

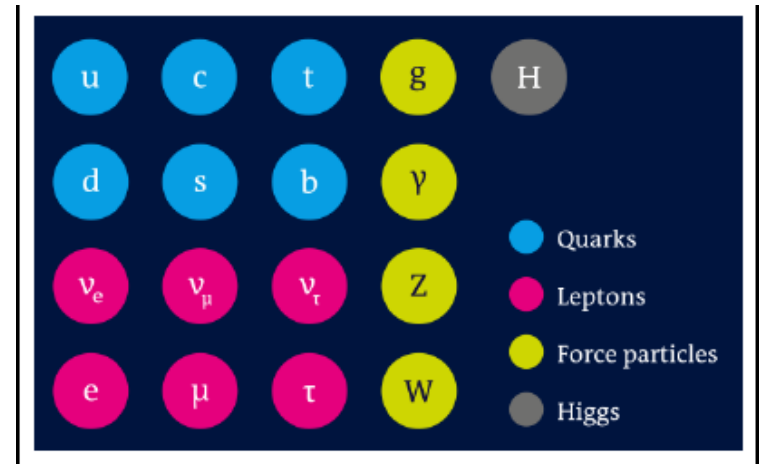
Wstęp do fizyki cząstek elementarnych: część eksperymentalna

Detekcja i identyfikacja cząstek:

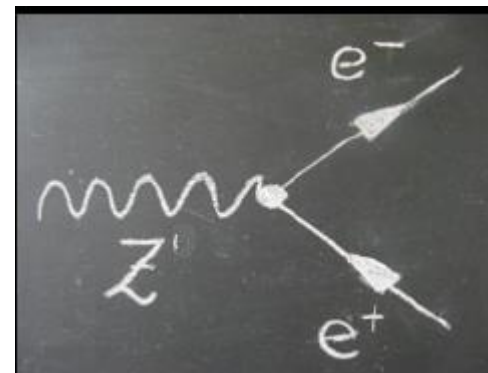
- Detektory śladów i pole magnetyczne
- System muonowy
- Kalorymetry

Which particles are detected?

- 1) **Charged leptons, photons and hadrons: $e, \mu, \gamma, \pi, K, p, n...$**
(maybe new long-lived particles, i.e. particles which enter detector)
- 2) B (and D) mesons and τ leptons have $c\tau \sim 0.09 \text{ to } 0.1 \times 10^{-3} \text{m}$ large enough for additional vertex reconstruction
- 3) Neutrinos (maybe also new particles) are reconstructed as missing transverse momentum
- 4) All other particles which decay or hadronise in primary vertex (top quark decays before hadronises)

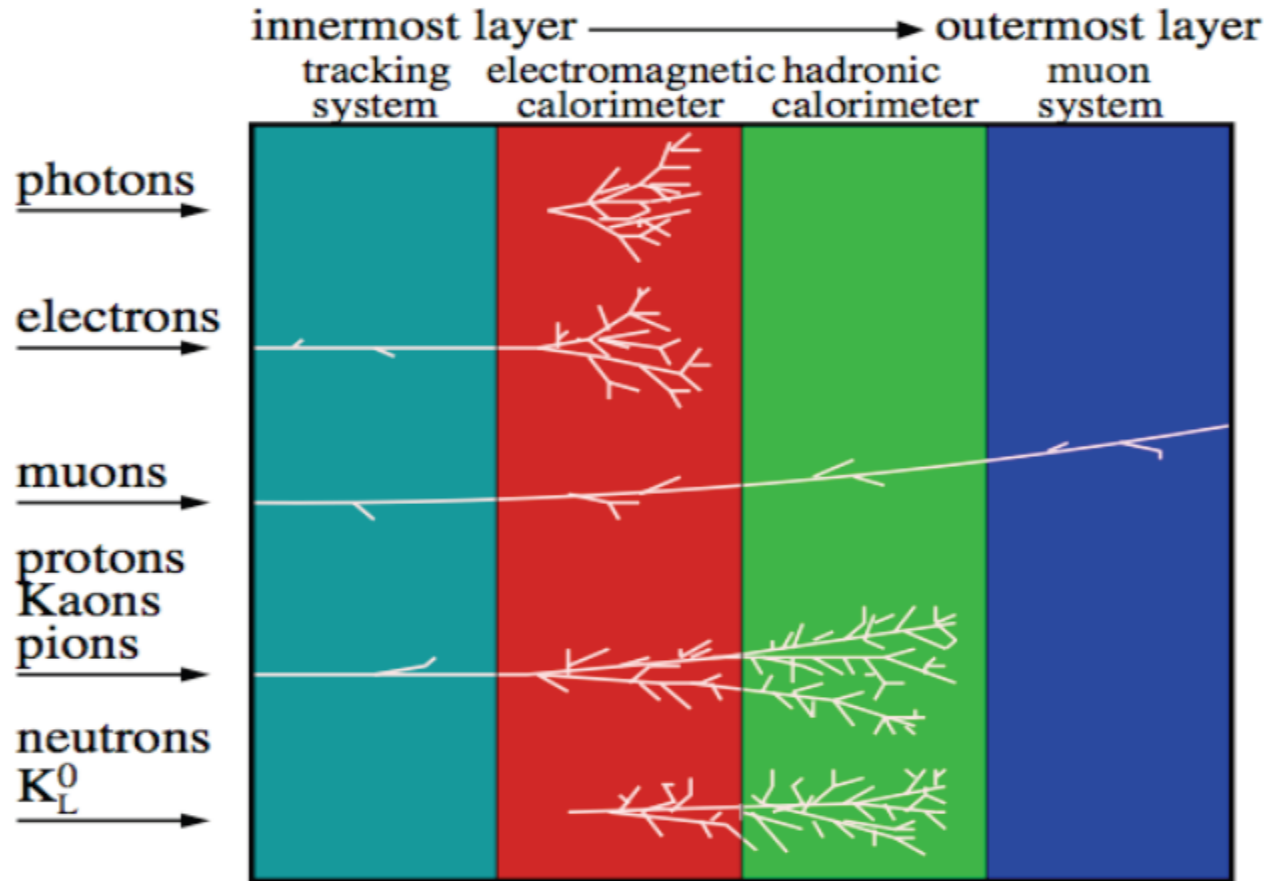


Only e, μ, γ of the fundamental Standard Model Particles are directly detected



Heavy particles W, Z decay immediately

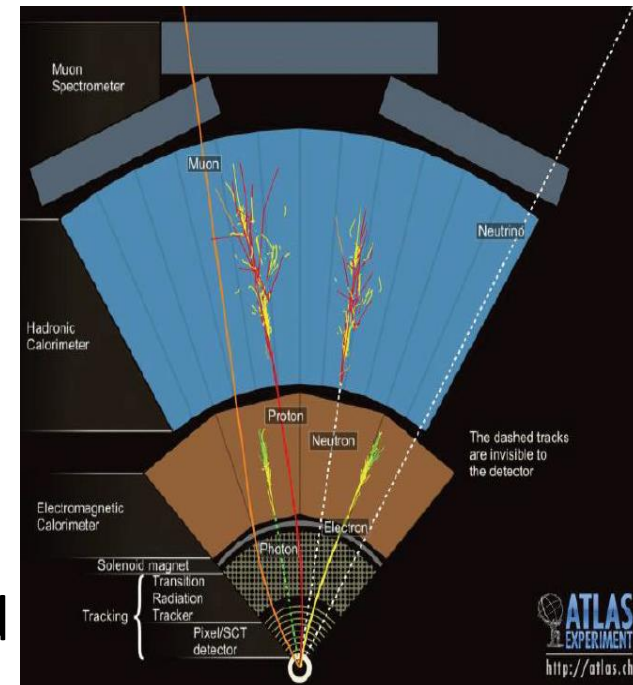
Sketch of particles interaction with detector



C. Lippmann - 2003

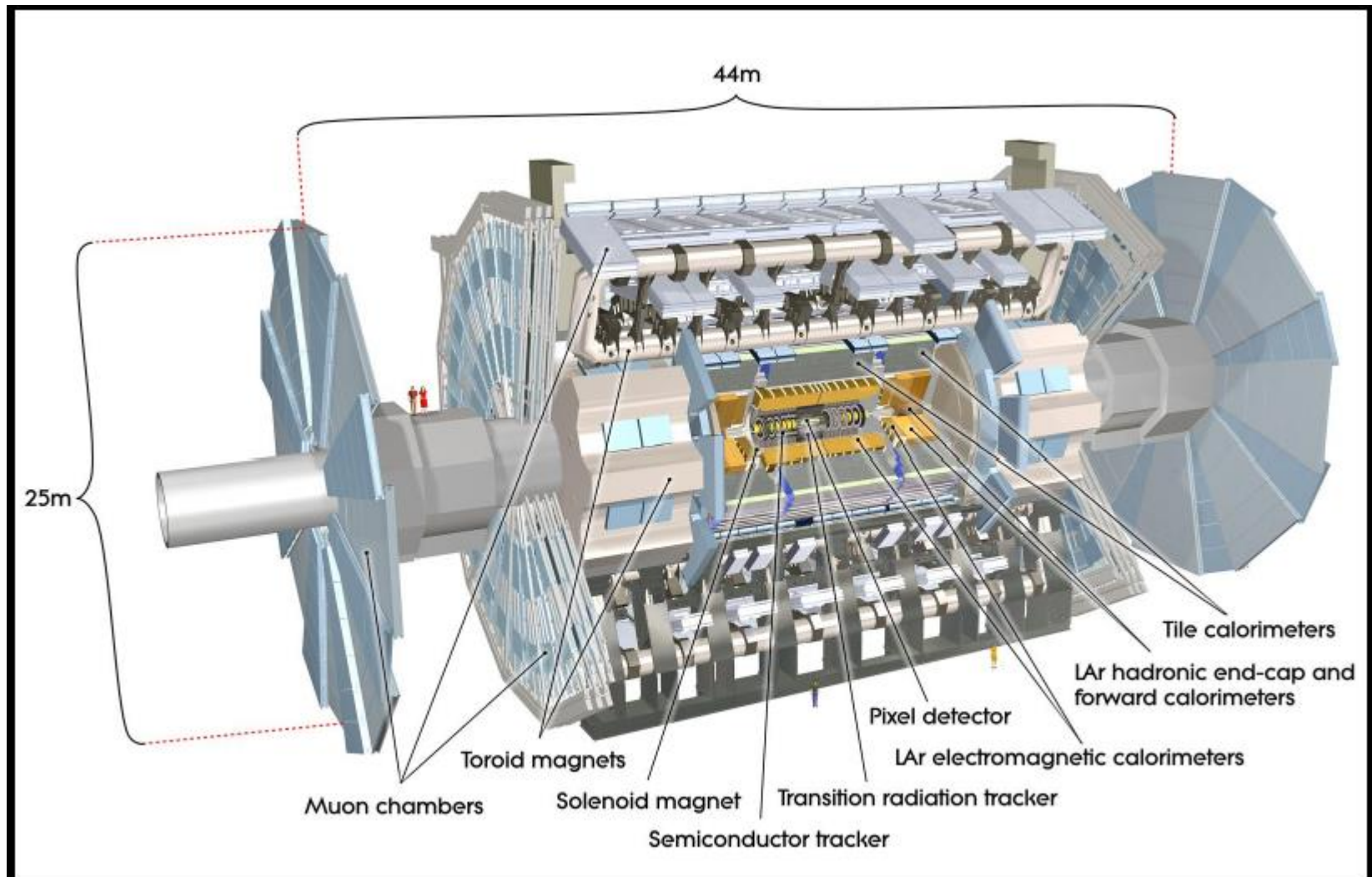
The observables?

- 1) Photon makes photo-effect, Compton scattering and **pair production**. It has no track but an **electromagnetic cascade** in the calorimeter.
- 2) Charged particles makes scattering, **ionisation**, excitation and bremsstrahlung, transition and cherenkov radiation. They produce **tracks**.
- 3) Electrons make **electromagnetic cascades** (clusters) in the calorimeter
- 4) Hadrons also interact strongly via inelastic interactions, e.g. neutron capture, induced fission, etc. They make **hadronic cascades** (clusters) in the hadronic calorimeter.
- 5) Only weakly interacting particles (neutrinos) are reconstructed as **missing transverse momentum** („missing energy”).



The ATLAS example

Typical 4π cylindrical onion structure



Reconstructed properties

From the hits, tracks, clusters, missing transverse momentum and vertices we reconstruct the particles properties:

- 1) Momentum from curved tracks
- 2) Charge from track curvature
- 3) Energy from full absorption in calorimeters and curved tracks
- 4) Spin from angular distributions
- 5) Mass from invariant mass from decay products
- 6) Lifetime from time of flight measurement
- 7) Identity from dE/dx , lifetime or special behaviour (like transition radiation)

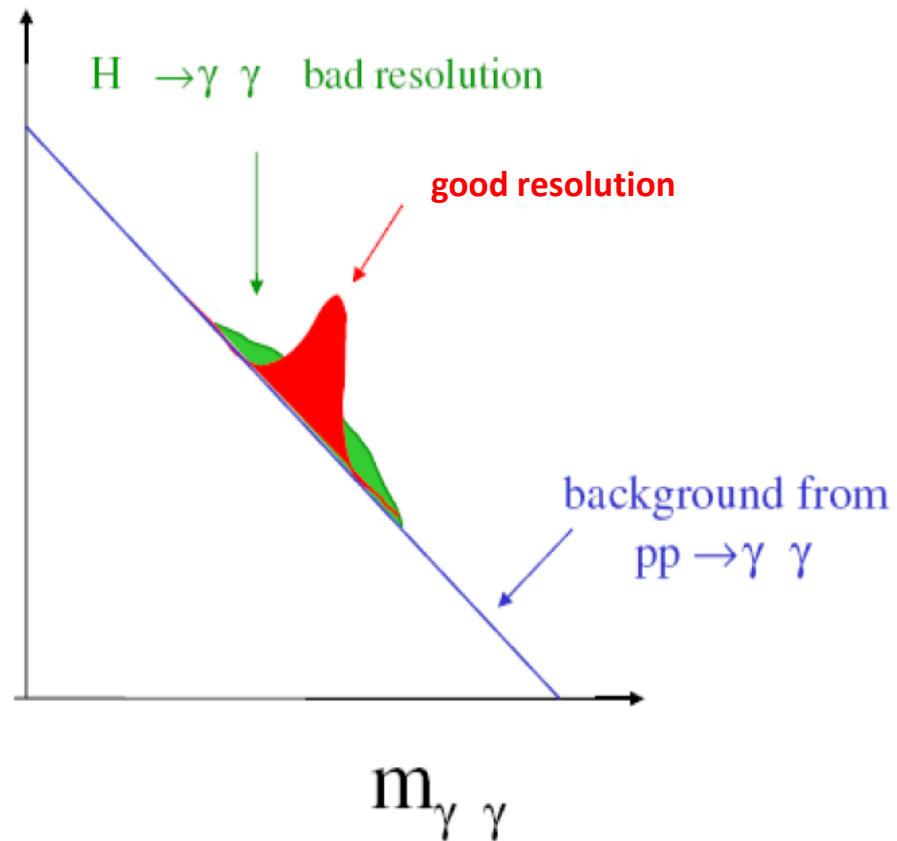
Detector design constraints (I)

- **Constraints from physics:**
 - 1) High detection efficiency demands minimal cracks and holes, high coverage
 - 2) High resolution demands little material like support structures, cables, cooling pipes, electronics etc. (avoid multiple scattering)
 - 3) Irradiation hard active materials to avoid degradation and changes during operation
 - 4) Low noise
 - 5) Easy maintenance (materials get radioactive)
 - 6) ...

Example for resolution requirement

Excellent energy resolution
of EM calorimeters for e/γ and
of the tracking devices for μ in
order to extract a signal over the
backgrounds.

Example: $H \rightarrow \gamma \gamma$



Example for particle ID requirement

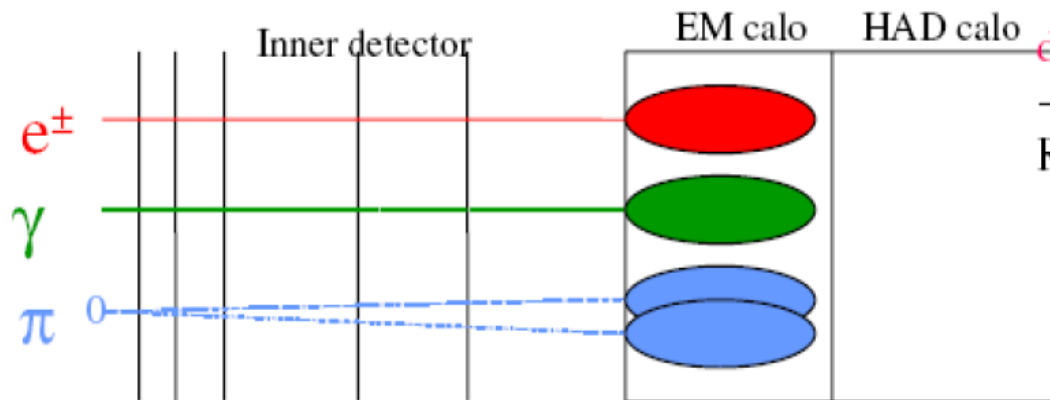
Excellent particle identification capability e.g. e/jet , γ/jet separation



number and p_T of hadron in a jet have large fluctuations



in some cases: one high- p_T π^0 ; all other particles too soft to be detected



$d(\gamma \gamma) < 10 \text{ mm}$ in calorimeter
 \rightarrow QCD jets can mimic photons.
 Rare cases, however:

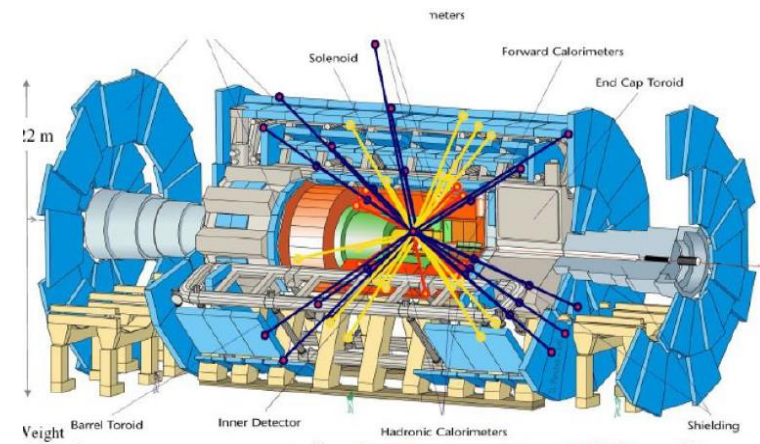
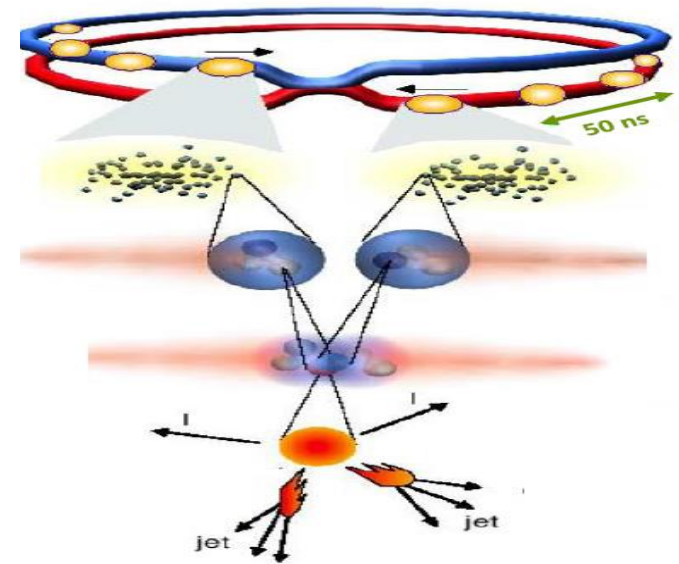
$$\frac{\sigma_{jj}}{\sigma(H \rightarrow \gamma\gamma)} \sim 10^8$$

$$m_{\gamma\gamma} \sim 100 \text{ GeV}$$

need detector (calorimeter) with fine granularity to separate overlapping photons from single photons

Detector design constraints (II)

- **Environmental constraints, i.e. from LHC design parameters:**
 - 1) Collision events every $\sim 25\text{ns}$
 - 2) Muons from previous event still in detector when current enters tracker
 - 3) High occupancy in the inner detector
 - 4) Pile up (more proton proton collisions in each bunch crossing)
 - 5) High irradiation
 - 6) ...

