# Neutrino Physics – Past, Present, and Future

**Cracow School** 

Zakopane



Facilities Council

June 20-21

Imperial College London

# **CNGS** and **OPERA**



**Emulsion** lavers





Dave Wark Imperial College/RAL

#### Slides from Yves Declais



T600 test @ Pv: Run 308 - Evt 7

# A smoking gun too many – LSND



# A smoking gun too many – LSND



## A second experiment...



...KARMEN saw no effect.

# LSND and KARMEN not inconsistent with each other - just with everything else (assuming 3 neutrinos).



Joint LSND/Karmen analysis gives restricted region (Church et al. hep-ex/0203023)

# MiniBooNE Design

$$P(v_{\mu} \rightarrow v_{e}) = \sin^{2}2\theta \sin^{2}(1.27\Delta m E/E)$$



# MiniBooNE Detector

#### The MiniBooNE Detector



- 541 meters downstream of target
- 3 meter overburden
- •12 meter diameter sphere
  - (10 meter "fiducial" volume)
  - Filled with 800 t
    - of pure mineral oil (CH<sub>2</sub>)
    - (Fiducial volume: 450 t)
  - 1280 inner phototubes,
    - 240 veto phototubes
  - Simulated with a GEANT3 Monte Carlo

# MiniBooNE Detector





## MiniBooNE Analysis



# MiniBooNE Results



LSND 2v oscillation ruled out at 98% c.l.

If neutrinos have mass:  $|v_{l}\rangle = \sum U_{li} |v_{i}\rangle$ 

For three neutrinos:

where  $c_{ij} = \cos\theta_{ij}$ , and  $s_{ij} = \sin\theta_{ij}$ 

**Three Angles** 

 $P(v_{\mu} \rightarrow v_{e}) = \sin^{\gamma} \gamma \theta \sin^{\gamma} (\gamma \gamma \gamma \frac{\Delta m' L}{E})$ 

If neutrinos have mass:  $|v_{l}\rangle = \sum U_{li} |v_{i}\rangle$ 

For three neutrinos:

 $\mathbf{U}_{\mathrm{li}} = \begin{pmatrix} \mathbf{U}_{\mathrm{e}}^{\mathrm{v}} & \mathbf{U}_{\mathrm{e}^{\mathrm{v}}} & \mathbf{U}_{\mathrm{e}^{\mathrm{v}}} \\ \mathbf{U}_{\mathrm{\mu}^{\mathrm{v}}} & \mathbf{U}_{\mathrm{\mu}^{\mathrm{v}}} & \mathbf{U}_{\mathrm{\mu}^{\mathrm{v}}} \\ \mathbf{U}_{\mathrm{\tau}^{\mathrm{v}}} & \mathbf{U}_{\mathrm{\tau}^{\mathrm{v}}} & \mathbf{U}_{\mathrm{\tau}^{\mathrm{v}}} \end{pmatrix} = \begin{pmatrix} \mathbf{v} & \mathbf{v} & \mathbf{v} \\ \mathbf{v} \\ \mathbf{v} & \mathbf{v} \\ \mathbf{v} \\$ 

where  $c_{ij} = \cos\theta_{ij}$ , and  $s_{ij} = \sin\theta_{ij}$ 

Two mass differences - each has a sign

 $P(v_{\mu} \rightarrow v_{e}) = \sin^{\intercal} \varUpsilon \theta \sin^{\intercal} (\varUpsilon \checkmark \psi)$   $\sin^{\intercal} \varUpsilon \theta_{m} = \frac{\sin^{\intercal} \varUpsilon \theta}{(\omega - \cos^{\intercal} \theta)^{\intercal} + \sin^{\intercal} \varUpsilon \theta}$   $\omega = - \Upsilon \sqrt{\Upsilon} G_{F} N_{e} E / \Delta m^{\intercal}$ 

If neutrinos have mass:  $|v_{l}\rangle = \sum U_{li} |v_{i}\rangle$ 

For three neutrinos:

where  $c_{ij} = \cos \theta_{ij}$ , and  $s_{ij} = \sin \theta_{ij}$ **CP violating phase \delta** 

 $P(v_{\mu} \rightarrow v_{e}) = \sin^{\gamma} \gamma \theta \sin^{\gamma} (\gamma \gamma \gamma \frac{\Delta m' L}{E})$ 

## What are the experimental targets now?

- More accurate determinations of already measured parameters (better than CKM?) is  $\theta_{23} = 45^{\circ}$ ?
  - Existing experiments offer (modest) improvements
  - Next-generation long baseline and reactor experiments (T2K will improve on MINOS by ~10x).
- Other signatures of oscillations  $-v_{\tau}$  appearance.
- $\theta_{13}$  either  $\nu_{\mu} \rightarrow \nu_{e}$ , or  $\nu_{e}$  disappearance.
- The sign of  $\Delta m_{23}^2$  (or  $\Delta m_{13}^2$ )
- The CP-violating phase  $\delta$
- The absolute mass scale.
- Are neutrinos Majorana or Dirac?
- Are there more than 3 neuterinos?
- Surprises?



