

High-density QCD in heavy ion collisions

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Summary I

⇒ QCD vacuum:
Confinement & chiral symmetry breaking

⇒ Other states of matter possible?

⇒ Theory → Different phases exist!

(for small μ_B)

Lattice + perturbative + models

⇒ Transition hadron gas \leftrightarrow quark gluon plasma.

⇒ Order of the transition depends on quarks masses. For realistic masses, most probably crossover at $\mu_B = 0$.

⇒ Properties close to T_c different from a gas: Strongly coupled QGP?
Indications of bound states above T_c

⇒ Heavy ion collisions experiments attempt to study this region.

2. Heavy-ion collisions **and collective behavior in QCD**

What do we expect to learn?

Specific questions in heavy-ion collisions

- ⇒ What is the initial state of the system and how is it produced?
 - ⇒ What is the structure of the colliding objects?
 - ⇒ What is the asymptotic limit of QCD?
- ⇒ What is the mechanism of thermalization?
 - ⇒ How is thermal equilibrium reached?
 - ⇒ What is the temperature of the created system?
- ⇒ What are the properties of the produced medium?
 - ⇒ How to measured them? – signals
 - ⇒ What is the relation with lattice QCD?

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Today's talk

Where?

⇒ SPS at CERN.

- ⇒ Have collided pA at $p_{\text{lab}} = 450 \text{ GeV/c}$, SU at $p_{\text{lab}} = 200 \text{ AGeV/c}$ and PbPb at $p_{\text{lab}} = 158 \text{ AGeV/c}$.
- ⇒ The program is almost finished now

⇒ RHIC at BNL

- ⇒ pp, dAu, AuAu and CuCu at $\sqrt{s} = 20 \dots 200 \text{ AGeV}$
- ⇒ RHIC II will improve detectors for rare processes and enhance statistics

⇒ LHC at CERN

- ⇒ Will collide PbPb at $\sqrt{s} = 5500 \text{ AGeV}$ also pPb or dPb (under discussion) at $\sqrt{s} = 8200$
- ⇒ ALICE is a dedicated HI experiment
- ⇒ CMS and ATLAS have own programs of heavy ion collisions

Initial state of the system

The nuclear structure at high energies



⇒ We want to know the structure of the colliding system at high energies - **and eventually the initial state of the medium**

The nuclear structure at high energies



- ⇒ We want to know the structure of the colliding system at high energies - **and eventually the initial state of the medium**
- ⇒ Let us start by a simpler one: dipole-nucleus collision

High-energy variables

⇒ Light-cone variables

$$x^{\pm} = x_0 \pm x_3 \quad p^{\pm} = p_0 \pm p_3$$

⇒ So that, the scalar product

$$p \cdot x = \frac{1}{2}(p^+ x^- + x^- x^+) - \mathbf{p}_{\perp} \cdot \mathbf{x}_{\perp}$$

⇒ Rapidity

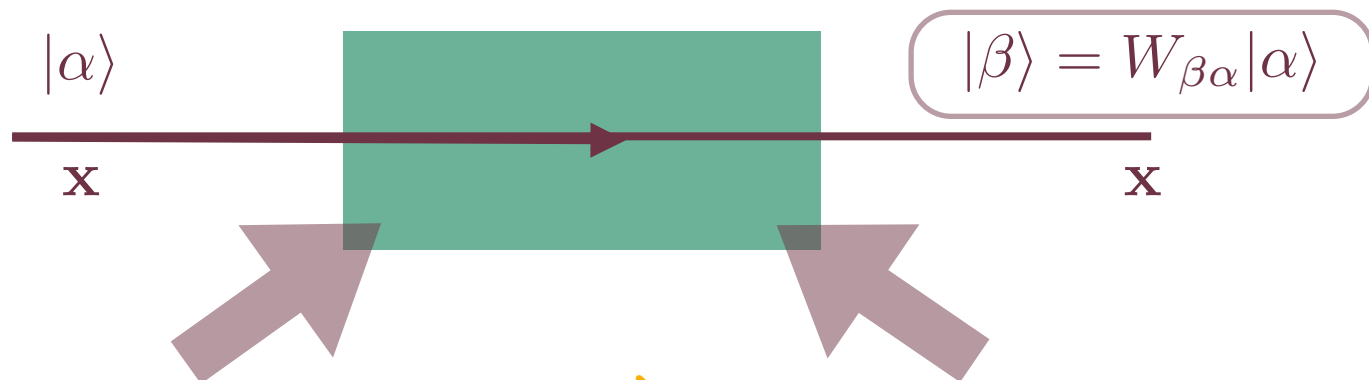
$$y = \frac{1}{2} \ln \left[\frac{p_0 + p_3}{p_0 - p_3} \right] = \frac{1}{2} \ln \left[\frac{p^+}{p^-} \right]$$