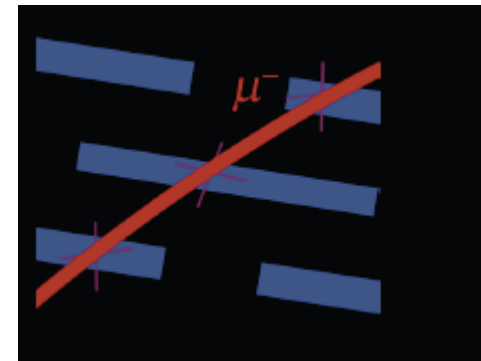


Magnet system

- Use Lorentz force to curve tracks

$$\vec{F} = q\vec{E} + q\vec{v} \times \vec{B}$$

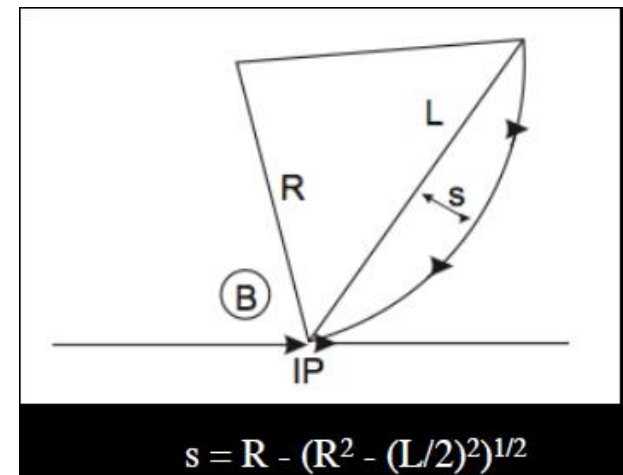
Electric force
Magnetic force



- Max E is about 50MV/m in high vacum, just B field used (5T gives $\sim 10^3$ stronger force)
- Curvature or radius: $q v B = m v^2/T \Rightarrow p = q B R$
- At least three hits needed to reconstruct a unique R of a track
- Remember solenoid resolution:

$$(\Delta p_T/p_T)_{\text{solenoid}} \sim (\Delta s/L^2 B) p_T$$

(in GeV with s in μm , L in cm and B in T. Large B is good against high occupancy.



s = sagitta

Charged particle in magnetic field

Lorentz force:

$$\vec{F} = q\vec{v} \times \vec{B}$$



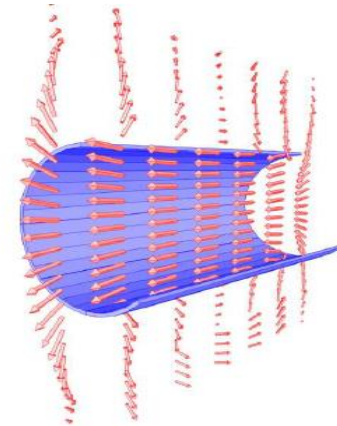
$$P \sim 0.3 \cdot R \cdot B \quad R \rightarrow \frac{1}{S}$$

P : momentum (GeV)

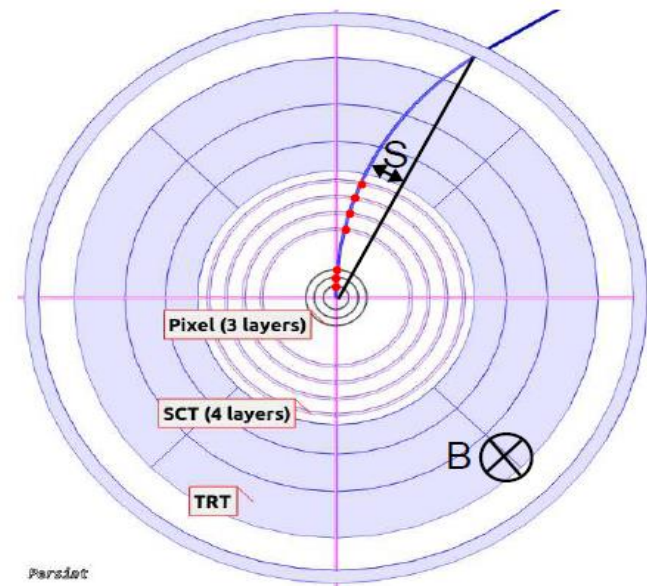
R : curvature (m)

B : Magnetic field (Tesla)

- Charged track => signal in detectors
- => reconstruction program
- => Sagitta (=1/R) determination



Solenoid (ATLAS Inner Tracker)



Parsdot

Charged particle in magnetic field

Lorentz force:

$$\vec{F} = q\vec{v} \times \vec{B}$$

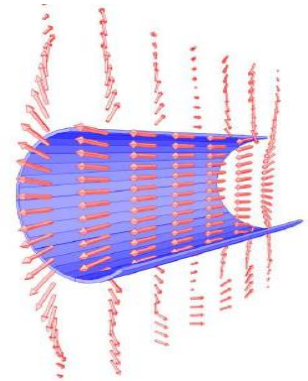


$$P \sim 0.3 \cdot R \cdot B \quad R \rightarrow \frac{1}{S}$$

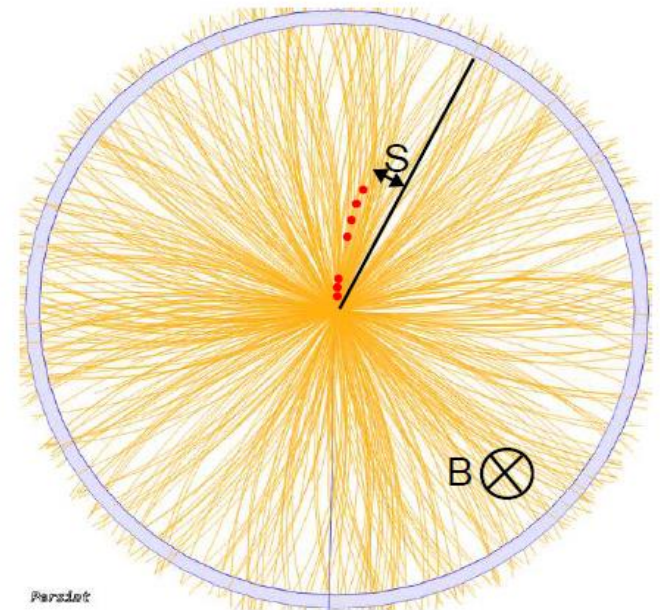
P : momentum (GeV)
 R : curvature (m)
 B : Magnetic field (Tesla)

Charged track => signal in detectors
=> reconstruction program
=> Sagitta (=1/R) determination

Reconstruction can be complicated



Solenoid (ATLAS Inner Tracker)



Frequent magnet designs

Solenoid (A)

Deployed in ATLAS and CMS

$$(dp/p)_{\text{solenoid}} \sim p \cos \theta / BR^2$$

$$\text{cost} \sim LR^2B^2$$

Toroid (B)

Deployed in ATLAS

$$(dp/p)_{\text{toroid}} \sim p \cos \theta /$$

$$B_{\text{in}} R_{\text{in}} \ln(R_{\text{out}}/R_{\text{in}})$$

Dipole (C)

Used in fixed target / forward experiments.

Deployed in ALICE and LHCb.

$$(dp/p)_{\text{dipole}} \sim p / BL$$

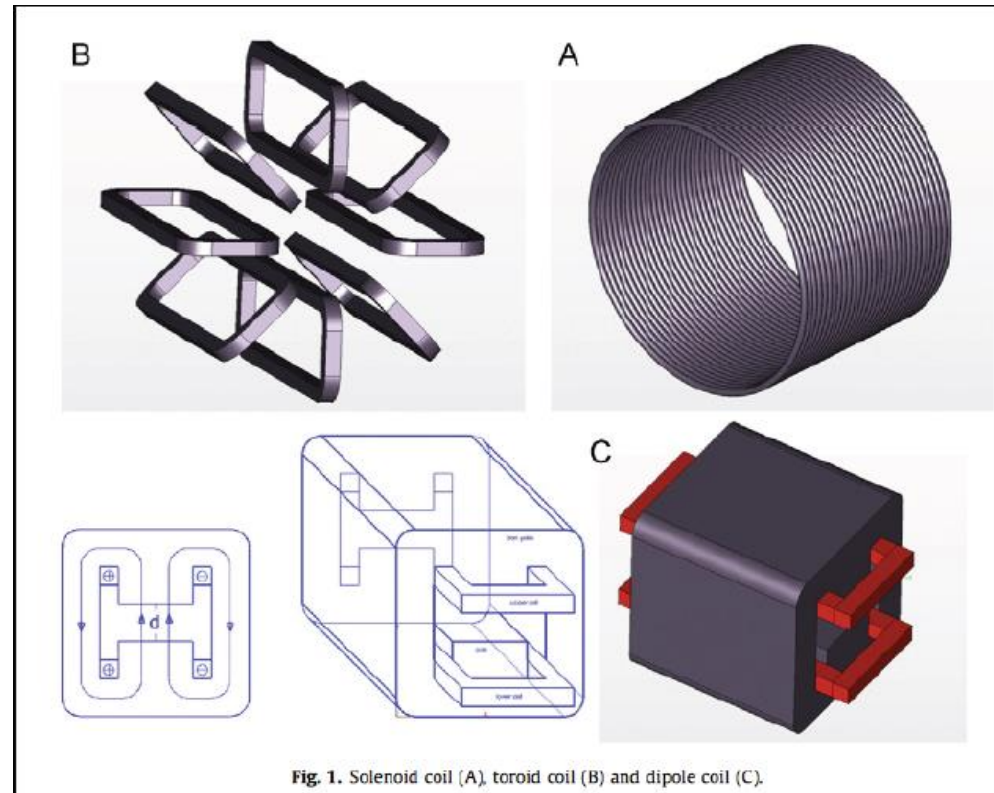
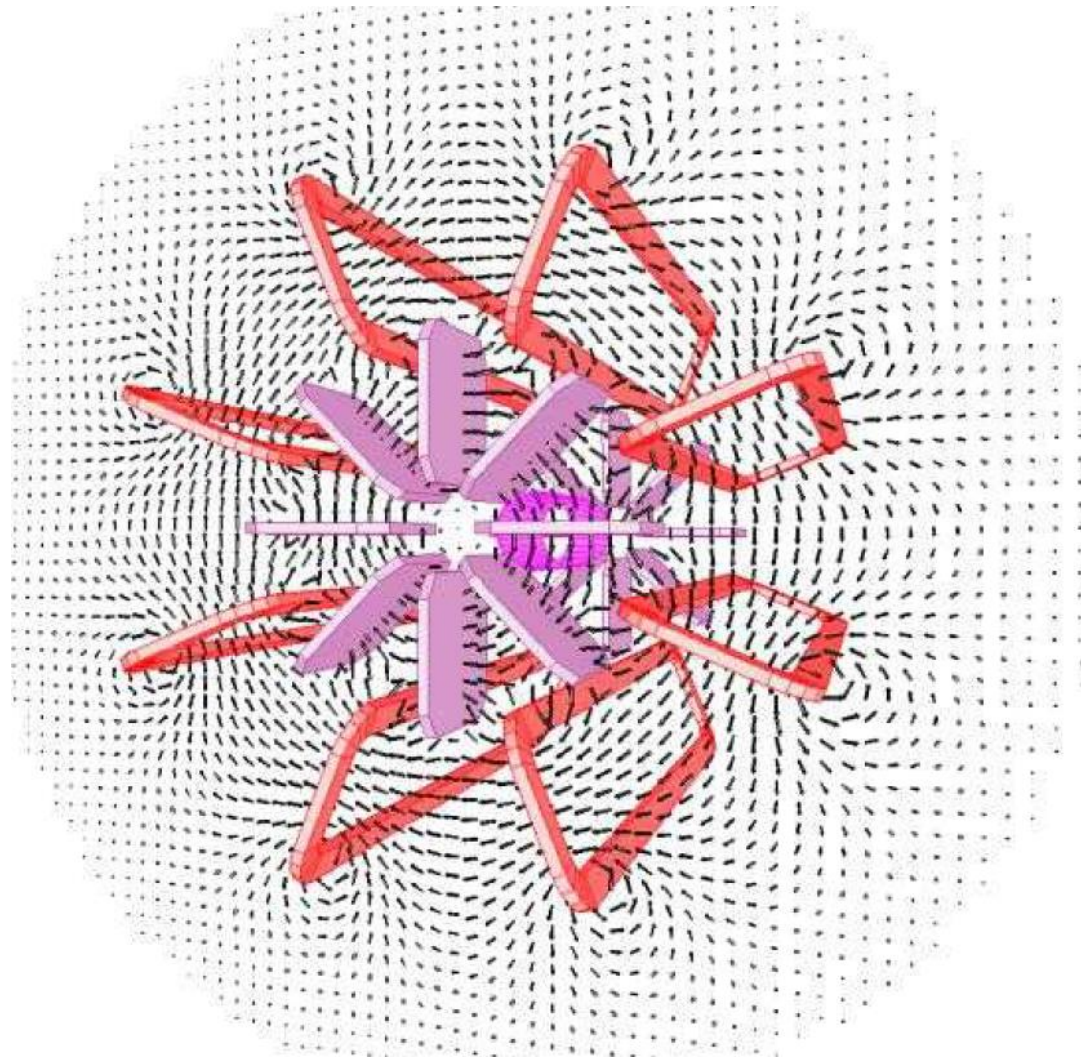
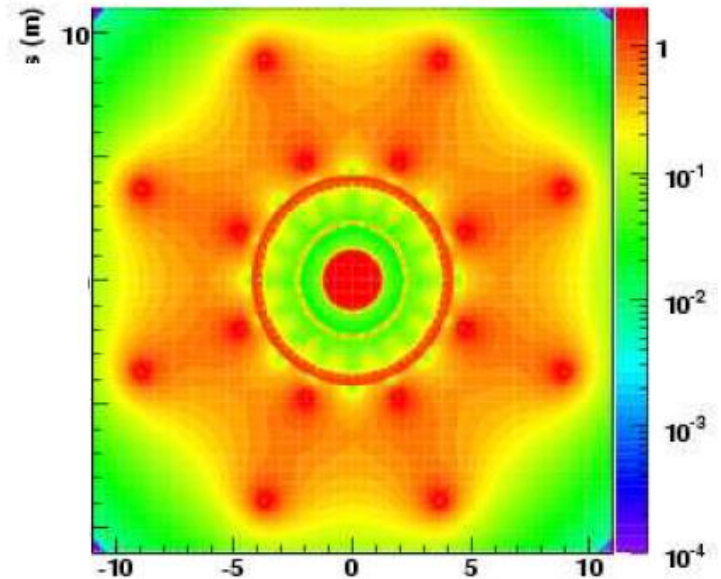


Fig. 1. Solenoid coil (A), toroid coil (B) and dipole coil (C).

Charged particle in magnetic field



$z \approx -20\text{cm}, \phi = 2\pi$



ATLAS magnetic field
1 solenoid
3 toroids

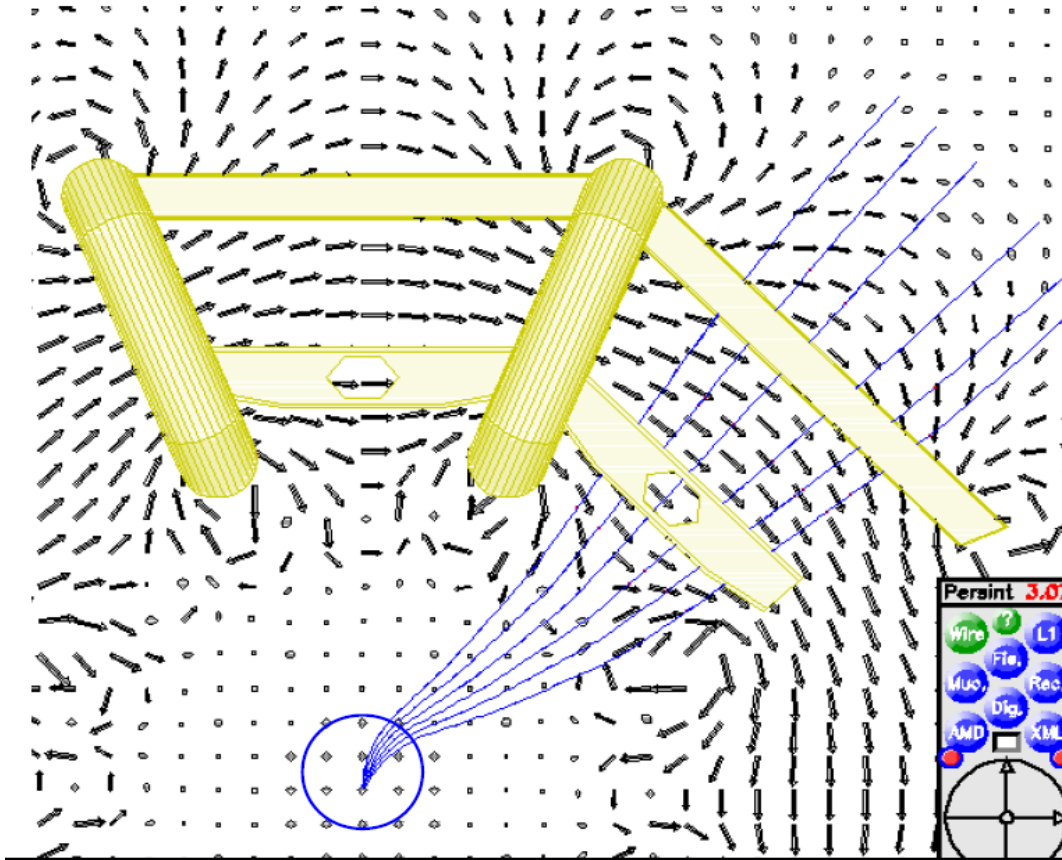
Charged particle in magnetic field

ATLAS magnetic field

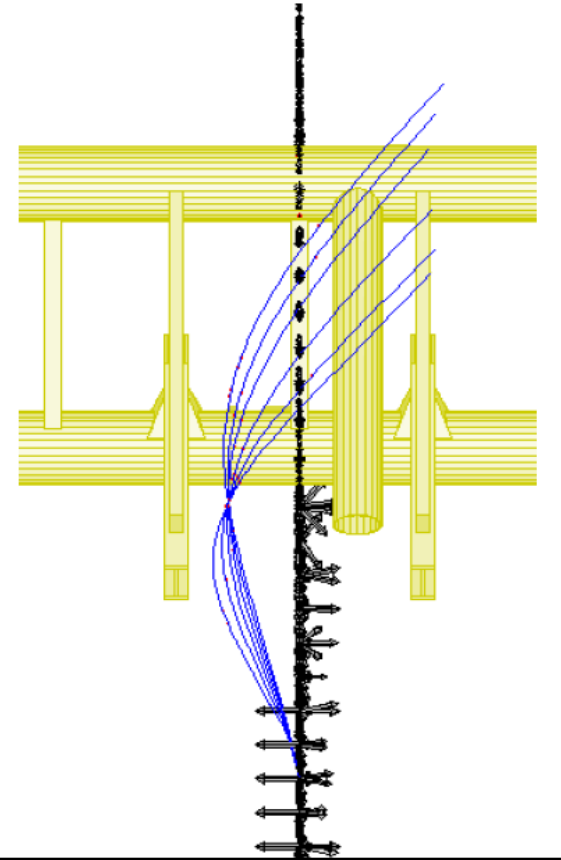
1 solenoid

3 toroids

R- ϕ projection



R-Z projection



Size and field examples

ATLAS barrel toroid
20.5 kA, 3.9 T

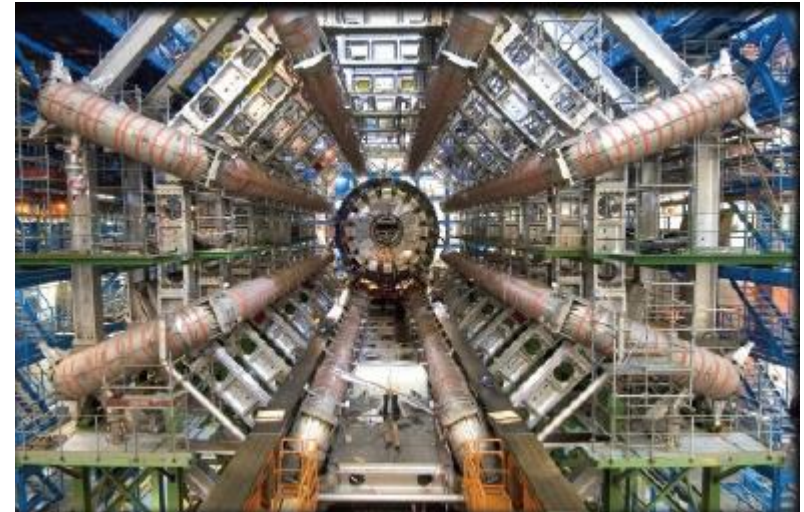


Table 1

Main parameters of some HEP detector magnets (solenoids).

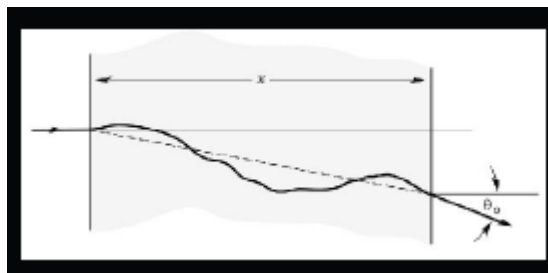
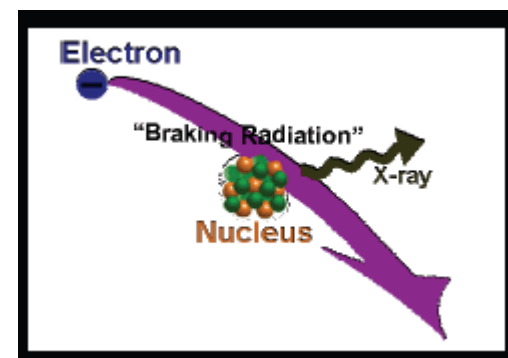
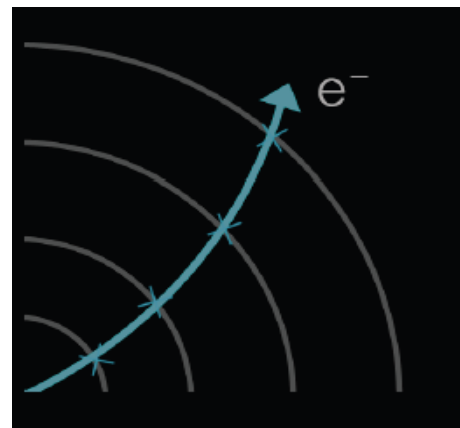
	CDF	CLEO-II	ALEPH	ZEUS	H1	KLOE	BaBar	Atlas	CMS
B (T)	1.5	1.5	1.5	1.8	1.2	0.6	1.5	2.0	4.0
R (m)	1.5	1.55	2.7	1.5	2.8	2.6	1.5	1.25	3.0
L (m)	4.8	3.5	6.3	2.45	5.2	3.9	3.5	3.66	12.5

The magnet layout is a major constraint for the rest of the detector!