# $\frac{1}{1} \frac{1}{1} \frac{1}$

 $\mathbf{U}_{\mathrm{li}} = \begin{pmatrix} \mathbf{U}_{\mathrm{e}^{\mathrm{V}}} & \mathbf{U}_{\mathrm{e}^{\mathrm{Y}}} & \mathbf{U}_{\mathrm{e}^{\mathrm{Y}}} \\ \mathbf{U}_{\mu^{\mathrm{V}}} & \mathbf{U}_{\mu^{\mathrm{Y}}} & \mathbf{U}_{\mu^{\mathrm{Y}}} \\ \mathbf{U}_{\tau^{\mathrm{V}}} & \mathbf{U}_{\tau^{\mathrm{Y}}} & \mathbf{U}_{\tau^{\mathrm{Y}}} \end{pmatrix} = \begin{pmatrix} \mathbf{V} & \mathbf{V} & \mathbf{V} \\ \mathbf{V} & \mathbf{V} & \mathbf{V} \\ \mathbf{V}_{\tau^{\mathrm{Y}}} & \mathbf{U}_{\mu^{\mathrm{Y}}} & \mathbf{U}_{\mu^{\mathrm{Y}}} \\ \mathbf{V}_{\tau^{\mathrm{Y}}} & \mathbf{U}_{\tau^{\mathrm{Y}}} & \mathbf{U}_{\tau^{\mathrm{Y}}} \end{pmatrix} = \begin{pmatrix} \mathbf{V} & \mathbf{V} & \mathbf{V} \\ \mathbf{V} \\ \mathbf{V} & \mathbf{V} \\ \mathbf{V} & \mathbf{V} \\ \mathbf{V}$ where  $c_{ij} = \cos \theta_{ij}$ , and  $s_{ij} = \sin \theta_{ij}$  $P_{P(\nu_{\mu} \to \nu_{e})} \cong \frac{\sin^{2} 2\theta}{4C_{13}} \frac{\sin^{2} 2\theta}{S_{13}^{2}S_{23}^{2}} \frac{2\theta}{\sin^{2} 2\theta} \frac{\sin^{2} \Delta}{4E} \times \left(1 + \frac{2a}{\Delta m_{31}^{2}} \left(1 - 2S_{13}^{2}\right)\right)$  $+8C_{13}^{2}S_{12}S_{13}S_{23}(C_{12}C_{23}\cos\delta) - S_{12}S_{13}S_{23}(C_{12}C_{23}\cos\delta) - S_{12}S_{13}S_{23}(C_{12}S_{13}S_{23}) \cos \frac{1}{2} \frac{1}{4E} \sin \frac{2\theta}{3} \frac{1}{2} \frac{1}{2} \sin \frac{2\theta}{3} \frac{1}{2} \frac{1}{2} \frac{1}{2} \frac{1}{2} \frac{1}{2$  $-8C_{13}^{-2}C_{12}C_{23}S_{12}S_{12}S_{13}S_{23}S_{23}S_{13}S_{23}S_{23}S_{12}S_{13}S_{23}S_{23}S_{12}S_{13}S_{23}S_{23}S_{12}S_{13}S_{23}S_{23}S_{12}S_{13}S_{23}S_{23}S_{12}S_{13}S_{23}S_{23}S_{12}S_{13}S_{23}S_{23}S_{12}S_{13}S_{23}S_{23}S_{12}S_{13}S_{23}S_{23}S_{12}S_{13}S_{23}S_{23}S_{12}S_{13}S_{23}S_{23}S_{12}S_{13}S_{23}S_{23}S_{12}S_{13}S_{23}S_{23}S_{12}S_{13}S_{23}S_{23}S_{12}S_{13}S_{23}S_{23}S_{12}S_{13}S_{23}S_{23}S_{12}S_{13}S_{23}S_{23}S_{12}S_{13}S_{23}S_{23}S_{12}S_{13}S_{23}S_{23}S_{23}S_{12}S_{13}S_{23}S_{23}S_{12}S_{13}S_{23}S_{23}S_{12}S_{13}S_{23}S_{23}S_{12}S_{13}S_{23}S_{23}S_{12}S_{13}S_{23}S_{23}S_{12}S_{13}S_{23}S_{23}S_{12}S_{13}S_{23}S_{23}S_{12}S_{13}S_{23}S_{23}S_{13}S_{$  $+4S_{12}^{2}\theta_{13}^{2}\left\{ \mathcal{E}_{12}^{2}\mathcal{E}_{23}^{2}\theta_{+2}^{2}\mathfrak{S}_{12}^{2}\mathcal{S}_{23}^{2}\mathcal{H}_{-12}^{2}\mathcal{S}_{13}^{2}\mathcal{H}_{-12}^{2}\mathcal{S}_{12}^{2}\mathcal{S}_{23}S_{13}^{2}\mathcal{S}_{13}\cos\delta\right\}\sin^{2}\frac{\Delta m_{21}^{2}L}{4E}$ where  $\mathfrak{B}_{23}^2 = \mathfrak{S}_{23} = \mathfrak{S}_{23$ And  $\sin^2 2\theta_{13} < -0.14$ 

