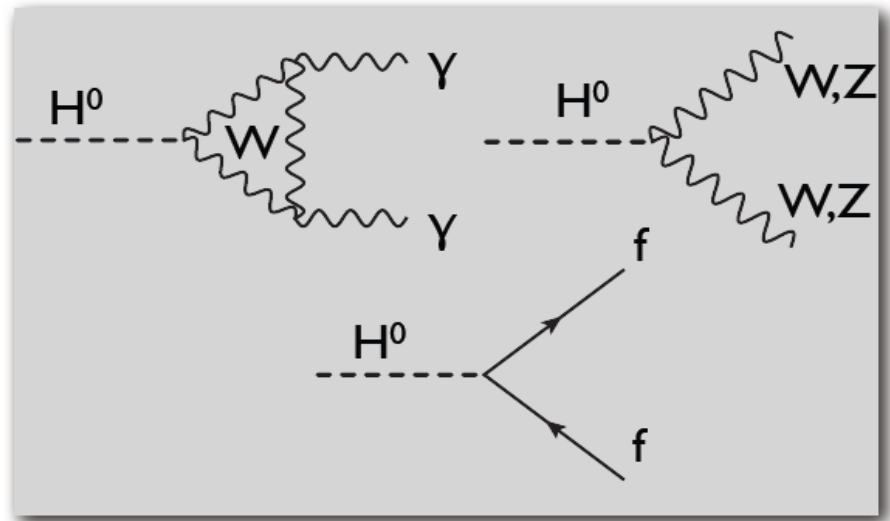
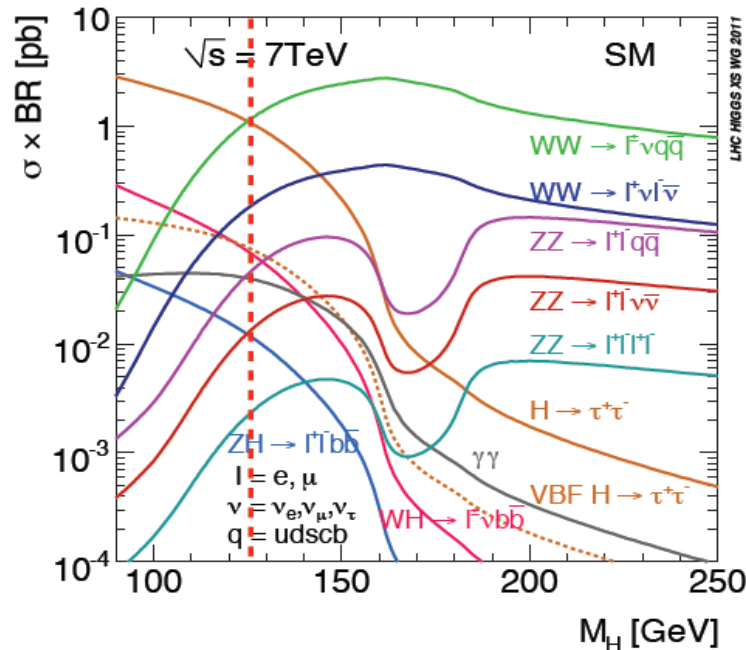
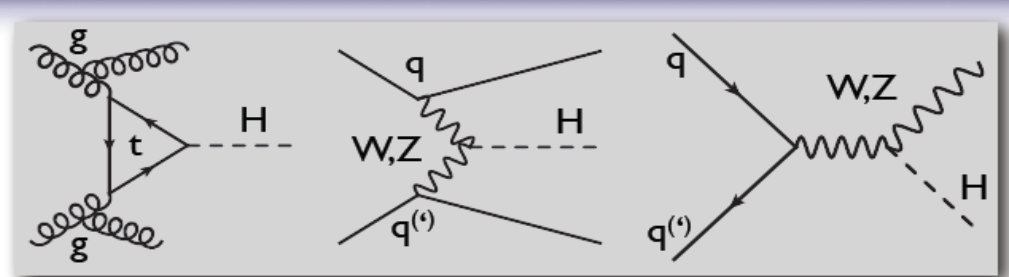
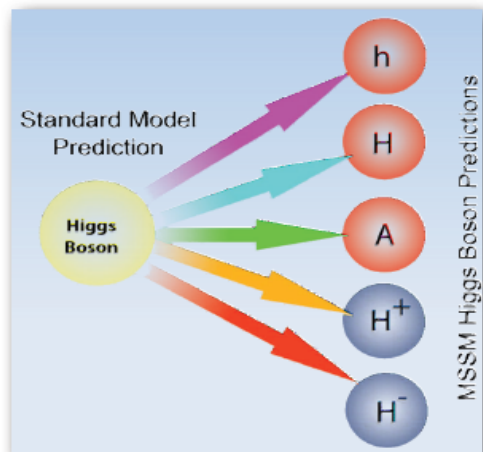
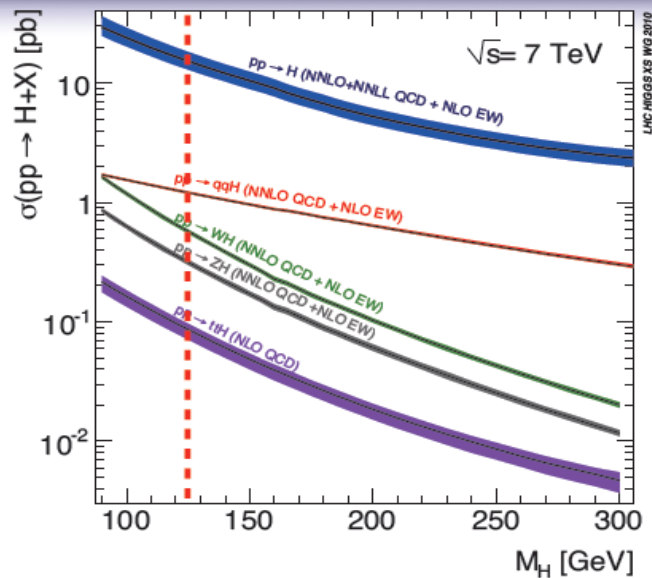


Motivation: $H \rightarrow \tau\tau$

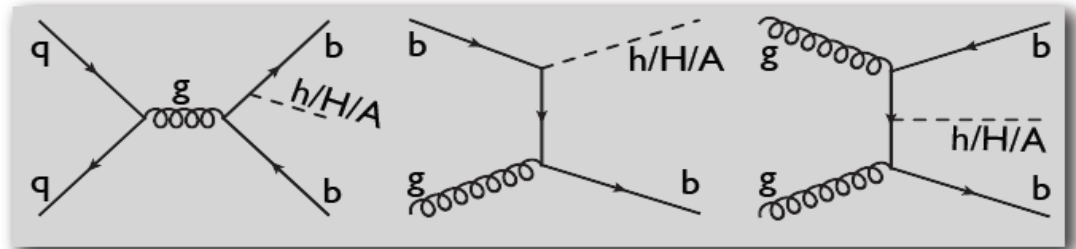


- $H \rightarrow \tau\tau$: one of the largest branching fractions for $m_H = 126$ GeV
- direct access to Yukawa couplings, giving masses to fermions
- in MSSM, enhanced coupling to τ as a down-type fermion ($\tan \beta > 1$)

Higgs production in SM & MSSM

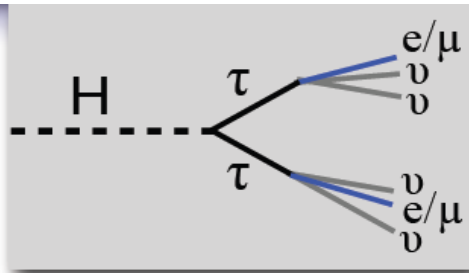


- In SM three main production channels:
 - gluon-fusion (ggH), VBF (qqH), associated (VH)
 - can exploit specific jet topologies in analysis