See A. Gadi, A magnet system for HEP experiments, NIMA 666 (2012) 10-24

Tracking principles

- Exploit physical processes of moving charged particles in the magnetic field:
 - 1) **Ionisation** (Bethe-Boch) is the main detection process for heavy particles ($m > m_e$)
 - Collect the charges with an electric field => hits
 - Reconstruct hits to tracks in B field => **p_T vertices, isolation**
 - 2) Bremsstrahlung is the main process for e^\pm above some 100 MeV
 - 3) Multiple scattering (unwanted, degrades the resolution)
 - 4) Irradiation damage (unwanted, degrades efficiency)



Bethe-Bloch formula

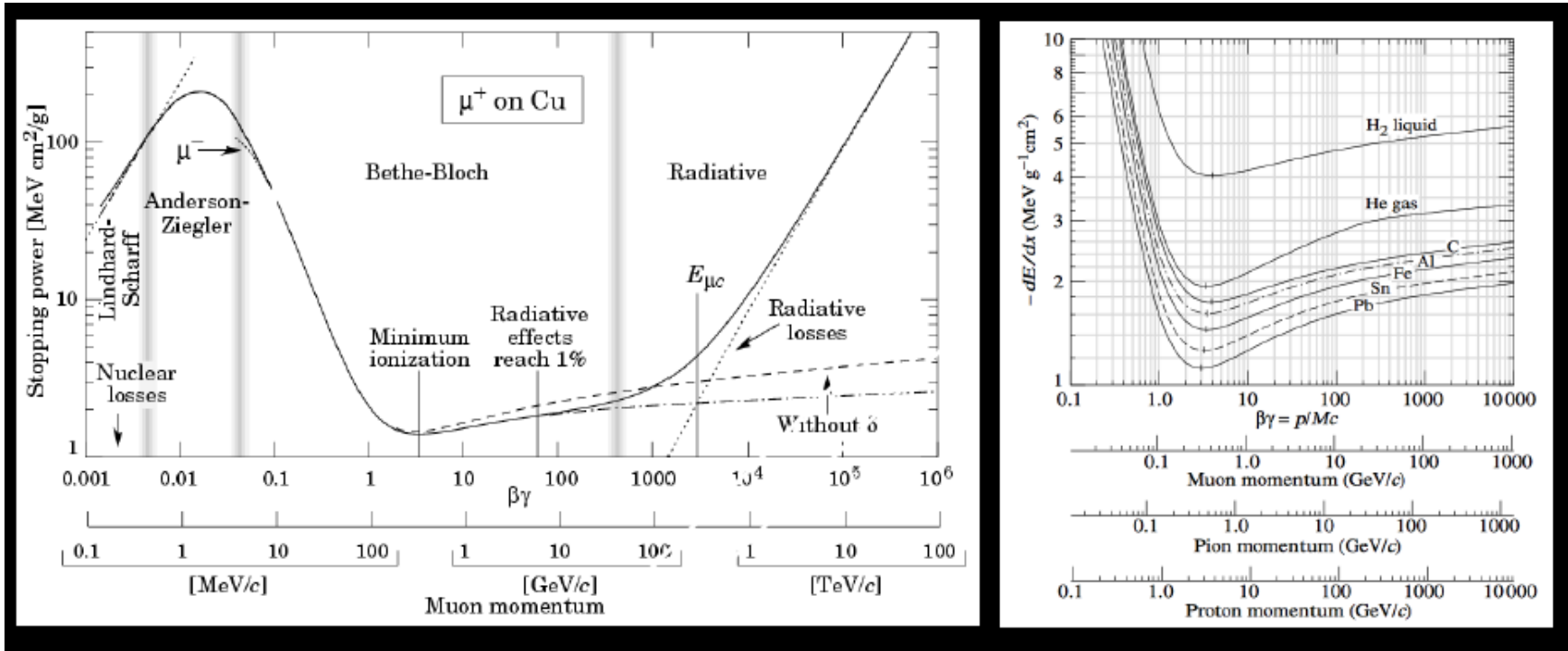
Describes stopping power of heavy charged (heavier than electron) particle in matter [MeV g⁻¹ cm²]

$$\beta = v/c, \gamma = (1-\beta^2)^{1/2}$$

$$-\frac{dE}{dx} = 4\pi N_A r_e^2 m_e c^2 z^2 \frac{Z}{A} \frac{1}{\beta^2} \left[\frac{1}{2} \ln \left(\frac{2m_e c^2 \beta^2 \gamma^2 T_{max}}{I^2} \right) - \beta^2 - \frac{\delta(\gamma)}{2} \right]$$

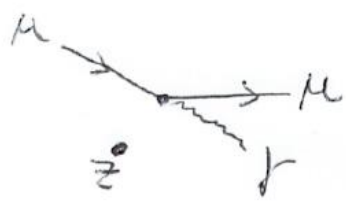
- The energy loss depends only on **charge z** and **velocity β** of the particle
- **Rest is material dependent:** I = mean ionisation/excitation energy [MeV], δ density effect correction, T_{max} is maximum energy transfer in one collision.

Muon energy loss



Ionization

Bremsstrahlung



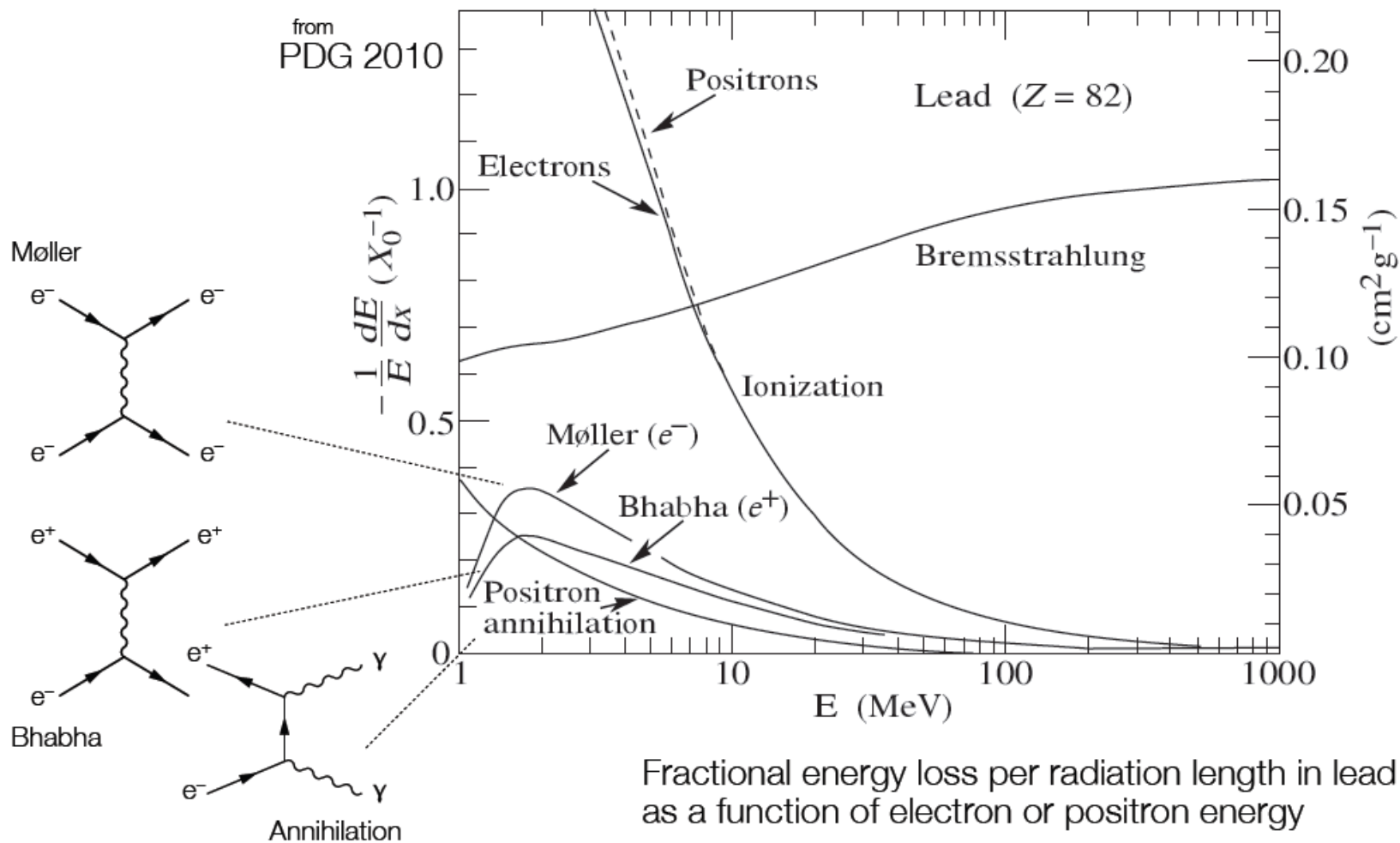
At low β : $dE/dx \sim 1/\beta^2$

Minimum at $\beta\gamma \sim 3..4$ (minimal ionizing particle)

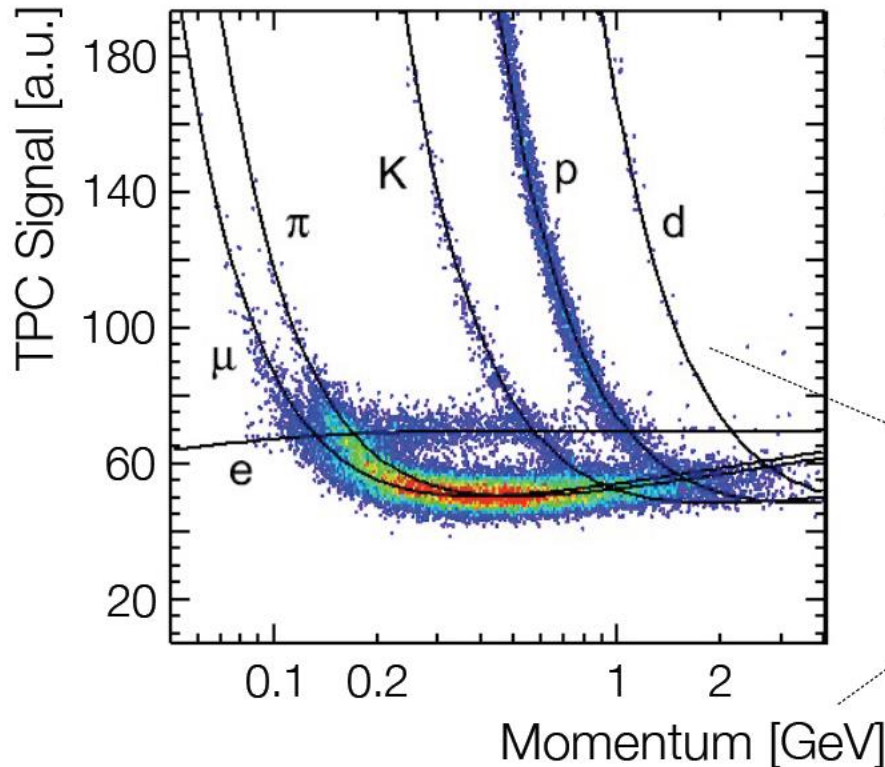
At high β : dE/dx slowly increasing due to relativistic enhancement of transversal E field.

At very high β : saturation due to shielding/polarisation

Total energy loss of electrons



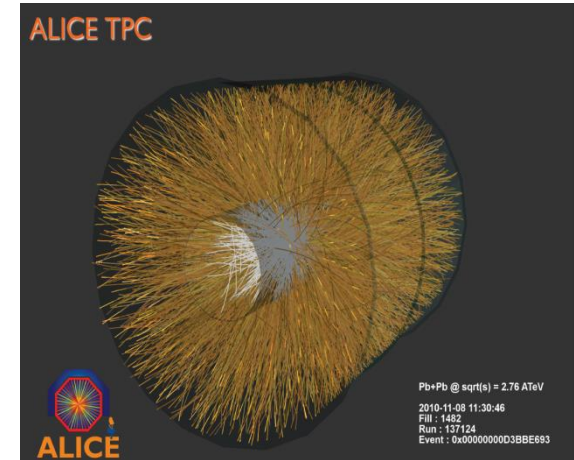
Identifying particles by dE/dx



Measured energy loss
[ALICE TPC, 2009]

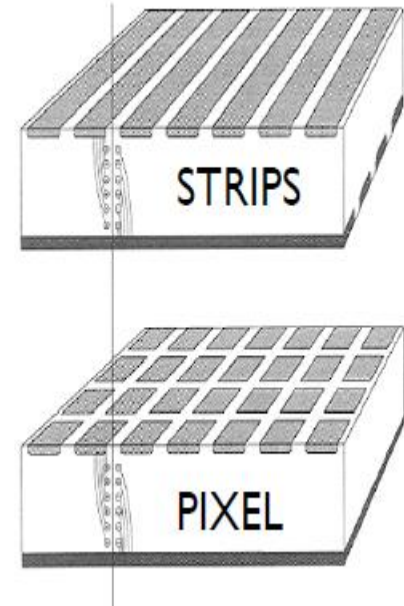
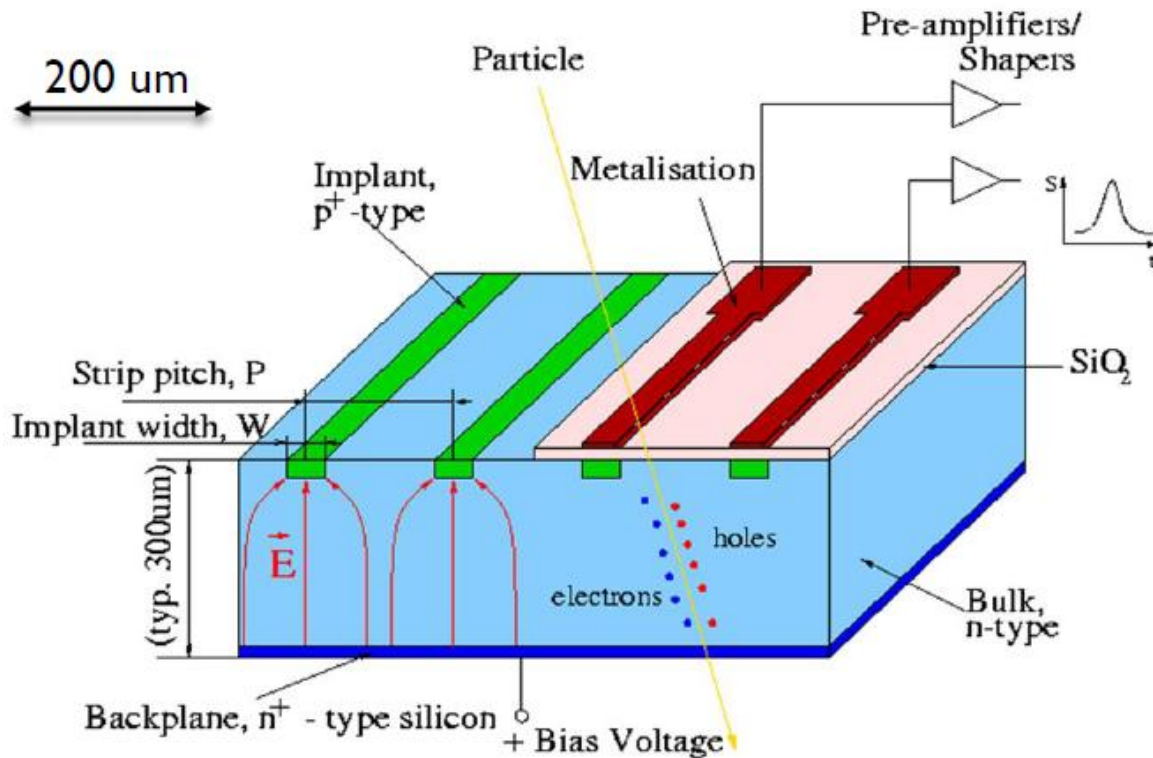
Bethe-Bloch

Remember:
 dE/dx depends on β !

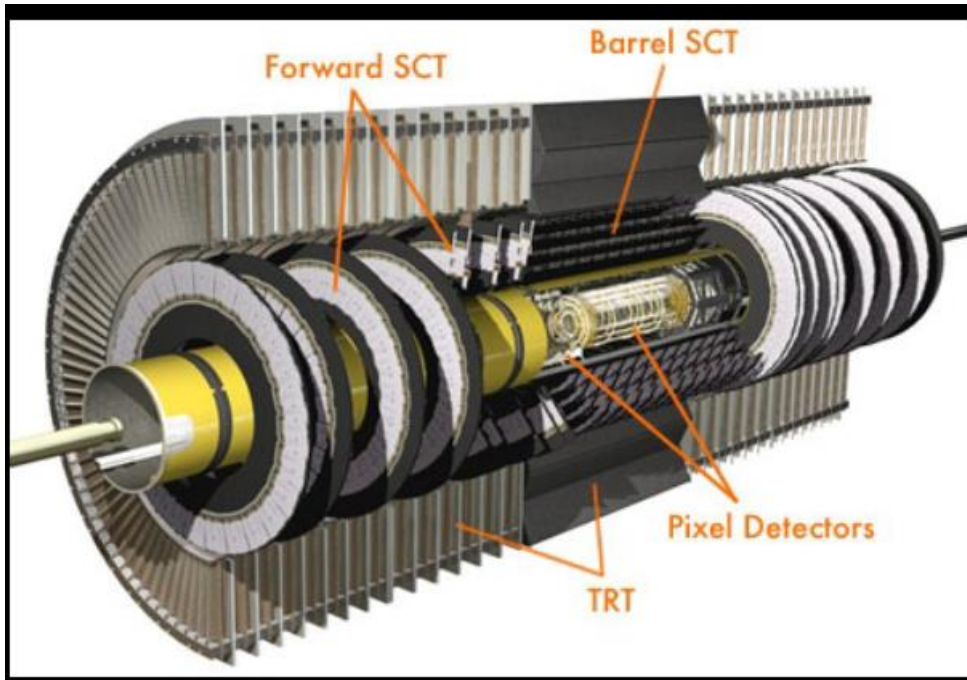


Energy loss used for particle identification

Silicon detectors



ATLAS Inner Detector



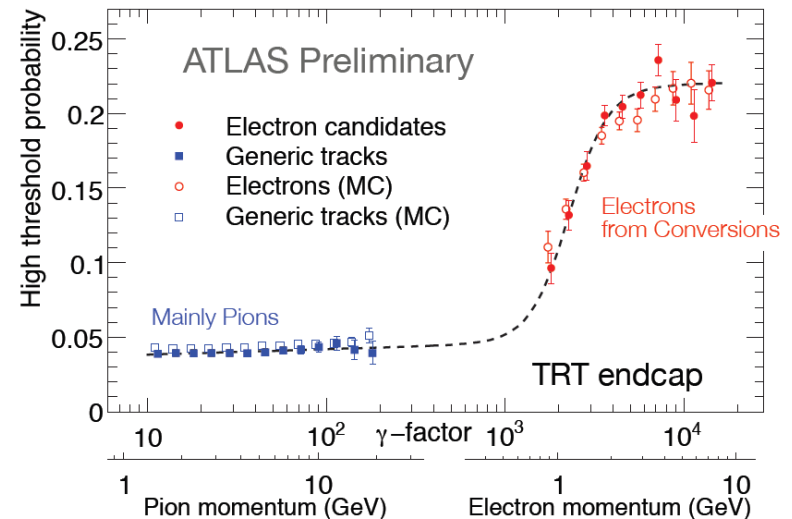
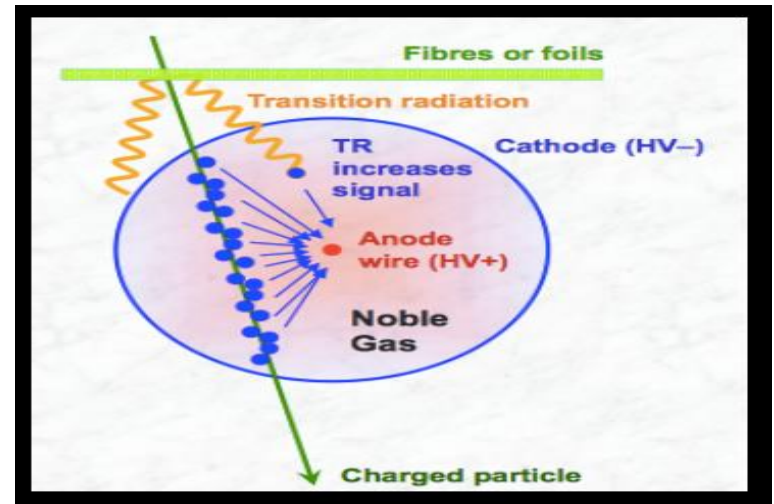
- 3 layers of pixel modules in barrel
- 2x5 disks of forward pixel disks
- 4 layers of strip (SCT) modules in barrel
- 2x9 disks of forward strip modules

Figure : ATLAS Inner detector (ID) in LHC run 1 with pixel and strip (SCT) silicon and transition radiation (TRT) detectors. The length is about 5.5 m.

Transition Radiation Tracker

Combine tracking with particle identification (PID)

- Charged particles radiate photons when crossing material borders.
- E^+ radiate x-rays more than heavier particles.
- Use this particle PID, i.e. distinguish e^+ from hadrons.
- ATLAS has a TR detector in the inner detector. It uses gas for detection.

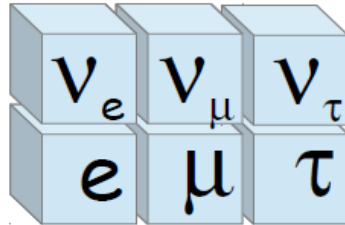


Muon

Standard Model

Leptons

fermions



Electromagnetic & weak interaction (& gravitation)

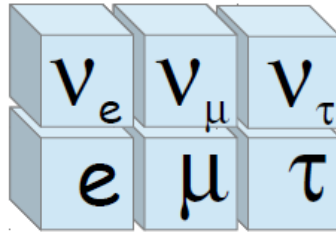
Muon	mass:	$105.6583715 \pm 0.0000035$ MeV
	spin :	1/2
	mean Life:	$(2.1969811 \pm 0.0000022) \times 10^{-6}$ s
	τ^+/τ^- :	1.00002 ± 0.00008 (CPT!)
	$\mu^- \rightarrow e^- \bar{\nu}_e \nu_\mu$	~100%
	$\mu^+ \rightarrow e^+ \nu_e \bar{\nu}_\mu$	~100%

Muon

Standard Model

Leptons

fermions

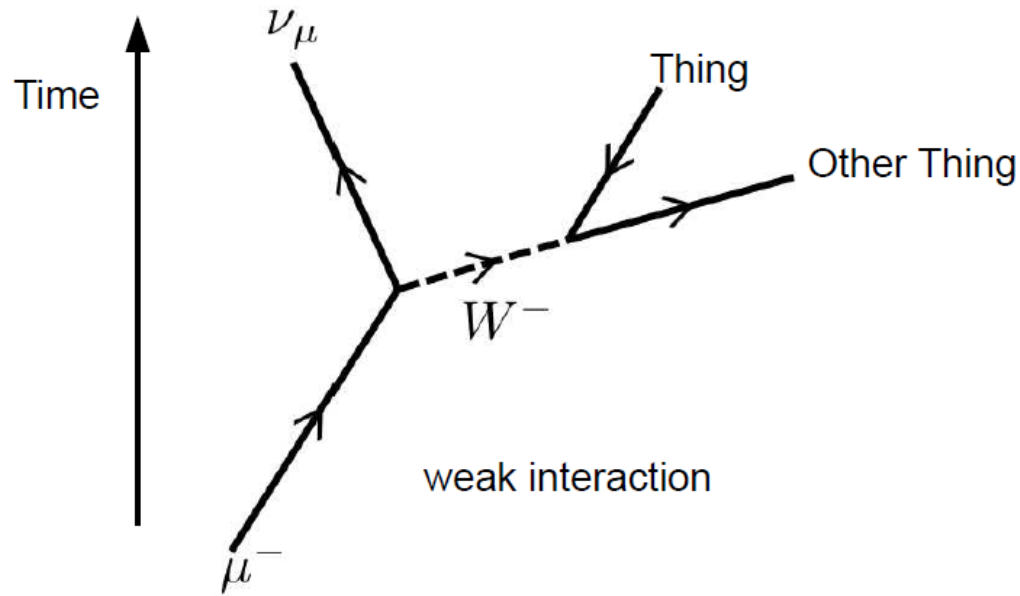
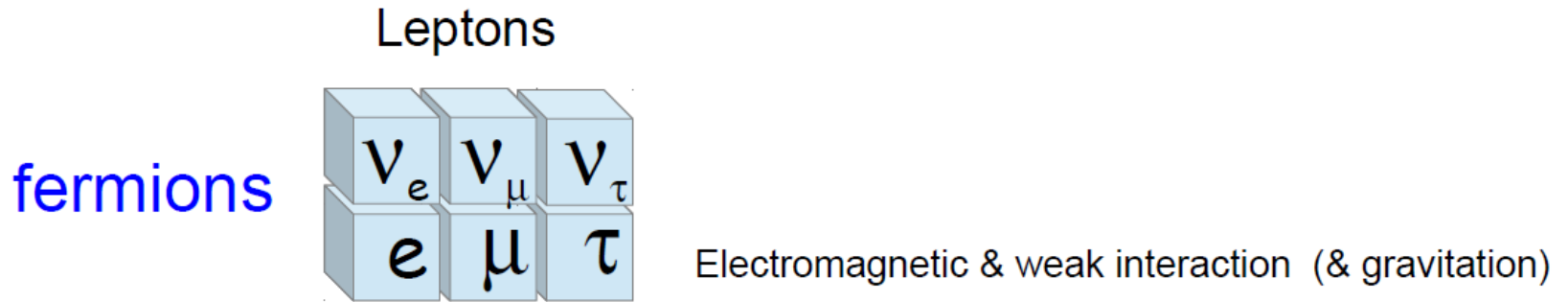


Electromagnetic & weak interaction (& gravitation)

Muon

- ~207 times more massive than electron
- ~ 17 times less massive than the tau
- Unstable $c\tau \sim 660\text{m}$
but the second longest mean life time
after the neutrons
- Means: stable for some simulation in G4

Muon



Muon detection in tracking detector

Muon has electrical charge, $m_\mu \sim 106 \text{ MeV} \sim 200m_e$, no strong charge, life time $\tau = 2.2 \mu\text{s}$, LHC $p_\mu \sim 5 \dots 1000 \text{ GeV}$.