⇒ Boost is just adding a factor → *additive velocity*

$$y' = y + y_{\beta} \quad \Longrightarrow \quad y_{\beta} = \frac{1}{2} \ln \left[\frac{1 + \beta}{1 - \beta} \right]$$

Particle propagation in matter: Eikonal limit

⇒ At high energies → Eikonal approximation $E \gg k_\perp$



⇒ Particle does not change its direction of propagation

⇒ The medium rotates the color of the probe

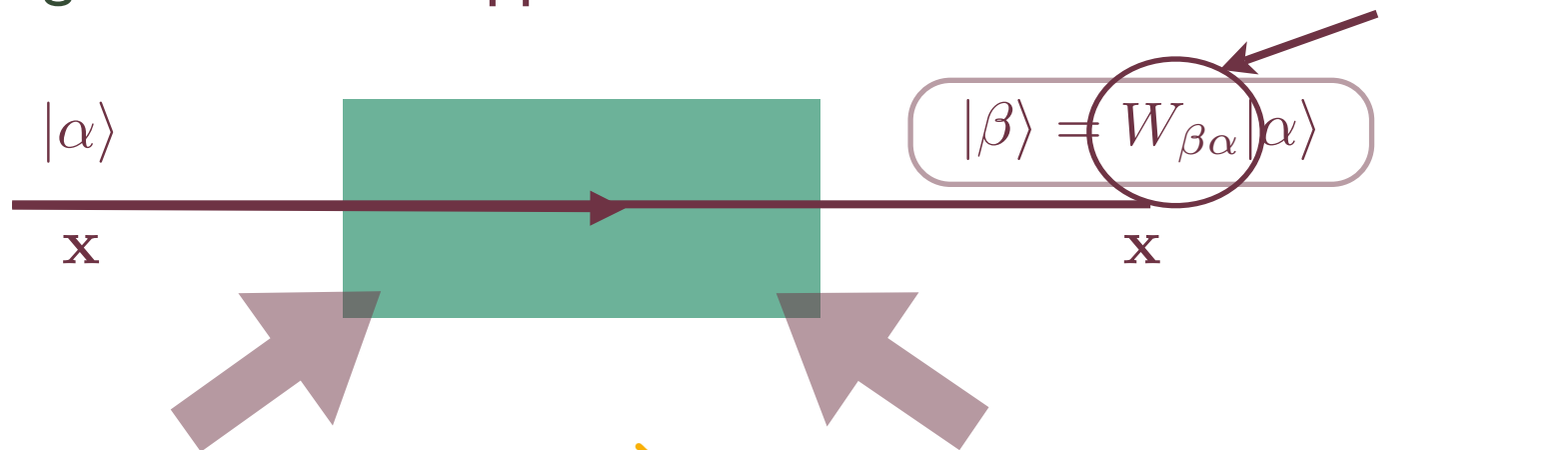
$$W(\mathbf{x}) = P \exp \left\{ i \int dz^- T^a A_a^+(\mathbf{x}, z^-) \right\} \quad \text{Wilson line}$$

⇒ Recoil is neglected → medium is a background field

[See e.g. A. Kovner Lectures Zakopane 2005]

