliminary

$$\int \mathcal{L} dt = (18.4 - 20.3) \text{ fb}^{-1} \quad \sqrt{s} = 8 \text{ TeV}$$



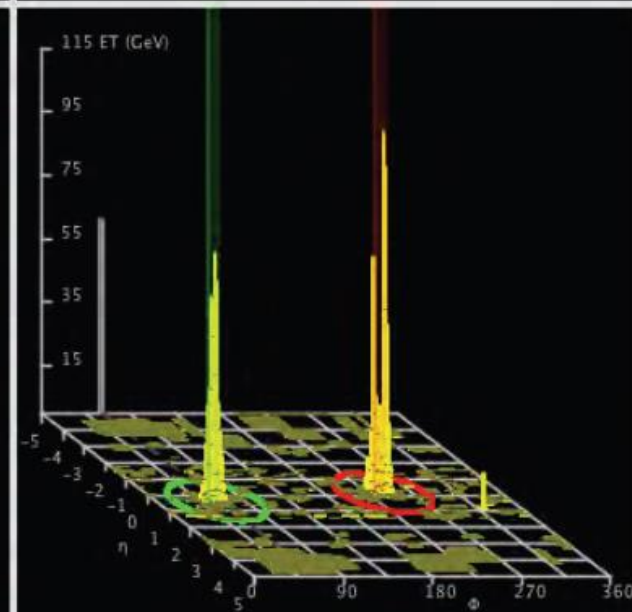
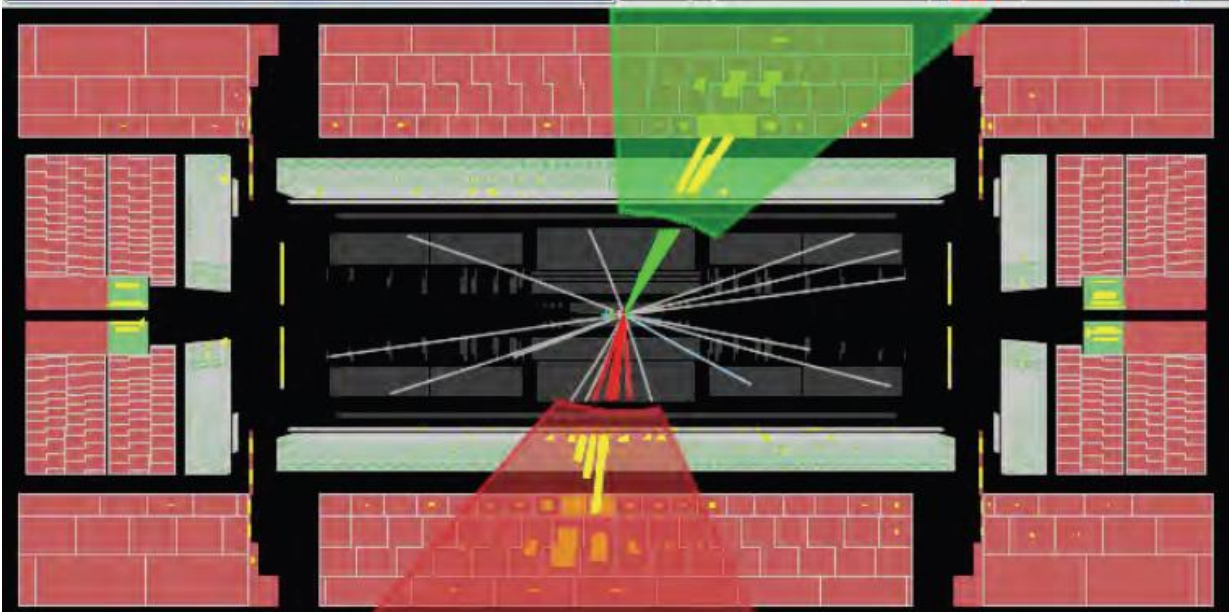
*Only a selection of the available lifetime limits on new states is shown.

Exotics VV Resonance Searches



Run Number: 207749, Event Number: 36414089

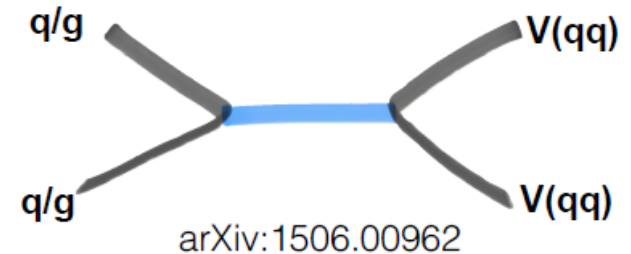
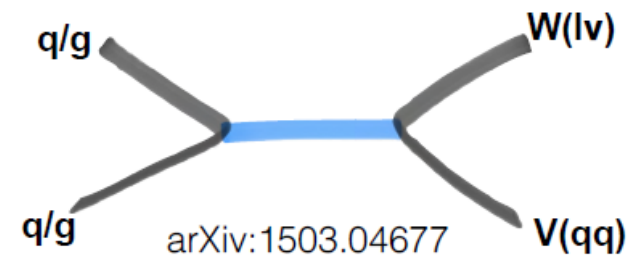
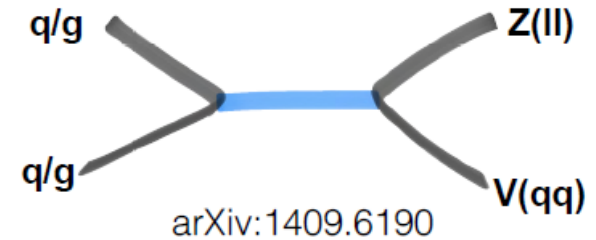
Date: 2012-07-31 01:30:57 CEST



Run I VV resonances searches

- Narrow Resonance
 - Spin-2
 - Vector (neutral or charged)
 - Scalars for $llqq$, $lvqq$

	W	Z
ll, lv	22%	7%
$\tau\tau, \tau\nu$	11%	3%
$\nu\nu$		20%
qq	67%	70%



Boson tagging techniques

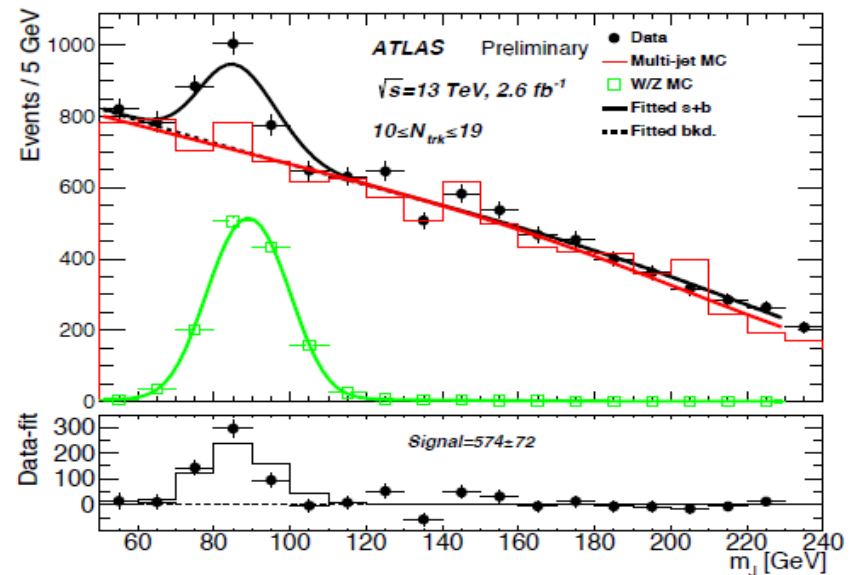
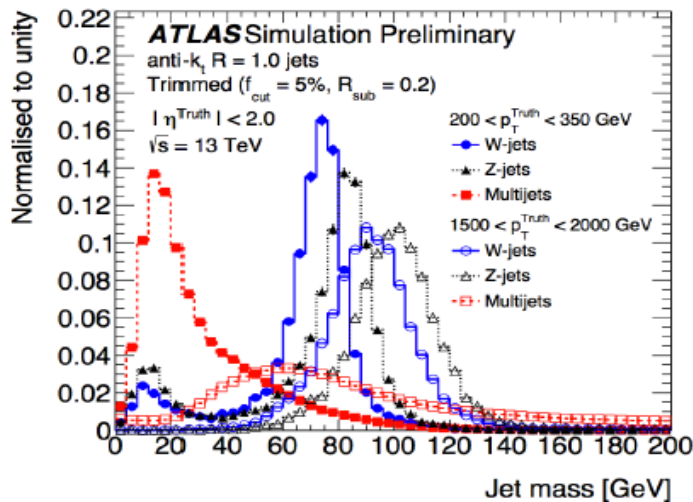
Searches for VV or VH resonances in several topologies involving boson (W, Z and H) tagging

Nominal boson tagging algorithm

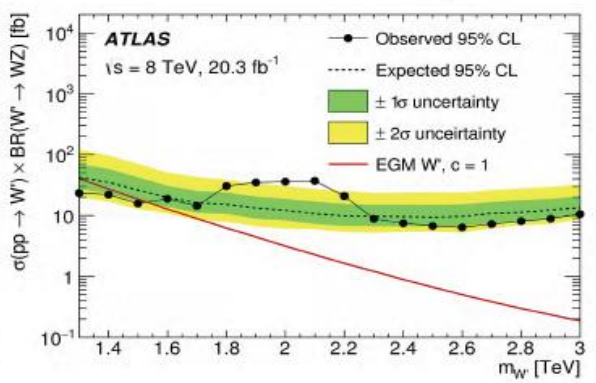
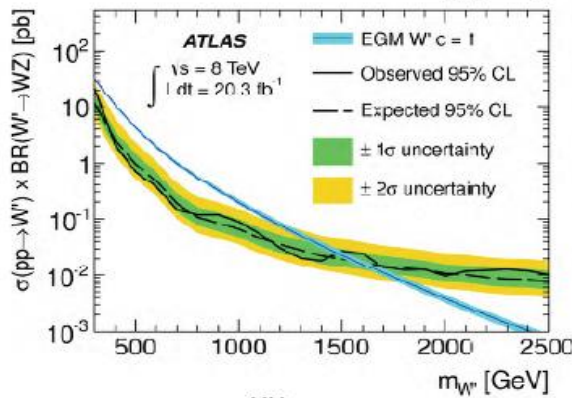
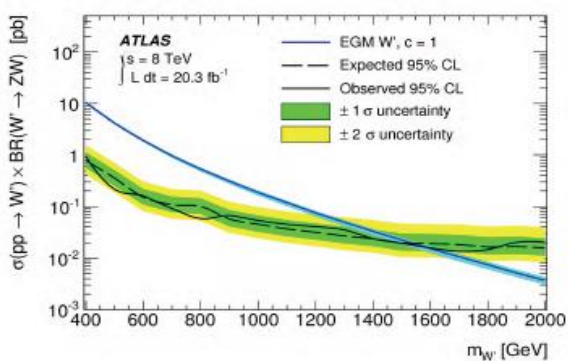
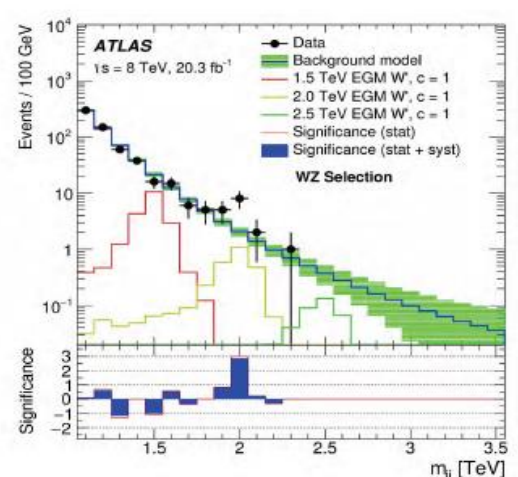
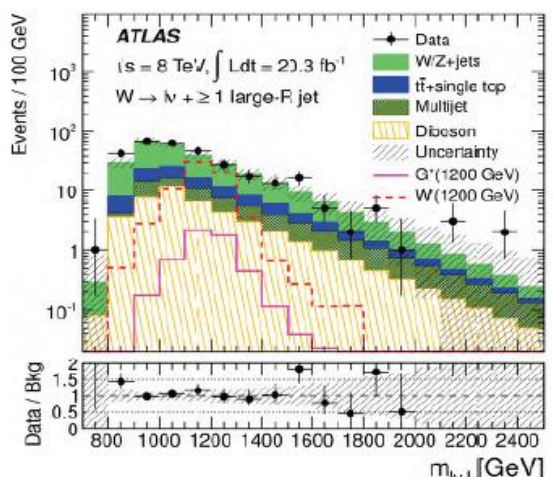
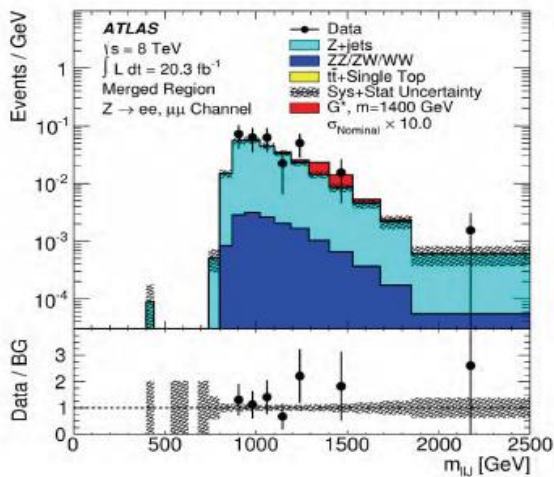
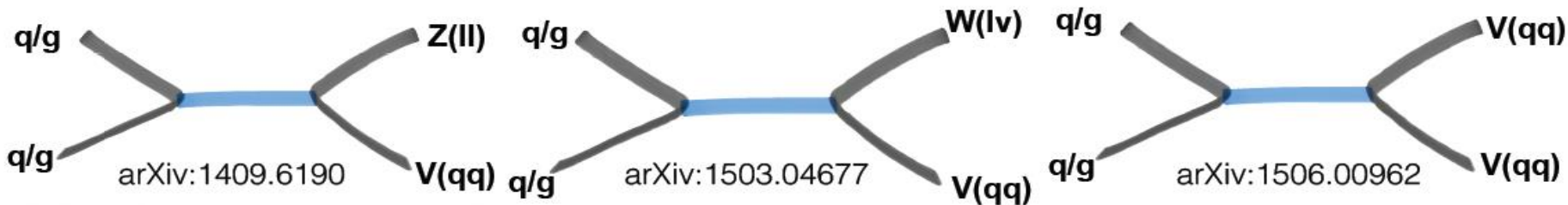
- Anti-kT R=1.0
- Trimming: $f_{\text{cut}} = 5\%$ and $R_{\text{sub}} = 0.2$
- p_T dependent (energy correlation ratio) D2 selections for W and Z separately (Multijet reduction by 40 – 70)