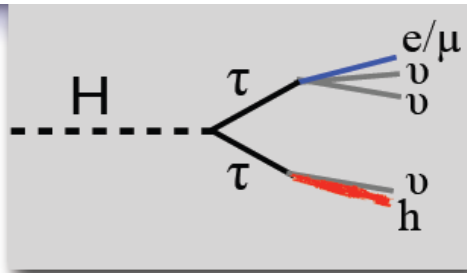


- In MSSM: 2 CP-even (h, H), 1 CP-odd (A) “Higgs”
 - can fix Higgs sector by $m_A, \tan \beta$ at Born-level
 - enhanced coupling to b-quarks: exploit b-tagging

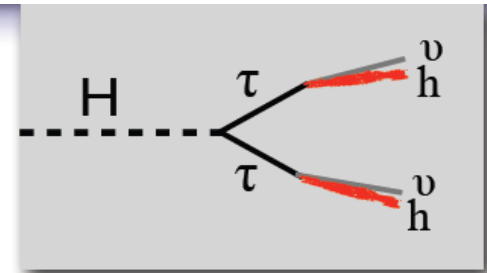
H → ττ Final States



$H \rightarrow \tau_{lep} \tau_{lep} \rightarrow ll4\nu$ (12.4%)

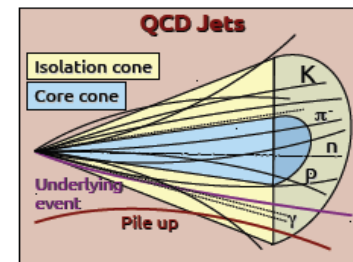
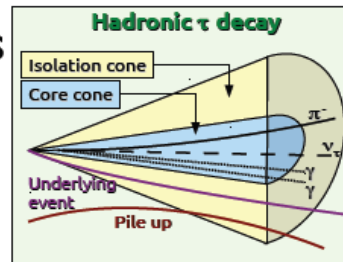


$H \rightarrow \tau_{lep} \tau_{had} \rightarrow lh3\nu$ (45.6%)



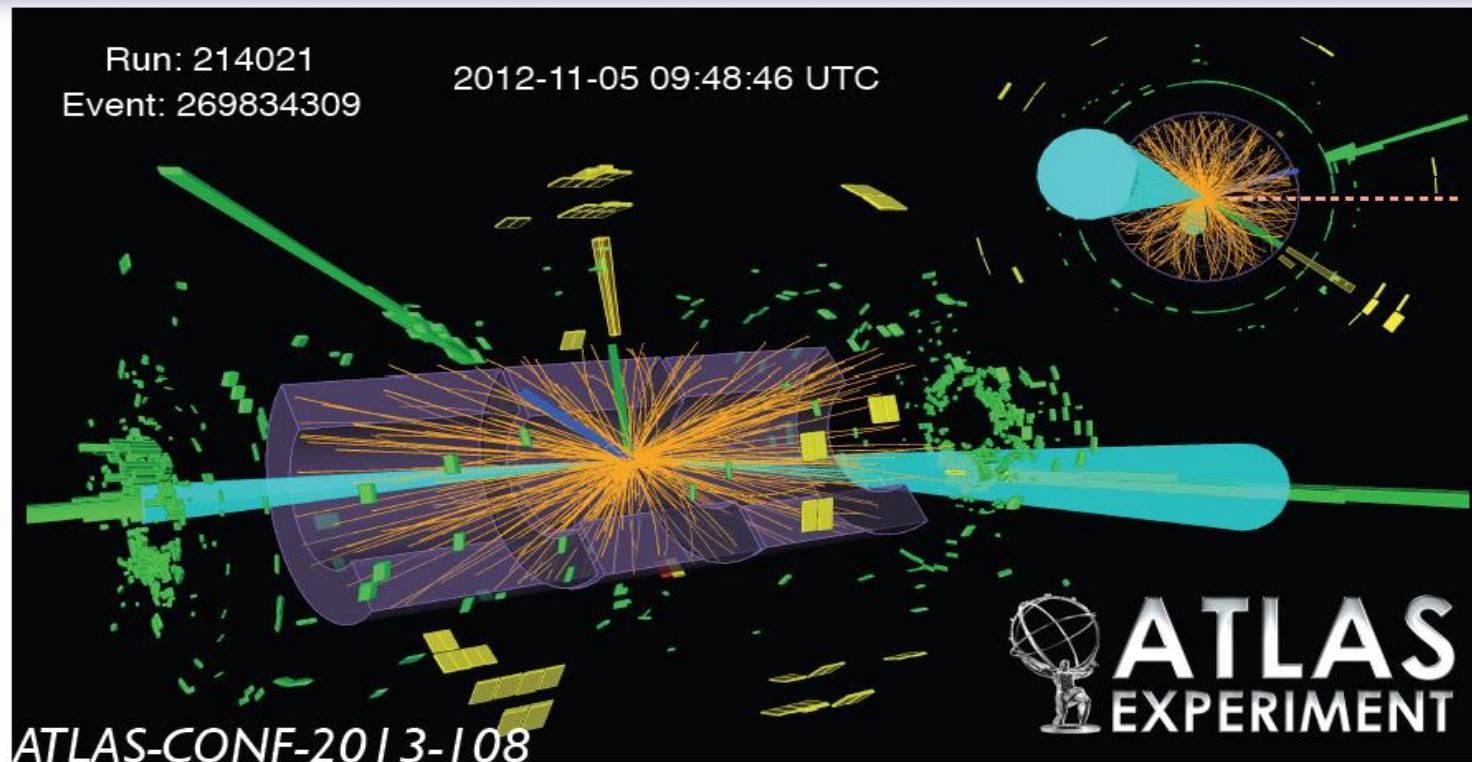
$H \rightarrow \tau_{had} \tau_{had} \rightarrow hh2\nu$ (42.0%)

- τ-leptons subsequently decay into **e, μ** or hadronically: **τ_{had}**
- problems in pp-collisions



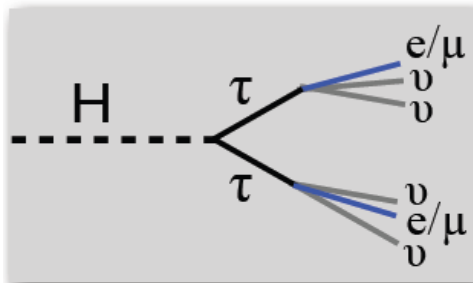
- need to distinguish “τ-jets” from QCD-jets (see talk by C. Limbach)
- can only access transverse component of ν momentum sum ($E_{T,miss}$)
- separate analyses for 3 final states (channels): $\tau_{lep} \tau_{lep}$, $\tau_{lep} \tau_{had}$, $\tau_{had} \tau_{had}$
- different triggers, background compositions, suppression cuts

Candidate Event: $(qq)H \rightarrow \tau\tau \rightarrow e\tau_{\text{had}}$

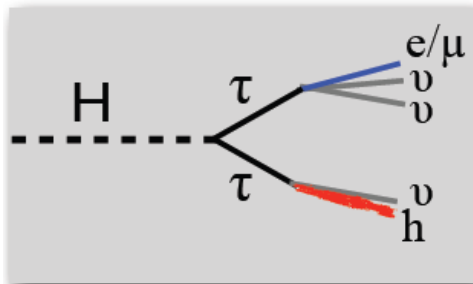


- $p_T(e) = 56 \text{ GeV}$, $p_T(\tau_{\text{had}}) = 27 \text{ GeV}$, $E_{T,\text{miss}} = 113 \text{ GeV}$, $m_{\tau\tau}(\text{MMC}) = 129 \text{ GeV}$
- two forward jets with $m_{jj} = 1.53 \text{ TeV}$ - assume VBF production
- very pure analysis selection with $S/B=1.0$, 50% chance to be a real signal event