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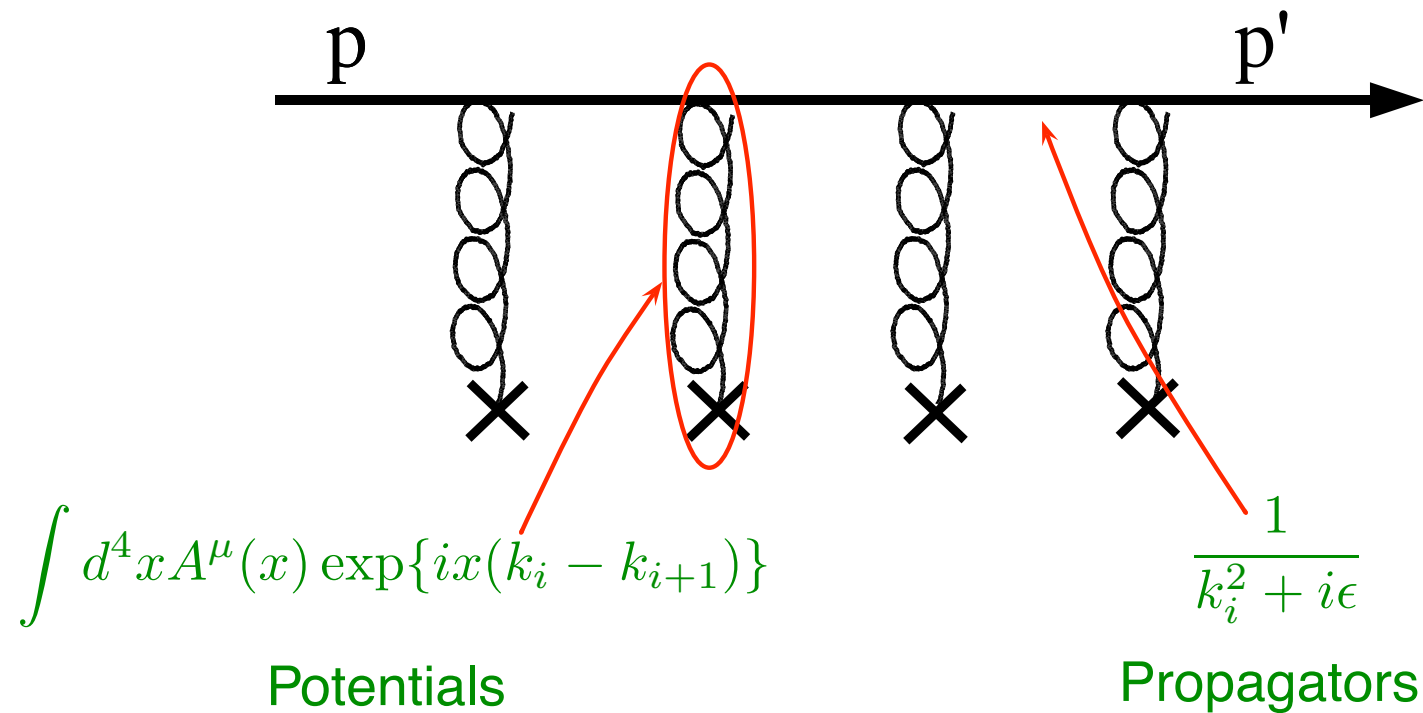
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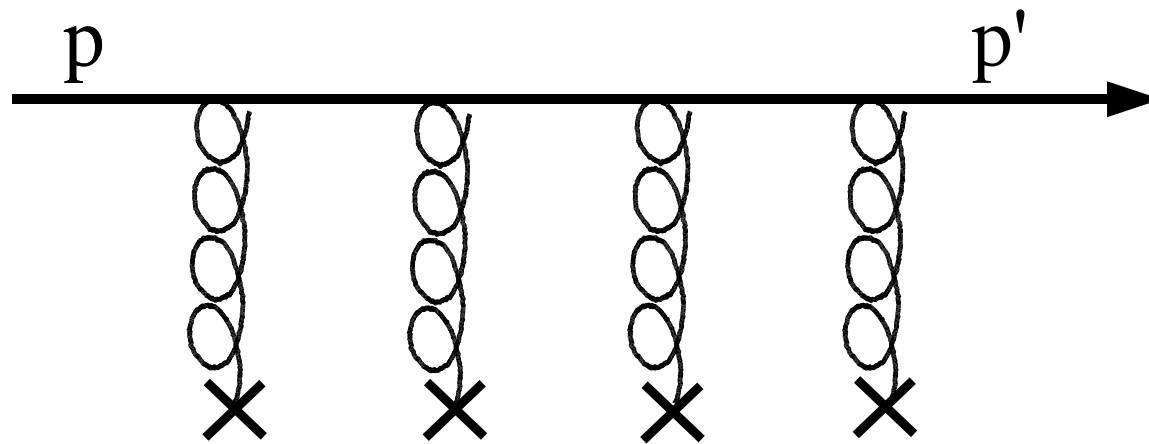
A simple derivation

Multiple potential scattering [See e.g. A. Hebecker Phys. Rep. 331 (2000) 1]



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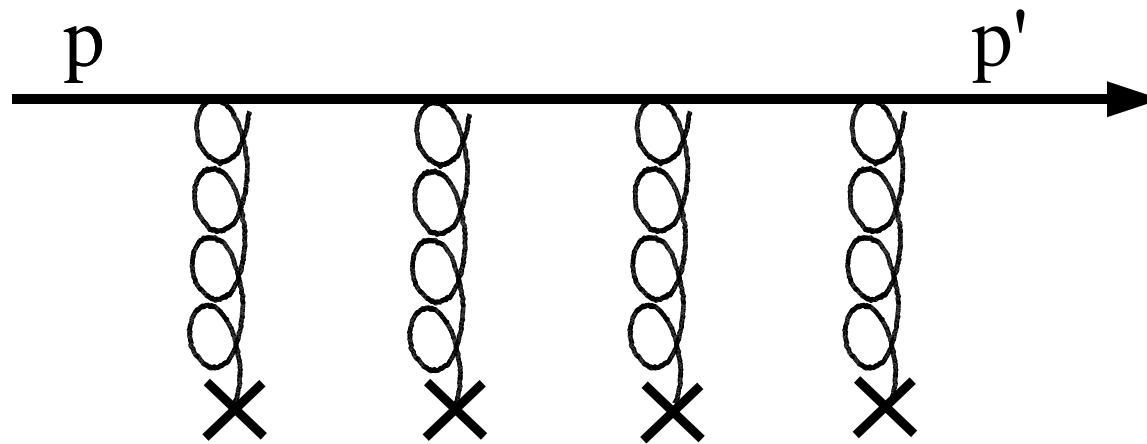