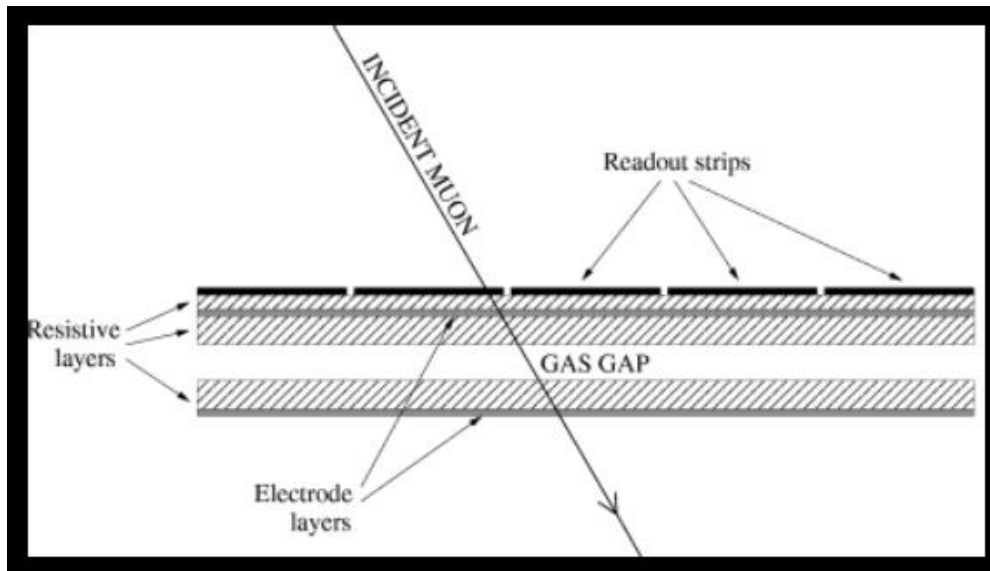
- Curves in magnetic field (charge and momentum)
- Makes track in inner detector/silicon
- Penetrates the full detector, „stable“ wrt detector size
- Energy loss described by Bethe-Bloch formulae

Assume (curved) tracks outside the calorimeters to be muons.
That means:

- Large detectors, i.e. usually gas
- Match with tracks from inner detector
 - Negligible processes:
 - $\sigma_{\text{Brems}} \sim E/m^2$ for low E
 - Multiple scattering $m_\mu \gg m_e$
- Watch out for non muon punch through from calorimeter

Triggering muons

- Design LHC bunch spacing is 25ns, i.e. need for fast detectors:
 - Resistive Plate Chambers (RPC)
 - Thin Gap Chambers (TGC)
 - Large surface chambers with thin (mm) gas layers for fast detection (μ s to ns)

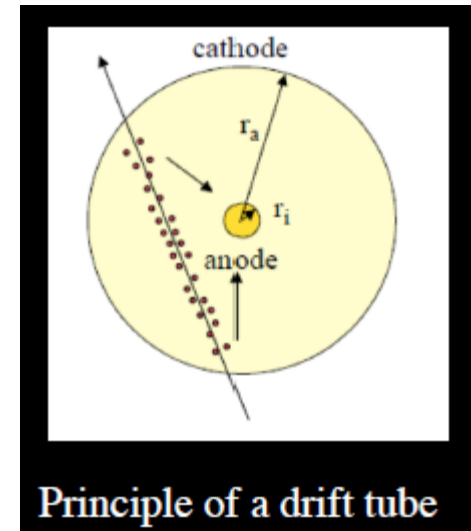
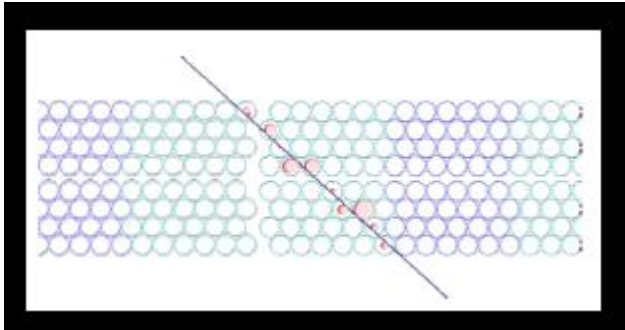


2 mm gap in ATLAS

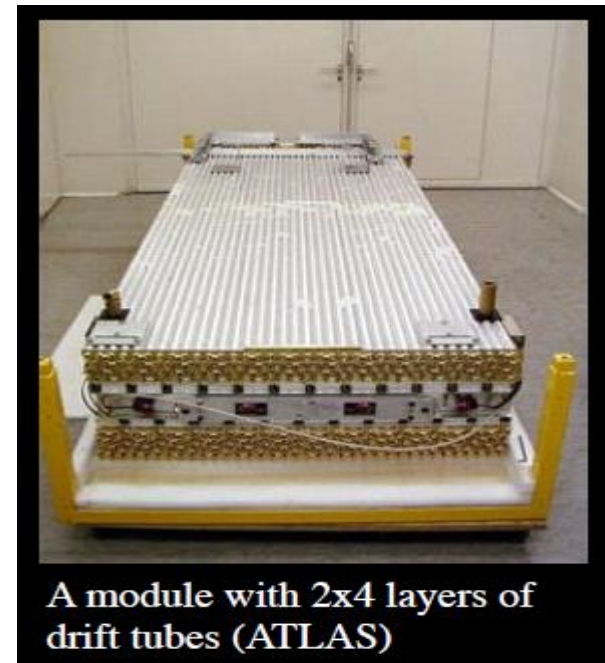
Measuring muons

For high precision position measurements:

- Drift tubes with gas, position drift time (ATLAS, CMS)
 - Array of 10^{4-5} tubes, 1-10cm², up to 10m long
 - 50-100 mm and ns resolution
 - Deadtime 20-100 ns
- Cathode Strip Chambers (ATLAS, CMS, LHCb)
 - Multiwire gas chamber with strip read-out
- Micro Pattern Gas Detector (LHCb)
- Time Projection Chamber (ALICE)

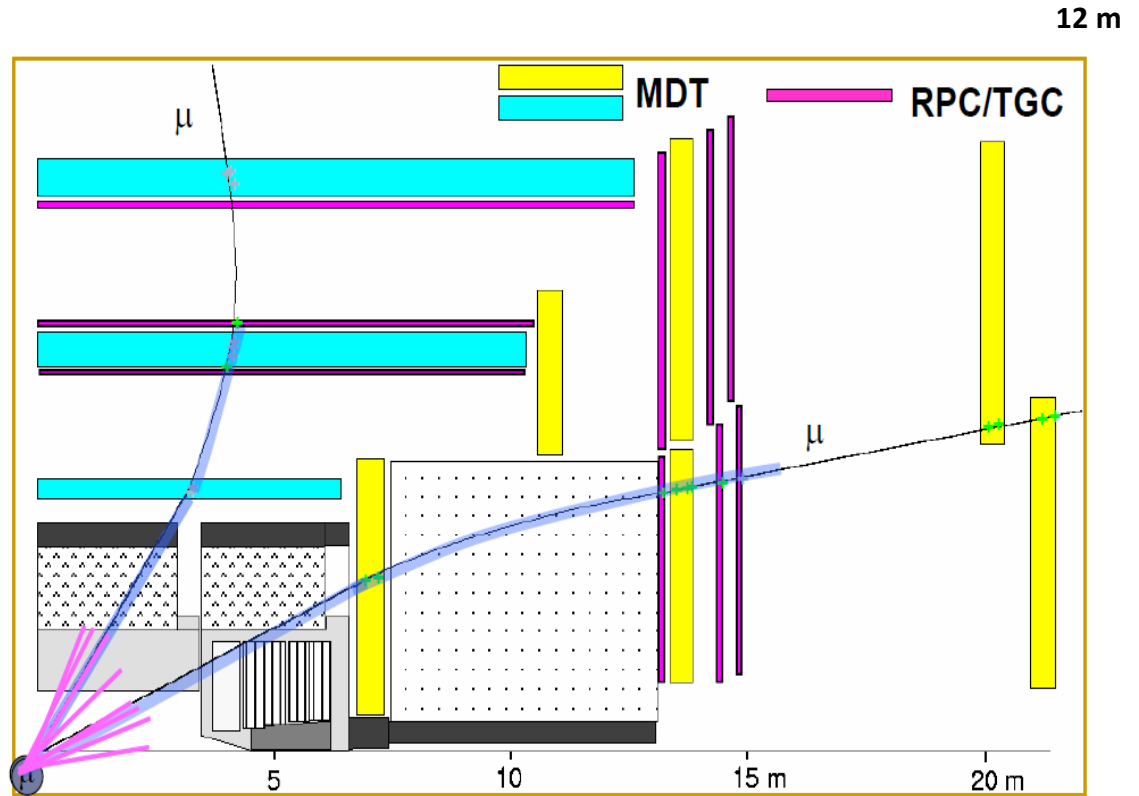


Principle of a drift tube



A module with 2x4 layers of drift tubes (ATLAS)

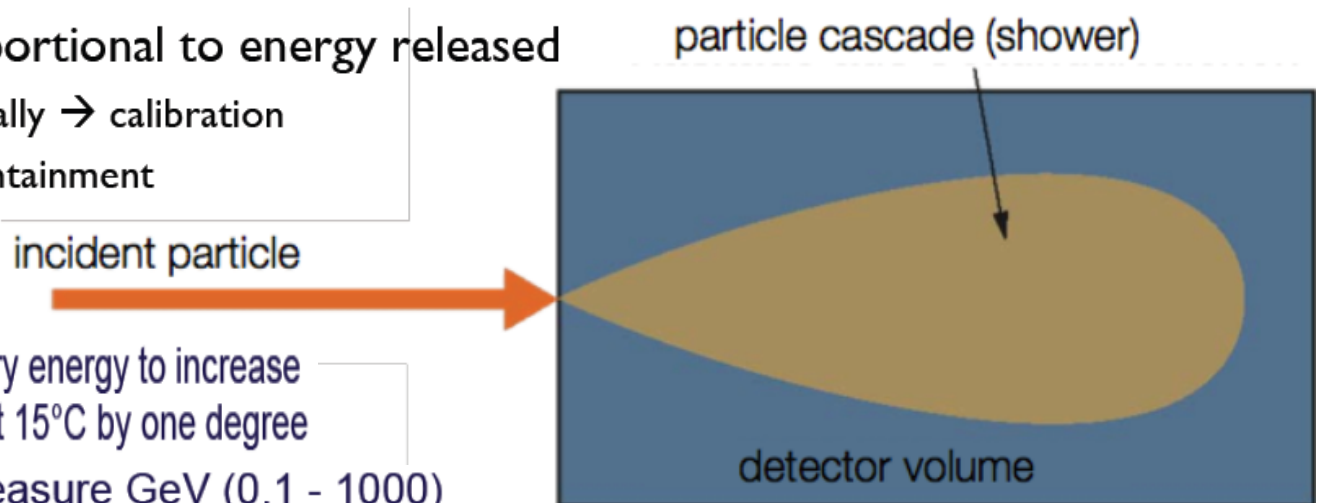
Muon system in ATLAS



Calorimeter: principle of the measurement?

- **Energy measurement via total absorption of particles**
- **Principles of operation**

- ✓ Incoming particle initiates particle shower
 - Electromagnetic, hadronic
 - Shower properties depend on particle type and detector material
- ✓ Energy is deposited in active regions
 - Heat, ionization, atom excitation (scintillation), Cherenkov light
 - Different calorimeters use different kind of signals
- ✓ Signal is proportional to energy released
 - Proportionally → calibration
 - Shower containment



incident particle

particle cascade (shower)

detector volume

1 calorie (4.185J) is the necessary energy to increase the temperature of 1 g of water at 15°C by one degree

At hadron colliders we measure GeV (0.1 - 1000)

1 GeV = 10^9 eV $\approx 10^9 \cdot 10^{-19}$ J = 10^{-10} J = $2.4 \cdot 10^{-9}$ cal

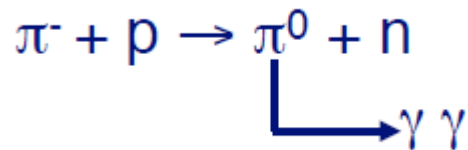
1 TeV = 1000 GeV : kinetic energy of a flying mosquito

Why calorimeters?

First calorimeters appeared in the 70's:
need to measure the energy of all
particles, **charged** and **neutral**.

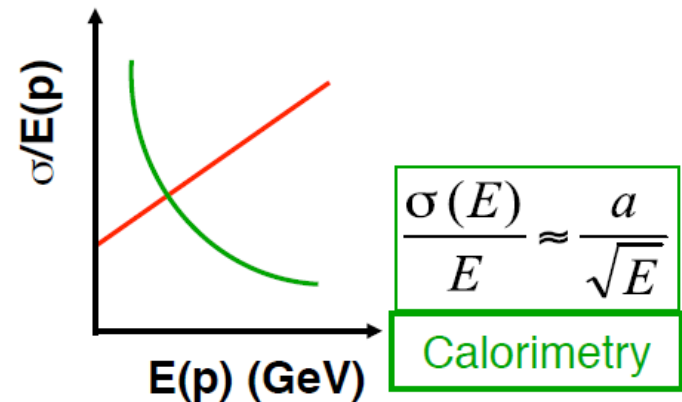
Until then, only the momentum of
charged particles was measured using
magnetic analysis.

The measurement with a calorimeter is
destructive e.g.



Magnetic
analysis

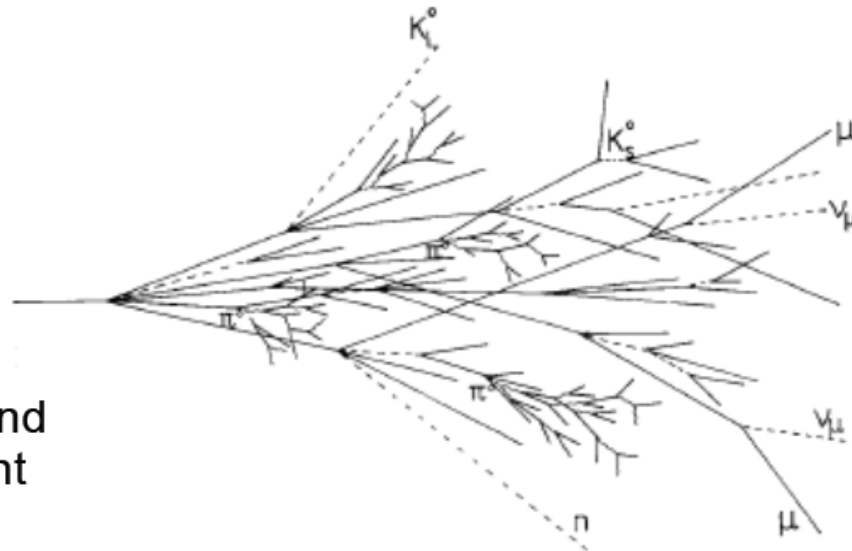
$$\frac{\sigma(p)}{p} = ap \oplus b$$



Particles do not come out alive of a calorimeter

EM and hadron calorimeters

- Calorimeters are subdivided into **electromagnetic** and **hadronic** sub-detectors
- Electromagnetic interactions develop over shorter distances than hadronic interactions
- Fundamental processes of signal generation differ, calling on different optimization



cascade with EM and hadronic component

A typical HEP calorimetry system

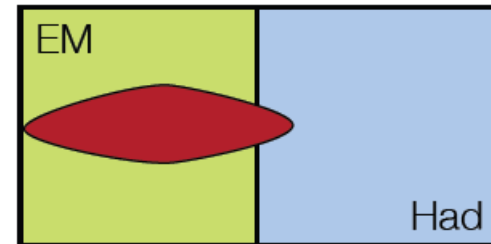
Typical Calorimeter: two components ...

Electromagnetic (EM) +
Hadronic section (Had) ...

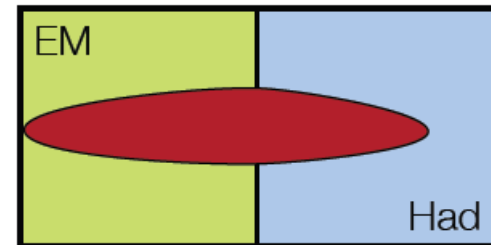
Different setups chosen for
optimal energy resolution ...

Schematic of a
typical HEP calorimeter

Electrons
Photons



Taus
Hadrons

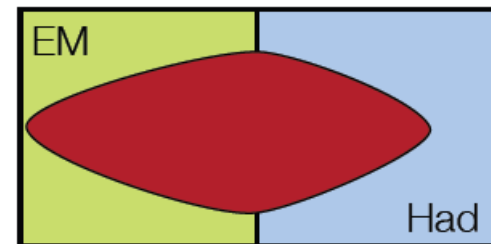


But:

Hadronic energy measured in
both parts of calorimeter ...

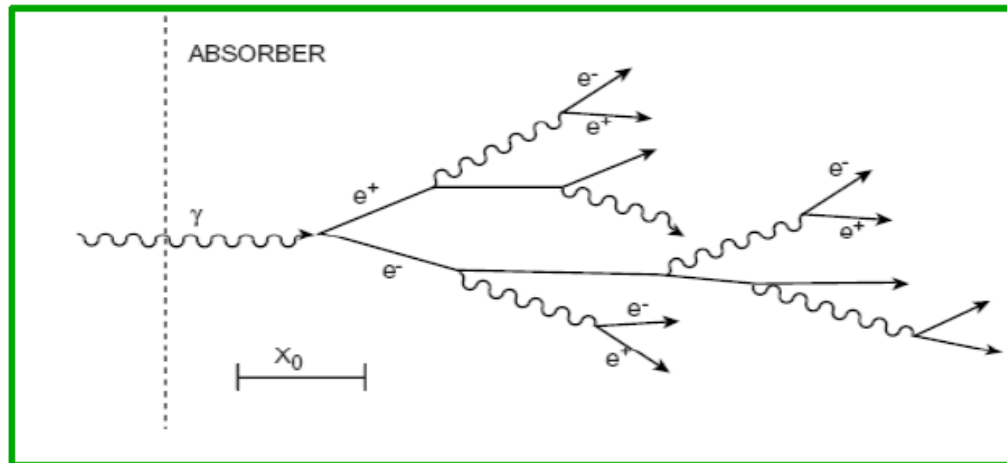
Needs careful consideration of
different response ...

Jets



Electromagnetic showers

At high energies, electromagnetic showers result from electrons and photons undergoing mainly **bremsstrahlung** and **pair creation**.



For high energy (GeV scale) **electrons bremsstrahlung** is the dominant energy loss mechanism.

For high energy **photons pair creation** is the dominant absorption mechanism.

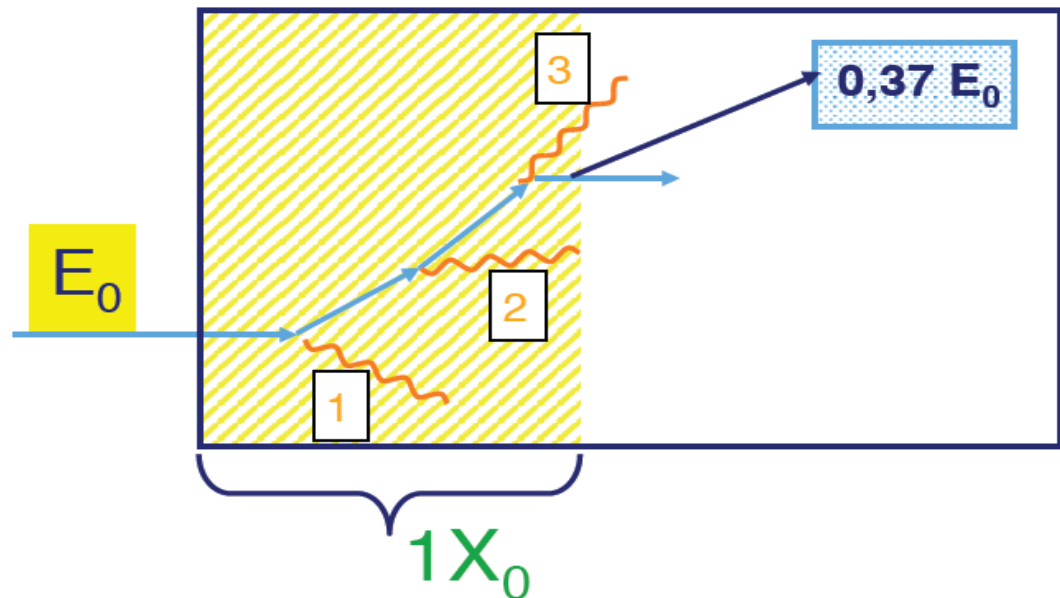
Shower development is governed by these processes.