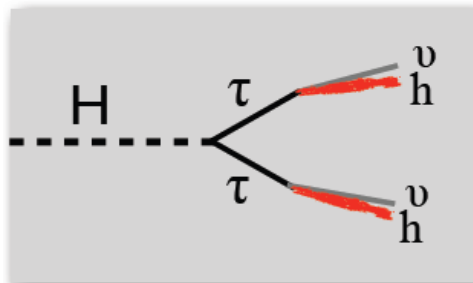
SM Higgs Preselection



- $\tau_{lep} \tau_{lep}$: two isolated leptons with opposite-sign (OS) charges (ee, $\mu\mu$, e μ)
- **trigger on leptons, single e or μ** ($p_T > 24$ GeV) or combined **ee, $\mu\mu$, e μ**
 - suppress **Z(ee/ $\mu\mu$)+jets: select** $30 < m(l\bar{l}) < 75$ GeV, $E_{T,miss} > 40$ GeV
 - leptons **not back-to-back: $\Delta\phi(l, \bar{l}) < 2.5$** , $p_T(l_1 + l_2) > 25$ GeV
 - for **e μ** : looser cuts $30 < m(l\bar{l}) < 100$ GeV, $E_{T,miss} > 20$ GeV

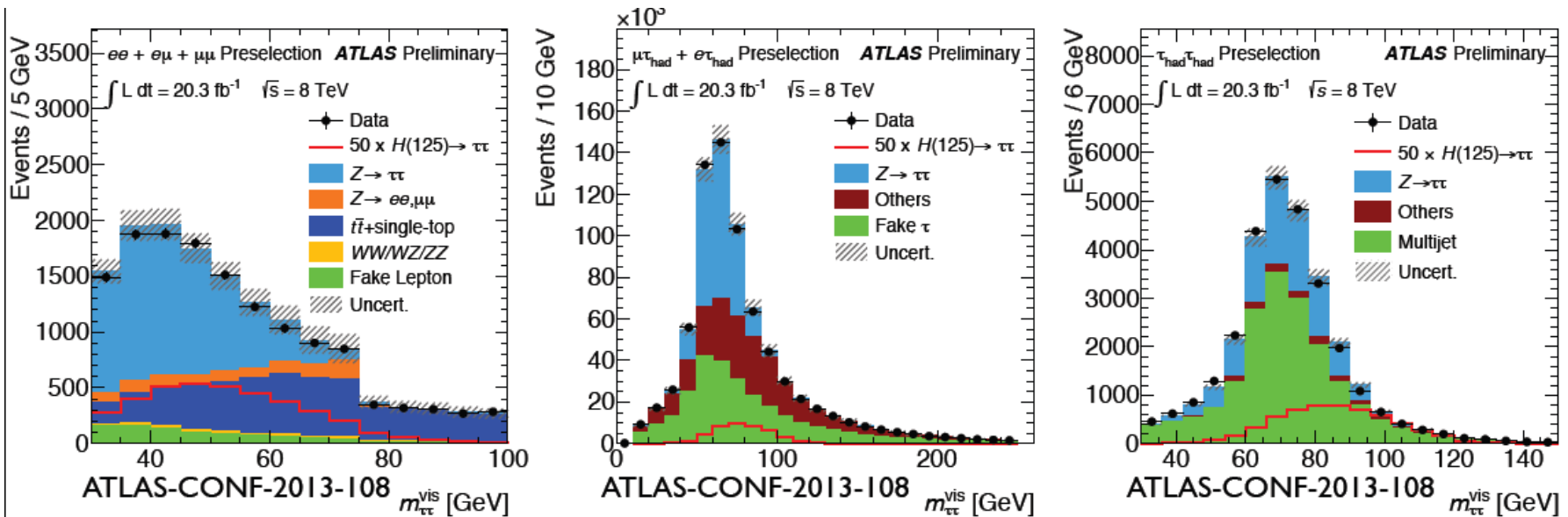


- $\tau_{lep} \tau_{had}$: isolated lepton (e, μ) and „medium“ τ_{had} with OS charge
- **trigger on single e or μ** (combined e/ μ + τ_{had} triggers not included)
 - suppress **W+jets** by $m_T(e/\mu, E_{T,miss}) < 70$ GeV $m_T = \sqrt{2p_{T1}p_{T2}(1 - \cos \Delta\phi)}$



- $\tau_{had} \tau_{had}$: one „tight“ τ_{had} and one „medium“ τ_{had} with OS charge
- **trigger on di- τ_{had}** events ($p_T > 29$ (20) GeV) - **offline: $p_T > 35$ (25) GeV**
 - suppress **multi-jet** events: $0.8 < \Delta R(\tau_{had}, \tau_{had}) < 2.8$, $\Delta\eta(\tau_{had}, \tau_{had}) < 1.5$
 - require $E_{T,miss} > 20$ GeV between the τ_{had} : $\min[\Delta\phi(\tau_{had}, E_{T,miss})] < \pi/2$

SM: Background Estimation

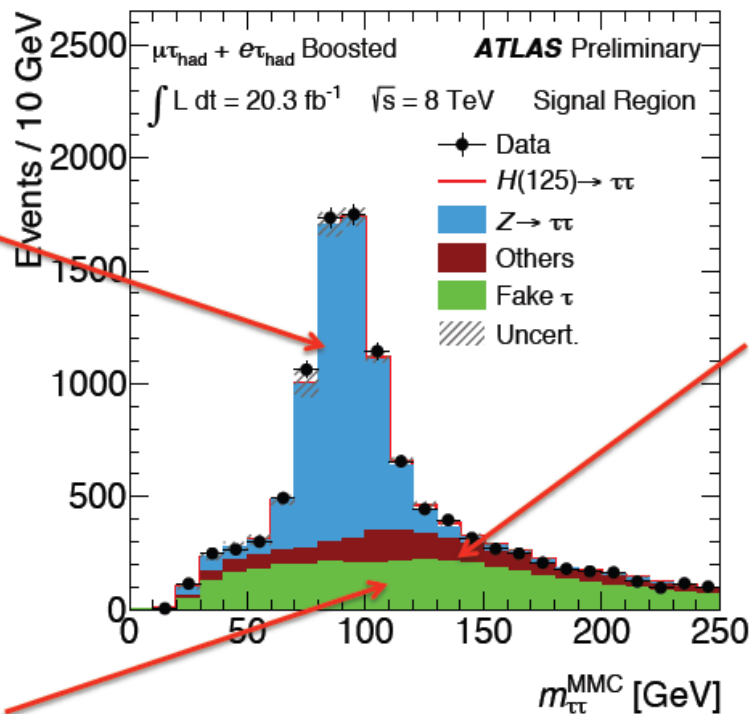


- $Z \rightarrow \tau\tau$ dominant background, important to be data-driven
 - *but*: irreducible, no signal-free control region by construction
 - start from $Z \rightarrow \mu\mu$ data, replace muons by *simulated* τ -decays: “embedding”

SM: Background Estimation

- All major backgrounds are either directly estimated from data or normalized to data in dedicated control regions