The contribution of two scatterings to the S-matrix is

$$S_2(p', p) = \int \frac{d^4 k}{(2\pi)^4} \left\{ -ig(k_\mu + p'_\mu) \int d^4 x_2 A^\mu(x_2) e^{ix_2(p' - k)} \right\} \\ \frac{i}{k^2 + i\epsilon} \left\{ -ig(p_\mu + k_\mu) \int d^4 x_1 A^\mu(x_1) e^{ix_1(k - p)} \right\}$$

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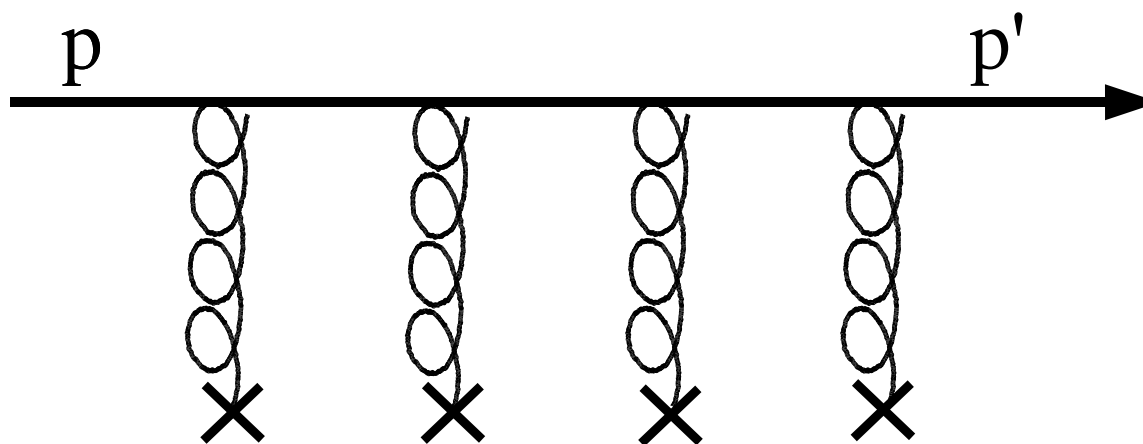


The high-energy limit ($p_+ \rightarrow \infty$) gives

$$S_2 = 2\pi\delta(p'_+ - p_+)2p_+ \int \frac{d^2\mathbf{k}_\perp}{(2\pi)^2} \int d^3\mathbf{x}_1 [-igA_-(\mathbf{x}_1)] \int d^3\mathbf{x}_2 [-igA_-(\mathbf{x}_2)] \times \\ \times \exp\{i\mathbf{k}_\perp(\mathbf{x}_{1\perp} - \mathbf{x}_{2\perp})\} \exp\{i(\mathbf{x}_{2\perp}\mathbf{p}_{2\perp} - \mathbf{x}_{1\perp}\mathbf{p}_{1\perp})\}$$

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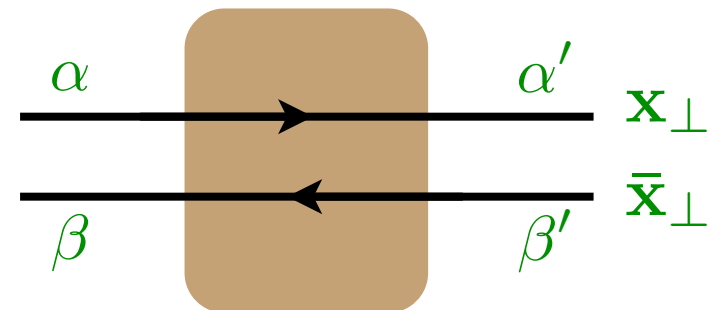
$$\times \exp\{i\mathbf{k}_\perp(\mathbf{x}_{1\perp} - \mathbf{x}_{2\perp})\} \exp\{i(\mathbf{x}_{2\perp}\mathbf{p}_{2\perp} - \mathbf{x}_{1\perp}\mathbf{p}_{1\perp})\} \quad [\text{Ex. check these formulas}]$$

$$S = \int d^2\mathbf{x}_\perp e^{-i\mathbf{x}_\perp(\mathbf{p}'_\perp - \mathbf{p}_\perp)} P \exp \left\{ -\frac{ig}{2} \int dx_+ A_-(x_+, x_\perp) \right\}$$

Particle propagation in matter II: the dipole

- ⇒ Each propagation is a Wilson line at the relevant (fixed) transverse position

$$W(\mathbf{x}) = \mathcal{P} \exp \left[i \int dx^- A^+(\mathbf{x}_\perp, x^-) \right]$$