Radiation length

The radiation length is a “universal” distance, very useful to describe electromagnetic showers (electrons & photons)

X_0 is the distance after which the incident electron has radiated $(1-1/e)$ 63% of its incident energy

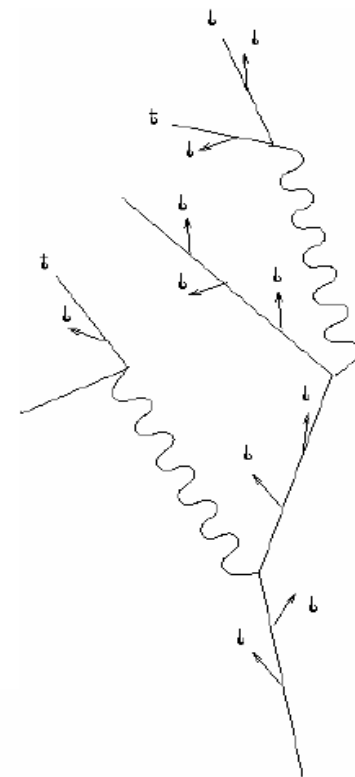
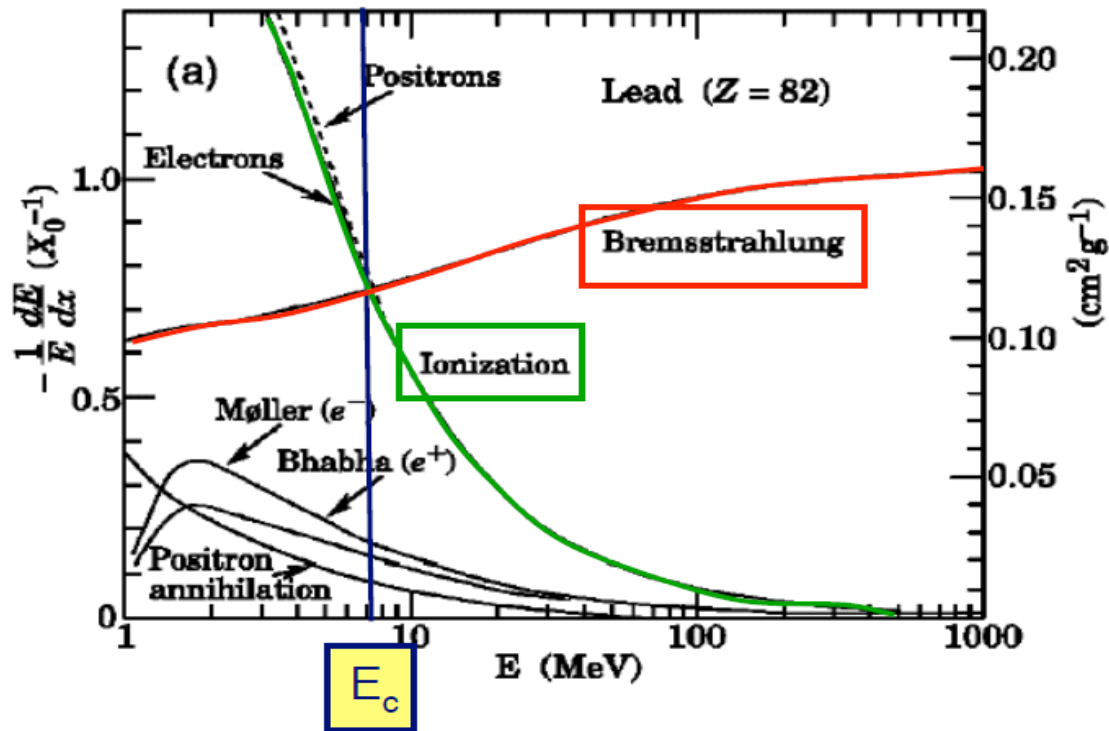
$$\begin{aligned} dE/dx &= E/X_0 \\ dE/E &= dx/X_0 \\ E &= E_0 e^{-x/X_0} \end{aligned}$$



	Air	Eau	Al	LAr	Fe	Pb	PbWO ₄
Z	-	-	13	18	26	82	-
X_0 (cm)	30420	36	8,9	14	1,76	0.56	0.89

Total energy loss of electrons

Electrons mainly lose their energy via ionization & Bremsstrahlung



Total energy loss for photons

Pair Production

$$\sigma_{pair} \approx \frac{7}{9} \times \frac{A}{N_A} \times \frac{1}{X_0}$$

Probability of conversion in 1 X_0 is $e^{-7/9}$

Can define mean free path:

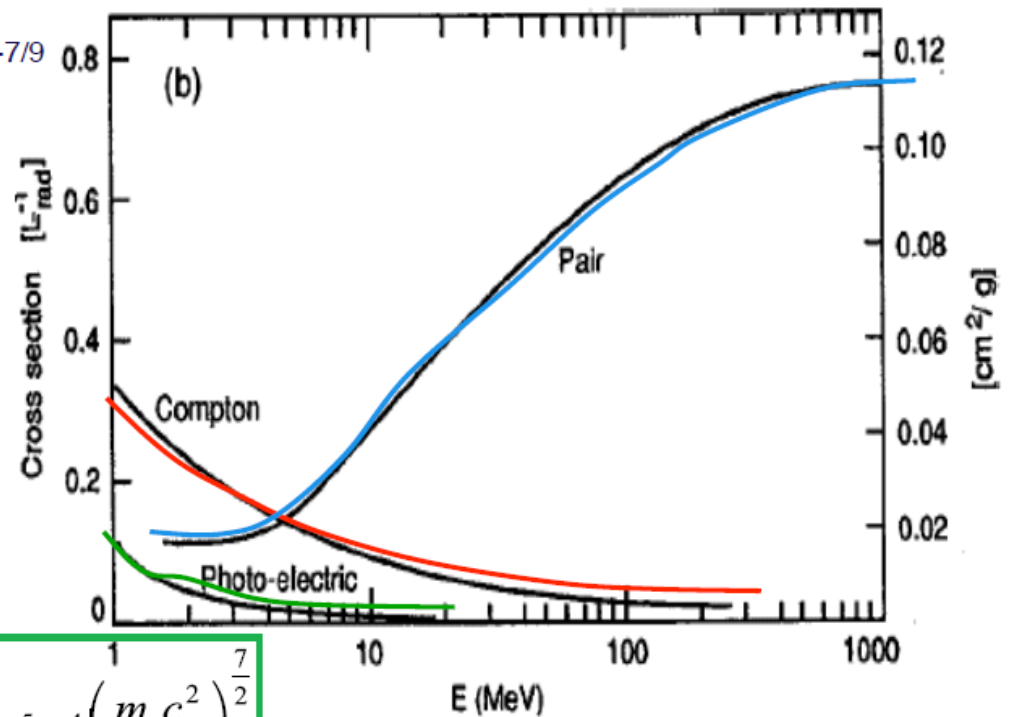
$$\lambda_{pair} \approx \frac{9}{7} X_0$$

Compton scattering

$$\sigma_C \approx \frac{\ln E_\gamma}{E_\gamma}$$

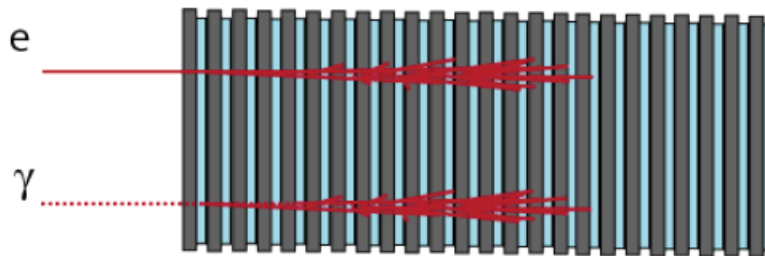
Photo-electric effect

$$\sigma_{pe} \approx Z^5 \alpha^4 \left(\frac{m_e c^2}{E_\gamma} \right)^{\frac{7}{2}}$$



EM and hadron calorimeters

- “Lead-scintillator” calorimeter



Energy resolutions:

$$\Delta E/E \sim 20\%/\sqrt{E}$$

- Exotic crystals (BGO, PbW, ..)



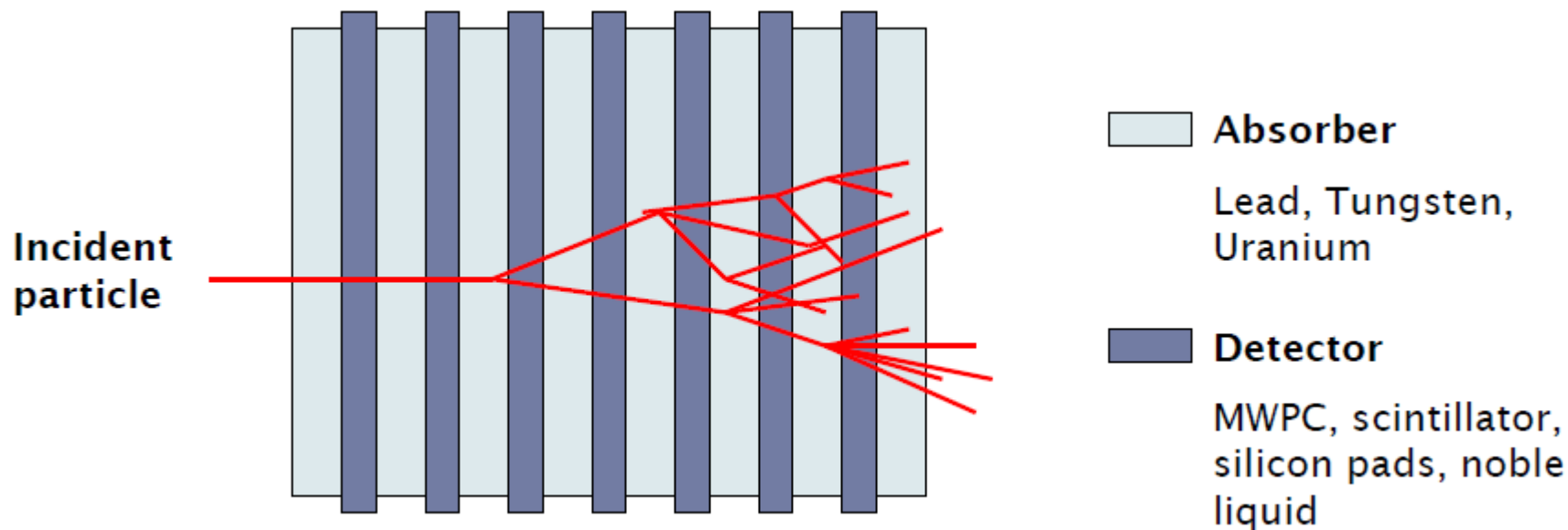
$$\Delta E/E \sim 1\%/\sqrt{E}$$

- Liquid argon calorimeter

– Slow collection time ($\sim 1\mu\text{sec}$)

$$\Delta E/E \sim 18\%/\sqrt{E}$$

Sampling calorimeters



- Absorber (passive) and detector (active) layers
- Fluctuations in visible energy: „sampling fluctuations” due to variations of number of charged particles in the detector

Energy resolution

- Statistical fluctuations
 - In the number of particles in the shower
 - In the number of escaping or undetected particles

- Noise

- Electronic noise
- Pile up

$$\frac{\sigma(E)}{E} = \frac{a}{\sqrt{E}} \oplus \frac{\sigma_n}{E} \oplus \text{constant}$$

- Constant

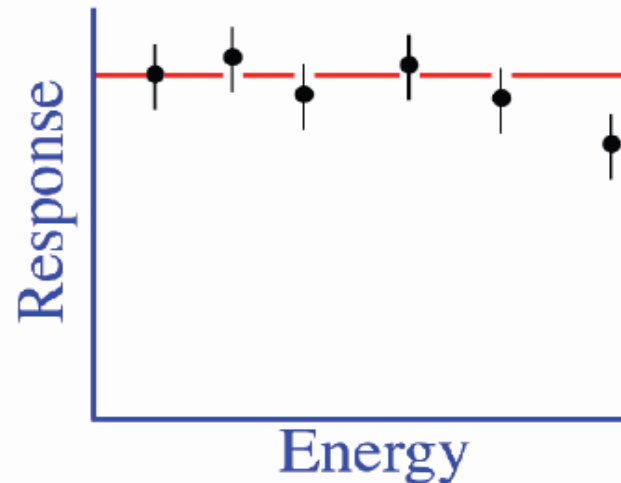
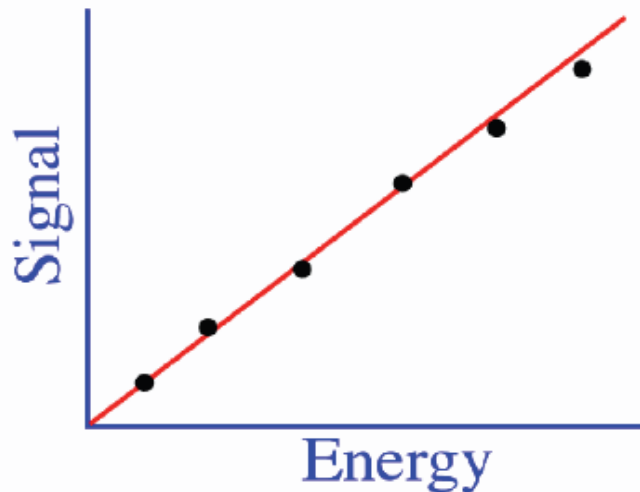
- Dead material
- Calibration errors
- Mechanical imperfections

- **Higher energy -> better resolution**

Linearity

Response: mean signal per unit of deposited energy
e.g. # of photons electrons/GeV, pC/MeV, $\mu\text{A}/\text{GeV}$

→ A linear calorimeter has a constant response



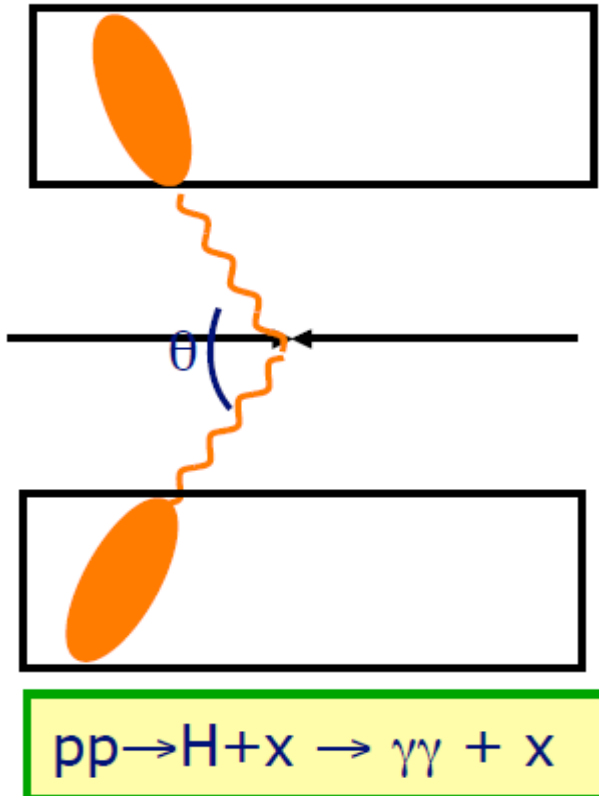
Electromagnetic calorimeters are in general linear.
All energies are deposited via ionisation/excitation of the absorber.

Position and time resolution

Higgs Boson in ATLAS

For $M_H \sim 120$ GeV, in the channel $H \rightarrow \gamma\gamma$

$$\sigma(M_H) / M_H = \frac{1}{2} [\sigma(E_{\gamma 1})/E_{\gamma 1} \oplus \sigma(E_{\gamma 2})/E_{\gamma 2} \oplus \cot(\theta/2) \sigma(\theta)]$$

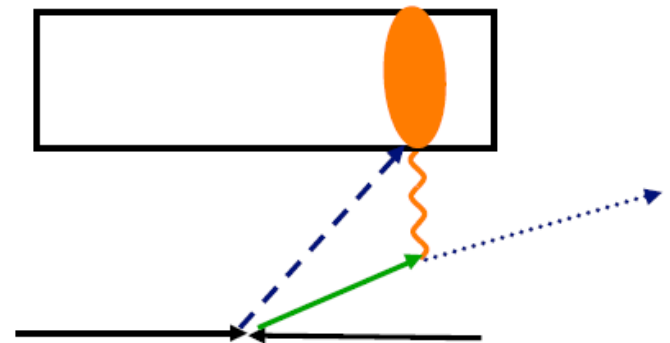


Time measurement

Validate the synchronisation between sub-detectors (~ 1 ns)

Reject non-collisions background (beam, cosmic muons,...)

Identify particles which reach the detector with a non nominal time of flight (~ 5 ns measured with ~ 100 ps precision)



Particle identification

Particle Identification is particularly crucial at Hadron Colliders:

Large hadron background

Need to separate

Electrons, photons, muons from
Jets, hadrons

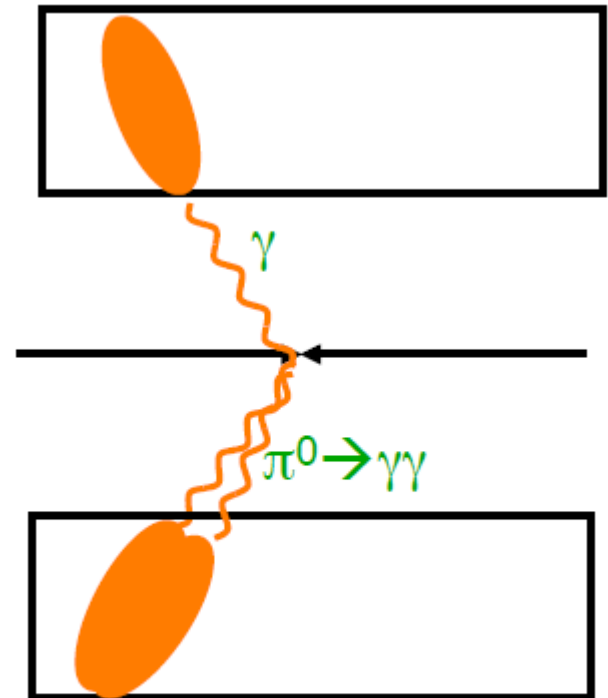
Means

Shower shapes (lateral & longitudinal segmentations)

Track association with energy deposit in calorimeter

Signal time

γ/π^0 rejection



$pp \rightarrow \gamma\text{-jet} \rightarrow \gamma + \pi^0 + X$

ATLAS EM Calorimeter

Accordion Pb/LAr $|\eta| < 3.2$ $\sim 170k$ channels

Precision measurement $|\eta| < 2.5$

3 layers up to $|\eta| = 2.5$ + presampler $|\eta| < 1.8$

2 layers $2.5 < |\eta| < 3.2$

Layer 1 (γ/π^0 rej. + angular meas.)