Z→ττ: major background; modeled by data



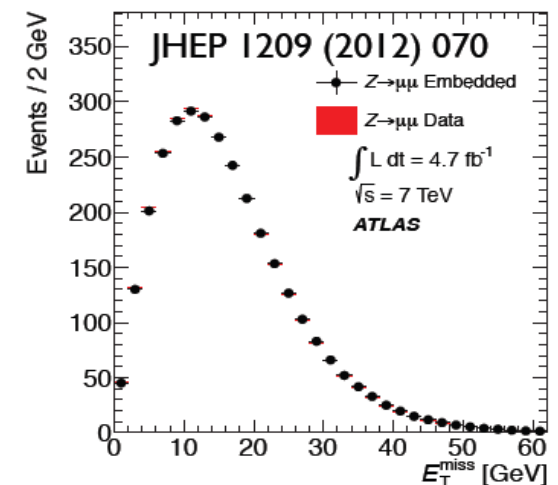
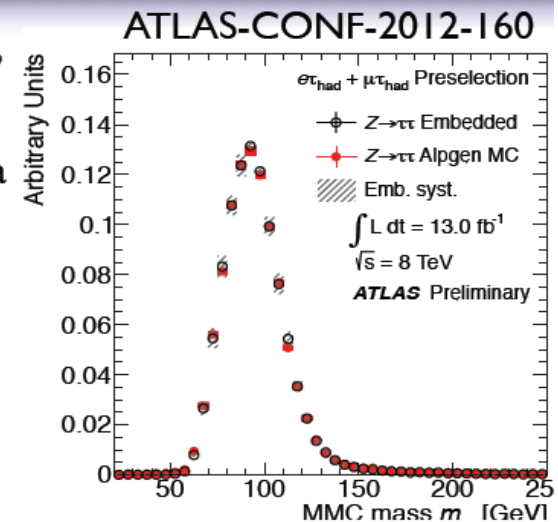
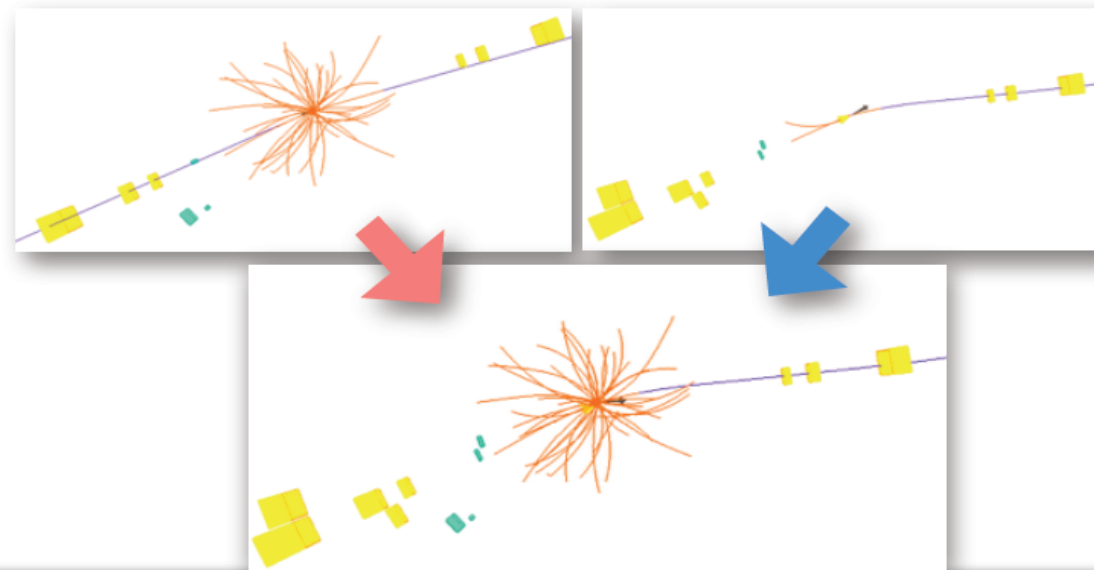
“Others”:
Dibosons & $H \rightarrow WW^*$
modeled by MC;
 $Z \rightarrow ee/\mu\mu$ & top
modeled by MC and
normalized to data

“Fakes”: multijet,
W+jets, top (with fake
tau); modeled by data

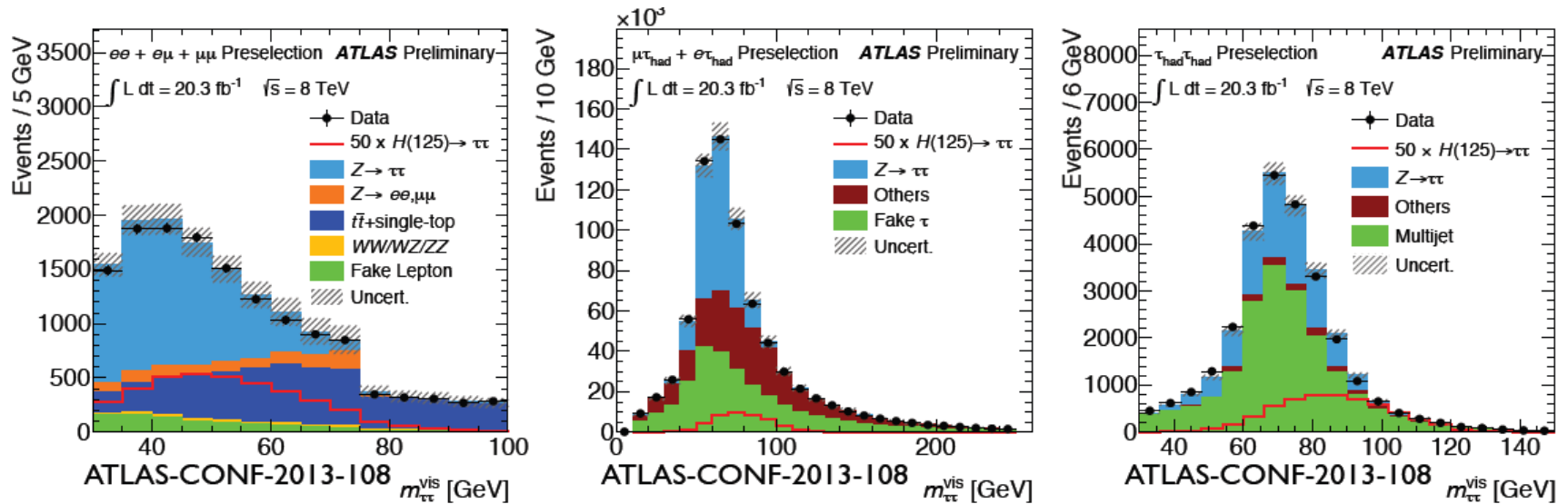
Estimation of $Z \rightarrow \tau\tau$ Background

Important shape of $Z \rightarrow \tau\tau$ from $Z \rightarrow \mu\mu$ data: “*Embedding*”

- remove muon tracks and simulated calorimeter energy from data
- replace by full-simulated $Z \rightarrow \tau\tau$ decays, generated with Tauola
- re-run full event reconstruction: pile-up, jets and $E_{T,miss}$ from data
- validation with Monte Carlo and $\mu \rightarrow \mu$ embedding (data to data)

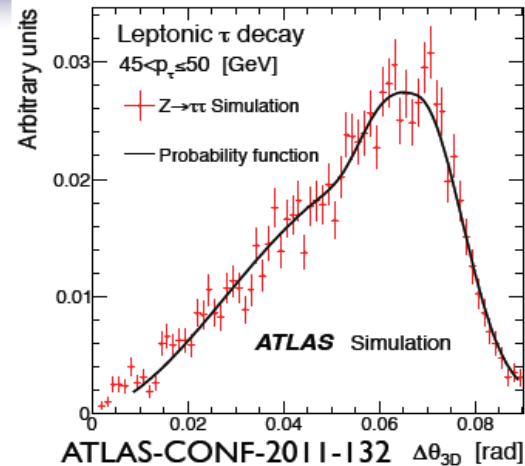
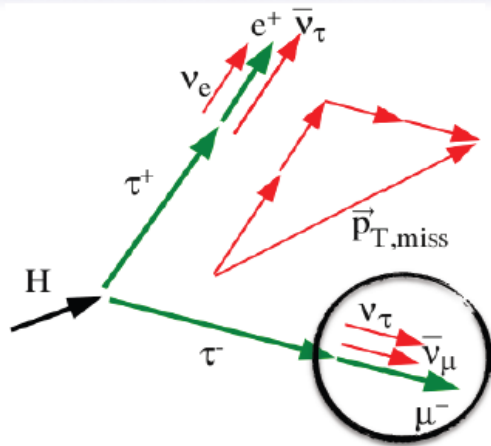