Boson tagging at work

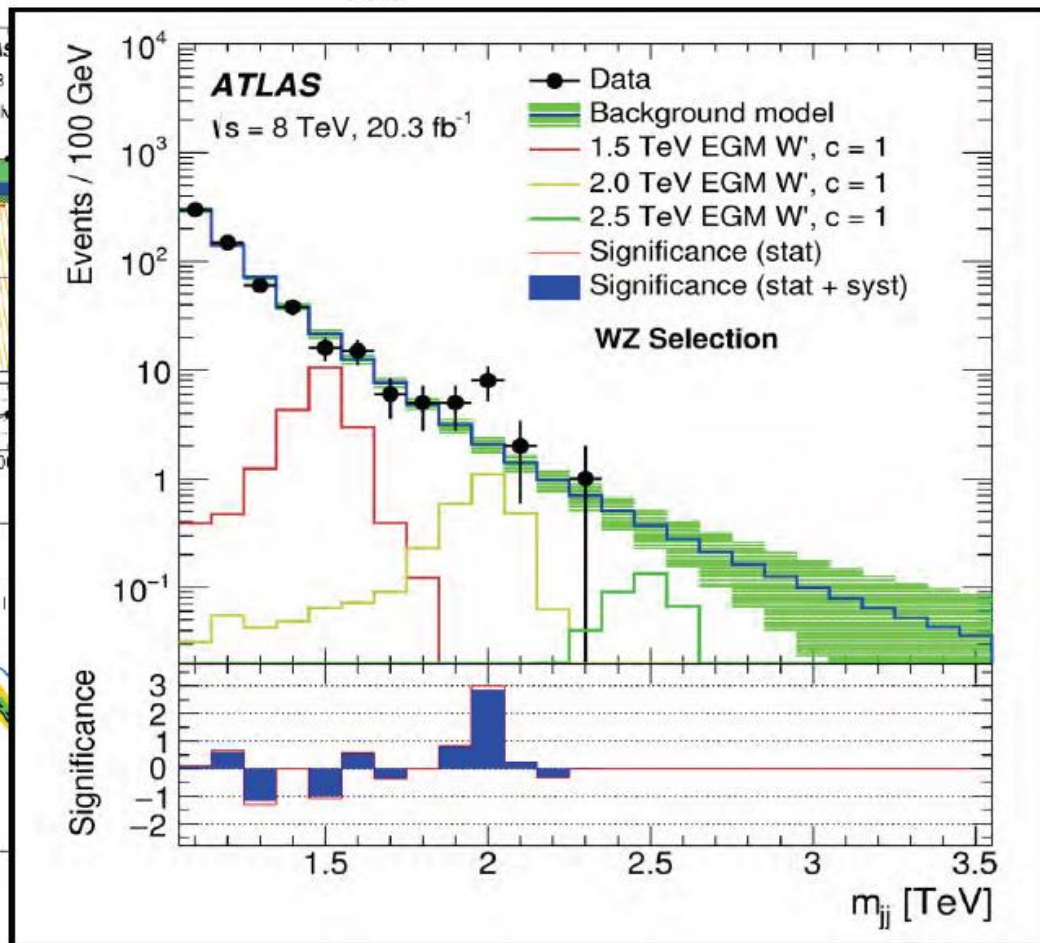
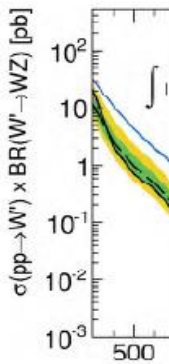
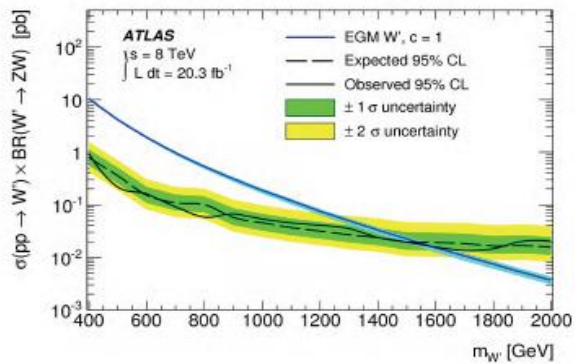
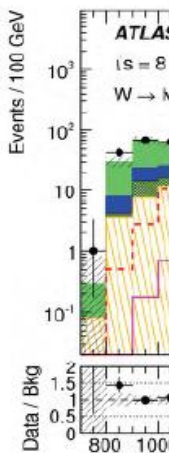
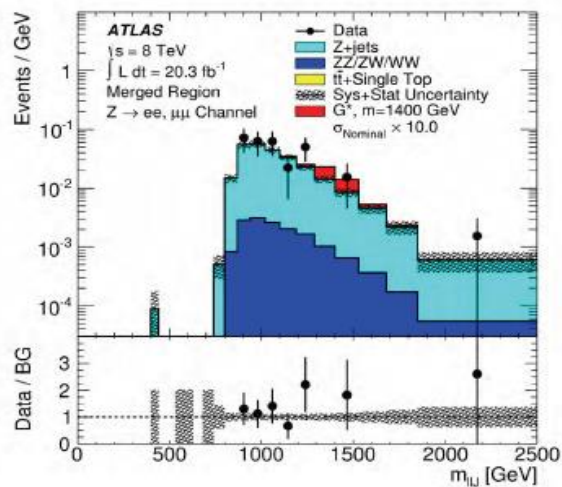
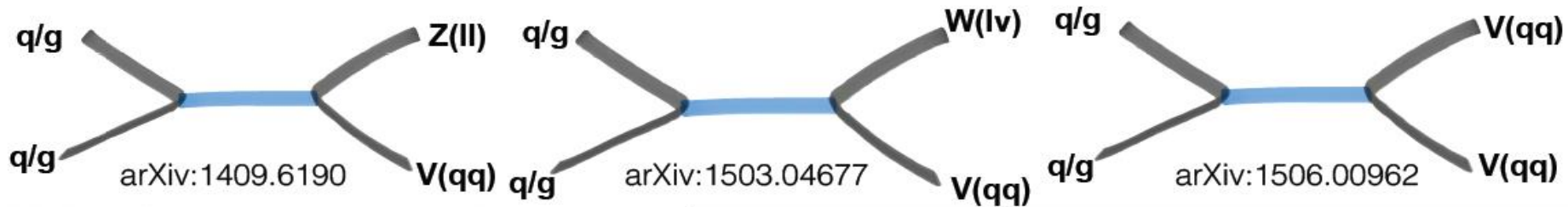
W and Z peak in the data from dijet events applying the nominal boson tagging algorithm



Run I VV resonances searches

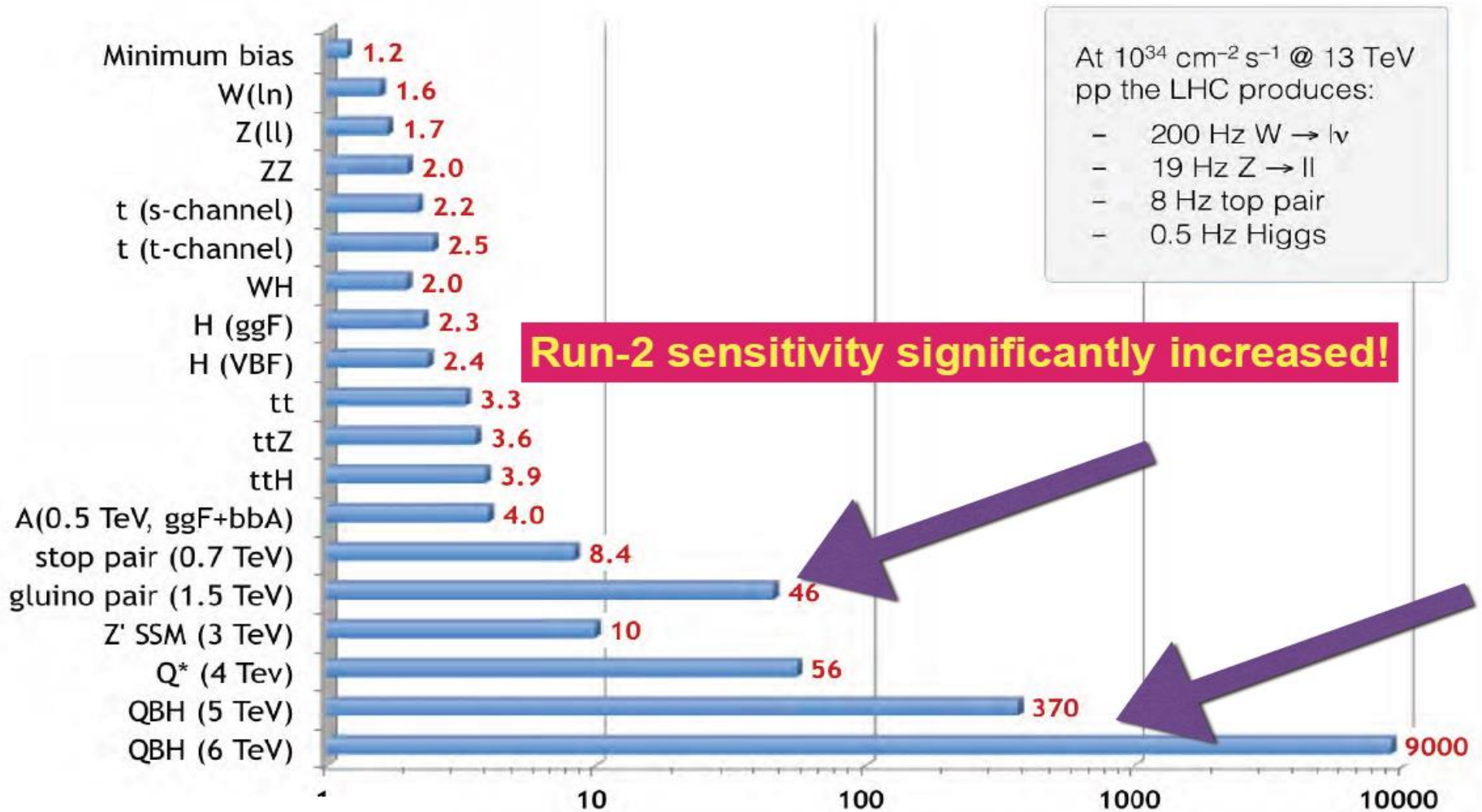


Run I VV resonances searches

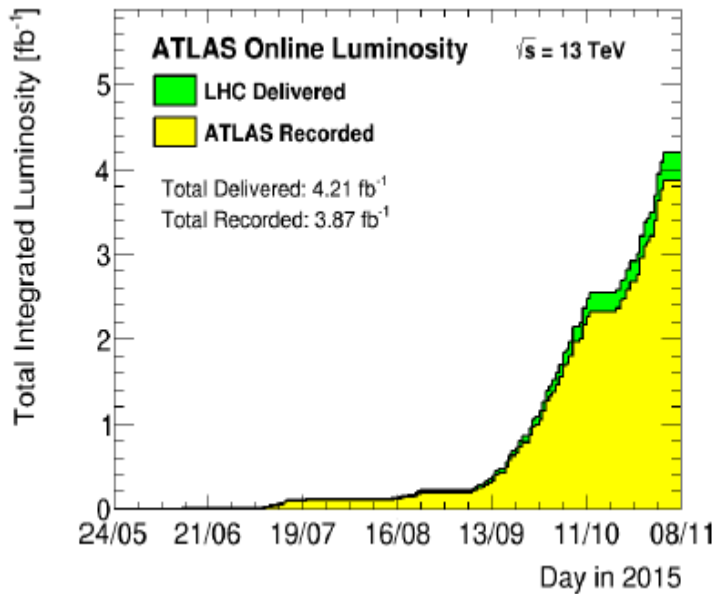


Run-2 prospects

13 TeV / 8 TeV inclusive pp cross-section ratio

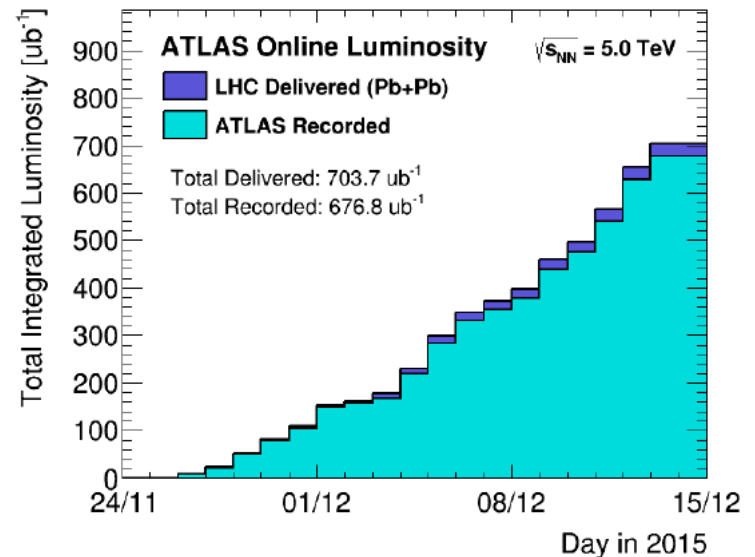
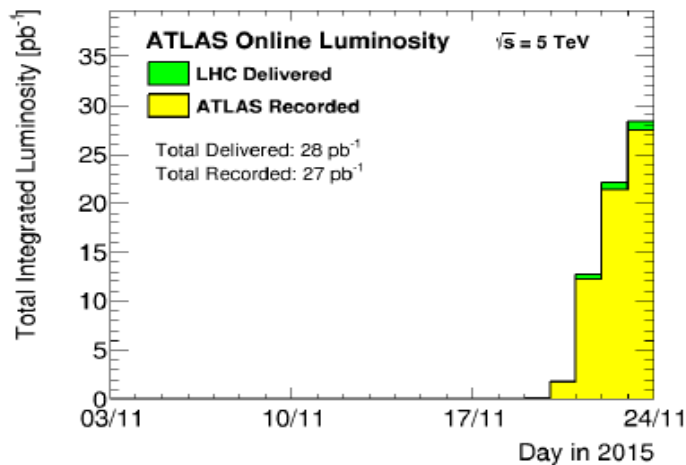


Summarizing 2015 for ATLAS



Heavy-ion data taking completed on Sunday $\rightarrow 0.68 \text{ nb}^{-1}$, compared to expectation of $0.3\text{-}0.5 \text{ nb}^{-1}$

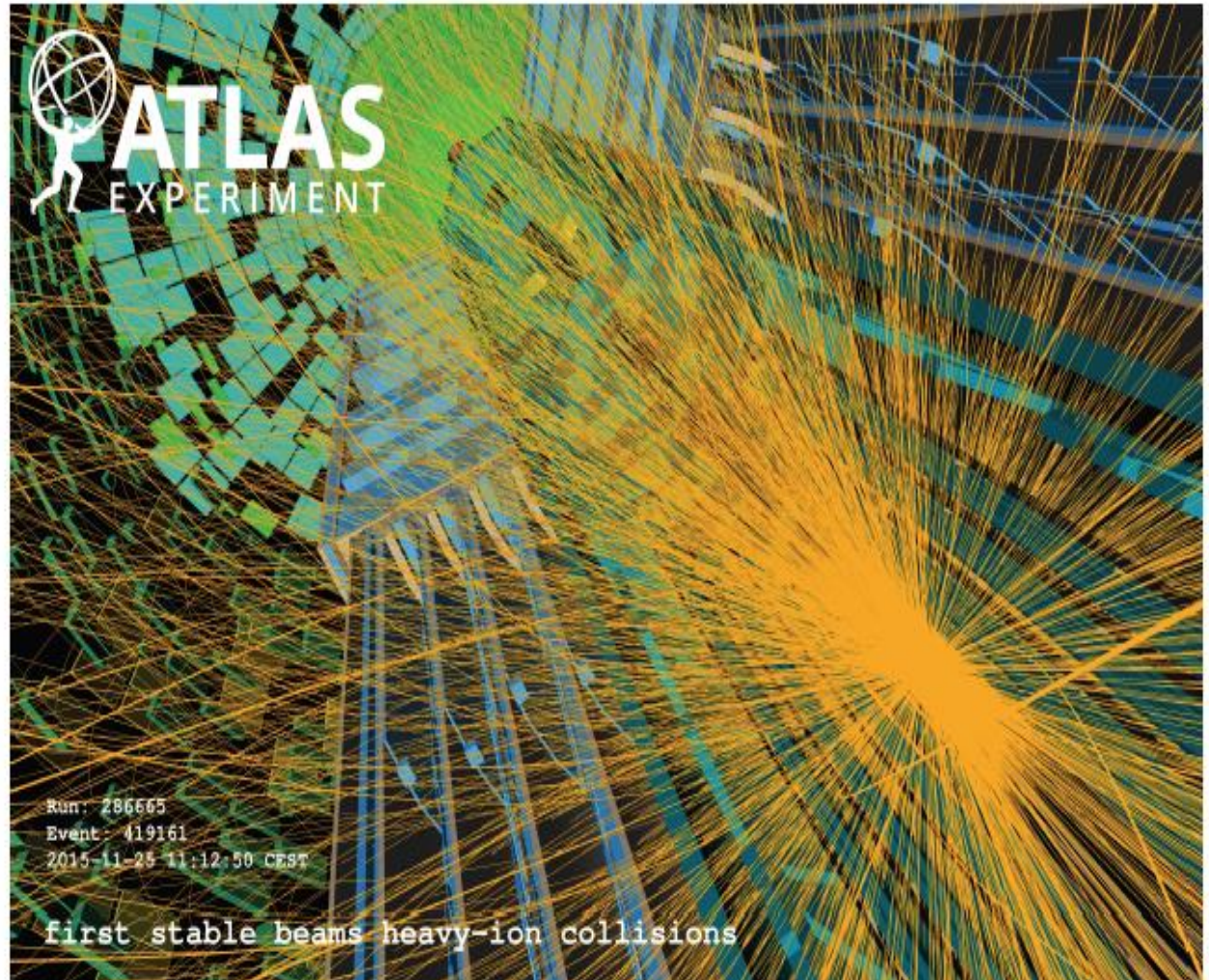
ATLAS d.t. efficiency 96% for HI



Heavy ion collisions

PbPb Collision at 1.1 PeV

*Events with
charged track
multiplicities of
up to 10k tracks*



End-of-The-Year (2015) Results



- important to understand background control regions
- but also essential to keep “eyes wide open” for possible signals

Glimpse at the Higgs in the discovery channels

Mass taken to be ATLAS-CMS Combined value (*PRL 114, 191803*): $m_H = 125.09 \pm 0.24 \text{ GeV}$

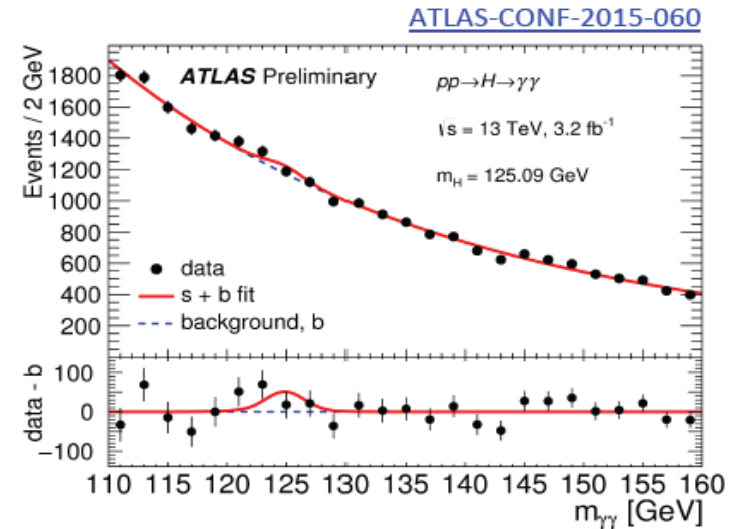
Diphoton Channel

Fully inclusive analysis

- Photon ET thresholds: $0.25 m_{\gamma\gamma}$ and $0.35 m_{\gamma\gamma}$
- Track and Calorimeter based isolation criteria
- Simple fit function for background estimate
- **Number of candidate events fitted:**

$113 \pm 74 \text{ (stat)} + 43/-25 \text{ (syst)}$

Sensitivity to SM Higgs: 1.9σ (Observed 1.5σ)