- ⇒ So, the S-matrix

$$|\alpha'; \beta'\rangle \equiv S_{\alpha'\beta'\alpha\beta} |\alpha; \beta\rangle = W_{\alpha'\alpha}(\mathbf{x}_\perp) W_{\beta'\beta}^\dagger(\bar{\mathbf{x}}_\perp) |\alpha; \beta\rangle$$

- ⇒ Total probability of interaction (cross-section w/ needed factors)

$$P_{\text{tot}}^{q\bar{q}} = \left\langle 2 - \frac{2}{N_C} \text{Tr} [W(\mathbf{x}_\perp) W^\dagger(\bar{\mathbf{x}}_\perp)] \right\rangle$$

[Ex. check these formulas,
use e.g. the optical theorem]

What are the $\langle \dots \rangle$??

- ⇒ All the medium properties are encoded in the medium-averages of the Wilson lines.
- ⇒ Several prescriptions used
 - Saddle-point approximation → opaque medium, many scatterings

$$\frac{1}{N} \text{Tr} \langle W(\mathbf{x}_\perp) W^\dagger(\bar{\mathbf{x}}_\perp) \rangle \approx \exp \left\{ -\frac{1}{8} Q_{\text{sat}} (\mathbf{x}_\perp - \bar{\mathbf{x}}_\perp)^2 \right\}$$

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➤ Opacity expansion → small medium, few scatterings

$$\frac{1}{N} \text{Tr} \langle W(\mathbf{x}_\perp) W^\dagger(\bar{\mathbf{x}}_\perp) \rangle \approx 1 - \int dx^- n(x^-) \sigma(\mathbf{x}_\perp - \bar{\mathbf{x}}_\perp)$$

➤

[See e.g. Kovner and Wiedemann, PRD64 (2001)114002;
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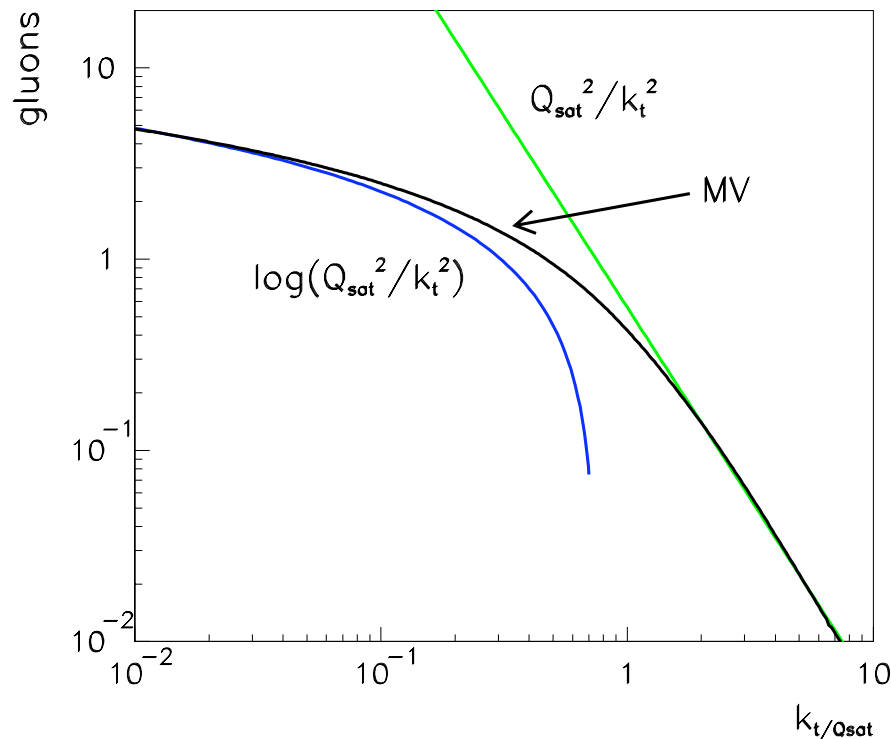
[See e.g. Kovner and Wiedemann, PRD64 (2001)114002;
A. Hebecker Phys. Rep. 331 (2000) 1]

All together: the gluon distribution

- ⇒ The dipole 'counts' the number of gluons, of a given size r , in the nucleus, so the (unintegrated) gluon distribution:

$$N(r) = 1 - \exp \left[-\frac{1}{8} Q_{\text{sat}}^2 r^2 \right] \quad \Rightarrow \quad \phi(k) = \int \frac{d^2 r}{2\pi r^2} e^{i\mathbf{r} \cdot \mathbf{k}} N(r)$$

[up to logs: McLerran, Venugopalan 1994]