SM: Background Estimation



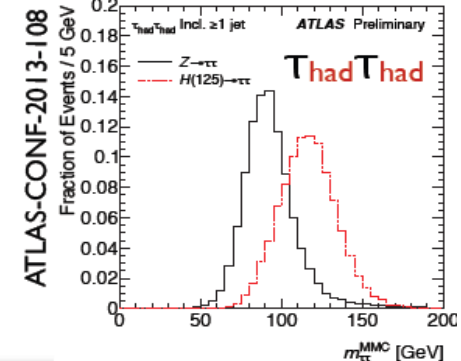
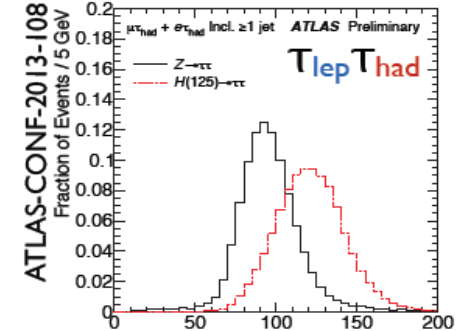
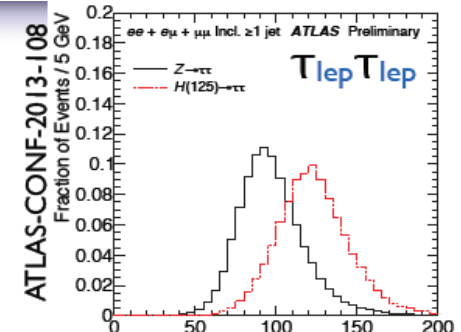
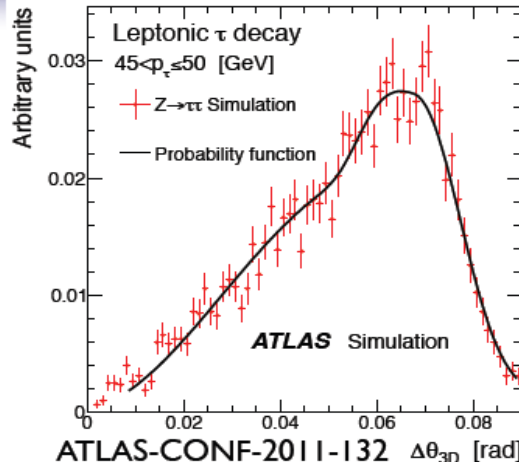
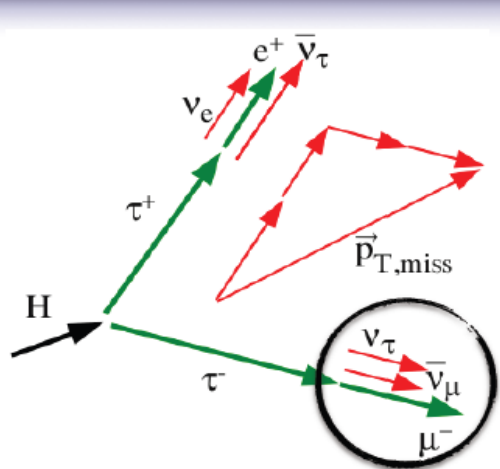
- **$Z \rightarrow ee/\mu\mu$ (+jets), top, di-boson** from Monte Carlo simulation
 - corrections to data from dedicated control regions, normalisation from fit to the data
- **Multi-jet** (and **W+jets**) from mis-identified QCD jets as lepton or hadronic τ -decays
 - $\tau_{\text{lep}}\tau_{\text{lep}}$: *invert isolation, fit multi-jet template* to data in sub-leading lepton p_T distribution
 - $\tau_{\text{lep}}\tau_{\text{had}}$: $\text{jet} \rightarrow \tau_{\text{had}}$ “*Fake-Factors*” from multi-jet and W+jets control regions, *apply to anti- τ data*
 - $\tau_{\text{had}}\tau_{\text{had}}$: *invert OS requirement, fit multi-jet template together with $Z \rightarrow \tau\tau$ to data in $\Delta\eta(\tau, \tau)$*

Mass reconstruction from E_T^{miss}



- **Basic Idea: Collinear Approximation: $\Delta\theta_{3D}(\tau_{\text{vis}}, \mathbf{v})=0$**
 - project $E_{T,\text{miss}}$ on visible τ -decay products ($0 < \Delta\varphi(\tau, \tau) < \pi$)
 - require visible momentum fractions $0 < x_{1,2} < 1$: $m_{\tau\tau} = \frac{m_{\text{vis}}}{\sqrt{x_1 x_2}}$
- **MMC: Missing Mass Calculator**
 - $\Delta\theta_{3D}(\tau_{\text{vis}}, \mathbf{v})$ from simulation \rightarrow weights in $\Delta\varphi(\tau_{\text{vis}}, \mathbf{v})$
 - most probable value as MMC mass estimator
 - improves resolution, efficiency ($0 < x < 1$), esp. for $\tau\tau$ back-to-back
 - based on A. Elagin et al., NIM A654 (2011), 481-489, arXiv:1012.4686

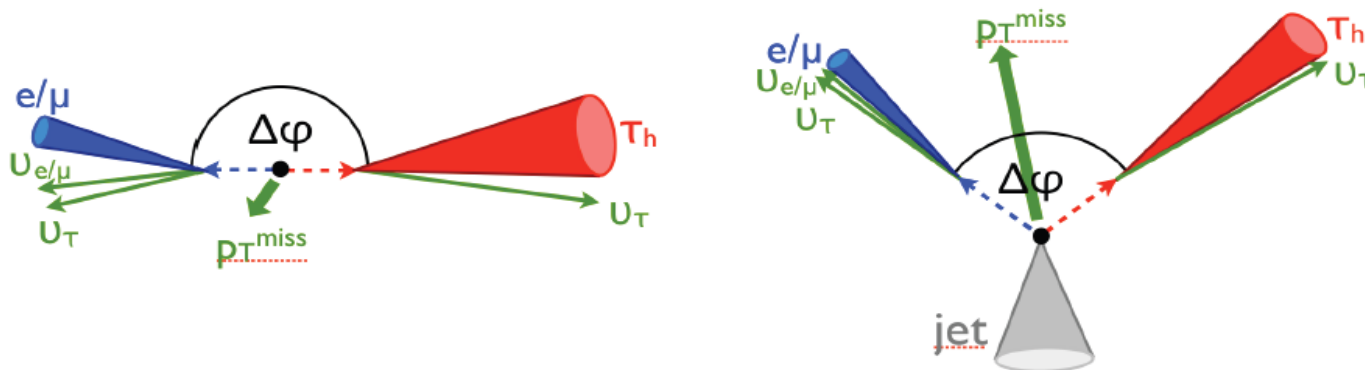
Mass reconstruction from $E_{T,miss}$



- **Basic Idea: Collinear Approximation: $\Delta\theta_{3D}(\tau_{vis}, \mathbf{v})=0$**
 - project $E_{T,miss}$ on visible τ -decay products ($0 < \Delta\varphi(\tau, \tau) < \pi$)
 - require visible momentum fractions $0 < x_{1,2} < 1$: $m_{\tau\tau} = \frac{m_{vis}}{\sqrt{x_1 x_2}}$
- **MMC: Missing Mass Calculator**
 - $\Delta\theta_{3D}(\tau_{vis}, \mathbf{v})$ from simulation \rightarrow weights in $\Delta\varphi(\tau_{vis}, \mathbf{v})$
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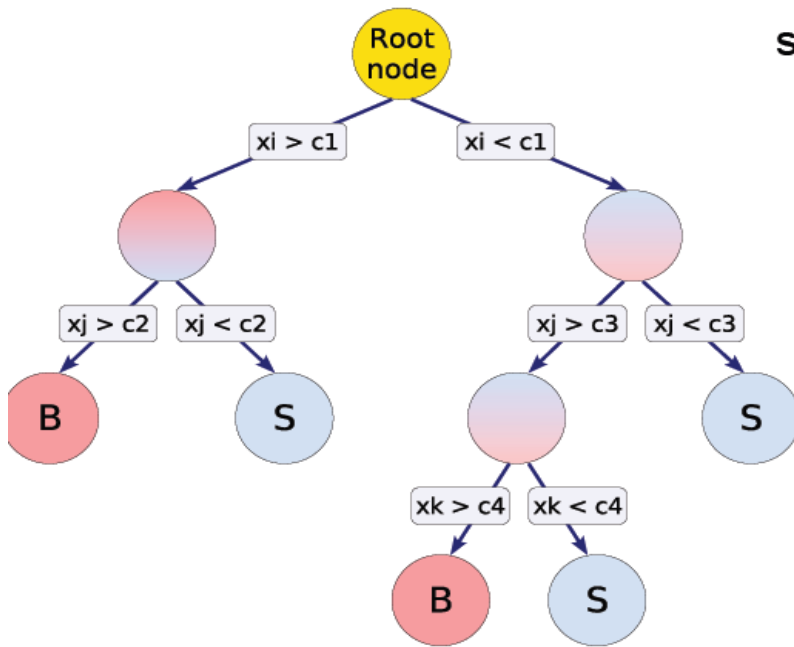
SM: Multi-Variate Analysis Strategy