## Effect of 3v on reactor disappearance



### $\sin^2 2\theta_{13}$

Measure this small deficit. Due to  $\Delta m_{12}^2 < \Delta m_{23(13)}^2$ , this is almost pure  $\theta_{13}$ measurement

## Disappearance on very short baselines – no MSW, no CP viol



Dave Wark Imperial College/RAI

from Josh Klein

Figure 1

## **Chooz Reactor Experiment**



# Current limits on $\theta_{13}$



## Can we improve on Chooz?

- More optimal baseline.
- Two detectors, near and far, to control normalization.
- Much larger detectors (tens or hundreds of tons).



### **Double Chooz**





10 tons detectors 8.4 GW<sub>th</sub> reactor power 300 mwe overburden at far site 60 mwe overburden at near site

#### Sensitivity

sin<sup>2</sup>(20<sub>13</sub>) < 0.03 at 90% CL

after 3 yrs,  $\Delta m_{atm}^2 = 2 \times 10^{-3} \text{ eV}^2$ 

#### http://doublechooz.in2p3.fr/

Karsten Heeger, LBNL

Neutrin 2006, Santa Fe, June 15, 2006

see talk by D. Reyna



## Can we improve on Chooz?

- More optimal baseline.
- Two detectors, near and far, to control normalization.
- Much larger detectors (tens or hundreds of tons).
- Extremely challenging experiments systematic error budget on relative rates ~ 1-2%.
- Must understand relative energy scale and linearity even better.
- Must correct for any differences in backgrounds.
- These are extremely challenging experiments, and should be treated as such.



# Daya Bay planned sensitivity



٠

•

•

# Long Baseline $v_{\mu} \Leftrightarrow v_{e}$ Appearance

- Modest improvements available from MINOS and OPERA
- Major improvements in sensitivity will require major new dedicated experiments.
  - Superbeams v derived from  $\pi$  decay:
    - T2K
    - NOvA
    - CERN  $\rightarrow$  Modanne or LNGS or...
    - BNL  $\rightarrow$  Homestake or Henderson
    - FNAL  $\rightarrow$  various sites
    - $\beta$  Beams  $v_e$  derived from  $\beta$ -decaying nucleus:
      - CERN
      - FNAL
      - EC beams? produces "monoenergetic" neutrinos
  - Neutrino Factories  $v_e/v_\mu$  derived from  $\mu$  decay:
    - CERN
    - RAL
    - FNAL
    - JPARC



# If neutrinos have mass: $|v_{l}\rangle = \sum U_{li} |v_{i}\rangle$

 $U_{li} = \begin{pmatrix} U_{e^{\gamma}} & U_{e^{\gamma}} & U_{e^{\gamma}} \\ U_{\mu^{\gamma}} & U_{\mu^{\gamma}} & U_{\mu^{\gamma}} \\ U_{\tau^{\gamma}} & U_{\tau^{\gamma}} & U_{\tau^{\gamma}} \end{pmatrix} = \begin{pmatrix} \gamma & \cdot & \cdot \\ \cdot & \cdot & \cdot \\ \cdot & c_{\tau\tau} & s_{\tau\tau} \\ \cdot & -s_{\tau\tau} & c_{\tau\tau} \end{pmatrix} \cdot \begin{pmatrix} c_{\gamma\tau} & \cdot & s_{\gamma\tau}e^{i\delta} \\ \cdot & \gamma & \cdot \\ -s_{\gamma\tau}e^{-i\delta} & \cdot & c_{\gamma\tau} \end{pmatrix} \cdot \begin{pmatrix} c_{\gamma\gamma} & s_{\gamma\gamma} & \cdot \\ -s_{\gamma\tau} & c_{\gamma\gamma} & \cdot \\ \cdot & \cdot & \gamma \end{pmatrix}$ 