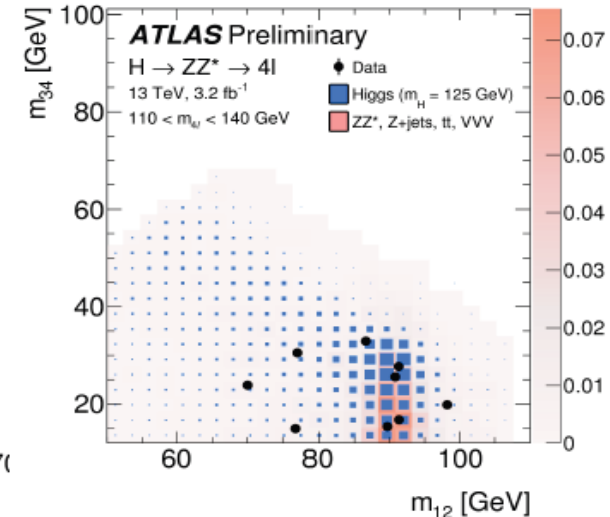
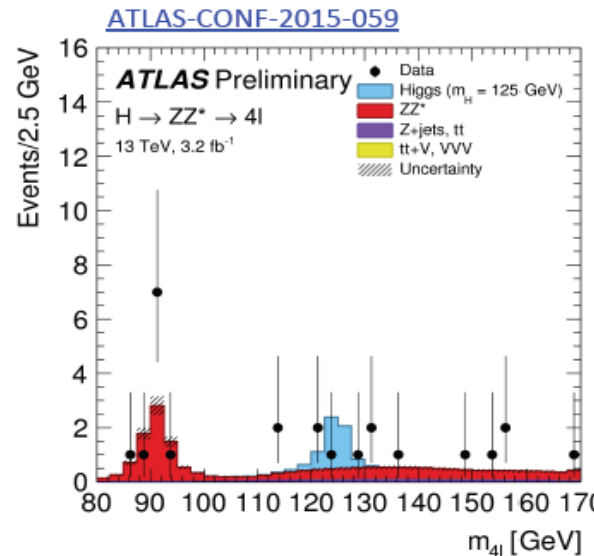
Four lepton Channel

Fully Inclusive analysis

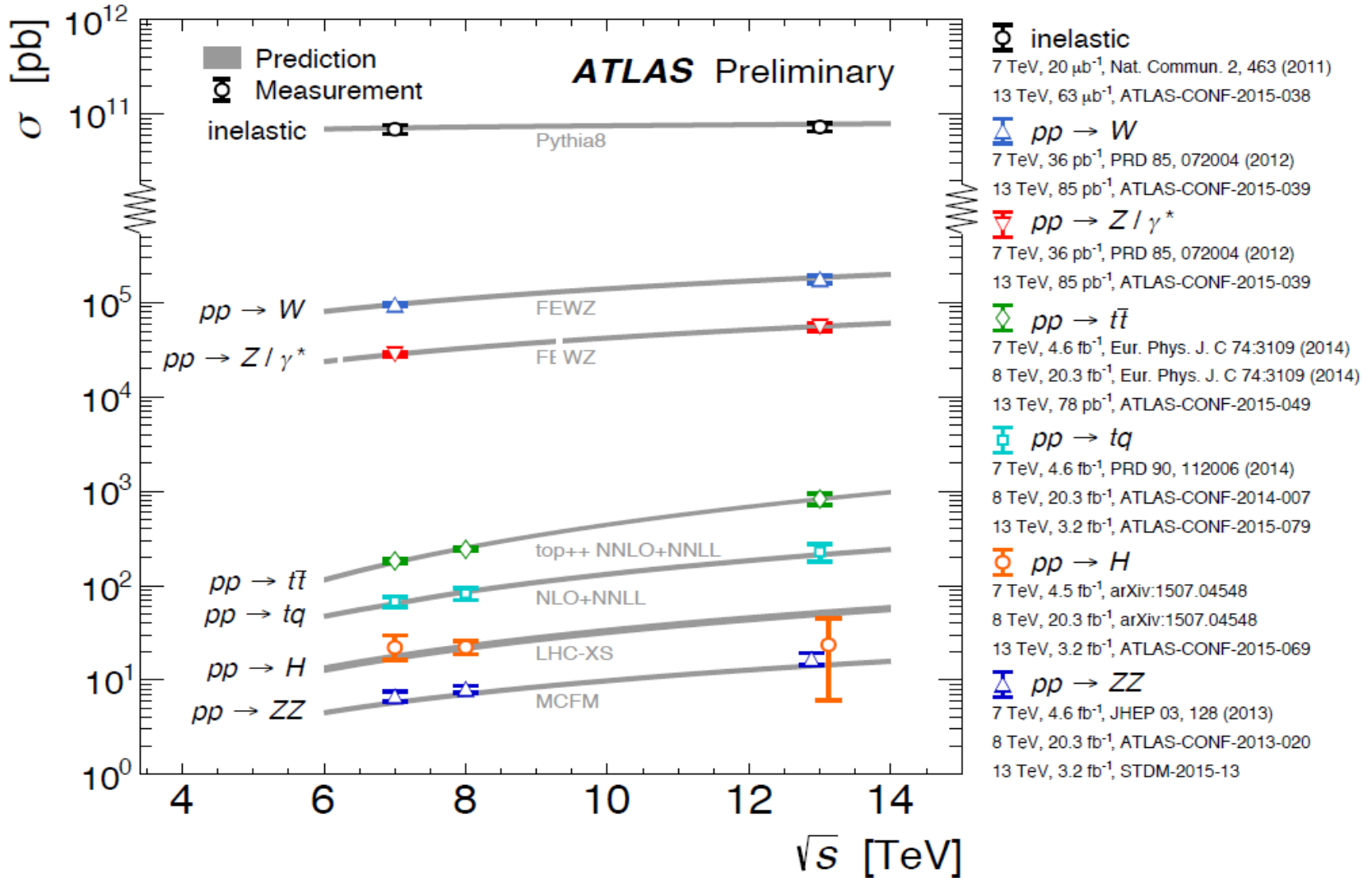
- Electron pT thresholds: 6, 10, 15, 20 GeV
- Muon pT thresholds: 7, 10, 15, 20 GeV
- Irreducible background (ZZ) from MC
- Reducible from CRs (from Isolation and IP)
- **Nb of candidates in [120,130] GeV: 4**
- **From fit:**

$1.0 + 2.3/-1.5$

Sensitivity to SM Higgs: 2.8σ
 (Observed 0.7σ)



Summary of total cross-section measurements



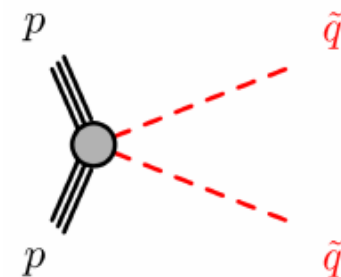
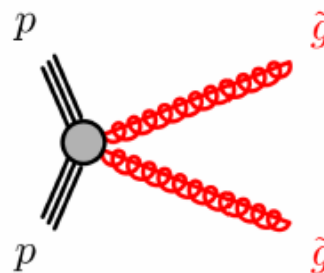
Early searches for SUSY

At this early stage of the Run-2 main focus of SUSY searches:
Strong production of Gluinos and (to lesser extent) Squarks

Ratio of 13 TeV / 8 TeV Cross sections:

- Squarks and Gluinos 1.5 TeV: **35**
- Squarks and Gluinos 1 TeV: **15**

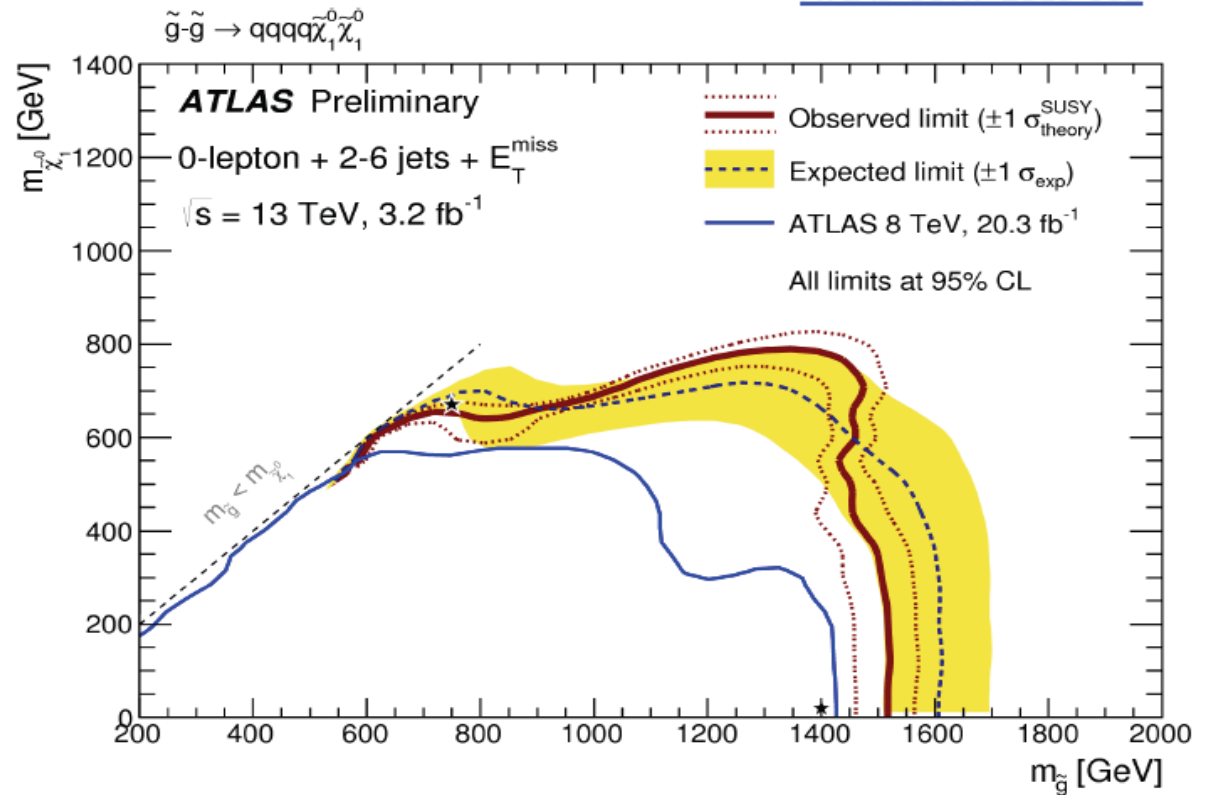
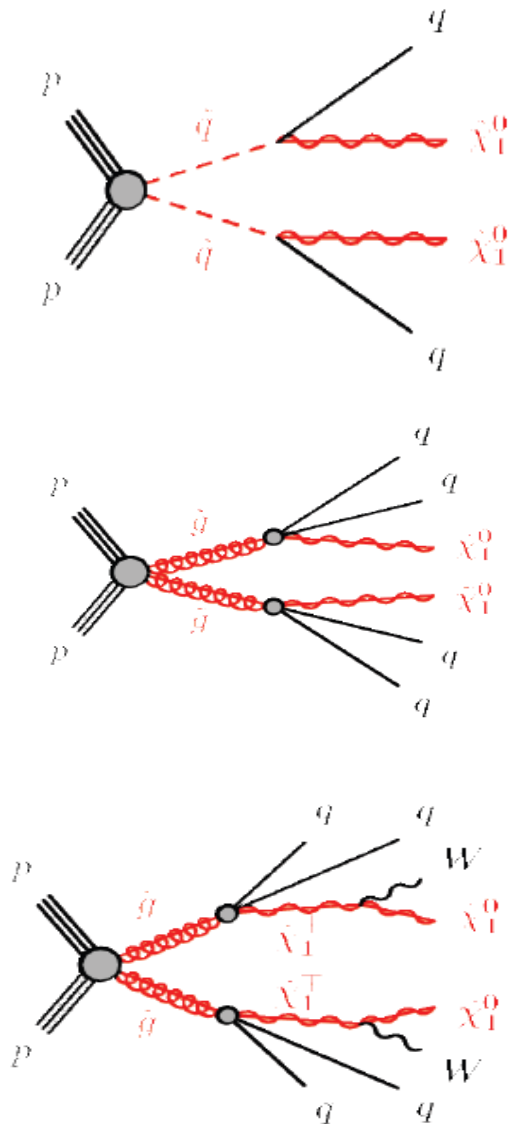
44 Signal regions to cover large number of decay chains (Jets, MET, Leptons, b-Jets)



Strongly produced SUSY particles

2-6 Jets-MET Signatures

[ATLAS-CONF-2015-062](#)

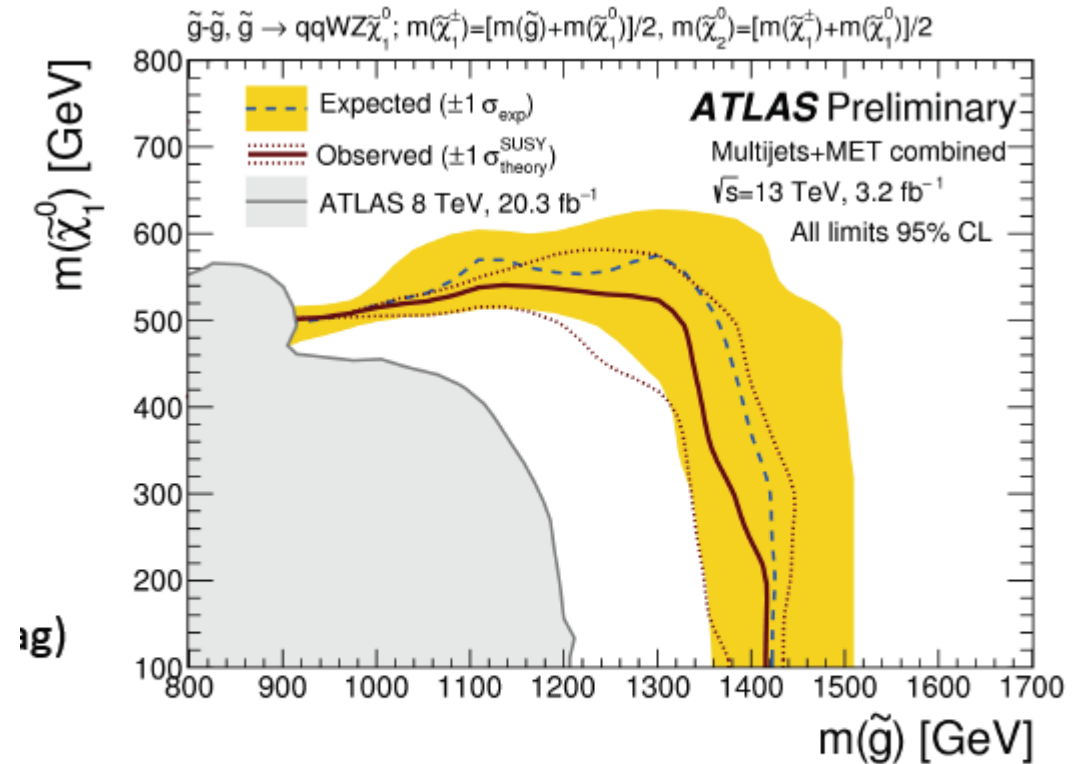
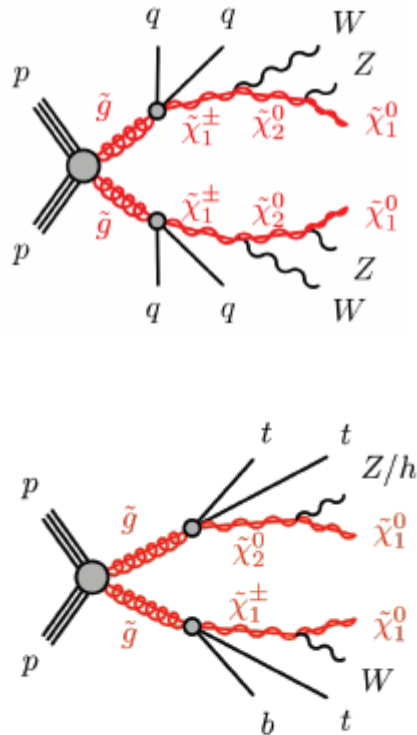


Limits on gluino mass reach 1.5 TeV

Strongly produced SUSY particles

7-10 Jets-MET Signatures

[ATLAS-CONF-2015-077](#)