$\Delta\eta, \Delta\phi = 0.003 \times 0.1$

Layer 2 (shower max)

$\Delta\eta, \Delta\phi = 0.025 \times 0.025$

Layer 3 (Hadronic leakage)

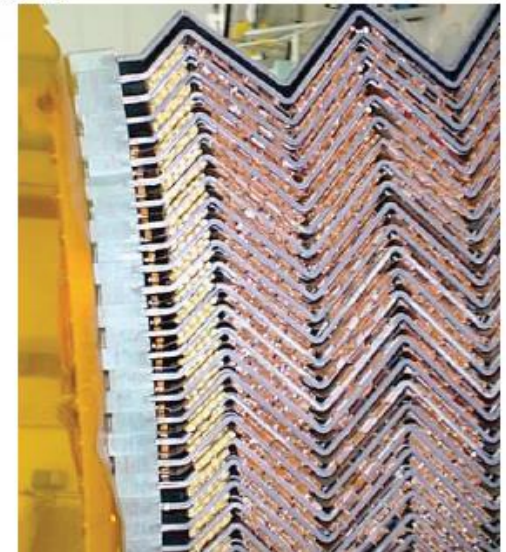
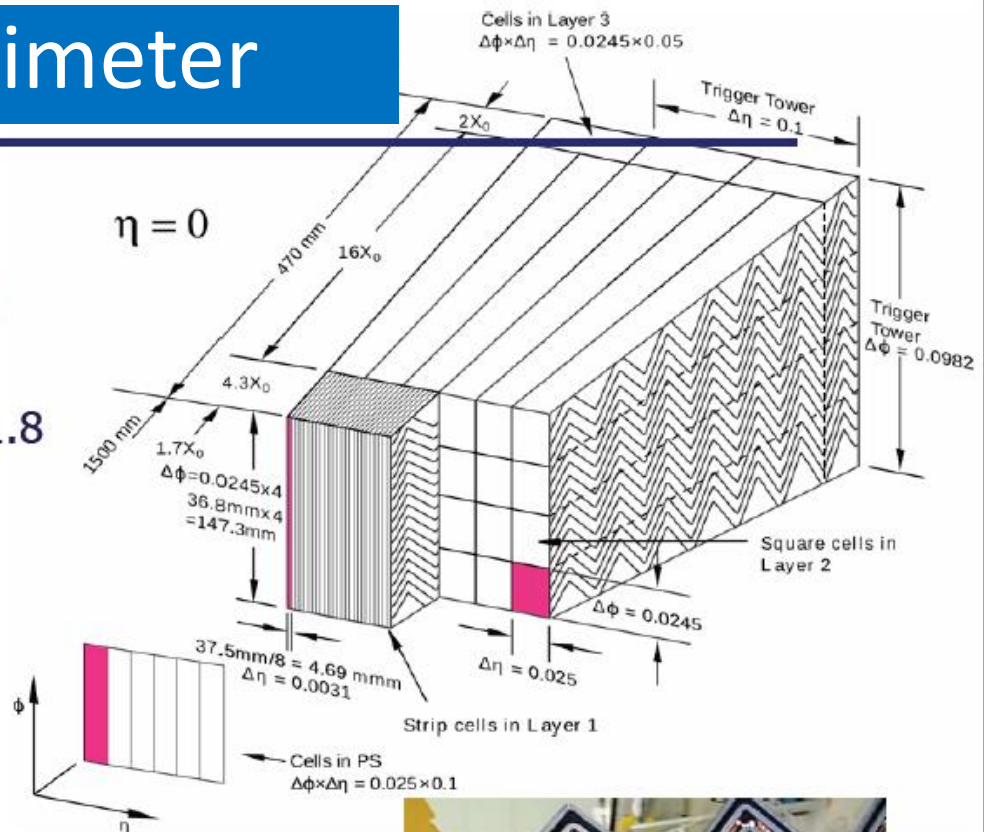
$\Delta\eta, \Delta\phi = 0.05 \times 0.025$

Energy Resolution: design for $\eta \sim 0$

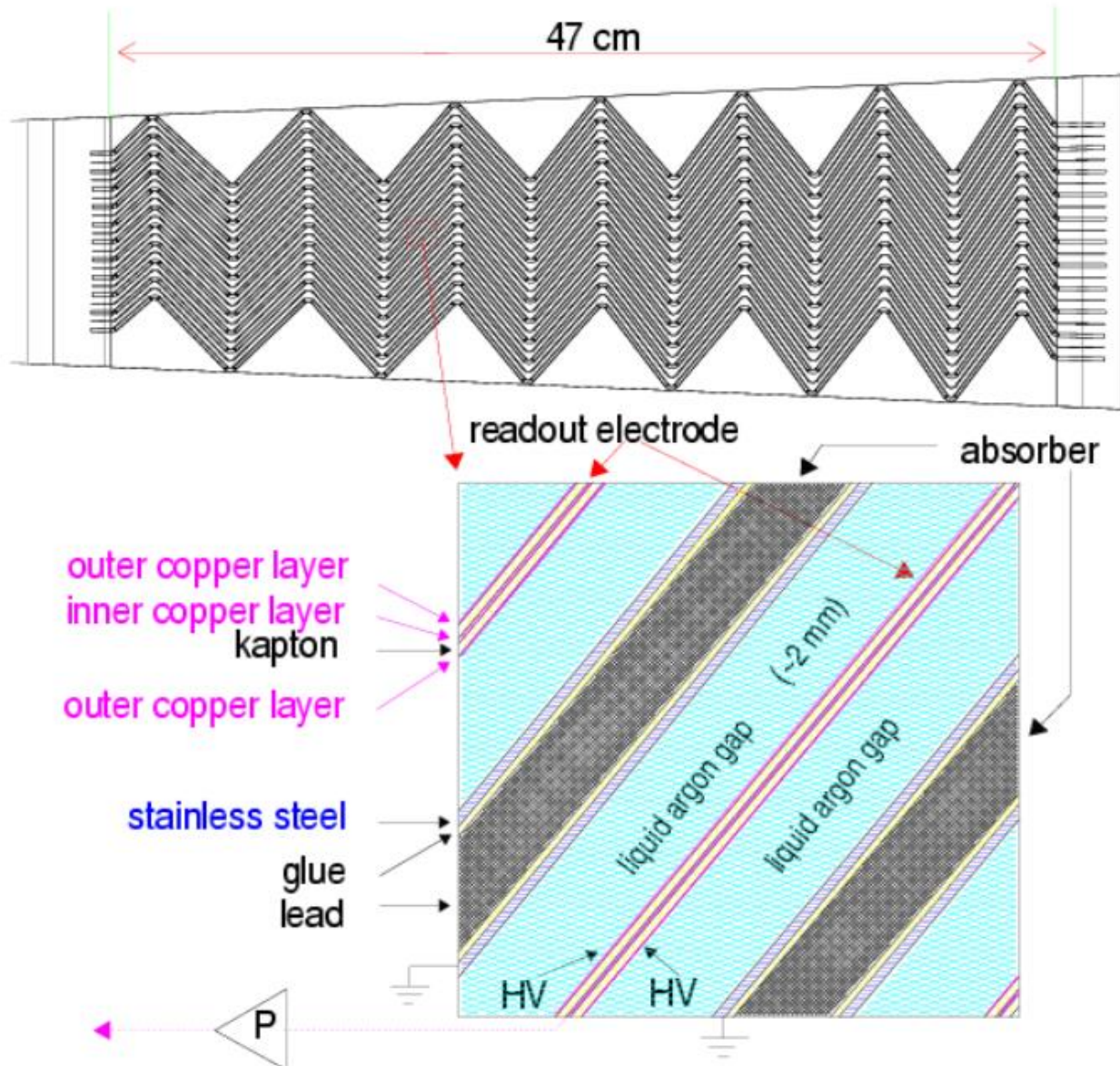
$\Delta E/E \sim 10\%/\sqrt{E} \oplus 150 \text{ MeV}/E \oplus 0.7\%$

Angular Resolution

$50 \text{ mrad}/\sqrt{E(\text{GeV})}$

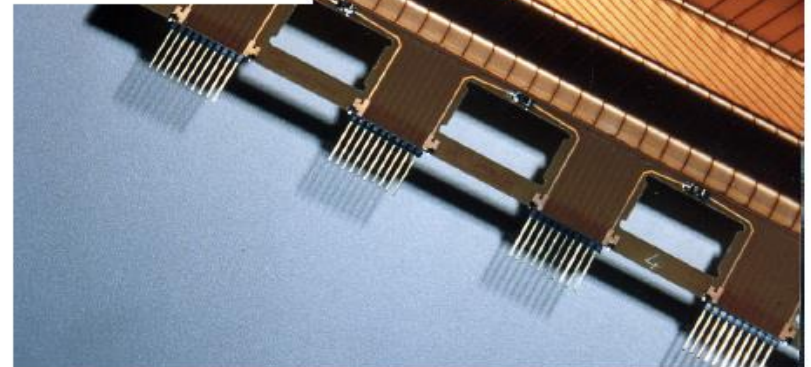
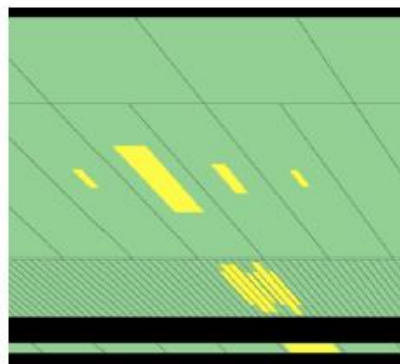
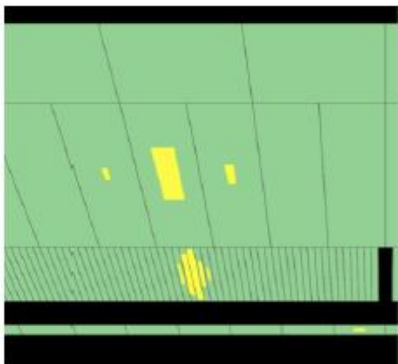
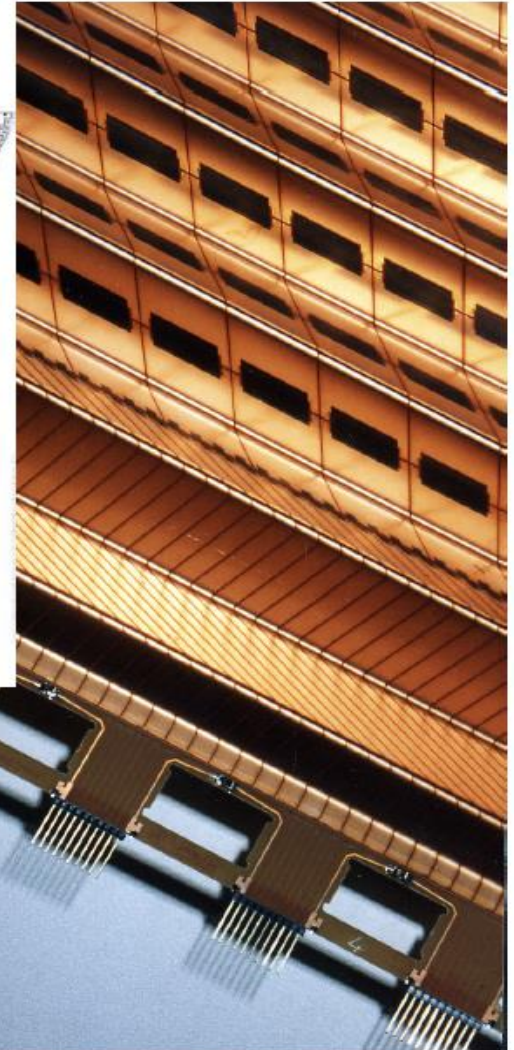
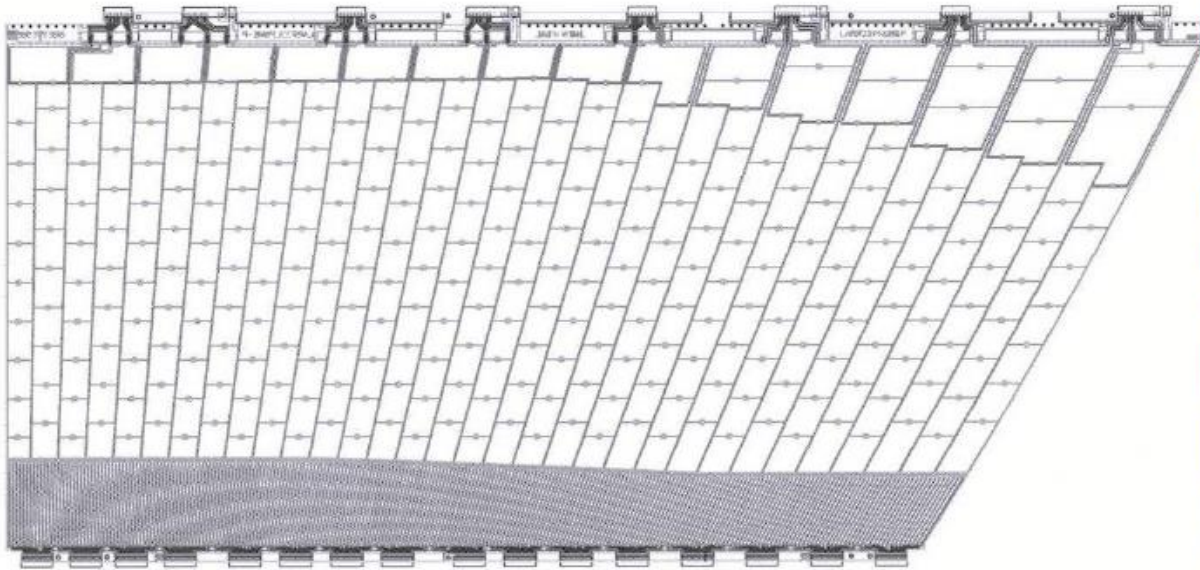


ATLAS EM Calorimeter

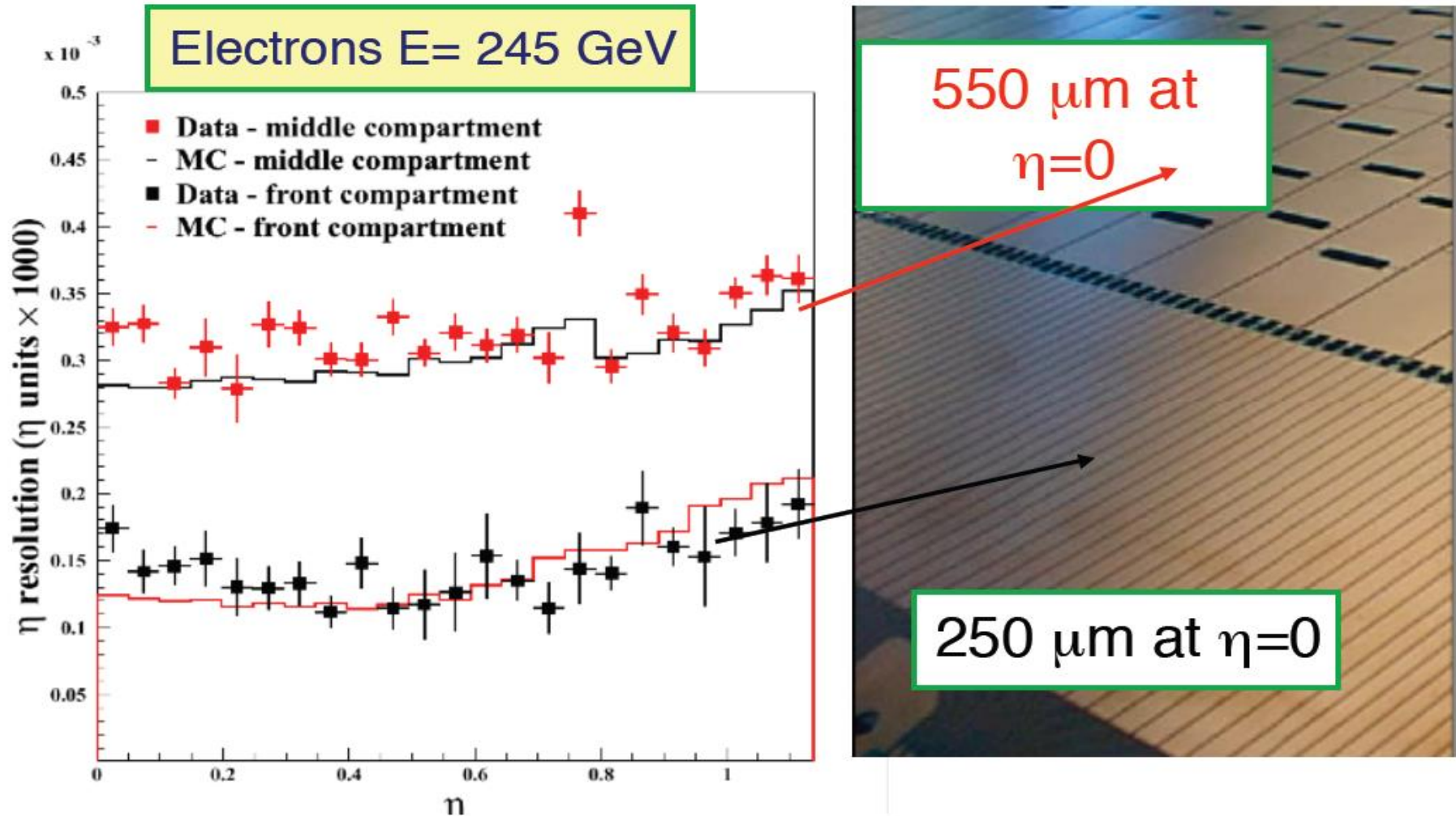


The segmentation

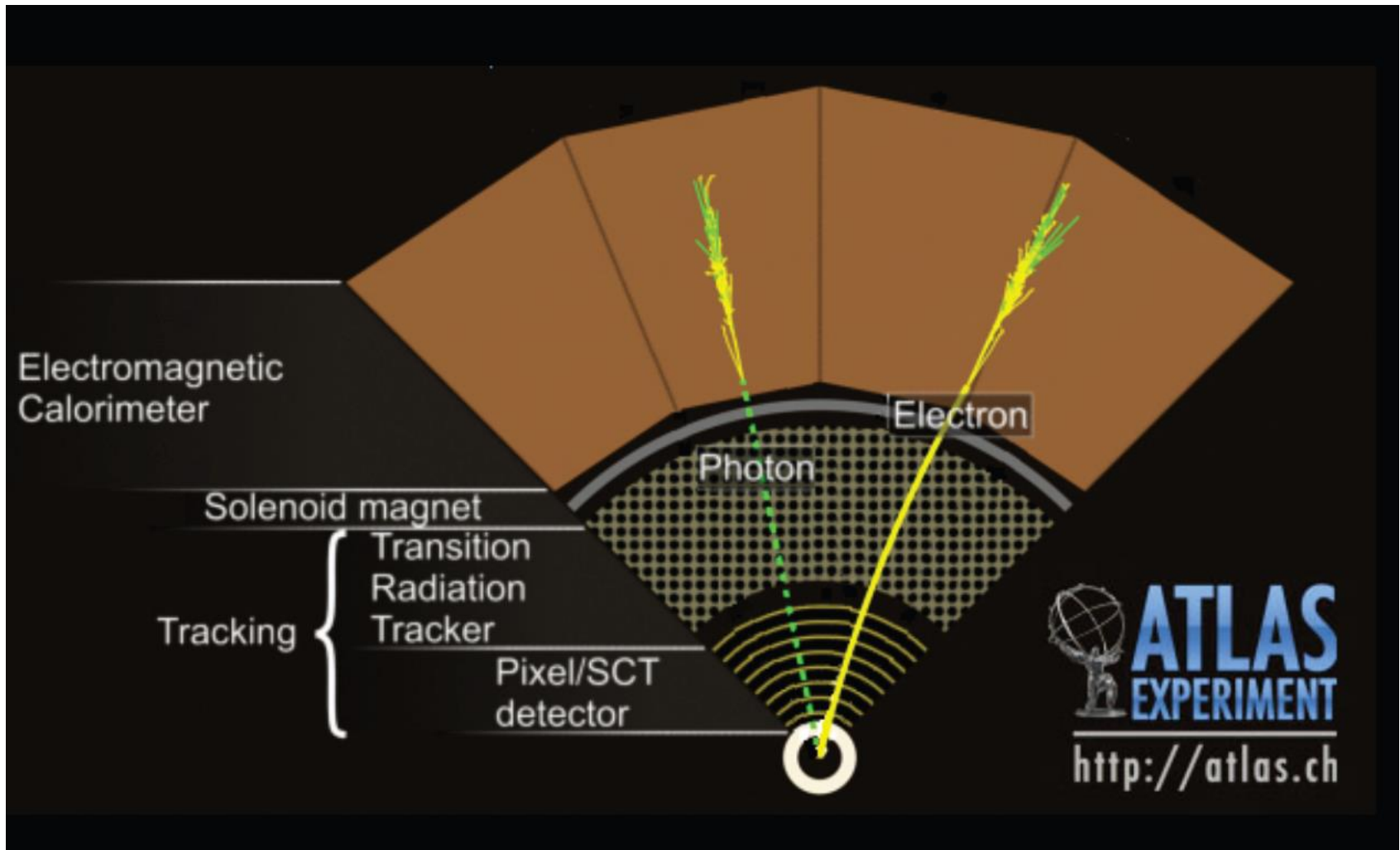
originae27.dwg du 02/07/1999



Position resolution



Particle identification with tracker and calo



Position, momentum, energy

$$\frac{\sigma(E)}{E} = \frac{a}{\sqrt{E}} \oplus \frac{\sigma_n}{E} \oplus \text{constant}$$

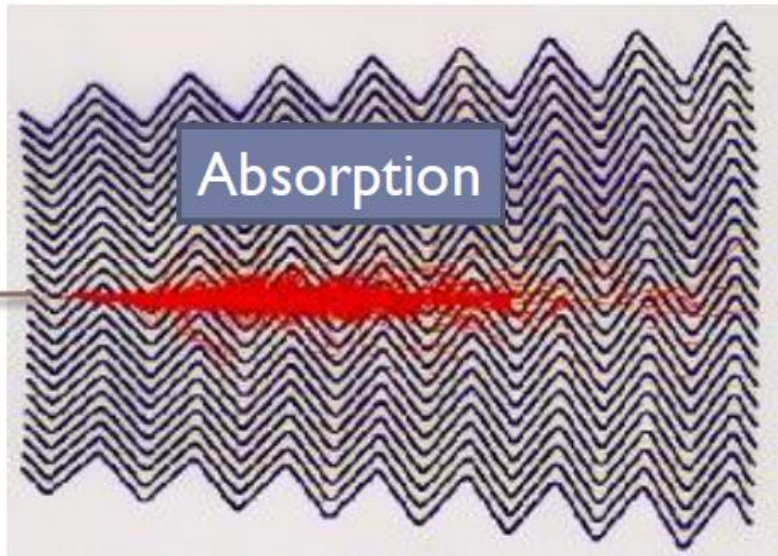
Track



Position, Momentum

$$\frac{\Delta p}{p} \approx 0.25 \frac{\Delta s[\mu\text{m}]}{(L[\text{cm}])^2 B[\text{T}]} p[\text{GeV}]$$

$$\propto p$$

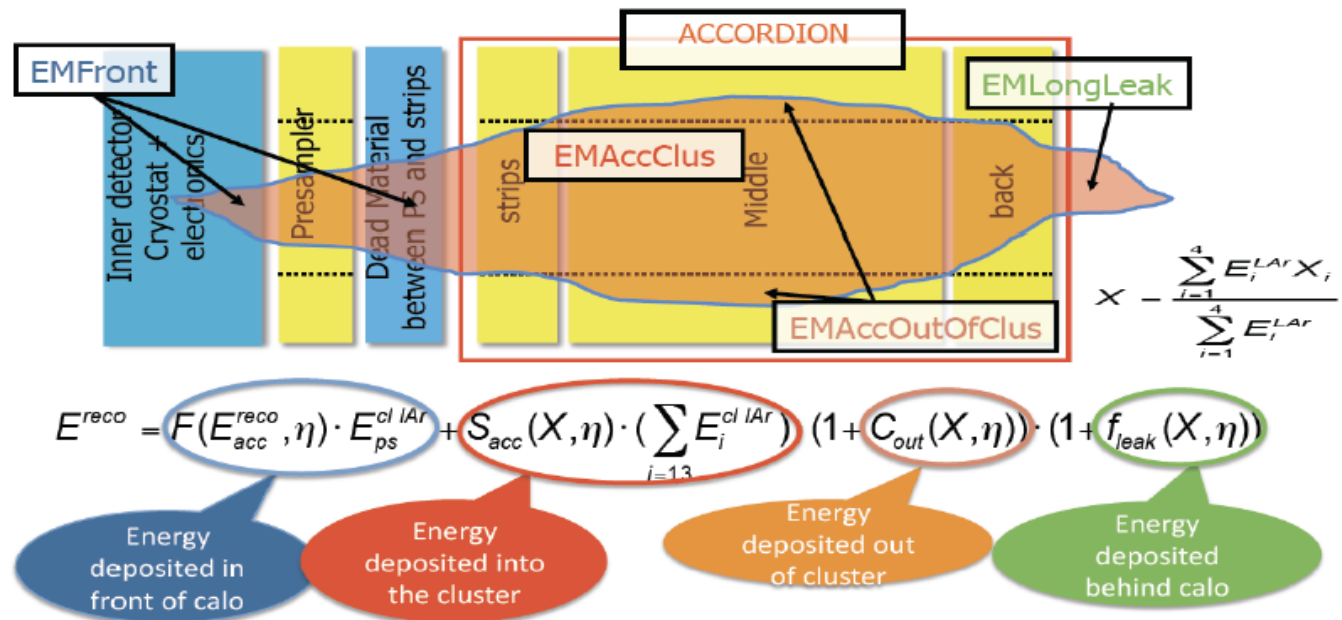
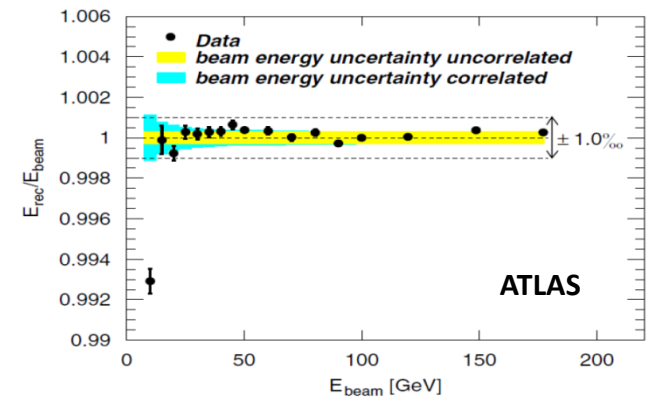