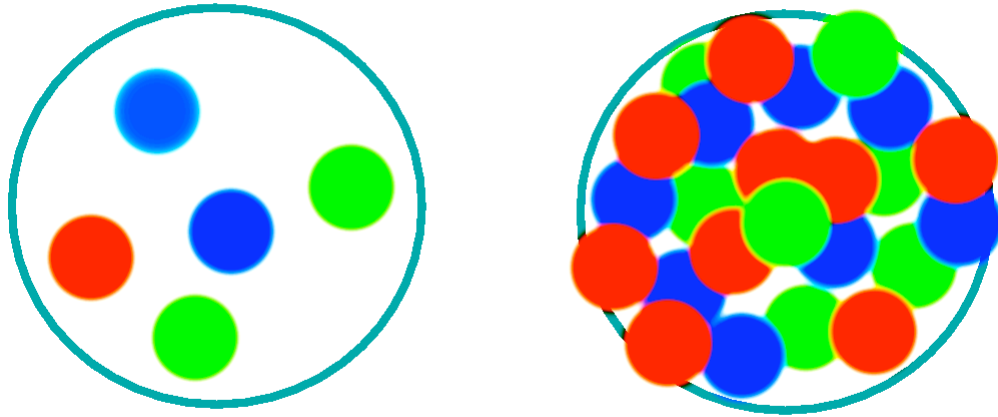
Two important consequences:

- Saturation scale cuts-off the small momentum region
- Geometric scaling:

$$\phi = \phi(k^2/Q_{\text{sat}}^2)$$

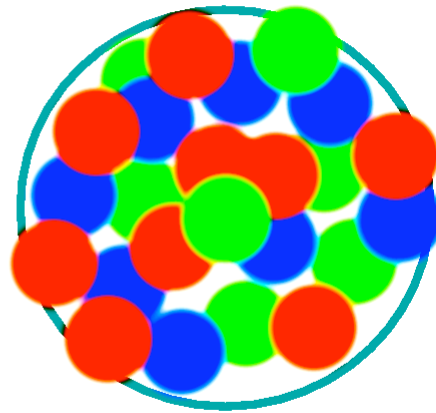
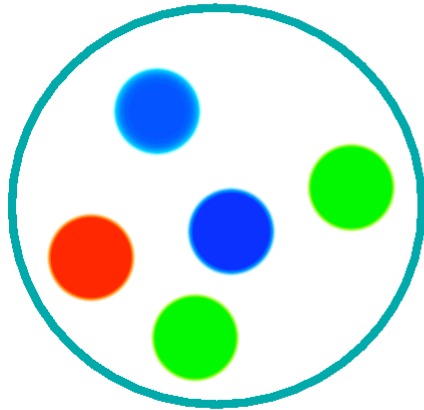
Saturation of partonic densities: picture

Saturation scale when interaction probability becomes $\mathcal{O}(1)$



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transverse area of the gluon

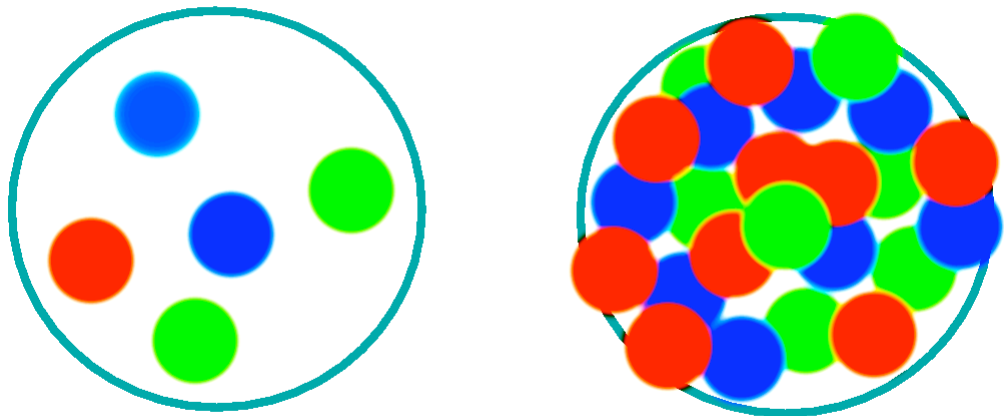
$$\alpha_s \frac{1}{Q_{\text{sat}}^2} A N_g(x, Q_{\text{sat}}^2) \sim \pi R_A^2$$

transverse area of the nucleus

$$R_A \sim A^{1/3}$$

Saturation of partonic densities: picture

Saturation scale when interaction probability becomes $\mathcal{O}(1)$



increasing energy (decreasing x)

$$N_g \sim \frac{1}{x^\lambda} \implies Q_{\text{sat}}^2 \sim \frac{A^{1/3}}{x^\lambda}$$