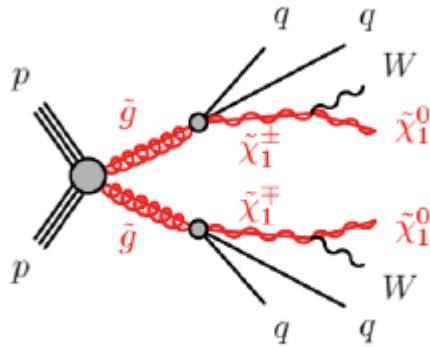


Limits on Gluino mass reach 1.4 TeV

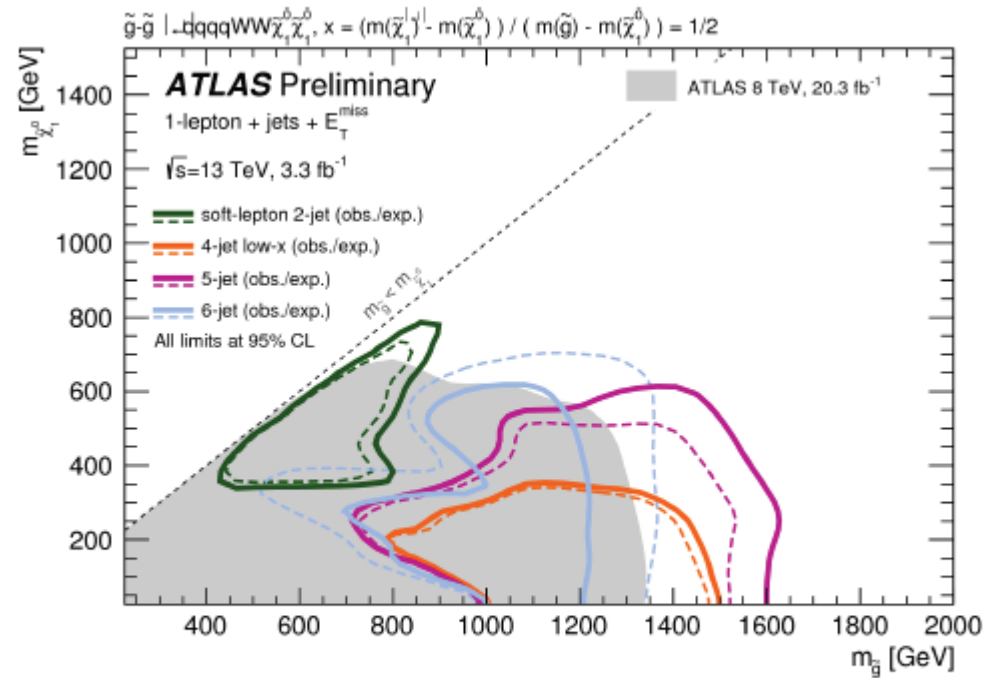
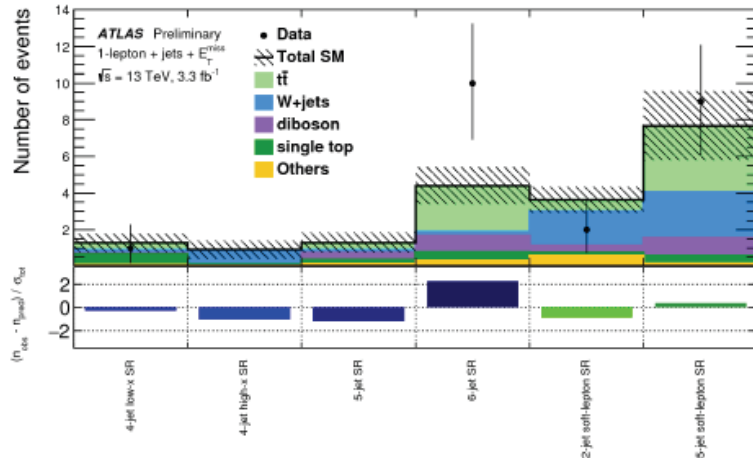
Strongly produced SUSY particles

1 Lepton-Jets and MET Signatures

ATLAS-CONF-2015-076

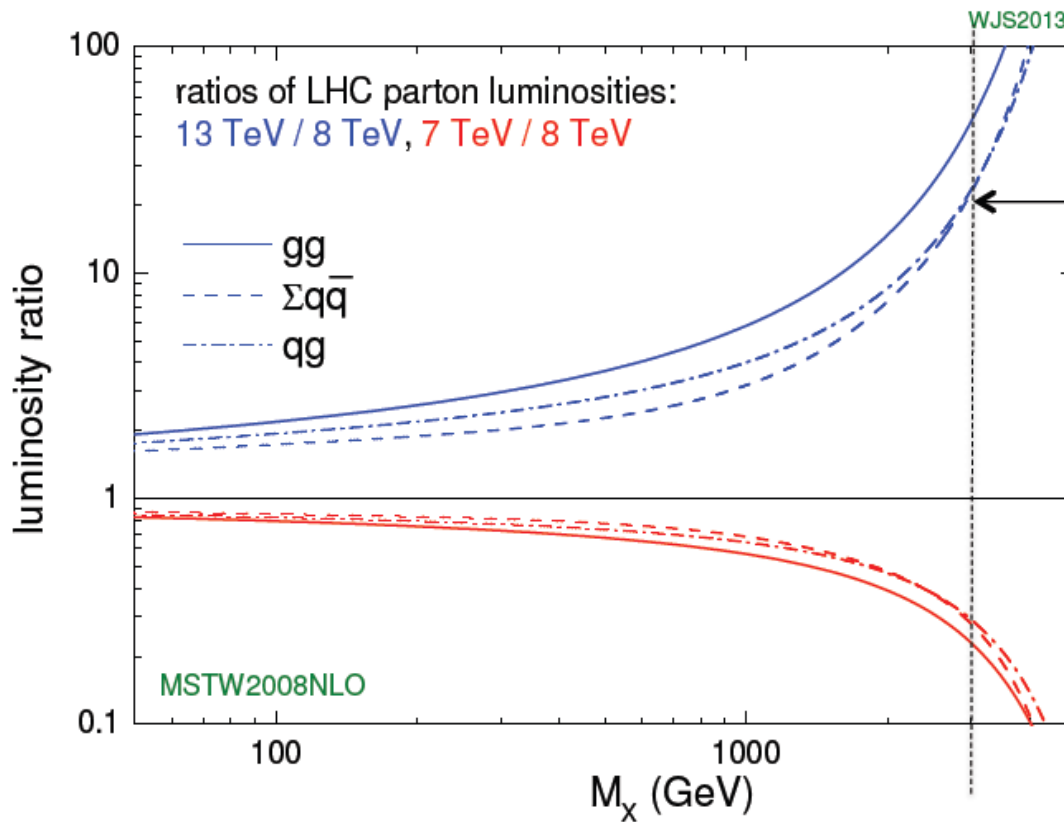


No significant excess found



Glauino exclusion up to 1.6 TeV

Early searches for New Phenomena



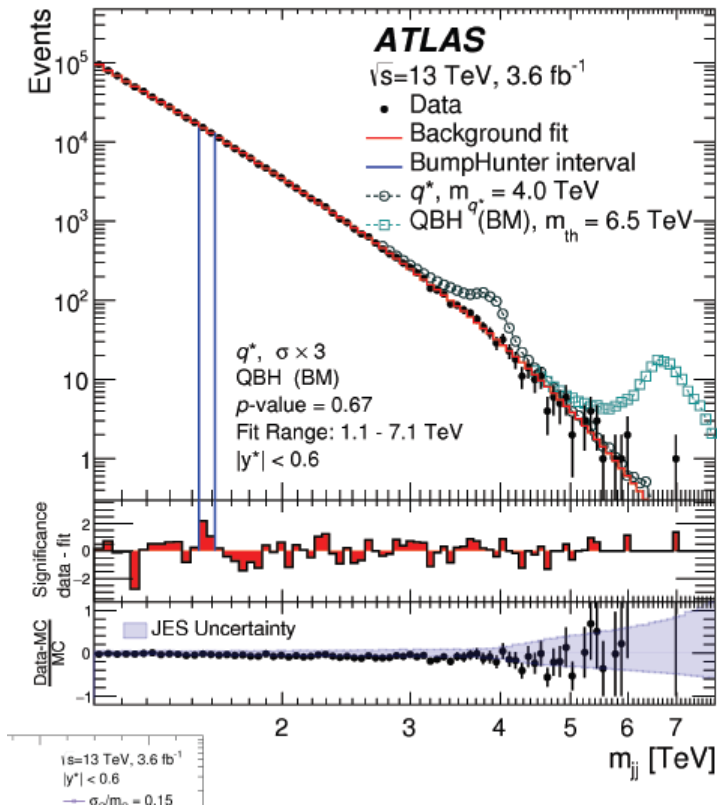
Ratio of 13 TeV / 8 TeV
Cross sections:

- Z' at 3 TeV: **20**
- q^* at 4 TeV: **56**
- QBH at 5 TeV: **370**
- QBH at 6 TeV: **9000**

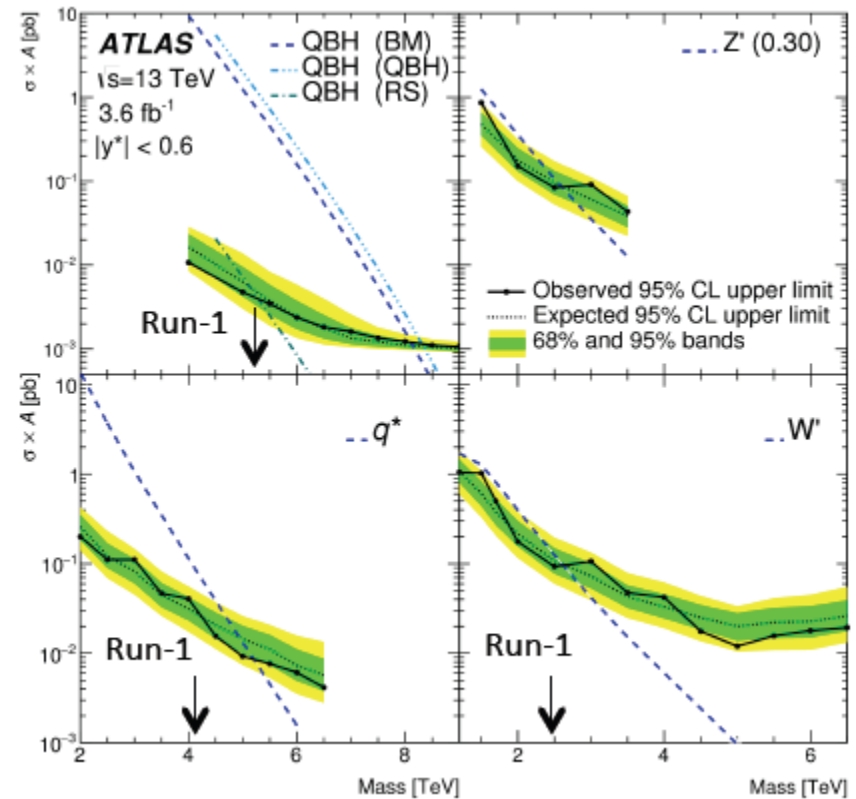
Dijet Resonant Searches

1512.01530

- Sensitive to Quantum Black Holes, Excited quarks, W' , Z'



No significant excess found



Limits on QBH reaching 8 TeV

Mass of this event: 7.7 Tera-electron volt

 **ATLAS**
EXPERIMENT
<http://atlas.ch>

Run: 280673
Event: 1273922482
2015-09-29 15:32:53 CEST

Di-Jet Event

Highest Mass Central Dijet

$pT_1 = pT_2 = 3.2 \text{ TeV}$

$m_{JJ} = 6.9 \text{ TeV}$

$MET = 46 \text{ GeV}$

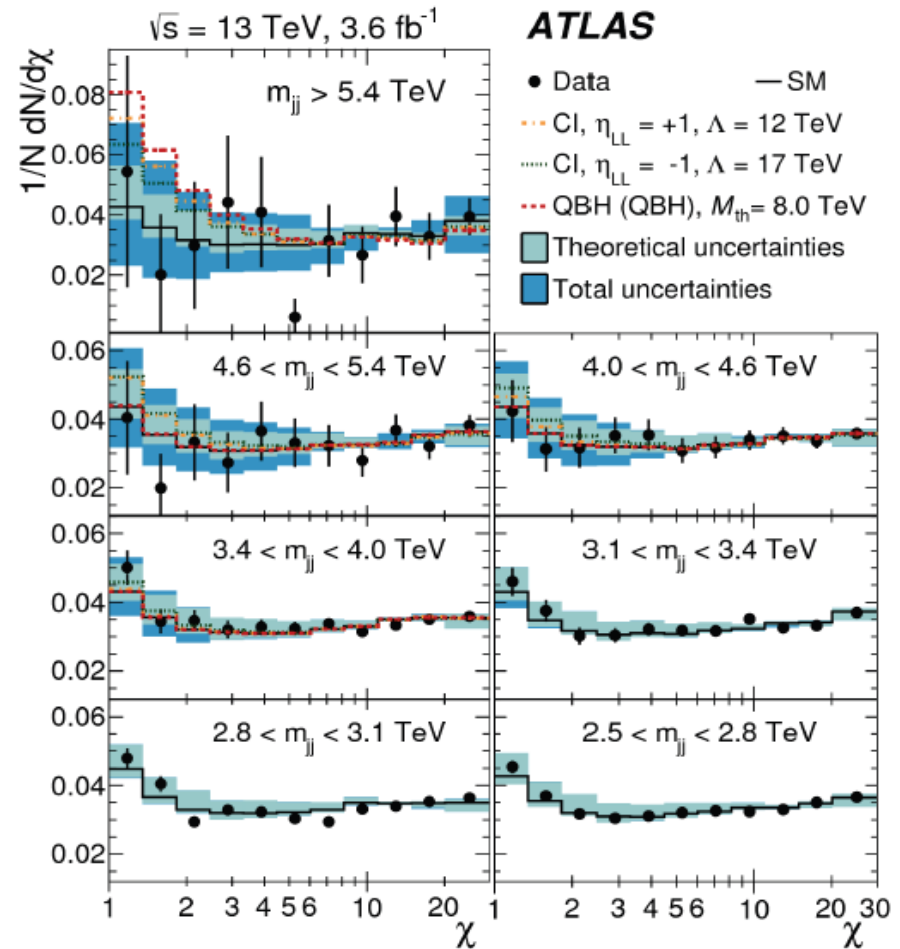
Dijet Angular Searches

Search in dijet mass bins using angular distribution

$$\chi = e^{2|y^*|} \sim \frac{1 + \cos\theta^*}{1 - \cos\theta^*}$$

[1512.01530](#)

Search for distortions of the dijet angular distribution from Contact Interactions of particles at much higher masses $O(\Lambda)$ with color-singlet left-handed chiral couplings (in 4-fermion effective field theory)



No deviations observed, limits set at 12 TeV on Λ (for $\eta_{LL} = 1$)

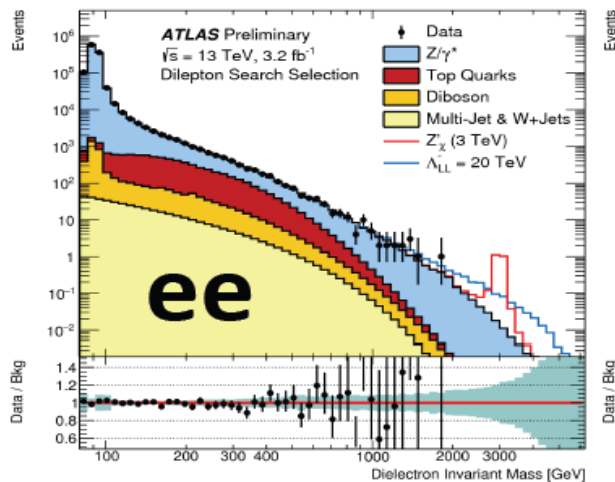
Dilepton Resonances (LFC and LFV)

Search for Z' in dilepton (LFC) and (LFV) (in $e\mu$ decays)

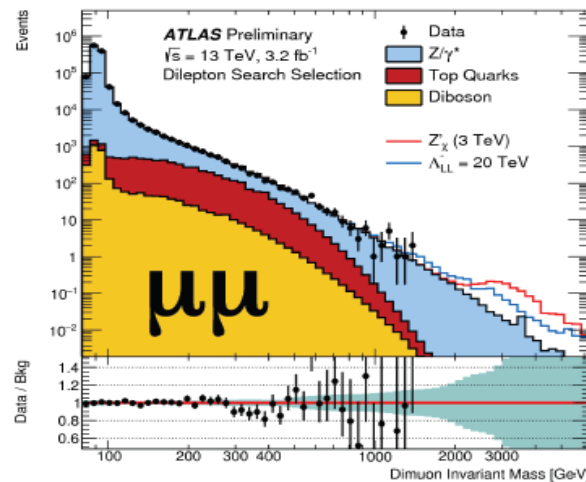
[ATLAS-CONF-2015-070](#)

- Main background DY is taken from MC
- Top and diboson extrapolated at very high masses using a functional form
- Background from MC except for MJ in dielectron uses Matrix method (based on electron ID)

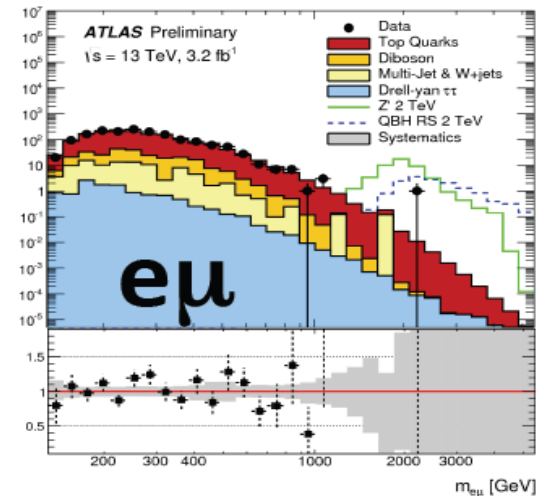
[ATLAS-CONF-2015-072](#)



Highest di-electron mass event at 1.8 TeV



Highest di-muon mass event at 1.4 TeV



Highest $e\mu$ mass event at 2.1 TeV

No Excess found !