Energy

$$\propto \frac{1}{\sqrt{E}}$$

Cluster energy reconstruction

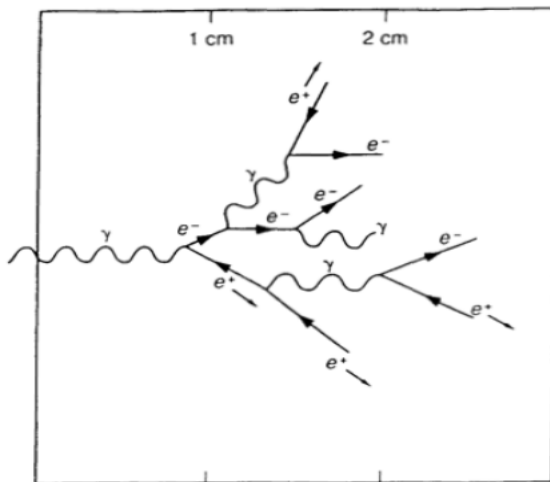
- E_{rec} : Need to correct E_{acc} for losses
 - in matter in front of calorimeter (IDI + cryostat)
 - Between Cryostat & Accordion
 - Loss outside the cluster $E_{outcluster}$
 - Rear leakage E_{leak}
- Use MC



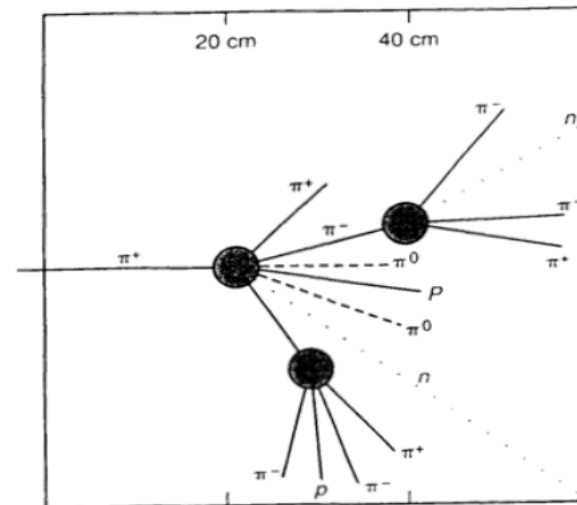
Hadron calorimetry

- Hadron Calorimeters, as EM calorimeters measure the **energy** of the incident particle(s) by fully absorbing the energy and providing measurement of absorbed energy
- Hadronic showers are more complicated than EM ones. The **longitudinal** development is characterised by the nuclear **interaction length** (mean free path before interaction)

EM shower



Hadronic shower



Hadronic showers

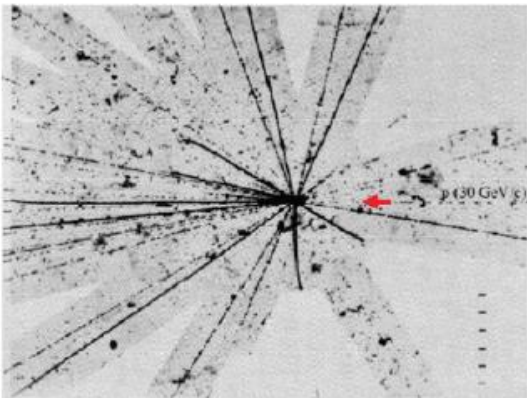
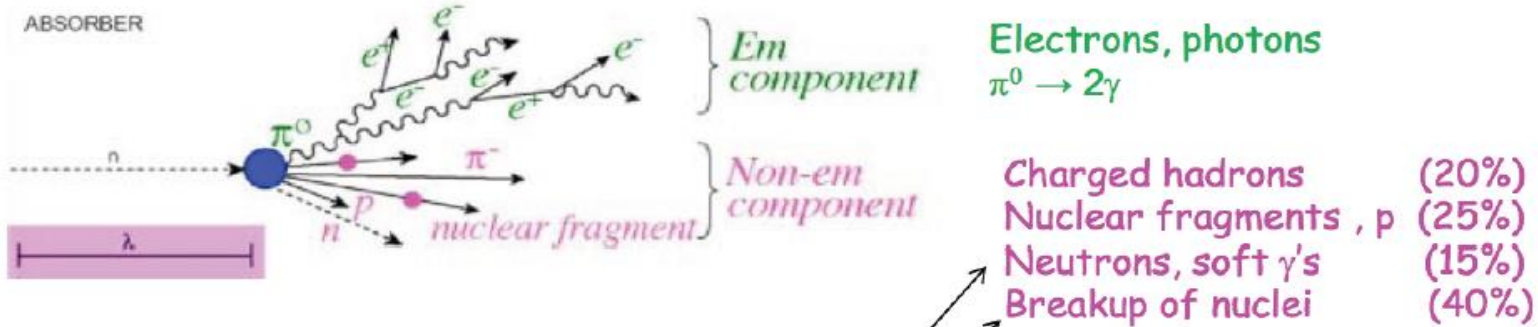
- **Nuclear interaction length**: mean free path before interaction $\lambda_{\text{int}} \approx 35 A^{1/3} \cdot \text{g} \cdot \text{cm}^{-2}$
- Nuclear interaction length is longer than radiation length

Material	Atomic No. (Z)	Radiation Length (X_0) (g/cm ²)	Radiation Length (X_0) (cm)	Interaction Length (λ) (g/cm ²)	Interaction Length (λ) (cm)	X_0 / λ
Beryllium	4	65.19	35.28	75.2	40.7	1.2
Carbon	6	42.70	18.8	86.3	38.1	2.0
Aluminum	13	24.01	8.9	106.4	39.4	4.4
Iron	26	13.84	1.76	131.9	16.8	9.5
Copper	29	12.86	1.43	134.9	15.1	15.1
Tungsten	74	6.76	0.35	185.	9.6	27.4
Lead	82	6.37	0.56	194.	17.1	30.5
Uranium	92	6.00	0.32	199.	10.5	33.2

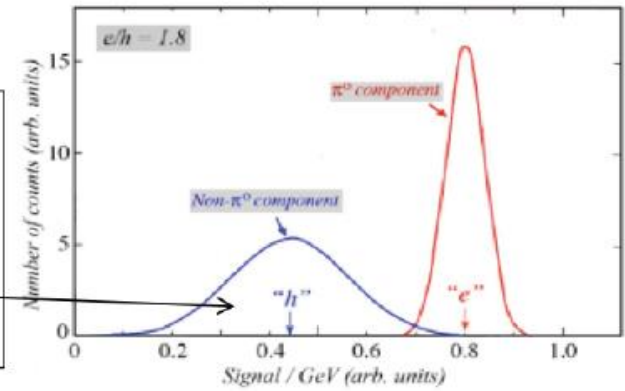
higher Z materials
separate hadronic/EM
interactions better

Hadronic showers

- Hadronic showers are
 - **Broader** and more penetrating
 - Subject to **large fluctuations**



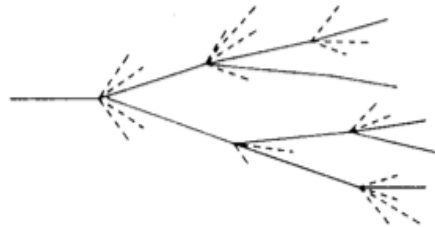
Either not detected
or often too slow to be
within detector time
window
= **Invisible energy**
 $e/h > 1$



Hadronic showers: resolution

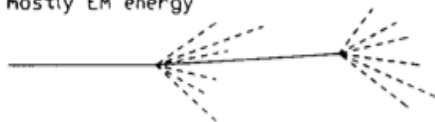
- fluctuations of en. measurement
 - the most important fluctuation: **binding energy (BE) losses**
 - correlated with EM shower energy fraction
- optimal resolution: need to **equalize** response of type A vs. type B

RANDOM EVENT



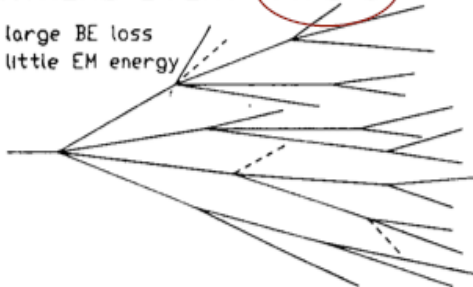
EXTREME EVENT: TYPE A

'small' BE loss
mostly EM energy

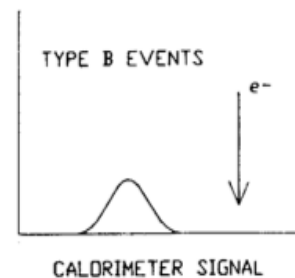
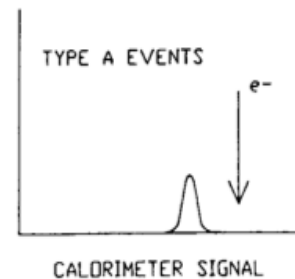
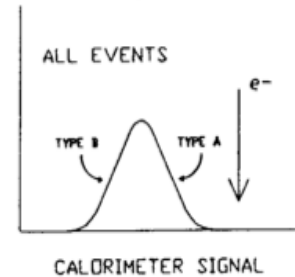


EXTREME EVENT: TYPE B

large BE loss
little EM energy



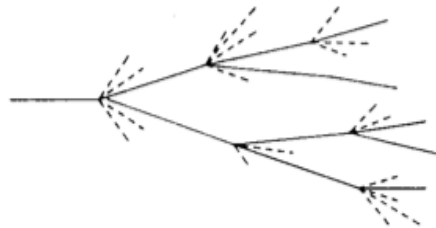
$$e/h > 1$$



Hadronic showers: resolution

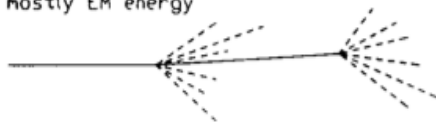
- fluctuations of en. measurement
 - the most important fluctuation: **binding energy (BE) losses**
 - correlated with EM shower energy fraction
- optimal resolution: need to **equalize** response of type A vs. type B

RANDOM EVENT



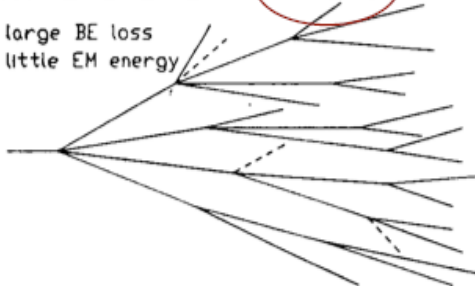
EXTREME EVENT: TYPE A

'small' BE loss
mostly EM energy

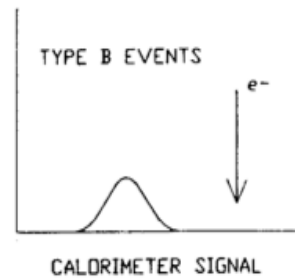
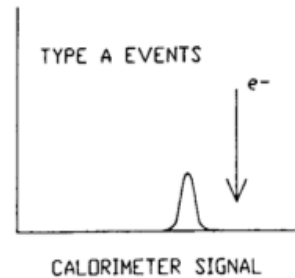
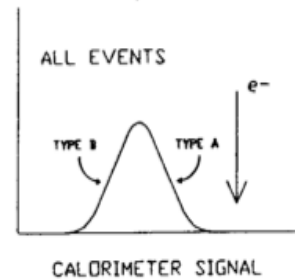


EXTREME EVENT: TYPE B

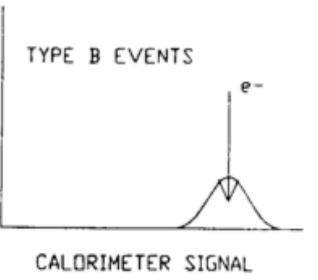
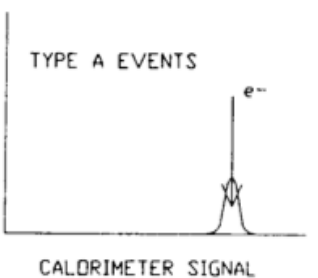
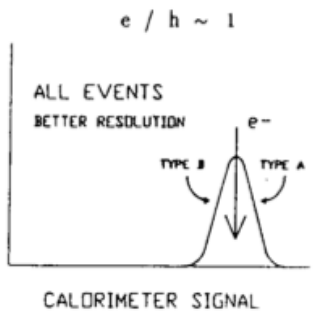
large BE loss
little EM energy



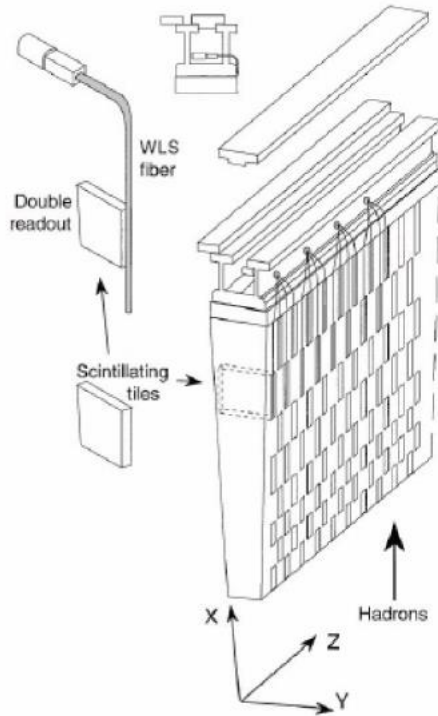
$e/h > 1$



compensation:
 $e/h \sim 1$



ATLAS Hadronic Calorimeter (Tile)



**Fe/Scint with WLS
fiber Readout via PMT**

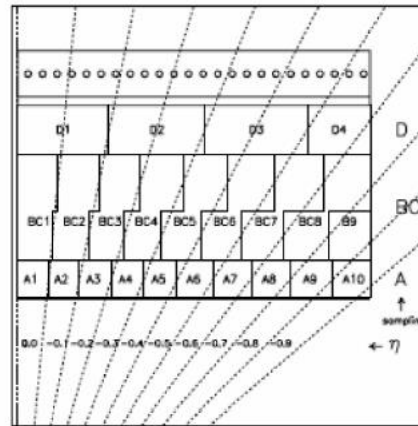


Figure 5-15 Cell geometry of half of a barrel module. The fibres of each cell are routed to one PMT.

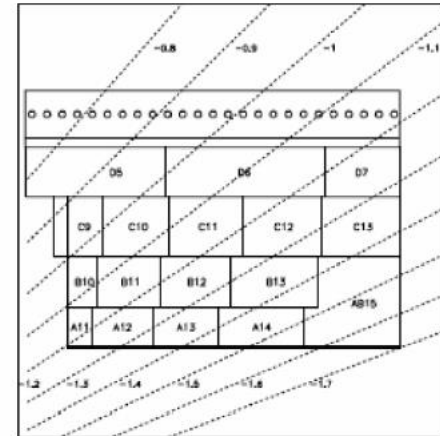


Figure 5-16 Proposed cell geometry for the extended barrel modules (version "a la barrel").

Hadronic and EM calorimeters

EM calorimeters

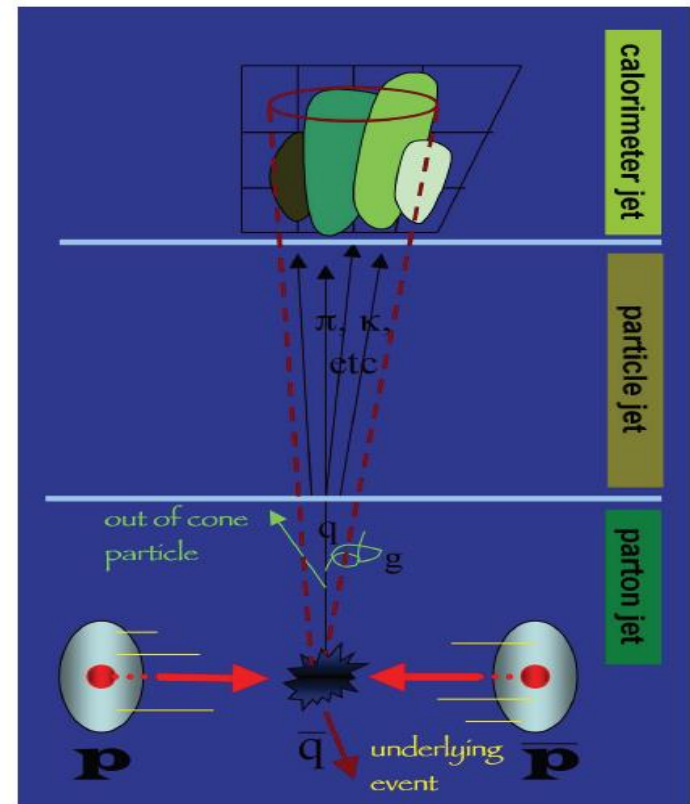
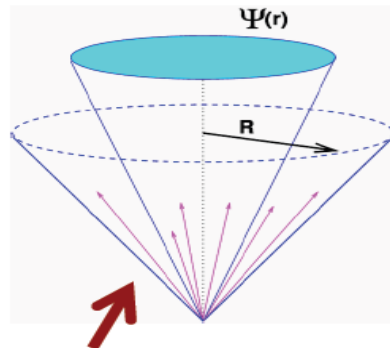
- Very well understood theoretically
- Technology continue to advance
- Have good energy resolution (2-10%/ $E^{1/2}$)
- EM showers develop through brems and pair production
- Characteristic length is radiation length X_0

Hadronic calorimeters

- Hadronic showers are more complex
- Hadronic calorimeters have worse energy resolution than EM ones (40-100%/ $E^{1/2}$)
- Hadronic showers develop through nuclear interaction
- Characteristic length is interaction length λ

Not always measure individual particles

- A “jet” is a narrow cone of **hadrons** and other particles produced by the **hadronization** of a quark or gluon
- Jets are often best measured by total absorption rather than measurement of individual particles
- Processes creating jets are complicated
 - Parton fragmentation, with electromagnetic or hadronic showering in the detector
- Jet reconstruction is difficult
- Jet energy scale and reconstruction is large source of uncertainty



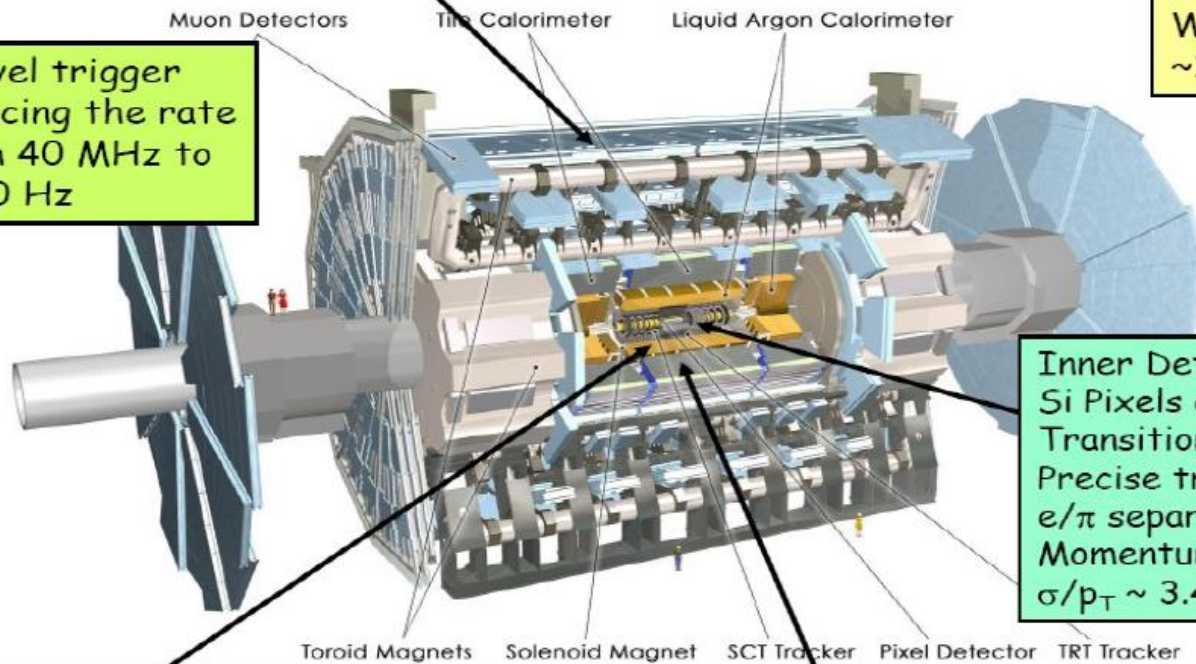
- Measure energy in a “cone”

The ATLAS detector

Muon Spectrometer ($|\eta| < 2.7$): air-core toroids with gas-based chambers
 Muon trigger and measurement with momentum resolution $< 10\%$ up to $E_\mu \sim \text{TeV}$

Length : ~ 46 m
 Radius : ~ 12 m
 Weight : ~ 7000 tons
 $\sim 10^8$ electronic channels

3-level trigger
 reducing the rate
 from 40 MHz to
 ~ 200 Hz



Inner Detector ($|\eta| < 2.5, B=2\text{T}$):
 Si Pixels and strips (SCT) +
 Transition Radiation straws
 Precise tracking and vertexing,
 e/π separation (TRT).
 Momentum resolution:
 $\sigma/p_T \sim 3.4 \times 10^{-4} p_T (\text{GeV}) \oplus 0.015$

EM calorimeter: Pb-LAr Accordion
 e/γ trigger, identification and measurement
 E-resolution: $\sim 1\%$ at 100 GeV, 0.5% at 1 TeV