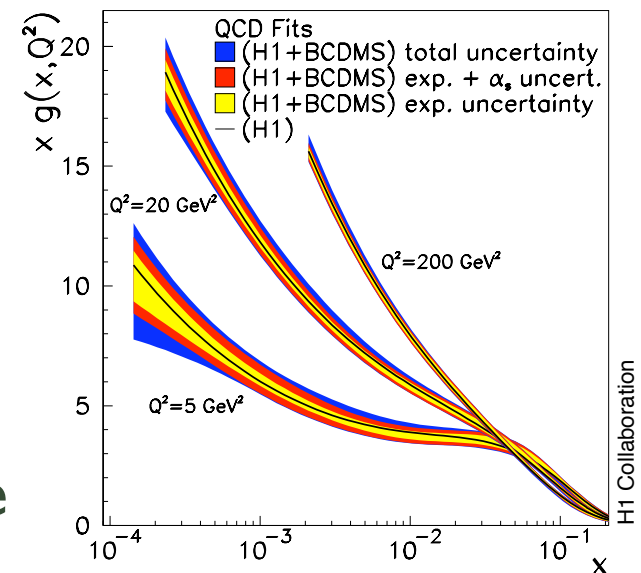
Strong fields and large occupation numbers.
Semiclassical approach possible:
Color Glass Condensate

transverse area of the gluon

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Geometric scaling in lepton-hadron data

⇒ All lepton-proton data with $x \leq 0.01$ only function of

$$\tau_p = \frac{Q^2}{Q_{\text{sat}}^2}; \quad Q_{\text{sat}}^2 = \frac{x^{-\lambda}}{R_0^2}$$

Stasto, Golec-Biernat, Kwiecinski 2001

⇒ Scaling in lepton-nucleus

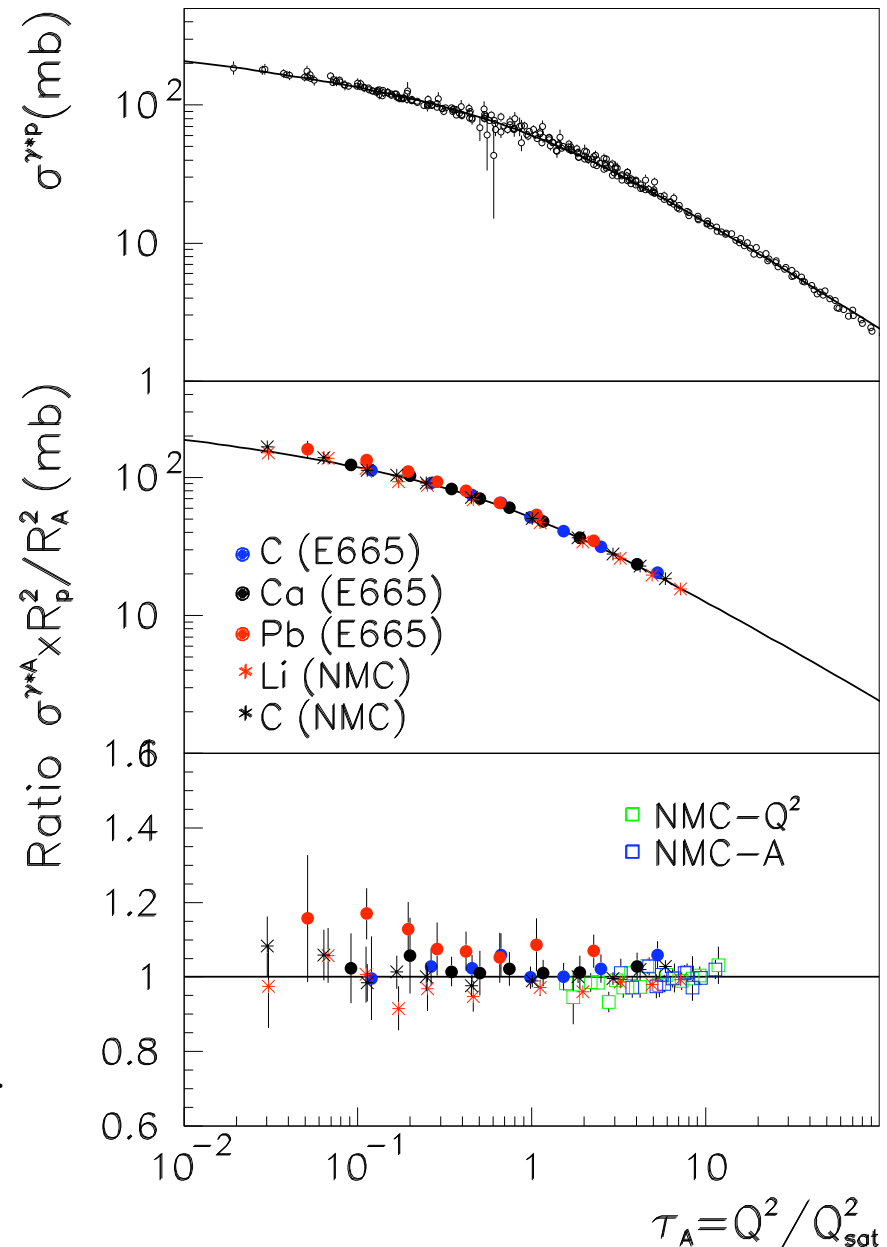
$$Q_{\text{sat},A}^2 = Q_{\text{sat},p}^2 \left(\frac{AR_p^2}{R_A^2} \right)^{1/\delta}$$