95% CL Limit on SSM Z' at 3.4 TeV (2.9 TeV from Run-1)

95% CL Limit on SSM LFV Z' at 3.0 TeV (2.5 TeV from Run-1)



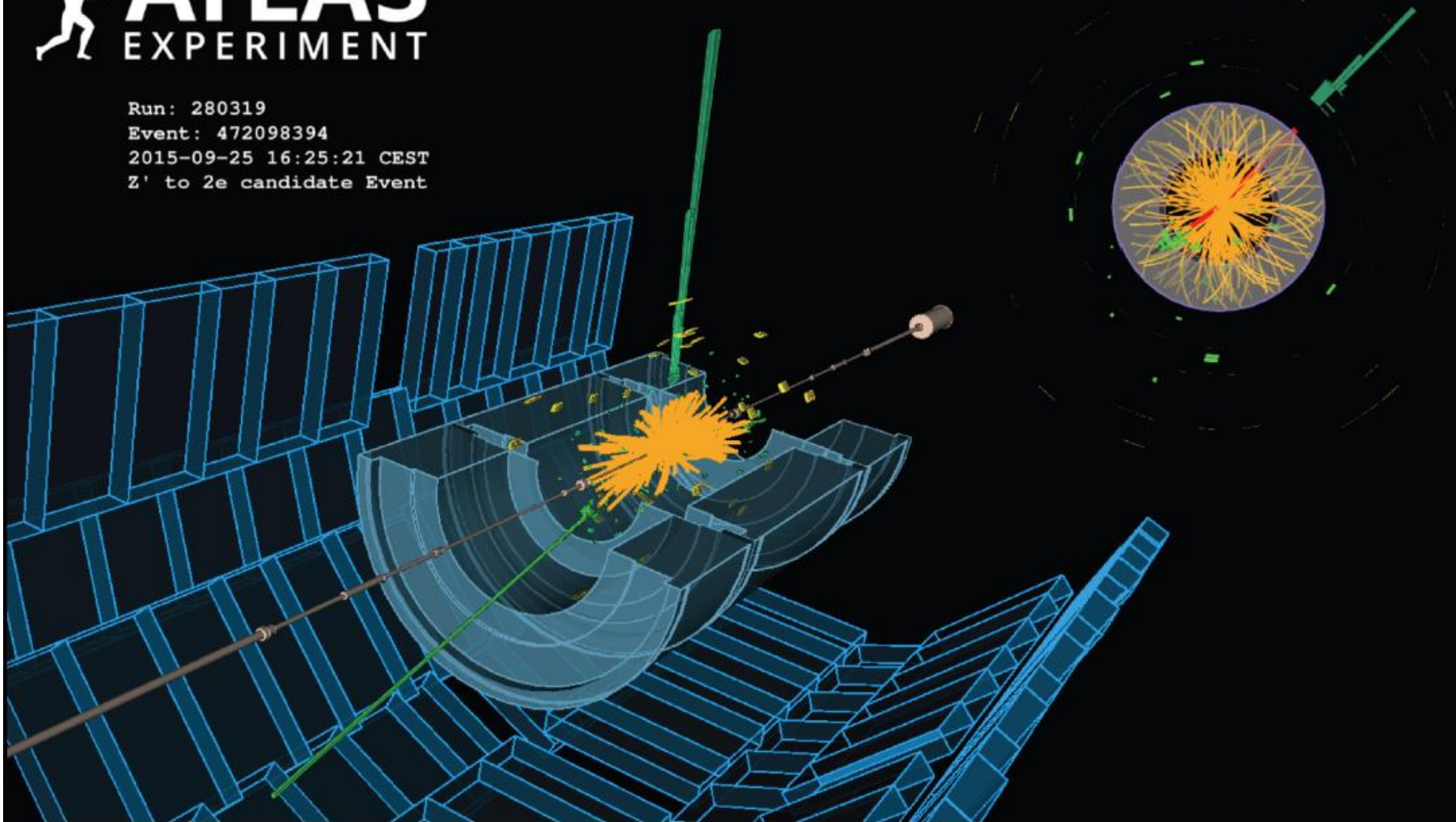
Run: 280319
Event: 472098394
2015-09-25 16:25:21 CEST
Z' to 2e candidate Event

Di-Electron Event

High Mass Dielectron

$ET_1 = 370 \text{ GeV}$ $ET_2 = 246 \text{ GeV}$

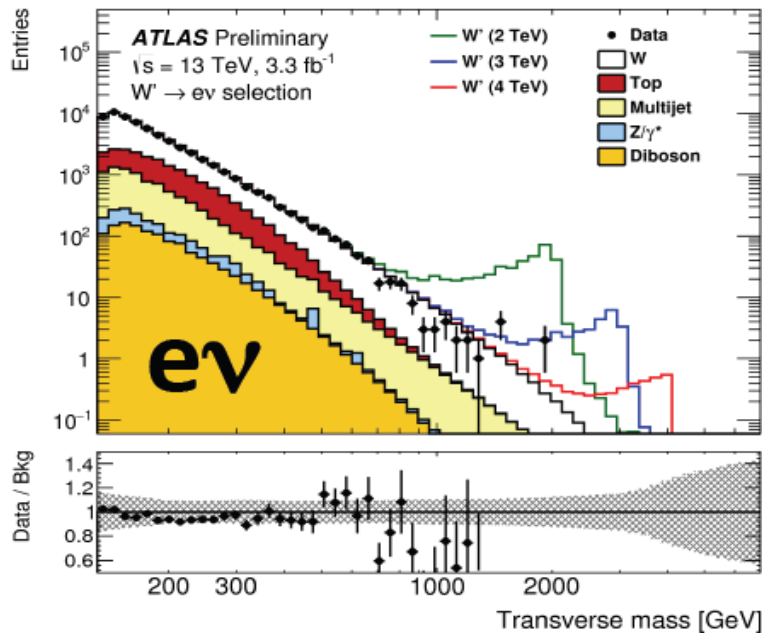
$m_{ee} = 1.8 \text{ TeV}$



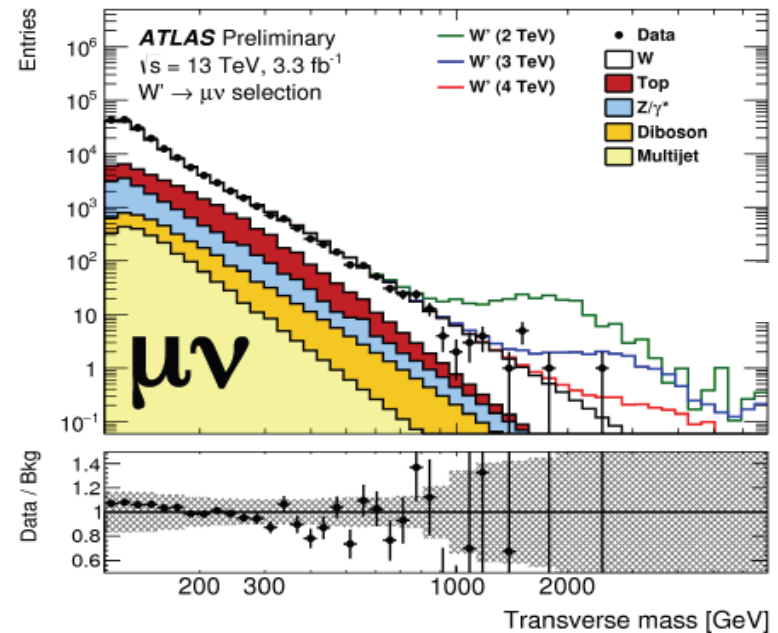
Search for Resonant Lepton-MET

- Search for W' in lepton-MET final states

[ATLAS-CONF-2015-063](#)



Highest electron-MET
mass event at 1.95 TeV

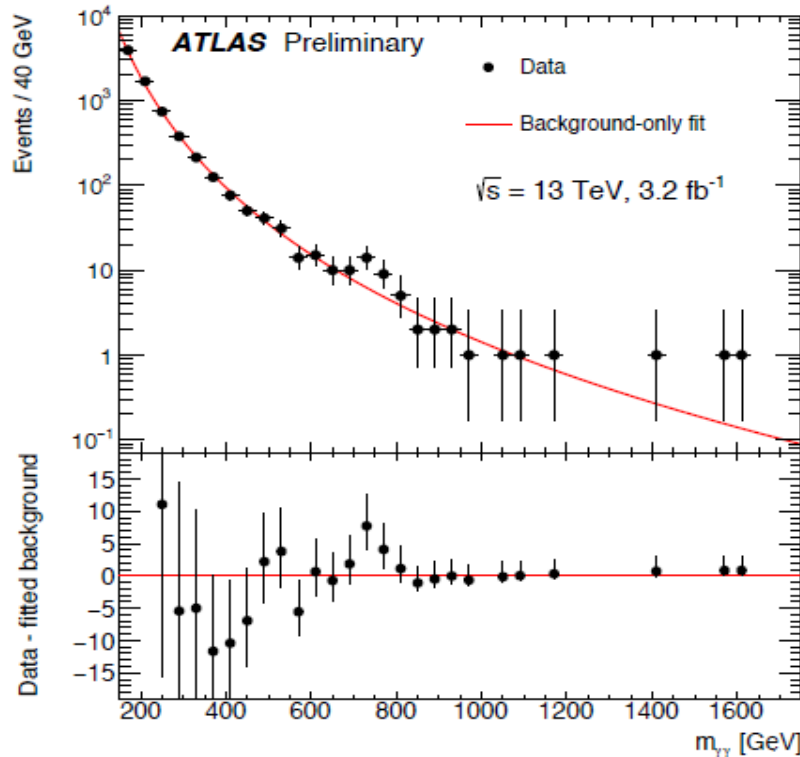


Highest muon-MET mass
event at 2.2 TeV

No Excess found !

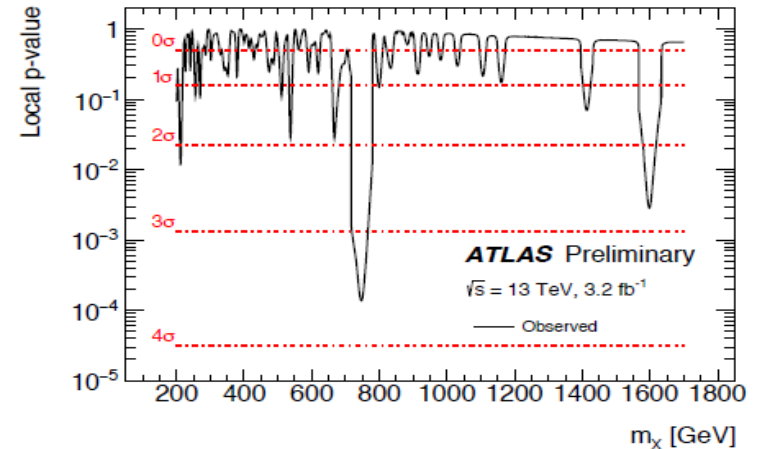
95%CL Limit on SSM W' at 4.1 TeV (3.2 TeV at Run-1)

Search for Two Photons Resonance



- In the NWA search, an excess of 3.6σ (local) is observed at a mass hypothesis of minimal p_0 of 750 GeV
- Taking a LEE in a mass range (fixed before unblinding) of 200 GeV to 2.0 TeV the **global significance** of the excess is **2.0σ**

[ATLAS-CONF-2015-081](#)



In the NWA fit the resolution uncertainty is profiled in the NWA fit and is pulled by 1.5σ

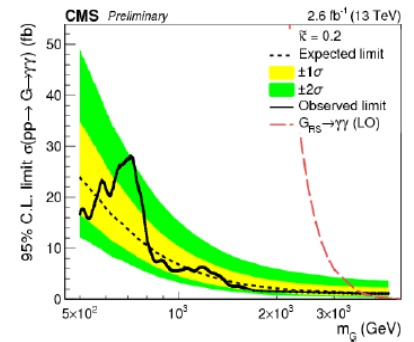
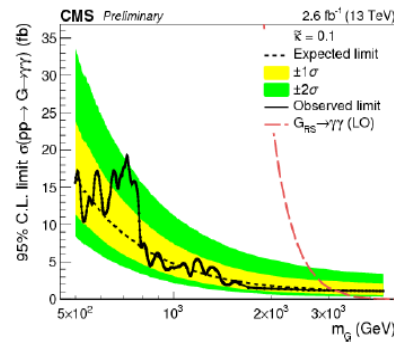
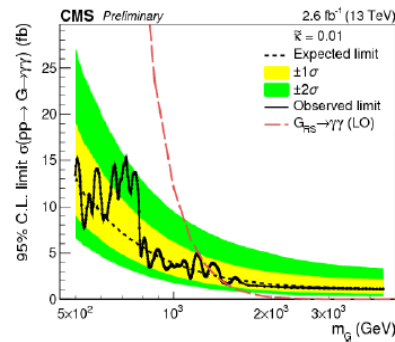
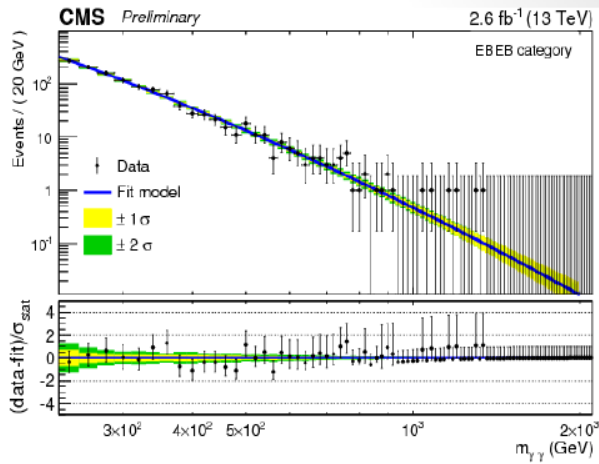
The data was then fit under a **LW hypothesis** yielding a width of approximately 45 GeV (Approx. 6% of the best fit mass of approximately 750 GeV)

- As expected the local significance increases to **3.9σ**
- Taking into account a LEE in mass and width of up to 10% of the mass hypothesis of **2.3σ** (Note: upper range in resolution fixed after unblinding)

Search for Two Photons Resonance

And what about CMS?

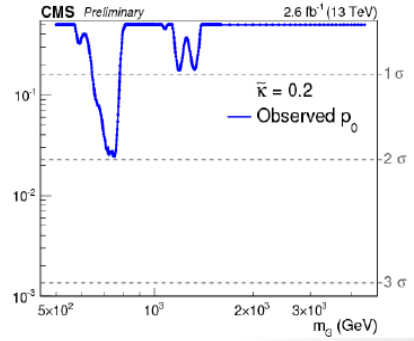
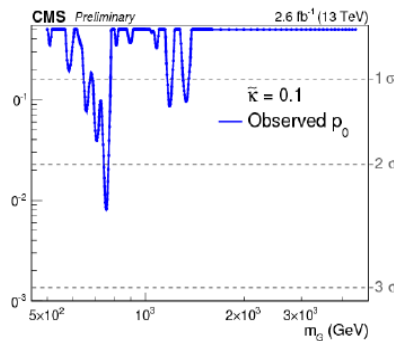
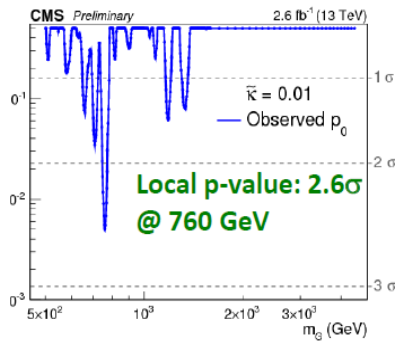
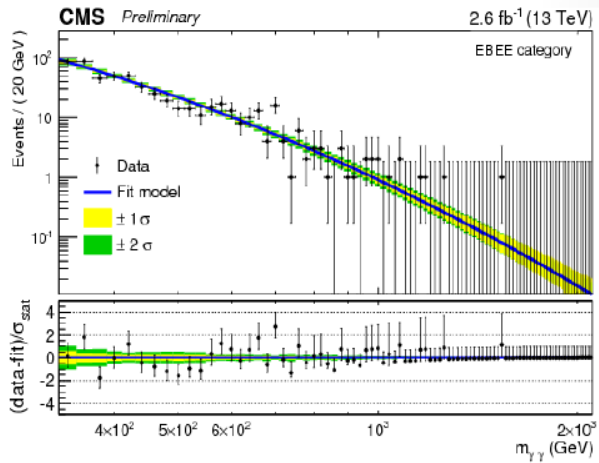
EXO-15-004



Narrow Width



Wide (6%) Width



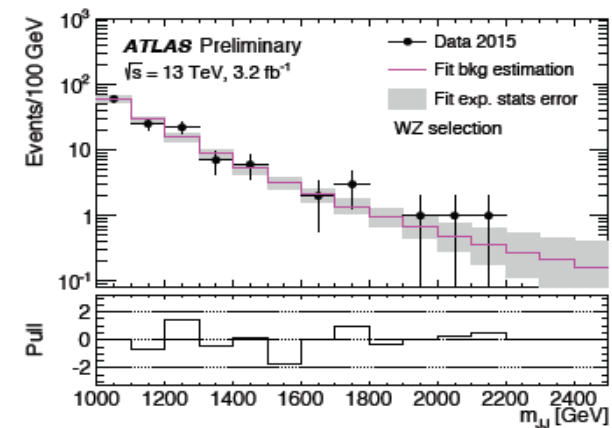
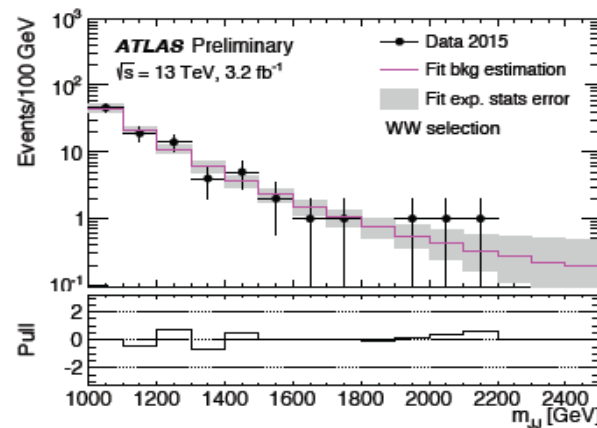
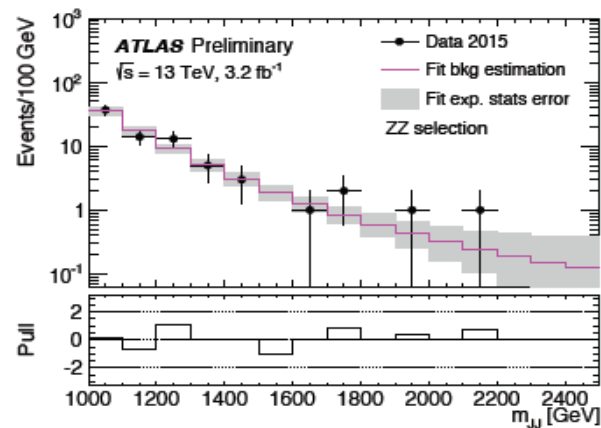
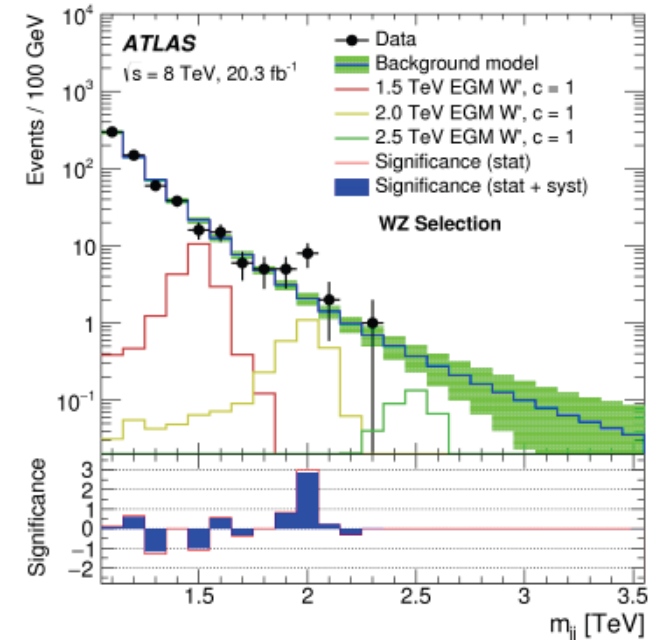
Including LEE (0.5 - 4.5 TeV; narrow width), global p-value < 1.2σ