$$\begin{split} P(\nu_{\mu} \rightarrow \nu_{e}) &= 4C_{13}^{2}S_{13}^{2}S_{23}^{2}\sin^{2}\frac{\Delta m_{31}^{2}L}{4E} \times \left(1 + \frac{2a}{\Delta m_{31}^{2}}\left(1 - 2S_{13}^{2}\right)\right) \\ &+ 8C_{13}^{2}S_{12}S_{13}S_{23}(C_{12}C_{23}\cos\delta - S_{12}S_{13}S_{23})\cos\frac{\Delta m_{32}^{2}L}{4E}\sin\frac{\Delta m_{31}^{2}L}{4E}\sin\frac{\Delta m_{21}^{2}L}{4E} \\ &- 8C_{13}^{2}C_{12}C_{23}S_{12}S_{13}S_{23}\sin\delta\sin\frac{\Delta m_{32}^{2}L}{4E}\sin\frac{\Delta m_{31}^{2}L}{4E}\sin\frac{\Delta m_{21}^{2}L}{4E} \\ &+ 4S_{12}^{2}C_{13}^{2}\left\{C_{12}^{2}C_{23}^{2} + S_{12}^{2}S_{23}^{2}S_{13}^{2} - 2C_{12}C_{23}S_{12}S_{23}S_{13}\cos\delta\right\}\sin^{2}\frac{\Delta m_{21}^{2}L}{4E} \\ &- 8C_{13}^{2}S_{13}^{2}S_{23}^{2}\cos\frac{\Delta m_{32}^{2}L}{4E}\sin\frac{\Delta m_{31}^{2}L}{4E}\frac{aL}{4E}\left(1 - 2S_{13}^{2}\right) \end{split}$$

where  $c_{ii} = \cos \theta_{ii}$ , and  $s_{ii} = \sin \theta_{ii}$ 

## Common Features - Off-Axis Beams





#### Pros –

- Increases flux on osc. max.
- Reduces high-E tail, and thus NC backgrounds
- Reduces v<sub>e</sub> contamination
  from K and μ decay
- Cons
  - Complicates disappearance measurement
  - Increases near/far differences
  - Have to know angle! Dave Wark Imperial College/RAL

## Common Features – Targetry is hard.

**Cracow School** 



# Common Features – Cross sections are poorly known in range 0.1-10 GeV

## Total $v_{\mu}$ CC cross section



# Common Features – Cross sections are poorly known in range 0.1-10 GeV





## Some are worse than others...



## JPARC – SuperK, aka T2K

### JPARC Accelerator –

- Phase I, 0.75 MW @ 50 GeV
- Phase II, raise power to 4 MW

a) 2000 ESD

- PI Turn on 2009, but not full power till 2012?
- ApprovedUnder const.





## Far Detector – Super Kamiokande Rebuilding completed!

.0 mi / 675.8 km occo

## T2K

### Near Detector @ 280m .

- Built inside UA1/NOMAD
  magnet for p<sub>u</sub> measurement
- Sandwich calorimeters/trackers and TPCs for precision beam spectrum and composition measurement.

Artistic view of LAr integration in 2km underground site





Near Detector @ 2km – Near/far spectral – uncertainties negligible – Water Cerenkov, MRD, and LAr

T2K

## L/E well-tuned to CCQE, Critical for untangling Beam $\otimes \Sigma \sigma \otimes$ detector





Super Kamiokande well understood, Ideal for separating Electrons, μ, π<sup>0</sup>



**T2K Sensitivity** 



Plot from I. Kato/T2K





NOvA



 At 30kt NOvA is about the same mass as BaBar, CDF, Dzero, CMS and ATLAS combined...