- After preselection, define two loose categories per channel:
- VBF: at least two additional jets ($p_T > 30-50$ GeV) with large separation in $\Delta\eta > 2.0-3.0$
 - exploit qqH production mode, where the two quarks produce „forward“ jets
- Boosted: large resonance transverse momentum $p_T(\tau_{\text{vis}} + \tau_{\text{vis}} + E_{T,\text{miss}}) > 100$ GeV
 - only consider events which do not fulfil the VBF criteria
 - exploit additional boost of $\tau\tau$ -system, event topology and mass reconstruction



- For each category and channel, train a Boosted Decision Tree (BDT)

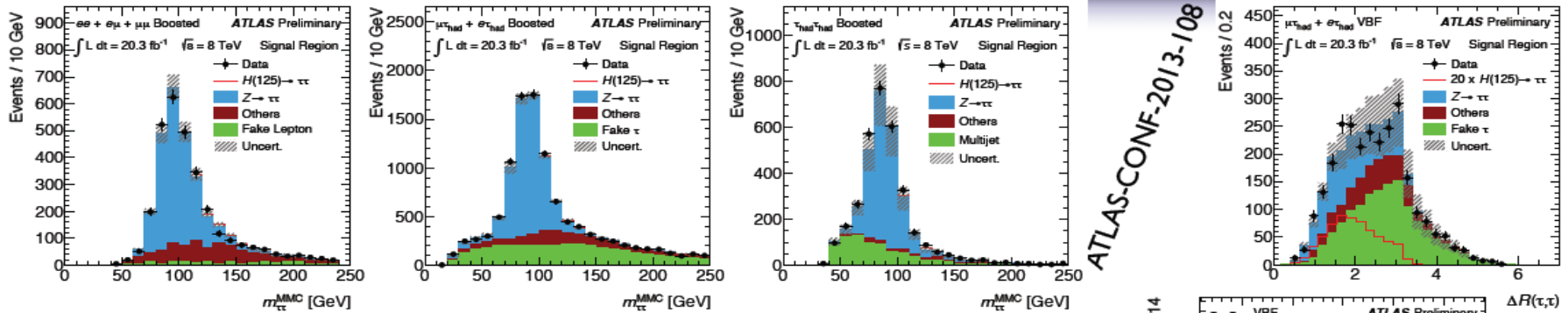
Boosted Decision Trees



during training, signal and background are known,
can extract fraction of mis-classified s in B or b in S

- Multi-variate technique can “learn” how to separate signal from background(s)
- “Training” builds tree of decisions (cuts) on given variables to separate S from B events
- subsequently using variables with large separation power to define many hyper-cubes as S- or B-like
 - ⇒ so far “only” a highly optimized cut selection
- use weights for mis-classified events and train new decision tree - learn from mistakes!
- can train $O(1000)$ trees which are “**boosted**” by using these **weights**
- final output (“BDT score”) for each event: purity-weighted sum over all trees projected on $[-1, +1]$ (-1 for background, +1 for signal)

SM: Example Observables for BDTs

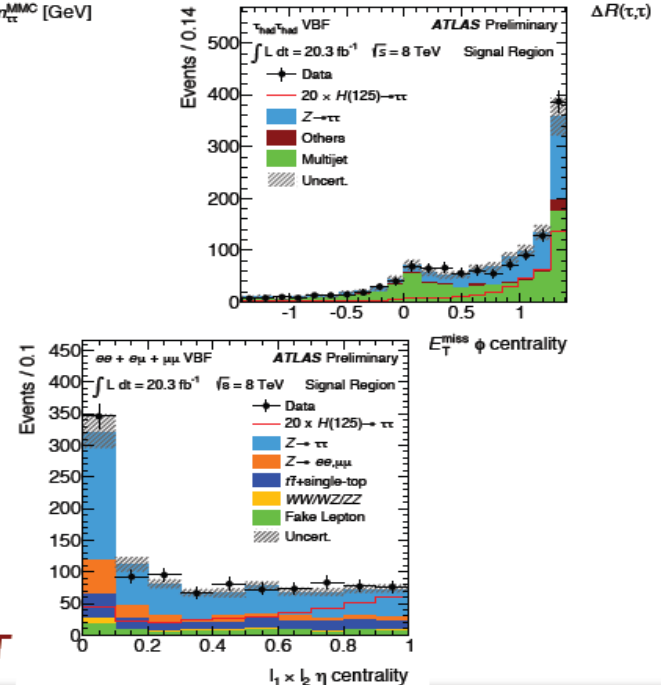


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- Selection of BDT input variables harmonised, still certain differences between channels (and categories)