Fully hadronic JJ Diboson Searches

[ATLAS-CONF-2015-073](#)

- **Modest excess at Run-1: 3.4σ local / 2.5σ global**
- **Analysis very similar to Run 1, with functional fit of the background**
- **No significant excess is observed**
however sensitivity not high enough for conclusive probe of the Run 1 excess

Run-1



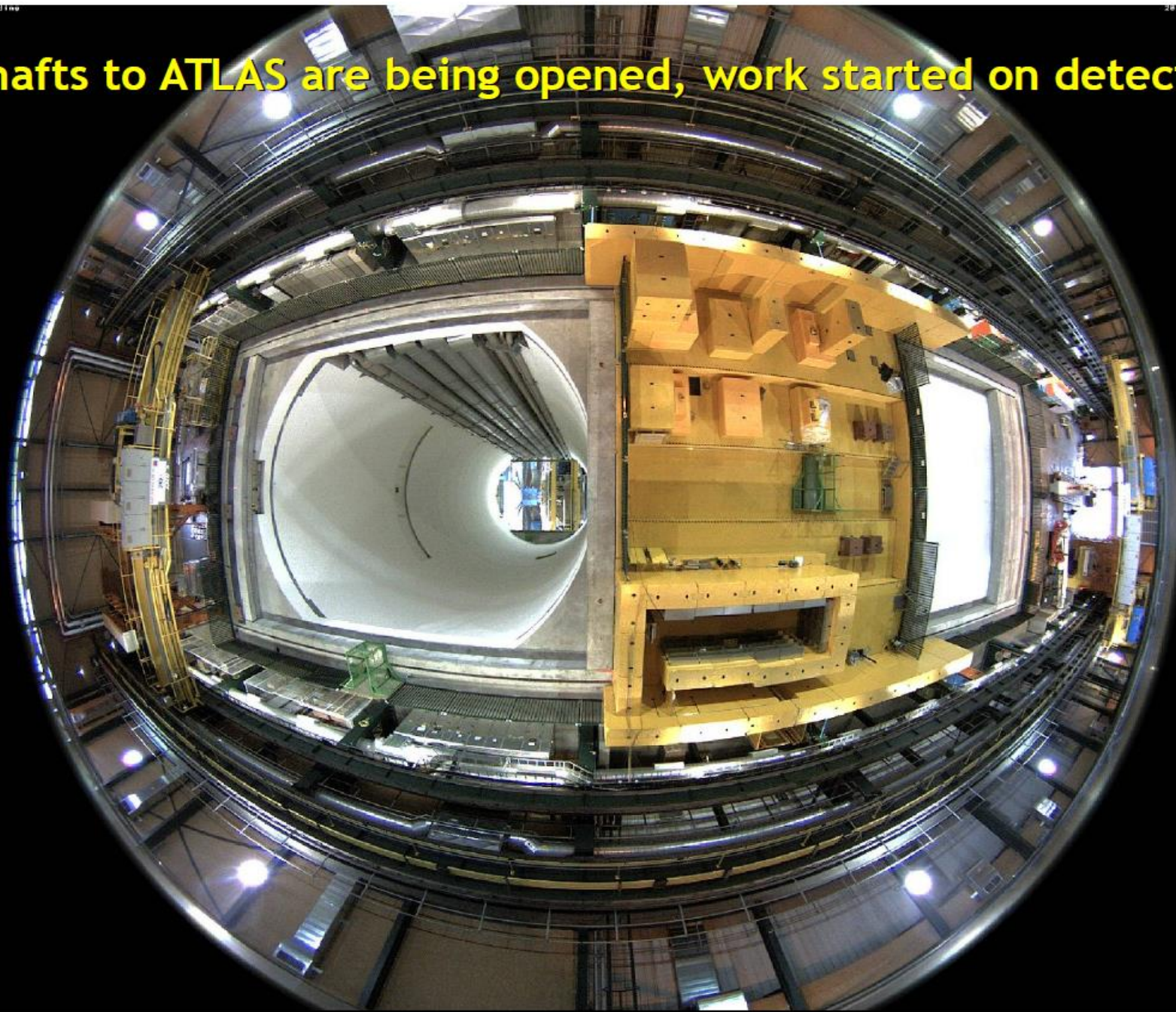
Summary (from ATLAS Collaboration)

- The ATLAS Collaboration has released a host of new results with the full 2015 13 TeV dataset, in **24 Conference Notes** and **4 Journal Papers**

(Available at the following location: <https://twiki.cern.ch/twiki/bin/view/AtlasPublic/December2015-13TeV>)

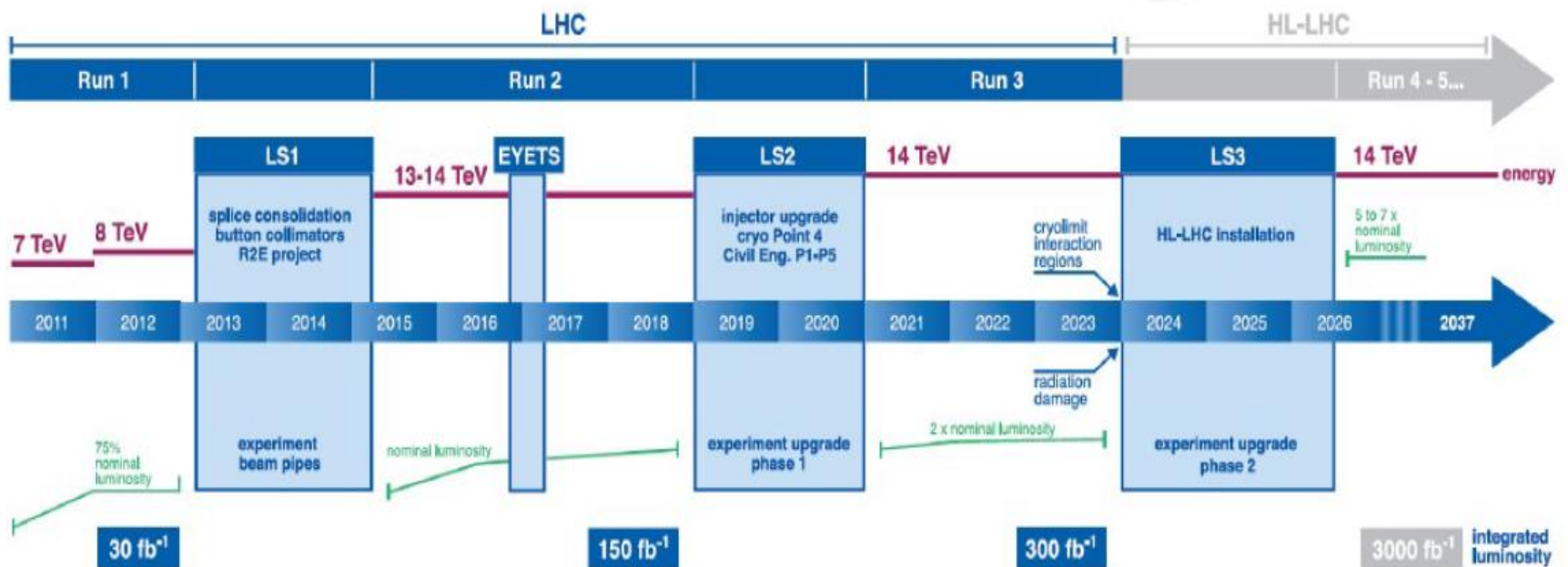
- New measurements of single top and diboson cross sections
 - First look at H(125 GeV) production
 - Many searches for new physics with sensitivity exceeding the Run 1 reach, investigating a vast number of topologies and event characteristics
 - Modest excesses begging for more data
-
- Eagerly awaiting a much larger haul of data in 2016!

Shafts to ATLAS are being opened, work started on detector



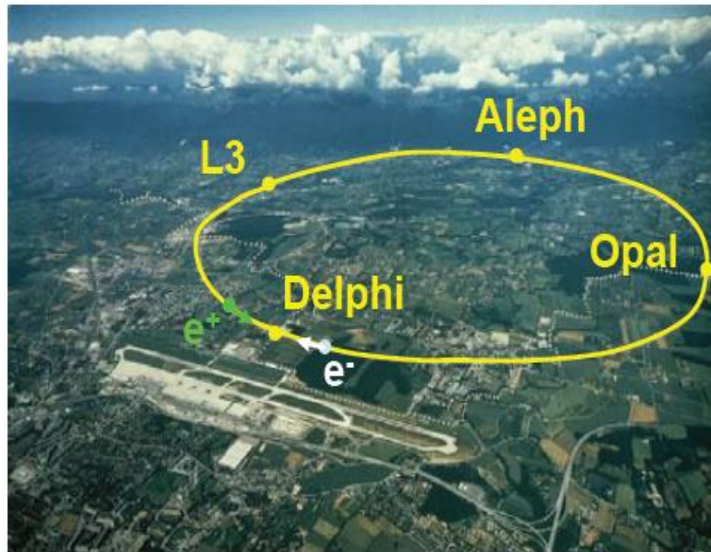
LHC Schedule

LHC / HL-LHC Plan



Electroweak measurements at LEP

- ★ The **L**arge **E**lectron **P**ositron (LEP) Collider at CERN (1989-2000) was designed to make precise measurements of the properties of the Z and W bosons.



- 26 km circumference accelerator straddling French/Swiss border
- Electrons and positrons collided at 4 interaction points
- 4 large detector collaborations (each with 300-400 physicists):
ALEPH,
DELPHI,
L3,
OPAL

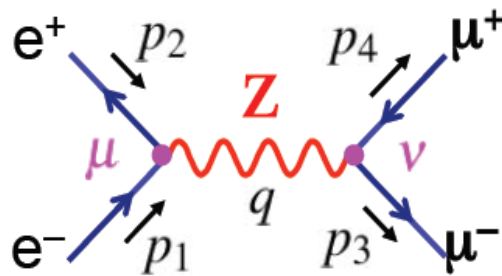
Basically a large Z and W factory:

- ★ 1989-1995: Electron-Positron collisions at $\sqrt{s} = 91.2$ GeV
 - 17 Million Z bosons detected
- ★ 1996-2000: Electron-Positron collisions at $\sqrt{s} = 161$ -208 GeV
 - 30000 W+W- events detected

The Z resonance

★ Want to calculate the cross-section for $e^+e^- \rightarrow Z \rightarrow \mu^+\mu^-$

• Feynman rules for the diagram below give:



e⁺e⁻ vertex: $\bar{v}(p_2) \cdot -ig_Z \gamma^\mu \frac{1}{2} (c_V^e - c_A^e \gamma^5) \cdot u(p_1)$

Z propagator: $\frac{-ig_{\mu\nu}}{q^2 - m_Z^2}$

μ⁺μ⁻ vertex: $\bar{u}(p_3) \cdot -ig_Z \gamma^\nu \frac{1}{2} (c_V^\mu - c_A^\mu \gamma^5) \cdot v(p_4)$

→ $-iM_{fi} = [\bar{v}(p_2) \cdot -ig_Z \gamma^\mu \frac{1}{2} (c_V^e - c_A^e \gamma^5) \cdot u(p_1)] \cdot \frac{-ig_{\mu\nu}}{q^2 - m_Z^2} \cdot [\bar{u}(p_3) \cdot -ig_Z \gamma^\nu \frac{1}{2} (c_V^\mu - c_A^\mu \gamma^5) \cdot v(p_4)]$

→ $M_{fi} = -\frac{g_Z^2}{q^2 - m_Z^2} g_{\mu\nu} [\bar{v}(p_2) \gamma^\mu \frac{1}{2} (c_V^e - c_A^e \gamma^5) \cdot u(p_1)] \cdot [\bar{u}(p_3) \gamma^\nu \frac{1}{2} (c_V^\mu - c_A^\mu \gamma^5) \cdot v(p_4)]$

★ Convenient to work in terms of helicity states by explicitly using the Z coupling to LH and RH chiral states (ultra-relativistic limit so helicity = chirality)

$$\frac{1}{2} (c_V - c_A \gamma^5) = c_L \frac{1}{2} (1 - \gamma^5) + c_R \frac{1}{2} (1 + \gamma^5)$$

LH and RH projections operators

The unpolarised cross-section

★ Hence the complete expression for the unpolarized differential cross section is:

$$\begin{aligned} \frac{d\sigma}{d\Omega} &= \frac{1}{64\pi^2 s} \langle |M_{fi}|^2 \rangle \\ &= \frac{1}{64\pi^2} \cdot \frac{1}{4} \cdot \frac{g_Z^4 s}{(s - m_Z^2)^2 + m_Z^2 \Gamma_Z^2} \times \\ &\quad \left\{ \frac{1}{4} [(c_V^e)^2 + (c_A^e)^2] [(c_V^\mu)^2 + (c_A^\mu)^2] (1 + \cos^2 \theta) + 2c_V^e c_A^e c_V^\mu c_A^\mu \cos \theta \right\} \end{aligned}$$

★ Integrating over solid angle $d\Omega = d\phi d(\cos \theta) = 2\pi d(\cos \theta)$

$$\int_{-1}^{+1} (1 + \cos^2 \theta) d(\cos \theta) = \int_{-1}^{+1} (1 + x^2) dx = \frac{8}{3} \quad \text{and} \quad \int_{-1}^{+1} \cos \theta d(\cos \theta) = 0$$

$$\sigma_{e^+e^- \rightarrow Z \rightarrow \mu^+\mu^-} = \frac{1}{192\pi} \frac{g_Z^4 s}{(s - m_Z^2)^2 + m_Z^2 \Gamma_Z^2} [(c_V^e)^2 + (c_A^e)^2] [(c_V^\mu)^2 + (c_A^\mu)^2]$$

★ Note: the **total cross section** is proportional to the sums of the squares of the vector- and axial-vector couplings of the initial and final state fermions

$$(c_V^f)^2 + (c_A^f)^2$$

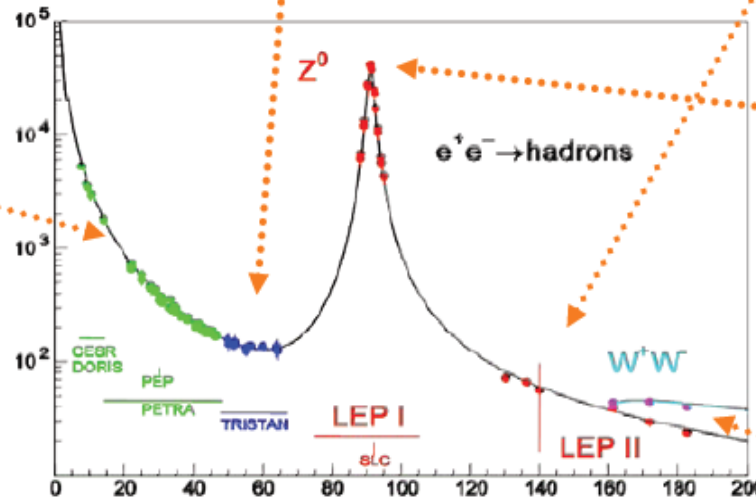
e^+e^- annihilation in Feynman Diagrams

In general e^+e^- annihilation involves both photon and Z exchange : + interference

$$\left| \begin{array}{c} e^+ \\ e^- \end{array} \right\rangle \left[\begin{array}{c} \gamma \\ Z \end{array} \right] \left| \begin{array}{c} \bar{f} \\ f \end{array} \right\rangle \Bigg|^2$$

$$\left| \begin{array}{c} e^+ \\ e^- \end{array} \right\rangle \left[\gamma \right] \left| \begin{array}{c} \bar{f} \\ f \end{array} \right\rangle \Bigg|^2$$

Well below Z: photon exchange dominant



$$\left| \begin{array}{c} e^+ \\ e^- \end{array} \right\rangle \left[Z \right] \left| \begin{array}{c} \bar{f} \\ f \end{array} \right\rangle \Bigg|^2$$