HAD calorimetry ($|\eta| < 5$): segmentation, hermeticity
 Tilecal Fe/scintillator (central), Cu/W-LAr (fwd)
 Trigger and measurement of jets and missing E_T
 E-resolution: $\sigma/E \sim 50\%/\sqrt{E} \oplus 0.03$

Nuclear Instruments & Methods in Physics Research

topical issue

Instrumentation and detector technologies for frontier high energy physics

Volume 666, pages 1 - 222 (21 February 2012)

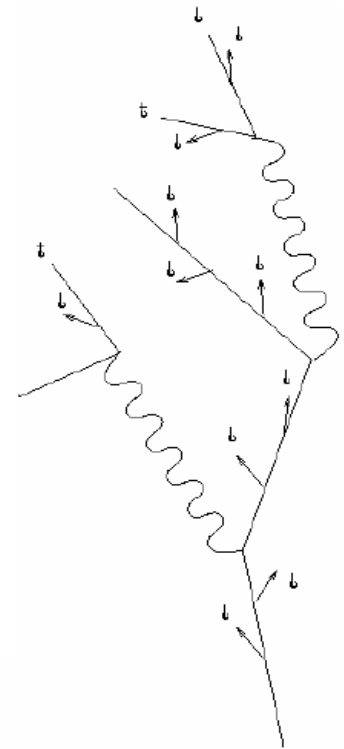
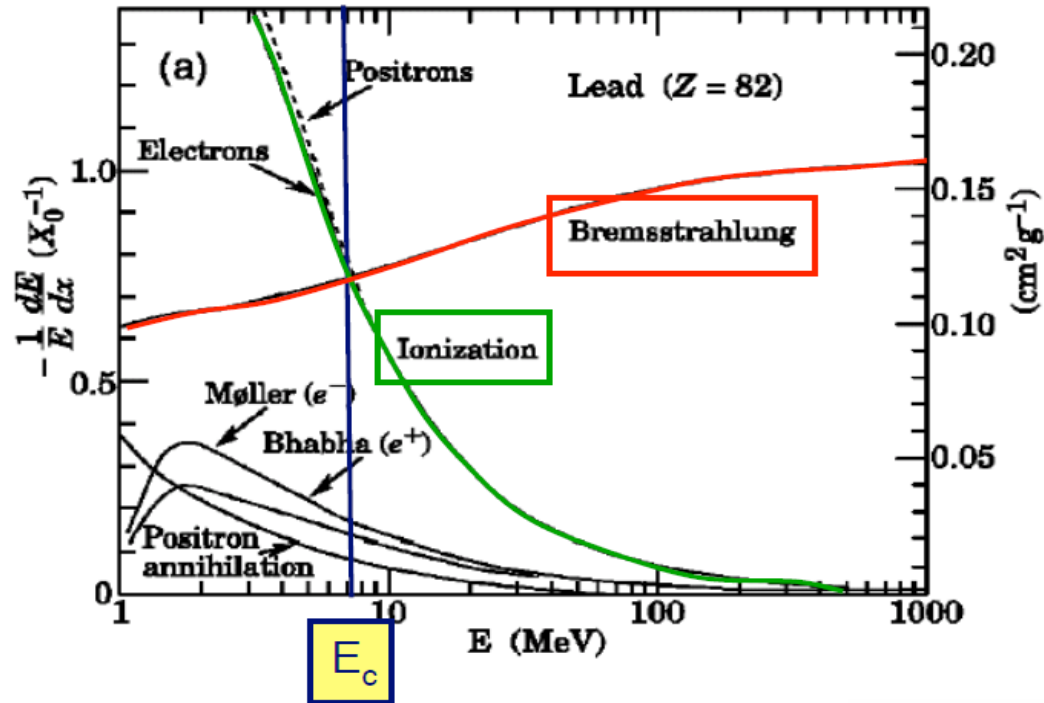
Edited by:

Archana Sharma (CERN)

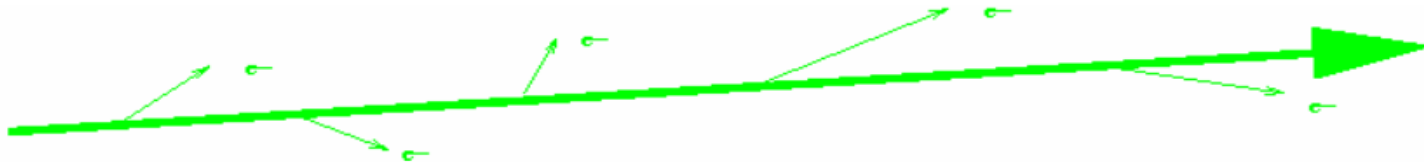
Technological advances in radiation detection have been pioneered and led by particle physics. The ever increasing complexity of the experiments in high energy physics has driven the need for developments in high performance silicon and gaseous tracking detectors, electromagnetic and hadron calorimetry, transition radiation detectors and novel particle identification techniques. Magnet systems have evolved with superconducting magnets being used in present and, are being designed for use in, future experiments. The alignment system, being critical for the overall detector performance, has become one of the essential design aspects of large experiments. The electronic developments go hand in hand to enable the exploitation of these detectors designed to operate in the hostile conditions of radiation, high rate and luminosity. This volume provides a panorama of the state-of-the-art in the field of radiation detection and instrumentation for large experiments at the present and future particle accelerators.

Which processes contribute for electrons

Electrons mainly lose their energy via ionization & Bremsstrahlung



Ionisation



Interaction of charged particles with the atomic electronic cloud.

Dominant process at low energy $E < E_c$.

The whole incident energy is ultimately lost in the form of ionisation and excitation of the medium.

Boethe-Bloch formula

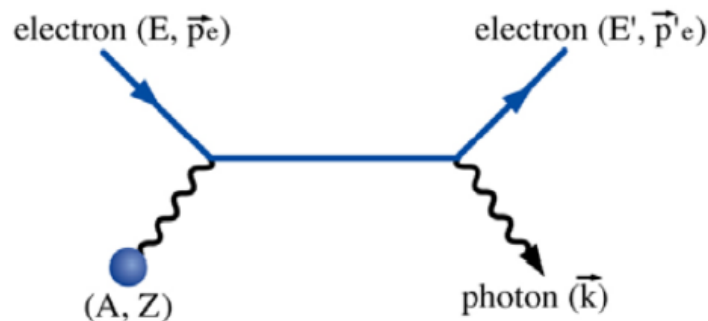
$$\sigma \propto Z$$

$$-\frac{dE}{dx}\Big|_{ion} = N_A \frac{Z}{A} \frac{4\pi\alpha^2(\hbar c)^2}{m_e c^2} \frac{Z_i^2}{\beta^2} \left[\ln \frac{2m_e c^2 \gamma^2 \beta^2}{I} - \beta^2 - \frac{\delta}{2} \right]$$

where E is the kinetic energy of the incident particle with velocity β and charge Z_i , I ($\approx 10 \times Z$ eV) is the mean ionization potential in a medium with atomic number Z .

Bremsstrahlung

Real photon emission in the electromagnetic field of the atomic nucleus



Electric field of the nucleus + of the electrons $Z(Z+1)$

At large radius, electrons screen the nucleus $\ln(183Z^{-1/3})$

$$d\sigma/dk = 4 \alpha Z(Z+1)r_e^2 \ln(183Z^{-1/3})(4/3 - 4/3y + y^2)/k \quad [\text{D.F.}]$$

where $y=k/E$ and $r_e = \frac{1}{4\pi\epsilon_0} \cdot \frac{e^2}{m_e c^2} = 2.818 \cdot 10^{-15} \text{ m}$ classical radius of the electron.

→ For a given E , the average energy lost by radiation, dE , is obtained by integrating over y .

Bremsstrahlung

In this formulae $Z(Z+1) \sim Z^2$

$$-\left. \frac{dE}{dx} \right|_{rad} = \left[4n \frac{Z^2 \alpha^3 (\hbar c)^2}{m_e^2 c^4} \ln \frac{183}{Z^{1/3}} \right] E$$

where n is the number of nucleus/unit volume.

dE/dx is conveniently described by introducing the radiation length X_0

$$-\left. \frac{dE}{dx} \right|_{Brem} = \frac{E}{X_0} \quad X_0 = \left[4n \frac{Z^2 \alpha^3 (\hbar c)^2}{m_e^2 c^4} \ln \frac{183}{Z^{1/3}} \right]^{-1} \text{ g/cm}^2$$

$$\text{Approximation} \quad X_0 \approx \frac{180A}{Z^2} \text{ g.cm}^{-2}$$

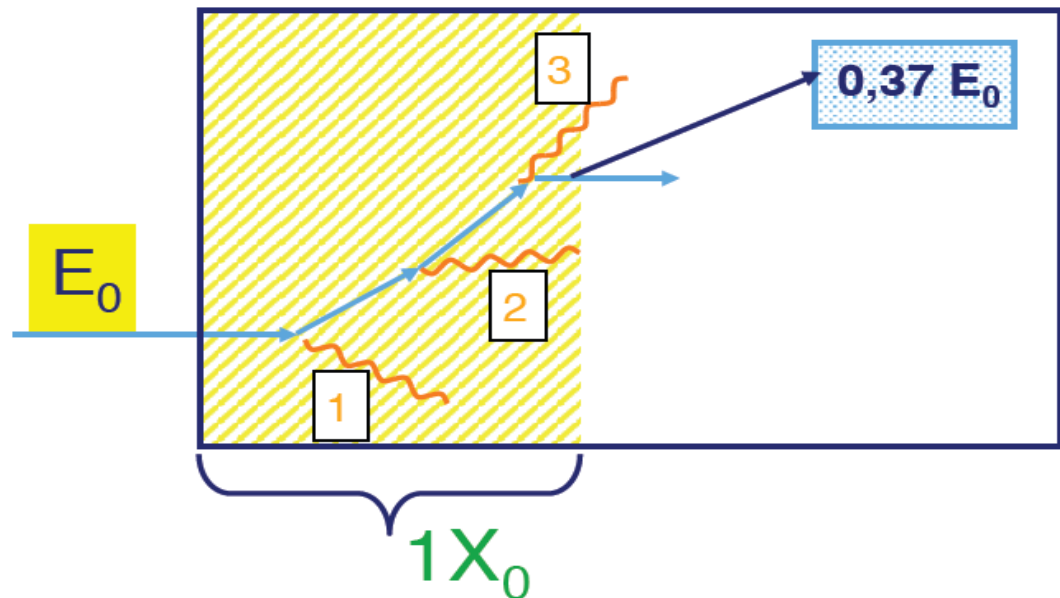
X_0 is most of the time expressed in [length] $X_0[\text{g.cm}^{-2}]/\rho$

Radiation length

The radiation length is a “universal” distance, very useful to describe electromagnetic showers (electrons & photons)

X_0 is the distance after which the incident electron has radiated $(1-1/e)$ 63% of its incident energy

$$\begin{aligned} dE/dx &= E/X_0 \\ dE/E &= dx/X_0 \\ E &= E_0 e^{-x/X_0} \end{aligned}$$



	Air	Eau	Al	LAr	Fe	Pb	PbWO ₄
Z	-	-	13	18	26	82	-
X_0 (cm)	30420	36	8,9	14	1,76	0.56	0.89

Which processes contribute for photons

Pair Production

$$\sigma_{pair} \approx \frac{7}{9} \times \frac{A}{N_A} \times \frac{1}{X_0}$$

Probability of conversion in 1 X_0 is $e^{-7/9}$

Can define mean free path:

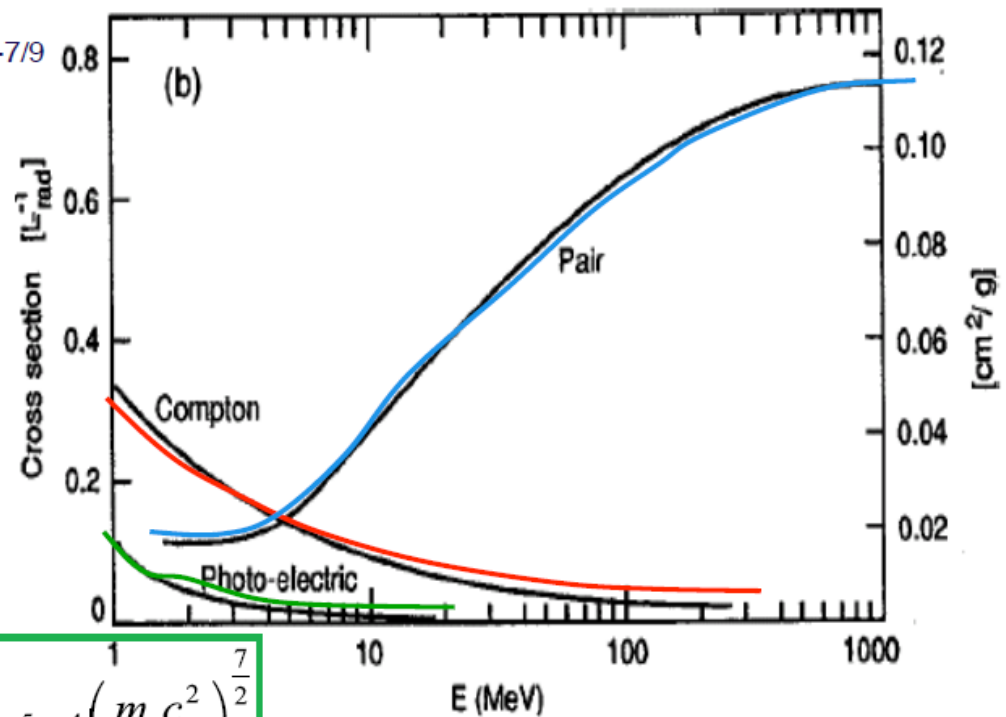
$$\lambda_{pair} \approx \frac{9}{7} X_0$$

Compton scattering

$$\sigma_C \approx \frac{\ln E_\gamma}{E_\gamma}$$

Photo-electric effect

$$\sigma_{pe} \approx Z^5 \alpha^4 \left(\frac{m_e c^2}{E_\gamma} \right)^{\frac{7}{2}}$$



Pair production

Photon interaction with nucleus electric field or electrons if $E_\gamma > 2.m_e.c^2$.

$$\sigma_{\text{pair}} \sim \frac{7}{9} \cdot \frac{A}{N_A} \cdot \frac{1}{X_0} < Z(Z+1)$$

Cross-section is independent of E_γ ($E_\gamma > 1 \text{ GeV}$)

Conversion length $\lambda_{\text{conv}} = 9/7 X_0$

e^+e^- pair is emitted in the photon direction

$$\theta \sim m_e/E_\gamma$$

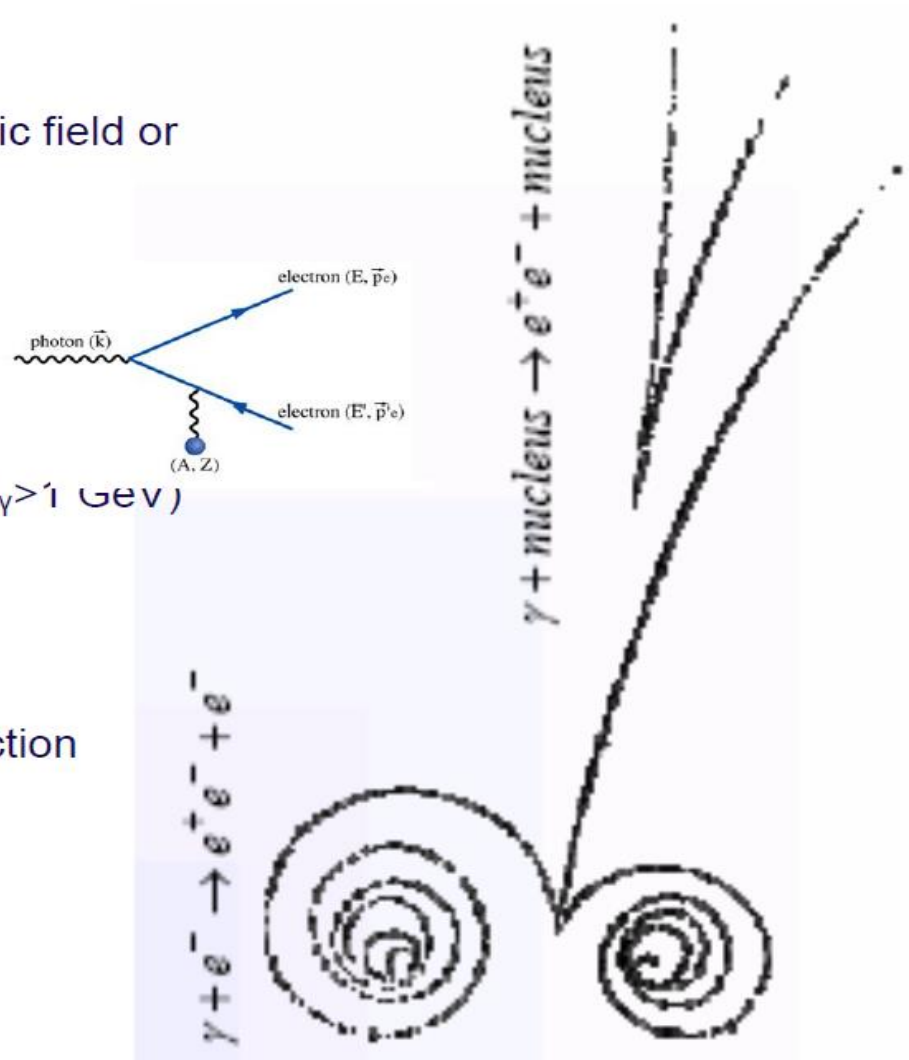


Photo-electric effect

Photon extracts an electron from the atom



Electrons are not free \rightarrow binding energy \rightarrow discontinuities

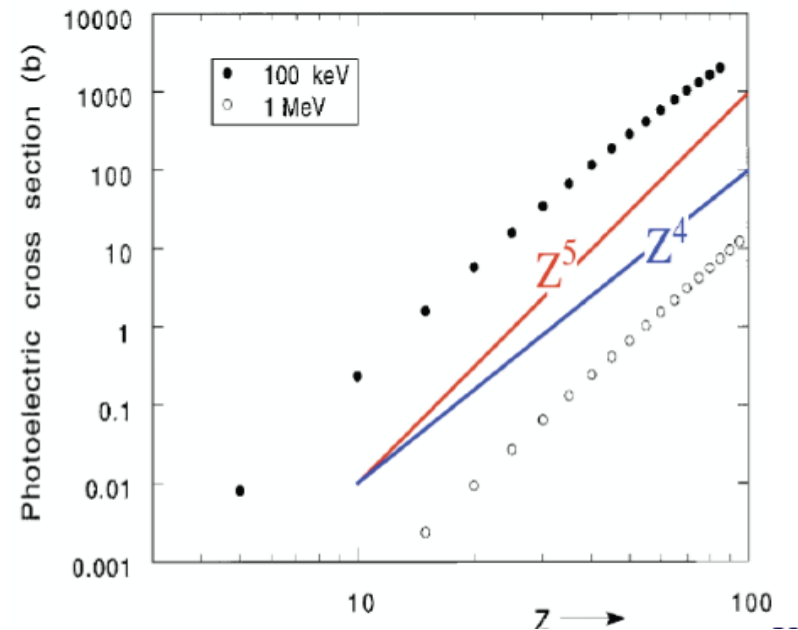
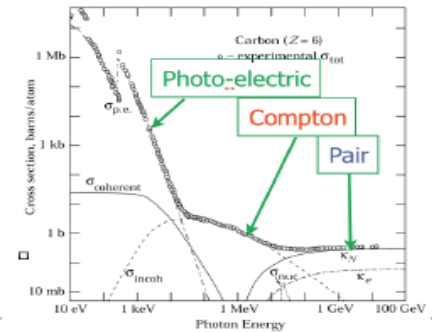
Cross-section

Strong function of the number of electrons

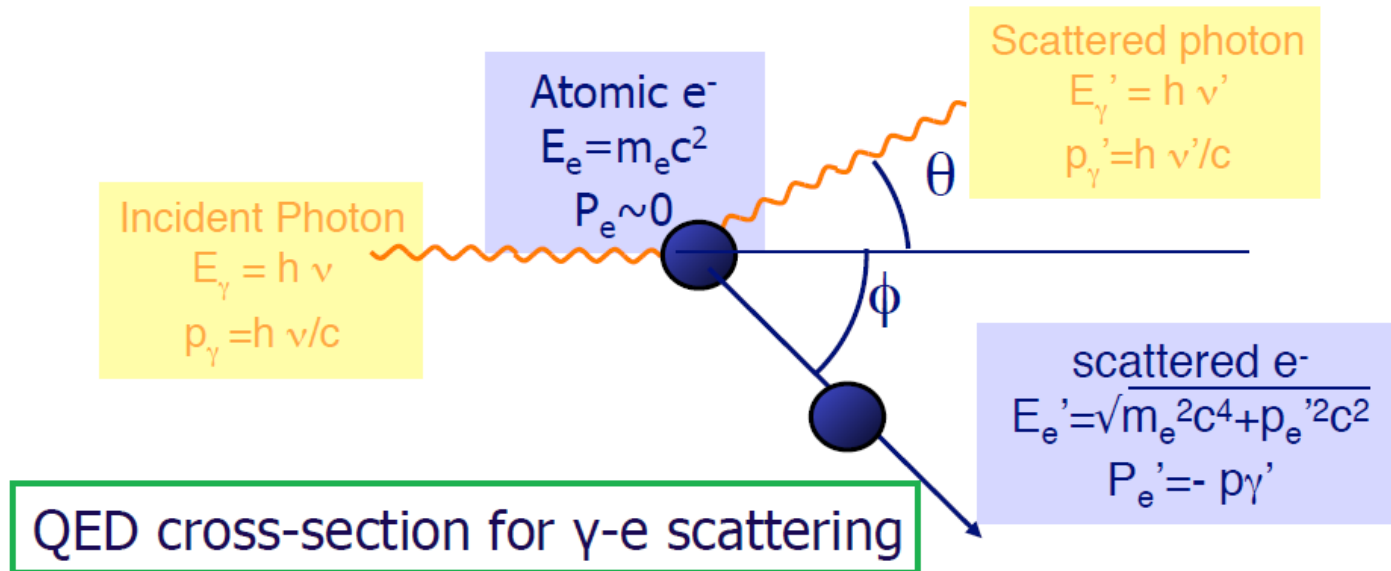
Dominant at very low energy

Electrons are emitted isotropically

$$\sigma \propto \frac{Z^5}{E^3}$$



Compton effect



$$\sigma_{\text{compton}} \sim Z \cdot \ln(E_\gamma)/E_\gamma$$

Process dominant at $E_\gamma = 100 \text{ keV} - 5 \text{ GeV}$