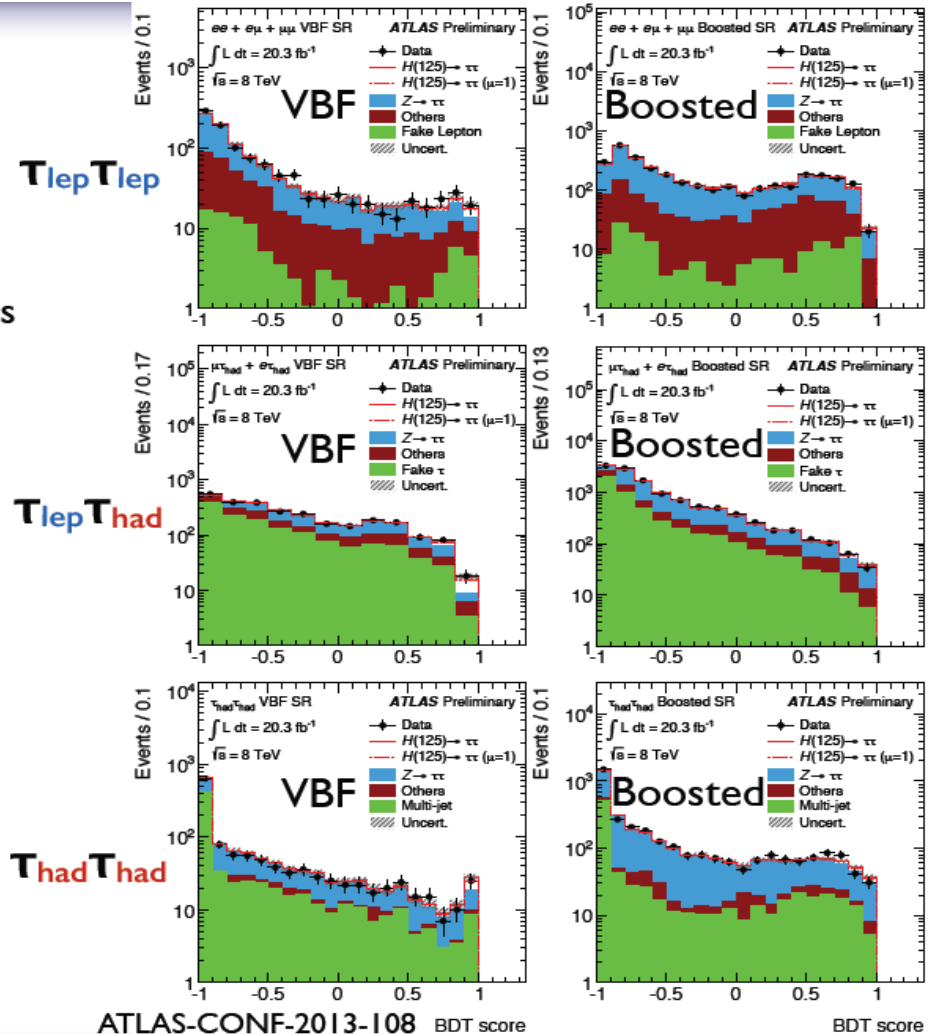
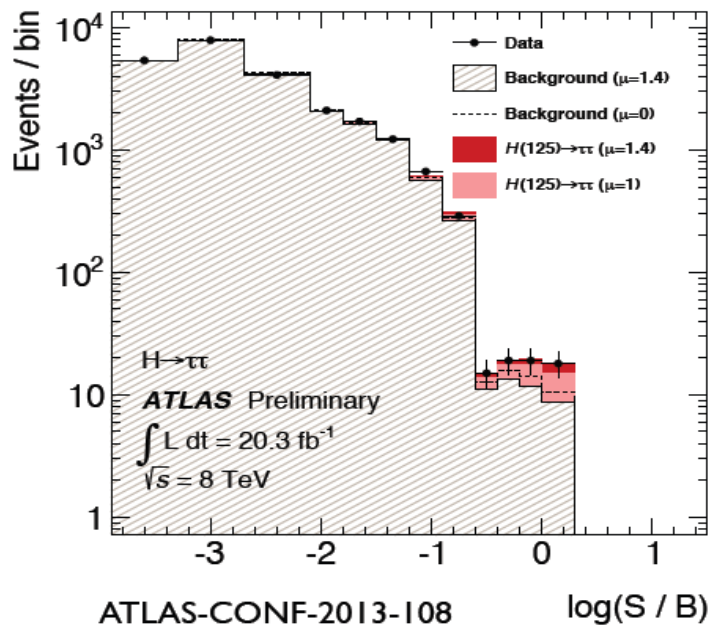
- MMC mass and $\Delta R(\tau_{vis}, \tau_{vis})$
 - also $\sum_{(\tau, T, j)} |p_T|$ and $p_T(\tau_{vis1})/p_T(\tau_{vis2})$
- e.g. $E_{T,miss}$ φ centrality between $\tau_{vis1,2}$
- for VBF: exploit topology of forward jets
 - $\Delta\eta(j_1, j_2)$, product $\eta_{j1} \times \eta_{j2}$ and inv. mass $m(j_1, j_2)$
 - centrality of $\tau_{vis1,2}$ between leading jets

- **In total, 7-9 (6-9) variables for each VBF (Boosted) BDT**



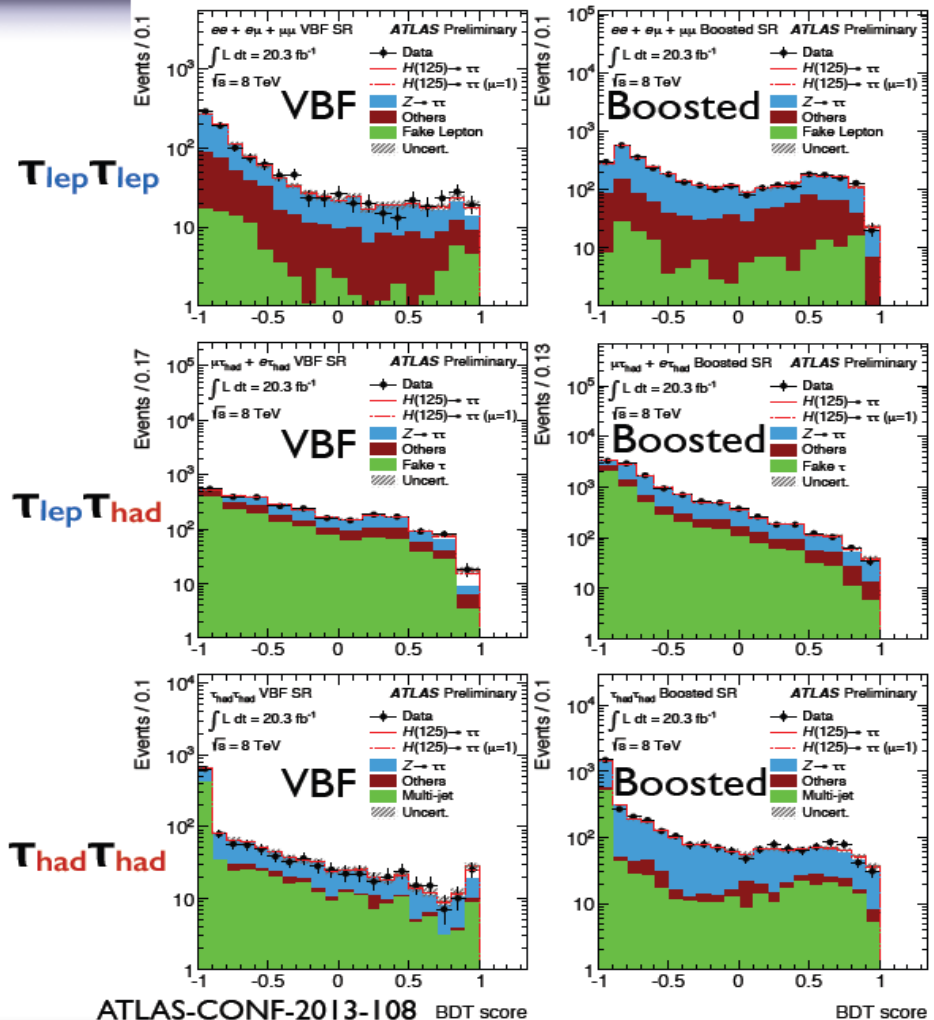
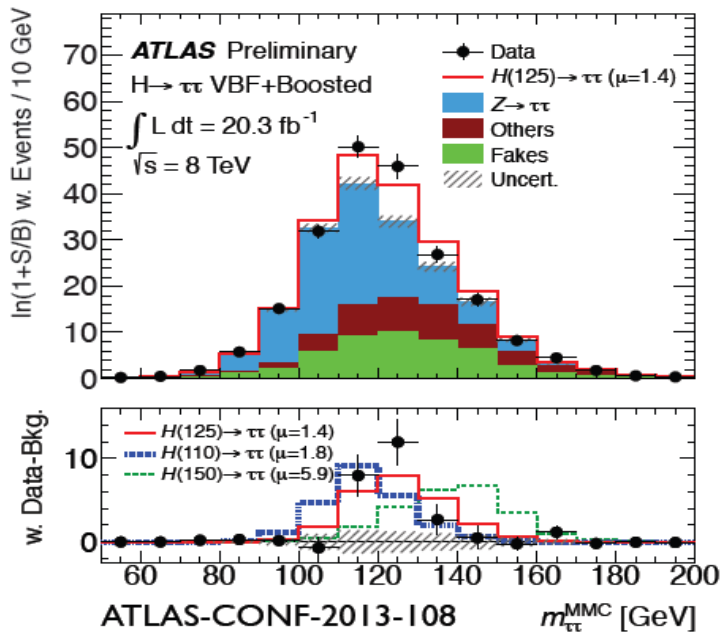
SM: Final BDT Score Distributions

- Careful validation of BDT scores in several background control regions
- Signal region: clear excess of data over expected SM background
 - consistently observed in all channels
- Re-order all BDT score bins through channels and categories according to S/B:



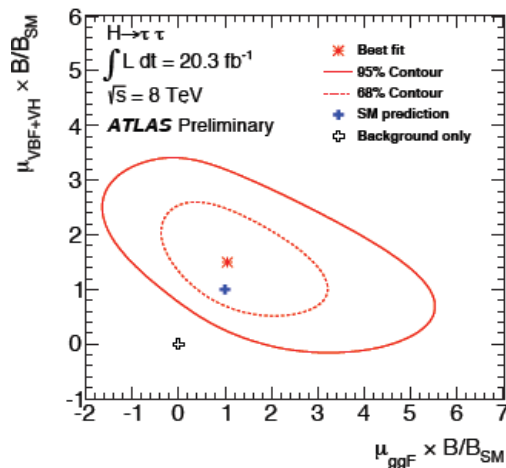
SM: Final BDT Score Distributions

- Careful validation of BDT scores in several background control regions
- Signal region: clear excess of data over expected SM background
 - consistently observed in all channels
- Plot MMC mass weighted with $\ln(1+S/B)$ per BDT score bin: consistent with $m_H=125$ GeV



Significance of the Excess

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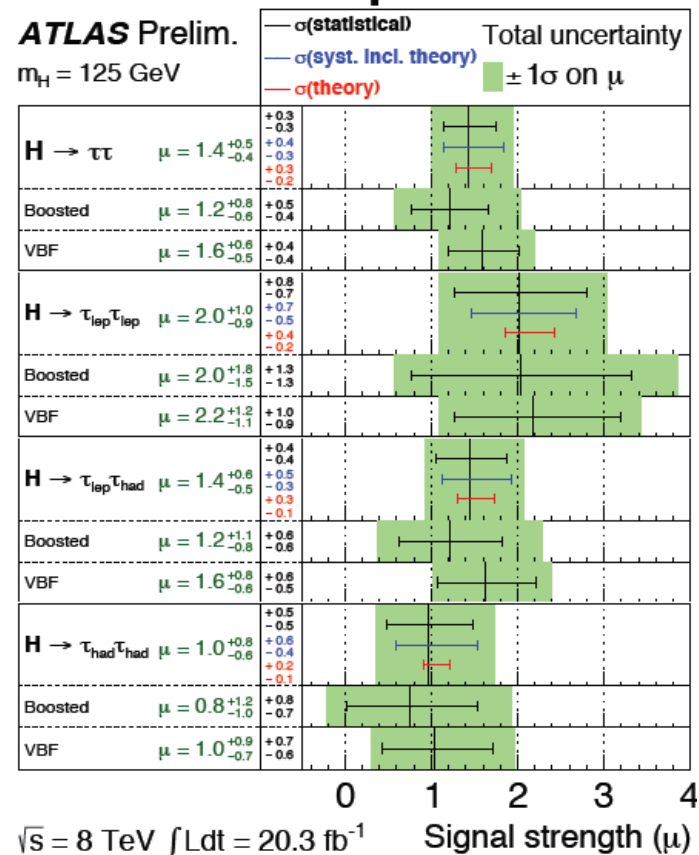
Source of Uncertainty	Uncertainty on μ
Signal region statistics (data)	0.30
$Z \rightarrow \ell\ell$ normalization ($\tau_{\text{lep}}\tau_{\text{had}}$ boosted)	0.13
ggF $d\sigma/dp_T^H$	0.12
JES η calibration	0.12
Top normalization ($\tau_{\text{lep}}\tau_{\text{had}}$ VBF)	0.12
Top normalization ($\tau_{\text{lep}}\tau_{\text{had}}$ boosted)	0.12
$Z \rightarrow \ell\ell$ normalization ($\tau_{\text{lep}}\tau_{\text{had}}$ VBF)	0.12
QCD scale	0.07
di- τ_{had} trigger efficiency	0.07
Fake backgrounds ($\tau_{\text{lep}}\tau_{\text{lep}}$)	0.07
τ_{had} identification efficiency	0.06
$Z \rightarrow \tau^+\tau^-$ normalization ($\tau_{\text{lep}}\tau_{\text{had}}$)	0.06
τ_{had} energy scale	0.06

- Fit signal in all six BDT score distributions, extract sensitivity (profile likelihood):

- combined signal strength: $\mu = \sigma/\sigma_{\text{SM}} = 1.4^{+0.5}_{-0.4}$ at $m_H = 125$ GeV
- observed (expected) 4.1σ (3.2σ) at $m_H = 125$ GeV
- consistent with s+b (small „excess“ of 0.9σ dominated by VBF)

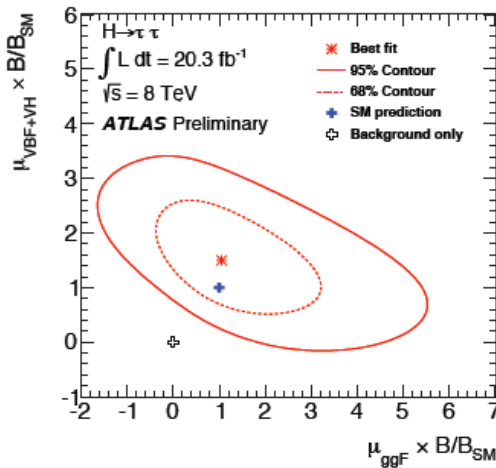
results of separate fits:

ATLAS Prelim.
 $m_H = 125$ GeV



Significance of the Excess

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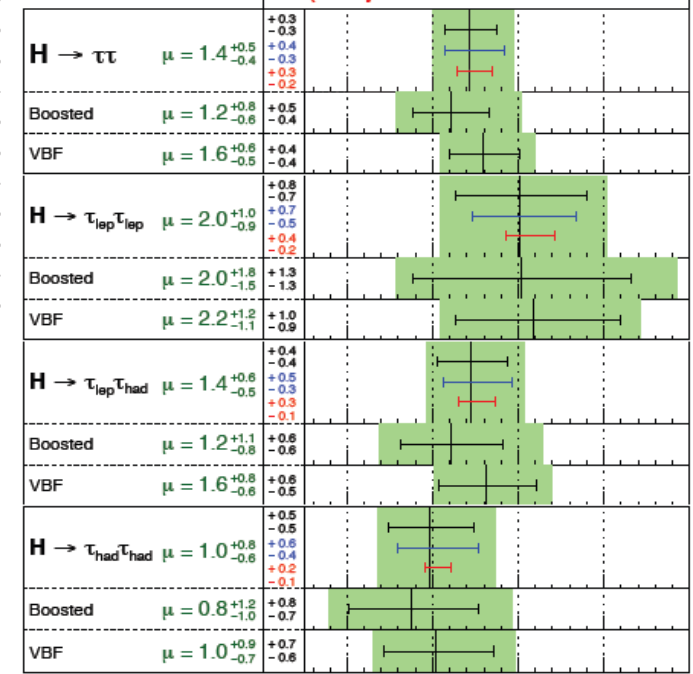


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τ_{had} energy scale	0.06

results of separate fits:

ATLAS Prelim.
 $m_H = 125$ GeV

— $\sigma(\text{statistical})$
— $\sigma(\text{sys. incl. theory})$
— $\sigma(\text{theory})$
Total uncertainty $\pm 1\sigma$ on μ



- Fit signal in all six BDT score distributions, extract sensitivity (profile likelihood):
 - combined signal strength: $\mu = \sigma/\sigma_{SM} = 1.4^{+0.5}_{-0.4}$ at $m_H = 125$ GeV
 - observed (expected) 4.1σ (3.2σ) at $m_H = 125$ GeV
 - consistent with s+b (small „excess“ of 0.9σ dominated by VBF)

• Evidence for $H \rightarrow \tau\tau$ ($m_H = 125$ GeV) expected and observed $\sqrt{s} = 8$ TeV $\int L dt = 20.3$ fb $^{-1}$ Signal strength (μ)

Summary

- Search for SM $H \rightarrow \tau\tau$: BDT-based analysis
 - VBF and Boosted categories for $T_{lep} T_{lep}$, $T_{lep} T_{had}$, $T_{had} T_{had}$
 - observe (expect) 4.1σ (3.2σ) excess over SM background
 - $\mu = \sigma/\sigma_{SM} = 1.4^{+0.5}_{-0.4}$ consistent with $m_H = 125$ GeV ($\mu = 1$)

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