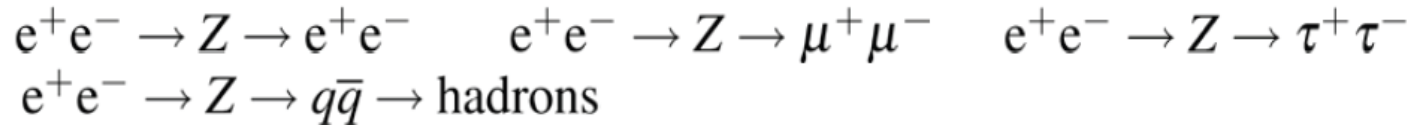
At Z resonance: Z exchange dominant

High energies: WW production

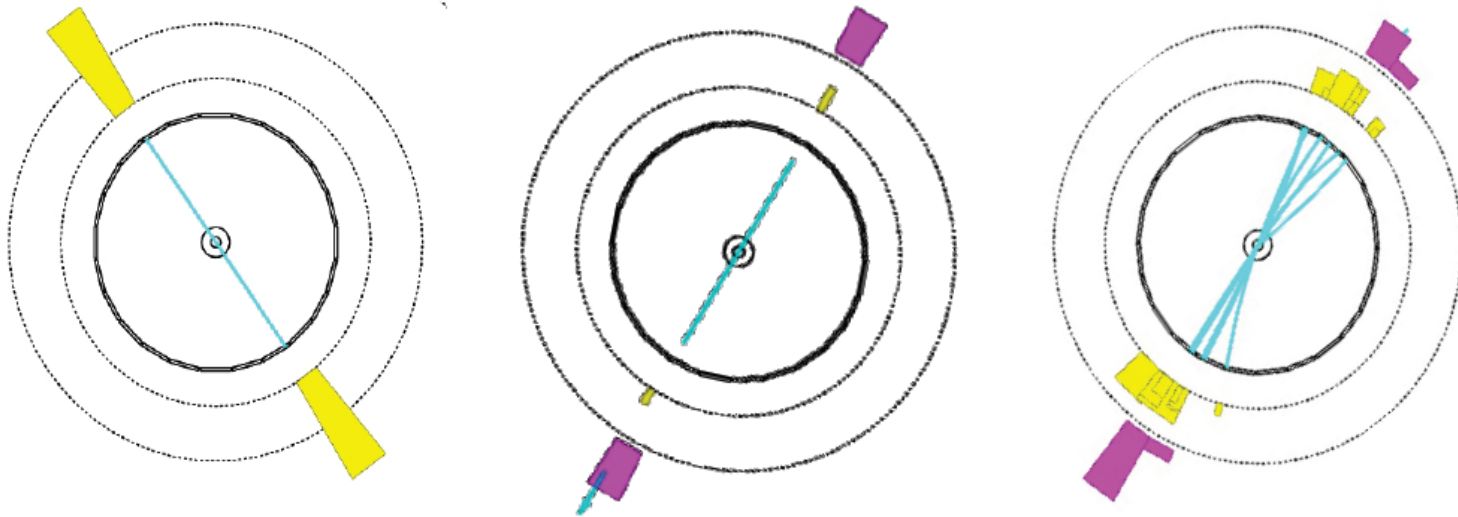
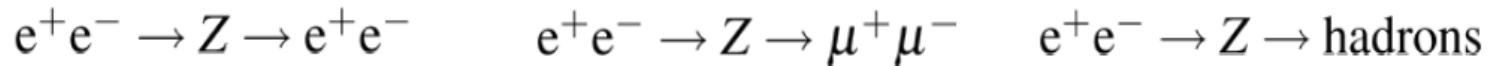
$$\left| \begin{array}{c} e^+ \\ e^- \end{array} \right\rangle \left[\begin{array}{c} \gamma \\ Z \end{array} \right] \left[\begin{array}{c} W^+ \\ W^- \end{array} \right] + \left[\begin{array}{c} e^+ \\ e^- \end{array} \right] \left[Z \right] \left[\begin{array}{c} W^+ \\ W^- \end{array} \right] + \left[\begin{array}{c} e^+ \\ e^- \end{array} \right] \left[\begin{array}{c} \nu_e \\ \bar{\nu}_e \end{array} \right] \left[\begin{array}{c} W^+ \\ W^- \end{array} \right] \Bigg|^2$$

Cross-section measurements

- ★ At Z resonance mainly observe four types of event:



- ★ Each has a distinct topology in the detectors, e.g.



- ★ To work out cross sections, first count events of each type
- ★ Then need to know “integrated luminosity” of colliding beams, i.e. the relation between cross-section and expected number of interactions

$$N_{\text{events}} = \mathcal{L} \sigma$$

Measurements of the Z-line shape

★ Measurements of the Z resonance lineshape determine:

- m_Z : peak of the resonance
- Γ_Z : FWHM of resonance
- Γ_f : Partial decay widths
- N_ν : Number of light neutrino generations

★ Measure cross sections to different final states versus C.o.M. energy \sqrt{s}

★ Starting from

$$\sigma(e^+e^- \rightarrow Z \rightarrow f\bar{f}) = \frac{12\pi}{m_Z^2} \frac{s}{(s - m_Z^2)^2 + m_Z^2 \Gamma_Z^2} \Gamma_{ee} \Gamma_{ff} \quad (3)$$

maximum cross section occurs at $\sqrt{s} = m_Z$ with peak cross section equal to

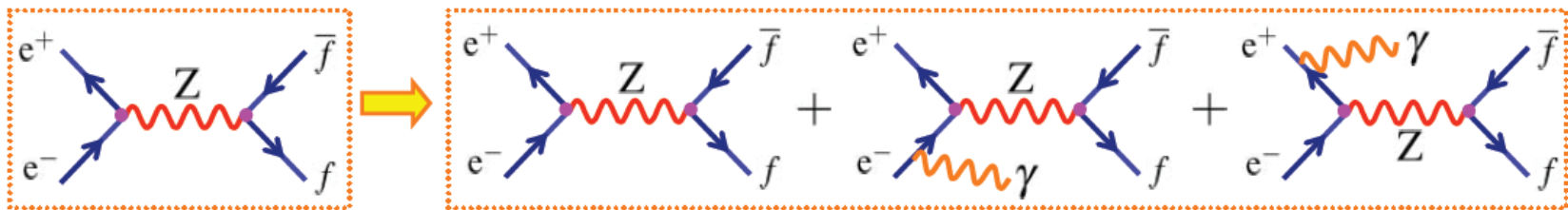
$$\sigma_{ff}^0 = \frac{12\pi}{m_Z^2} \frac{\Gamma_{ee} \Gamma_{ff}}{\Gamma_Z^2}$$

★ Cross section falls to half peak value at $\sqrt{s} \approx m_Z \pm \frac{\Gamma_Z}{2}$ which can be seen immediately from eqn. (3)

★ Hence $\Gamma_Z = \frac{\hbar}{\tau_Z}$ = FWHM of resonance

Measurements of the Z-line shape

- ★ In practise, it is not that simple, QED corrections distort the measured line-shape
- ★ One particularly important correction: **initial state radiation (ISR)**



- ★ Initial state radiation reduces the centre-of-mass energy of the e^+e^- collision

$$e^+ \xrightarrow{E} \leftarrow E e^- \quad \sqrt{s} = 2E$$

becomes

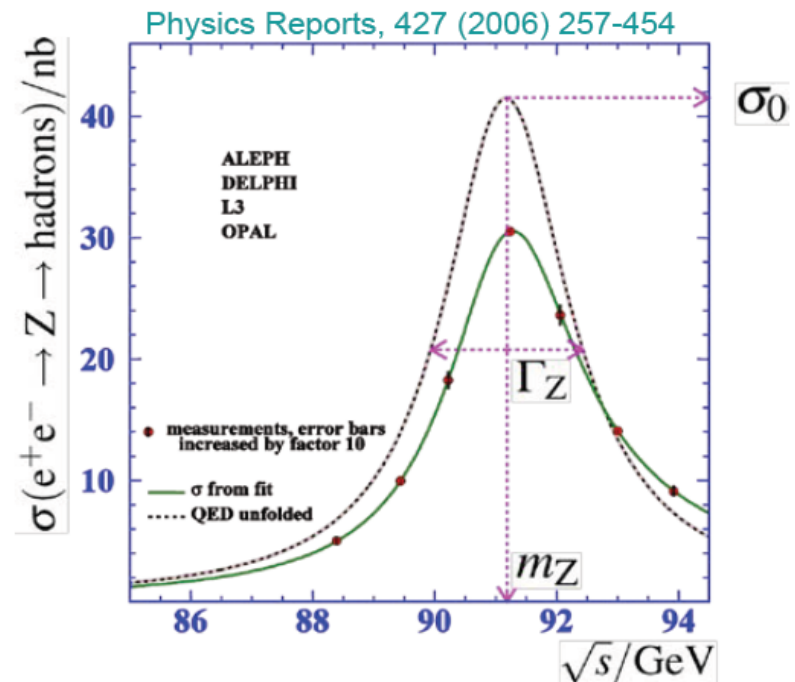
$$e^+ \xrightarrow{E} \leftarrow E - E_\gamma e^- \quad \sqrt{s'} \approx 2E \left(1 - \frac{E_\gamma}{2E}\right)$$

- ★ Measured cross section can be written:

$$\sigma_{\text{meas}}(E) = \int \sigma(E') f(E', E) dE'$$

Probability of e^+e^- colliding with C.o.M. energy E' when C.o.M energy before radiation is E

- ★ Fortunately can calculate $f(E', E)$ very precisely, just QED, and can then obtain Z line-shape from measured cross section

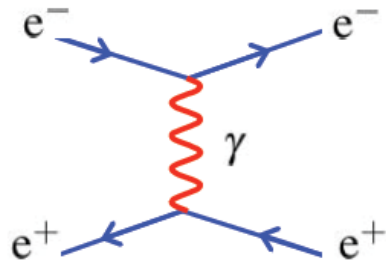


Measurements of the Z-line shape

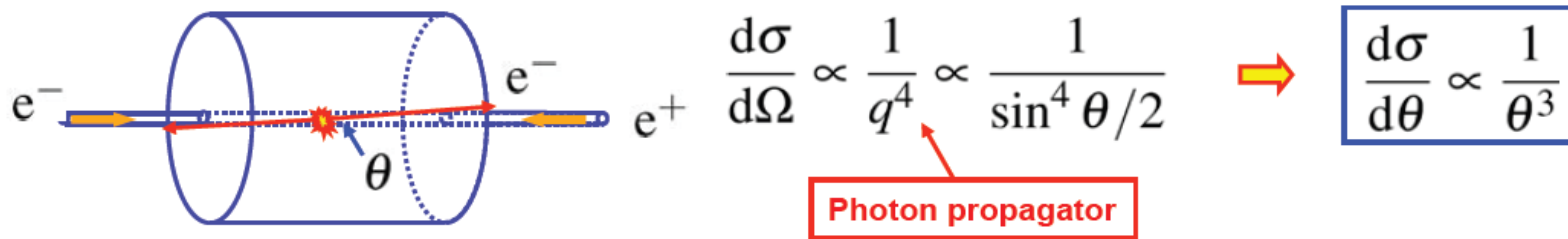
- ★ To calculate the integrated luminosity need to know numbers of electrons and positrons in the colliding beams and the exact beam profile

- very difficult to achieve with precision of better than 10%

- ★ Instead “normalise” using another type of event:



- ◆ Use the QED Bhabha scattering process
- ◆ QED, so cross section can be calculated very precisely
- ◆ Very large cross section – small statistical errors
- ◆ Reaction is very forward peaked – i.e. the electron tends not to get deflected much



- ◆ Count events where the electron is scattered in the very forward direction

$$N_{\text{Bhabha}} = \mathcal{L} \sigma_{\text{Bhabha}} \Rightarrow \mathcal{L}$$

σ_{Bhabha} known from QED calc.

- ★ Hence all other cross sections can be expressed as

$$\sigma_i = \frac{N_i}{N_{\text{Bhabha}}} \sigma_{\text{Bhabha}}$$

Cross section measurements involve just event counting !

Measurements of the Z-line shape

- ★ In principle the measurement of m_Z and Γ_Z is rather simple: run accelerator at different energies, measure cross sections, account for ISR, then find peak and FWHM

$$m_Z = 91.1875 \pm 0.0021 \text{ GeV}$$

$$\Gamma_Z = 2.4952 \pm 0.0023 \text{ GeV}$$

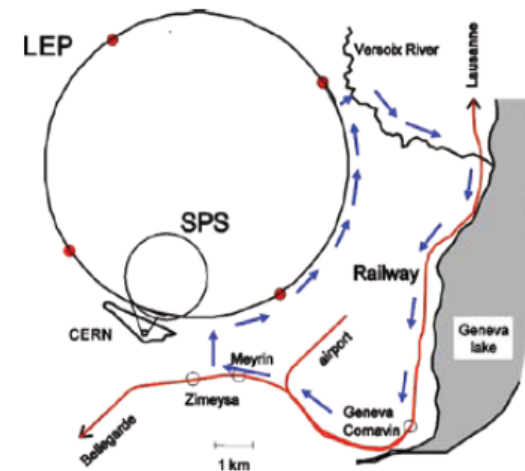
- ★ 0.002 % measurement of m_Z !
- ★ To achieve this level of precision – need to know energy of the colliding beams to better than 0.002 % : sensitive to unusual systematic effects...

Moon:

- ♦ As the moon orbits the Earth it distorts the rock in the Geneva area very slightly !
- ♦ The nominal radius of the accelerator of 4.3 km varies by $\pm 0.15 \text{ mm}$
- ♦ Changes beam energy by $\sim 10 \text{ MeV}$: need to correct for tidal effects !

Trains:

- ♦ Leakage currents from the TGV railway line return to Earth following the path of least resistance.
- ♦ Travelling via the Versoix river and using the LEP ring as a conductor.
- ♦ Each time a TGV train passed by, a small current circulated LEP slightly changing the magnetic field in the accelerator
- ♦ LEP beam energy changes by $\sim 10 \text{ MeV}$



Number of generations

- ★ Total decay width measured from Z line-shape: $\Gamma_Z = 2.4952 \pm 0.0023 \text{ GeV}$
- ★ If there were an additional 4th generation would expect $Z \rightarrow \nu_4 \bar{\nu}_4$ decays even if the charged leptons and fermions were too heavy (i.e. $> m_Z/2$)

- ★ Total decay width is the sum of the partial widths:

$$\Gamma_Z = \Gamma_{ee} + \Gamma_{\mu\mu} + \Gamma_{\tau\tau} + \Gamma_{\text{hadrons}} + \Gamma_{\nu_1\nu_1} + \Gamma_{\nu_2\nu_2} + \Gamma_{\nu_3\nu_3} + ?$$

- ★ Although don't observe neutrinos, $Z \rightarrow \nu\bar{\nu}$ decays affect the Z resonance shape for **all** final states

- ★ For all other final states can determine partial decay widths from peak cross sections:

$$\sigma_{ff}^0 = \frac{12\pi}{m_Z^2} \frac{\Gamma_{ee}\Gamma_{ff}}{\Gamma_Z^2}$$

- ★ Assuming lepton universality:

$$\Gamma_Z = 3\Gamma_{\ell\ell} + \Gamma_{\text{hadrons}} + N_\nu \Gamma_{\nu\nu}$$

measured from Z lineshape

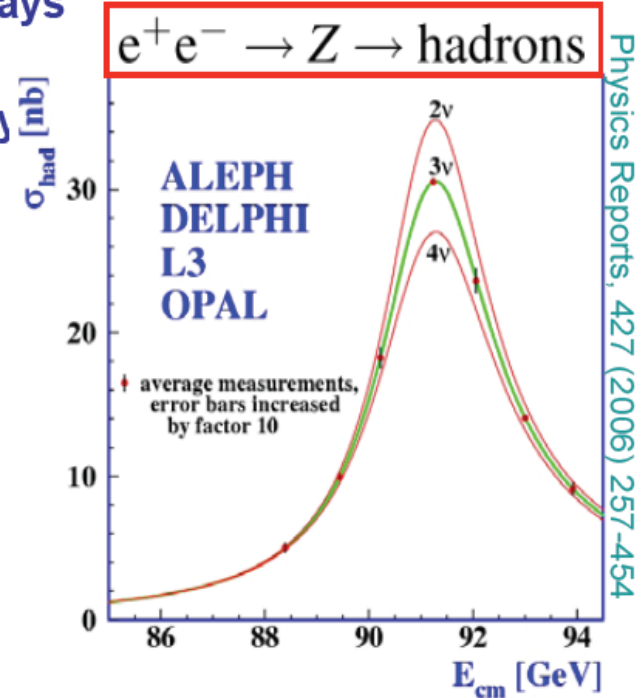
measured from peak cross sections

calculated. e.g.



$$N_\nu = 2.9840 \pm 0.0082$$

- ★ **ONLY 3 GENERATIONS** (unless a new 4th generation neutrino has very large mass)



Forward-Backward Asymmetry

- ★ The expression for the differential cross section:

$$\langle |M_{fi}| \rangle^2 \propto [(c_L^e)^2 + (c_R^e)^2][(c_L^\mu)^2 + (c_R^\mu)^2](1 + \cos^2 \theta) + [(c_L^e)^2 - (c_R^e)^2][(c_L^\mu)^2 - (c_R^\mu)^2] \cos \theta$$