- Advantage to equal  $v/\overline{v}$  running:
  - More consistent reach in sin<sup>2</sup>(2θ<sub>13</sub>) vs. δ and mass hierarchy



18



Dave Wark

**Imperial College/RAL** 

## $\beta$ Beams



Slide from M. Lindroos

## SUSY05

## A Neutrino Factory



## Further Ideas – the Wide Band Beam (WBB)

BNL

Imperial College/RAL

BNL → Rocky Mountains enjoys a natural geographical advantage not present in other potential world sites

**Cracow School** 

- 28 GeV protons. 1 MW beam power. Horn focussed
- 500 kT water Cherenkov detector stationed in a new DUSEL.
- baseline > 2500 km. WIPP, Henderson, Homestake

## Further Ideas – the second maximum

#### T2KK: Tohuku→Kamioka→Korea with 2 ½-HyperKamiokandes

![](_page_45_Figure_3.jpeg)

![](_page_45_Picture_4.jpeg)

# **Comparison: mass hierarchy**

![](_page_46_Figure_1.jpeg)

# **Comparison: CP violation**

![](_page_47_Figure_1.jpeg)

![](_page_48_Figure_0.jpeg)

- 1. Both (BB+SB+MD) and NUFACT outperform e.g. T2HK on most cases.
- 2. combination of BB+SB is really powerful.
- 3. for sin<sup>2</sup>20<sub>13</sub> below 0.01 NUFACT as such outperforms anyone

4. for large values of  $\theta_{13}$  systematic errors dominate: Matter effects for NUFACT, cross-sections for low energy beams. This is because we are at first maximum or above,  $\rightarrow$  CP asymmetry is small! Block

## All ideas beyond T2K/NOvA require <u>HUGE</u> detectors

![](_page_49_Figure_2.jpeg)

Imperial College/RAL

## Absolute Neutrino Masses

![](_page_50_Figure_2.jpeg)

 $Log m^2$ 

 $m_3$ 

Ve

 $v_{\mu}$ 

### So what does this all mean about neutrino mass?

## It "probably" looks something like this

![](_page_51_Figure_3.jpeg)

![](_page_51_Picture_4.jpeg)

 $v_{\tau}$ 

### So what does this all mean about neutrino mass?

![](_page_52_Figure_2.jpeg)

# This makes a factor of two difference in the cosmological contribution, but a factor of two on what?

![](_page_53_Figure_2.jpeg)

1 eV

Ve

# Even more significant is the absolute scale. Log m $m_3$ $m_2 m_1^2$ This? Or this? 10-1 eV $m_3$ $m_2$ 10-2 eV $\mathbf{m}_1$ $\mathbf{V}_{\mu}$

 $v_{\tau}$ 

## Does this look natural?

![](_page_55_Picture_2.jpeg)

## Measuring absolute m<sub>v</sub>

- Supernovae Prodigious producers of neutrinos, and measuring time shifts can in principle measure neutrino masses,  $m_v < \sim 30 \text{ eV}$ .
- Kinematic limits: If you believe the oscillation results, all  $\Delta m^2 \ll 1$  eV, therefore only  $v_e$  measurements have useful sensitivity  $\rightarrow$  current best is Tritium Beta Decay,  $m_v < 2.2$  eV.
- If neutrinos have Marjorana masses, then zeroneutrino double-beta decay is allowed  $\rightarrow$ observation of  $0\nu\beta\beta$   $\delta\epsilon\chi\alpha\psi$  would be direct evidence for neutrino mass,  $\langle m_{\nu} \rangle < \sim 1.3$  eV.
- Neutrinos are the second most numerous particle in the Universe  $\rightarrow$  even a tiny neutrino mass could have astrophysical implications,  $\Sigma m_v < 0.23 \text{ eV}(?)_{\text{Bave War}}$

Imperial College/RAL

## Conclusions

- Neutrino masses and mixings give the first confirmed physics beyond the Standard Model.
- MiniBooNE results remove the last inconsistent result from a picture of three massive, mixing neutrinos.
- More accurate determinations of already seen parameters will probe symmetries of the theory.
- We must now push to see the three sines  $-\sin^2 2\theta_{13}$ ,  $sign(\Delta m_{23}^2)$ ,  $sin \delta$ . The first target is to see  $v_{\mu} \rightarrow v_{e}$ , which is the target of T2K and NOvA, and/or reactor disappearance on ~ 1km baseline.
- There are a number of options for the steps beyond that  $-\beta$  beams, EC beams, Supererbeams, Neutrino Factory a vigorous discussion is taking place to select the optimal programme (join in!).
- All of these next steps have substantial experimental challenges, but a large, coherent, and strongly interacting world community exists which is making excellent progress in understanding the opportunities and constraints a world scoping study for the NF is approaching completion.
- The absolute mass problem is just as interesting, and a vigorous experimental community is attacking there as well.
- There are also HE astrophysical neutrinos, SN and relic SN neutrinos, etc.
- There is plenty of work for everybody. Join in!

![](_page_58_Picture_0.jpeg)

![](_page_58_Picture_1.jpeg)