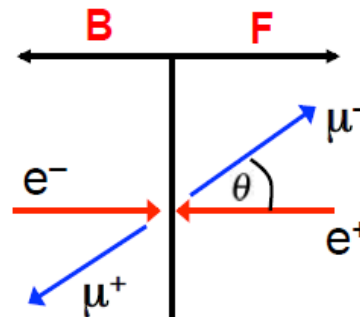
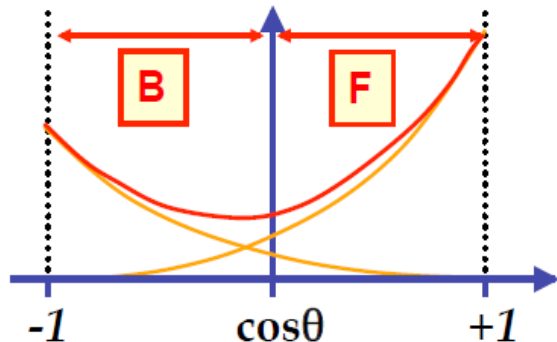
- ★ The differential cross sections is therefore of the form:

$$\frac{d\sigma}{d\Omega} = \kappa \times [A(1 + \cos^2 \theta) + B \cos \theta] \quad \left\{ \begin{array}{l} A = [(c_L^e)^2 + (c_R^e)^2][(c_L^\mu)^2 + (c_R^\mu)^2] \\ B = [(c_L^e)^2 - (c_R^e)^2][(c_L^\mu)^2 - (c_R^\mu)^2] \end{array} \right.$$

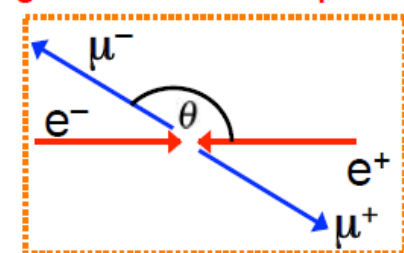
- ★ Define the **FORWARD** and **BACKWARD** cross sections in terms of angle incoming electron and out-going particle

$$\sigma_F \equiv \int_0^1 \frac{d\sigma}{d\cos\theta} d\cos\theta$$

$$\sigma_B \equiv \int_{-1}^0 \frac{d\sigma}{d\cos\theta} d\cos\theta$$

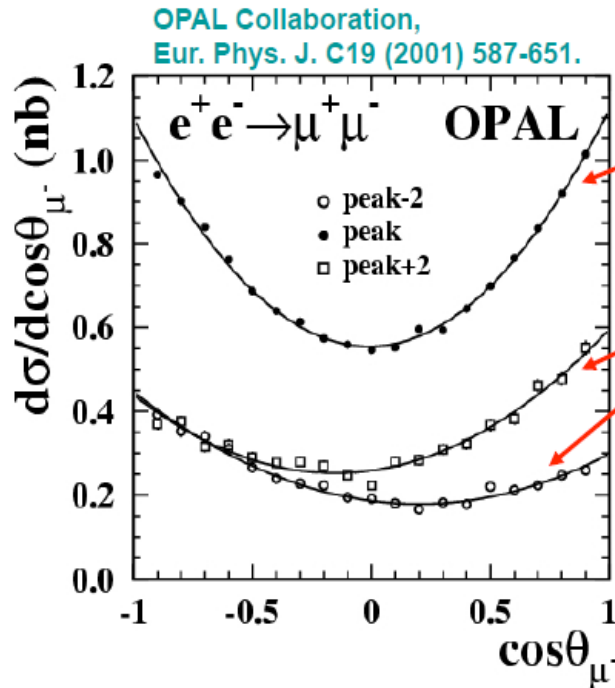


e.g. "backward hemisphere"



Measured Forward-Backward Asymmetry

- ★ Forward-backward asymmetries can only be measured for final states where the charge of the fermion can be determined, e.g. $e^+e^- \rightarrow Z \rightarrow \mu^+\mu^-$



Because $\sin^2\theta_w \approx 0.25$, the value of A_{FB} for leptons is almost zero

For data above and below the peak of the Z resonance interference with $e^+e^- \rightarrow \gamma \rightarrow \mu^+\mu^-$ leads to a larger asymmetry

★ LEP data combined:

$$A_{FB}^{0,e} = 0.0145 \pm 0.0025$$

$$A_{FB}^{0,\mu} = 0.0169 \pm 0.0013$$

$$A_{FB}^{0,\tau} = 0.0188 \pm 0.0017$$

- ★ To relate these measurements to the couplings uses $A_{FB} = \frac{3}{4}A_e A_\mu$
- ★ In all cases asymmetries depend on A_e
- ★ To obtain A_e could use $A_{FB}^{0,e} = \frac{3}{4}A_e^2$

Determination of the Weak Mixing Angle

- ★ From LEP : $A_{FB}^{0,f} = \frac{3}{4}A_e A_f$
 - ★ From SLC : $A_{LR} = A_e$
- $A_e, A_\mu, A_\tau, \dots$

Putting everything together →

$$\begin{aligned} A_e &= 0.1514 \pm 0.0019 \\ A_\mu &= 0.1456 \pm 0.0091 \\ A_\tau &= 0.1449 \pm 0.0040 \end{aligned}$$

includes results from other measurements

with

$$A_f \equiv \frac{2c_V^f c_A^f}{(c_V^f)^2 + (c_A^f)^2} = 2 \frac{c_V/c_A}{1 + (c_V/c_A)^2}$$

- ★ Measured asymmetries give ratio of vector to axial-vector Z couplings.
- ★ In SM these are related to the weak mixing angle

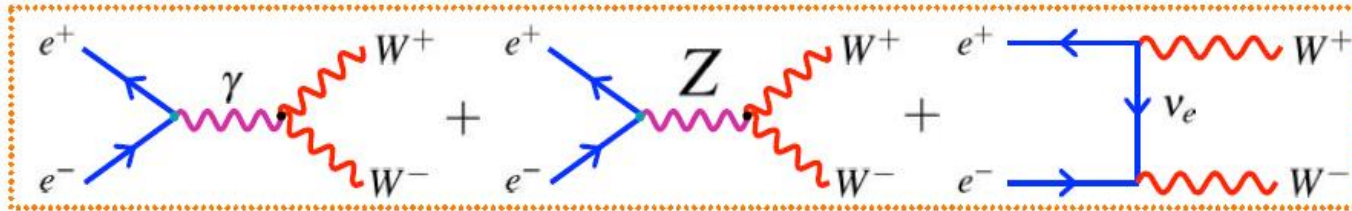
$$\frac{c_V}{c_A} = \frac{I_W^3 - 2Q \sin^2 \theta_W}{I_W^3} = 1 - \frac{2Q}{I_3} \sin^2 \theta_W = 1 - 4|Q| \sin^2 \theta_W$$

- ★ Asymmetry measurements give precise determination of $\sin^2 \theta_W$

$$\sin^2 \theta_W = 0.23154 \pm 0.00016$$

W⁺W⁻ production

- ★ From 1995-2000 LEP operated above the threshold for W-pair production
- ★ Three diagrams “CC03” are involved

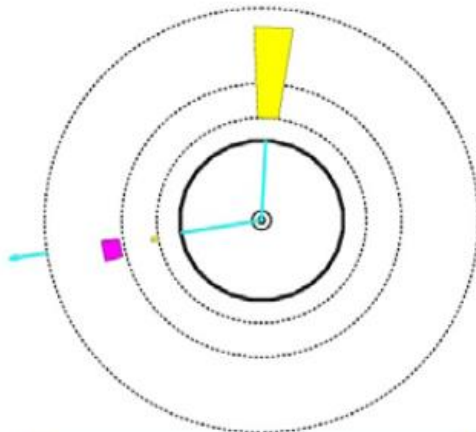


- ★ W bosons decay (p.459) either to leptons or hadrons with branching fractions:

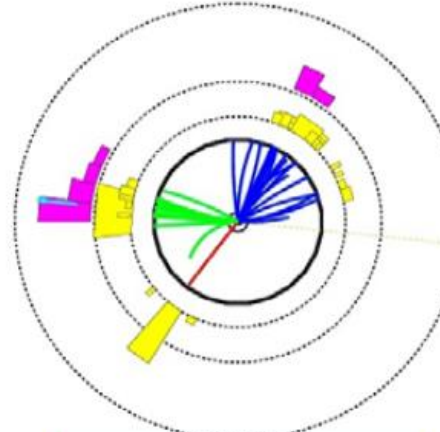
$$Br(W^- \rightarrow \text{hadrons}) \approx 0.67 \quad Br(W^- \rightarrow e^- \bar{\nu}_e) \approx 0.11$$

$$Br(W^- \rightarrow \mu^- \bar{\nu}_\mu) \approx 0.11 \quad Br(W^- \rightarrow \tau^- \bar{\nu}_\tau) \approx 0.11$$

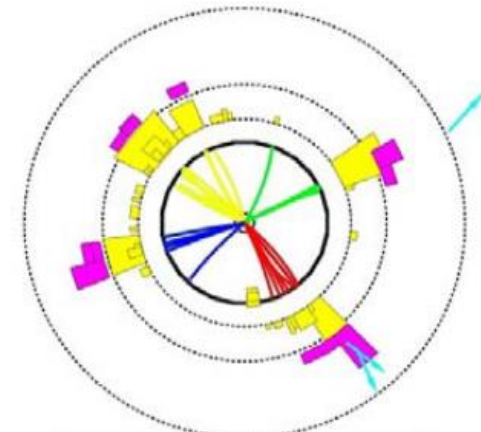
- ★ Gives rise to three **distinct topologies**



$$W^+W^- \rightarrow \ell^+ \nu \ell^- \bar{\nu}$$



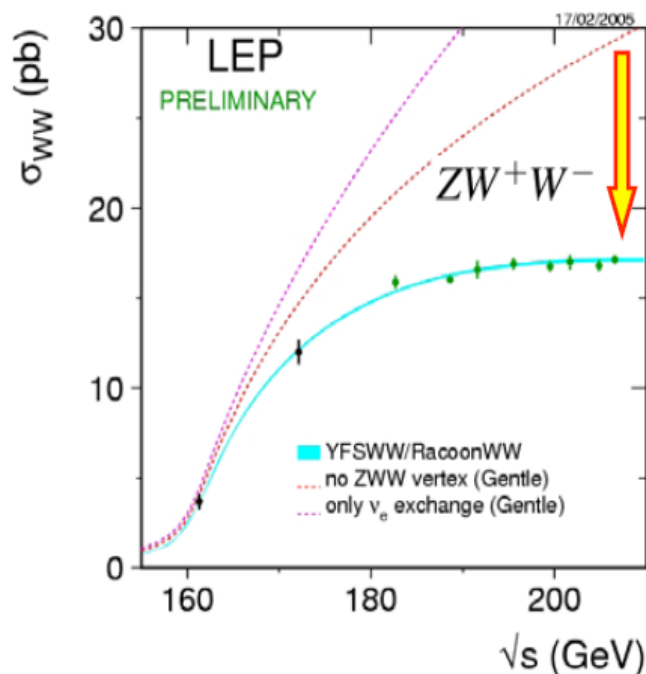
$$W^+W^- \rightarrow q\bar{q}\ell\nu$$



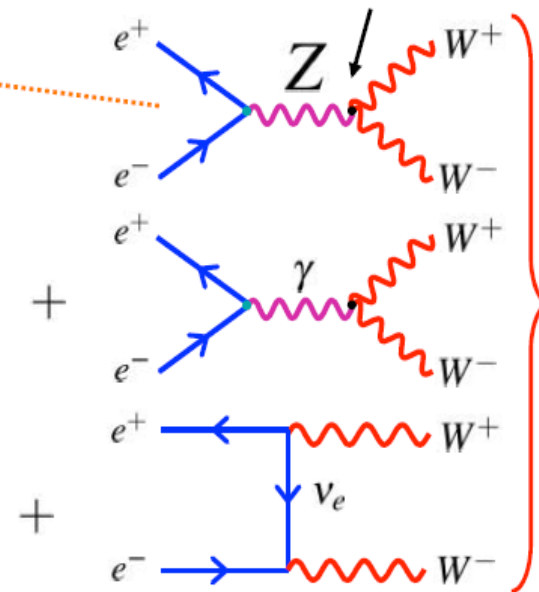
$$W^+W^- \rightarrow q\bar{q}q\bar{q}$$

$e^+e^- \rightarrow W^+W^-$ cross-section

- ★ Measure cross sections by counting events and normalising to low angle Bhabha scattering events



- ★ Data consistent with SM expectation
- ★ Provides a direct test of ZW^+W^- vertex

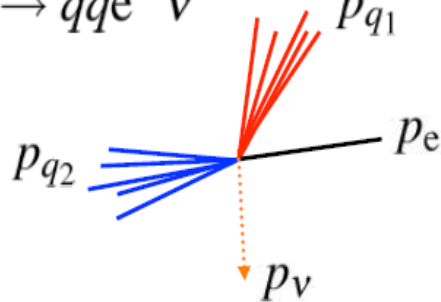
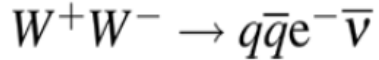


- ★ Recall that without the Z diagram the cross section violates unitarity
- ★ Presence of Z fixes this problem

W-mass and W-width

- ★ Unlike $e^+e^- \rightarrow Z$, the process $e^+e^- \rightarrow W^+W^-$ is not a resonant process
 \Rightarrow **Different method to measure W-boson Mass**

- Measure energy and momenta of particles produced in the W boson decays, e.g.



- Neutrino four-momentum from energy-momentum conservation !

$$p_{q_1} + p_{q_2} + p_e + p_\nu = (\sqrt{s}, 0)$$

- Reconstruct masses of two W bosons

$$M_+^2 = E^2 - \vec{p}^2 = (p_{q_1} + p_{q_2})^2$$

$$M_-^2 = E^2 - \vec{p}^2 = (p_e + p_\nu)^2$$

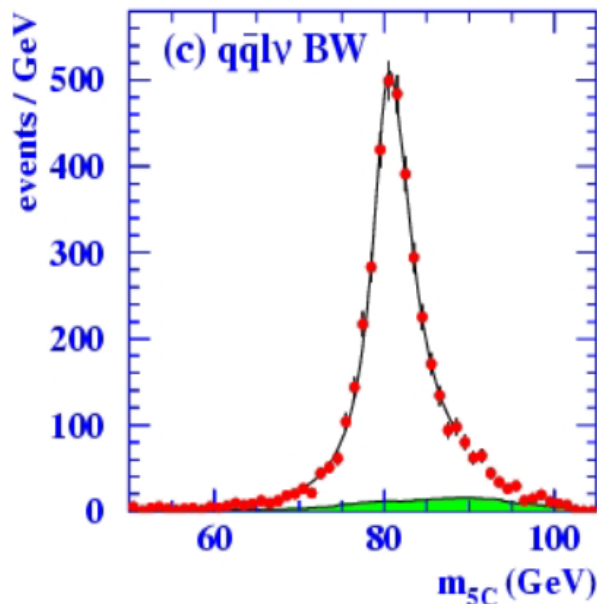
- ★ Peak of reconstructed mass distribution gives

$$m_W = 80.376 \pm 0.033 \text{ GeV}$$

- ★ Width of reconstructed mass distribution gives:

$$\Gamma_W = 2.196 \pm 0.083 \text{ GeV}$$

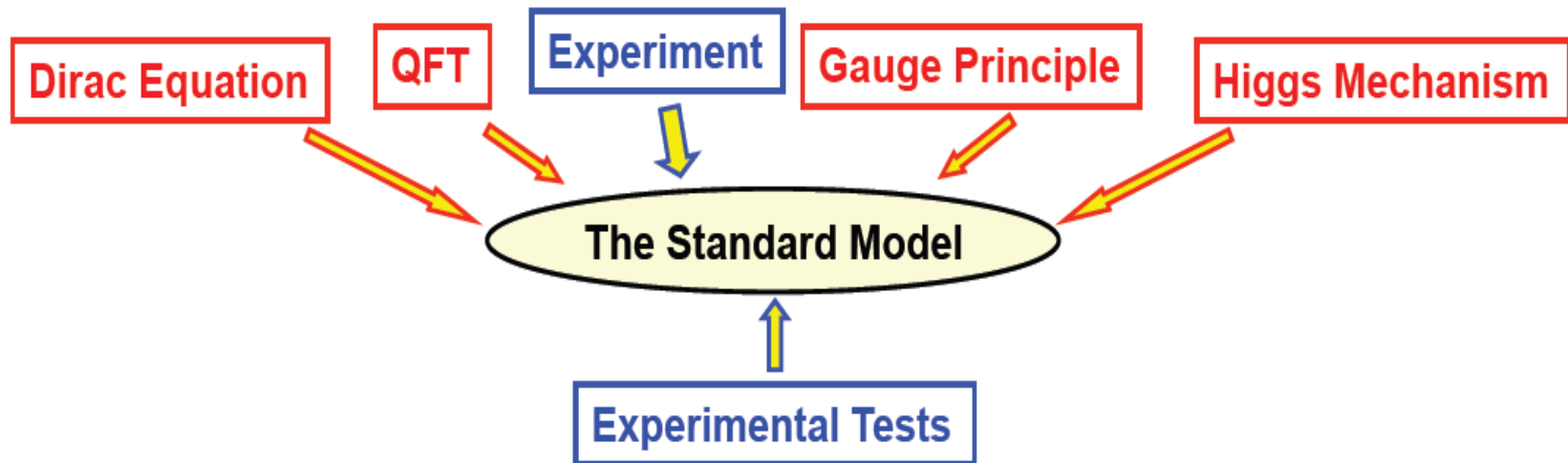
Does not include measurements from Tevatron at Fermilab



$$\approx \frac{1}{2}(M_+ + M_-)$$

Concluding remarks

- ★ The Standard Model of Particle Physics is one of the great scientific triumphs of the late 20th century
- ★ Developed through close interplay of experiment and theory



- ★ Modern experimental particle physics provides many precise measurements. and the **Standard Model** **successfully describes all current data !**
- ★ Despite its great success, we should not forget that it is just a model; a collection of beautiful theoretical ideas cobbled together to fit with experimental data.
- ★ There are many issues / open questions...