$$\lambda \sim 0.3; \quad \delta \sim 0.8$$

Exercise: Check this scaling for BK eq. Help:

$$\sigma_{T,L}^{\gamma^*h}(x, Q^2) = \int d^2\mathbf{r} \int_0^1 dz |\Psi_{T,L}^{\gamma^*}|^2 \sigma_{\text{dip}}^h(\mathbf{r}, x).$$

[see Phys. Rev. Lett 94 (2005) 022002]



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⇒ Scaling in lepton-

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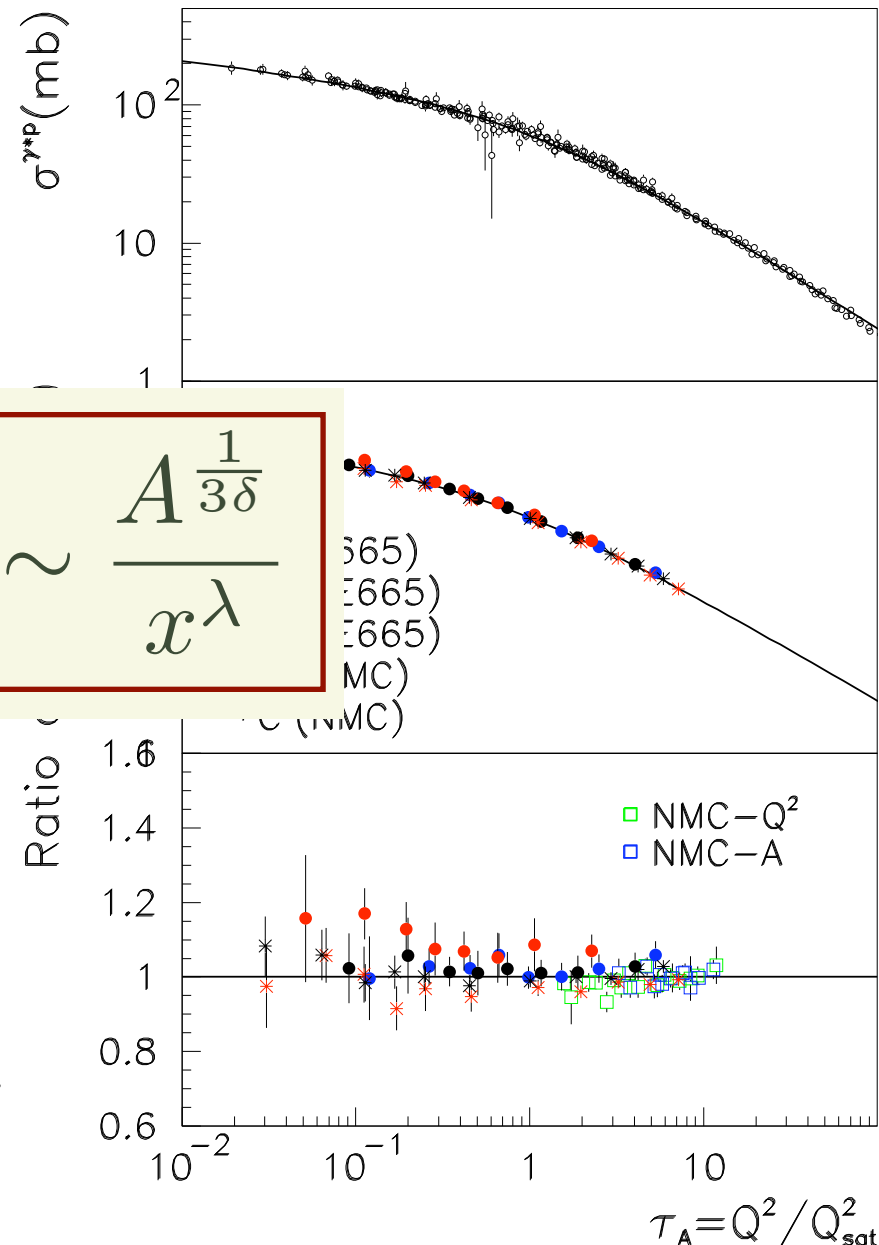
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Multiplicities and geometric scaling

⇒ Multiplicity = number of produced particles

⇒ Assuming the same scaling for particle production in AA collisions

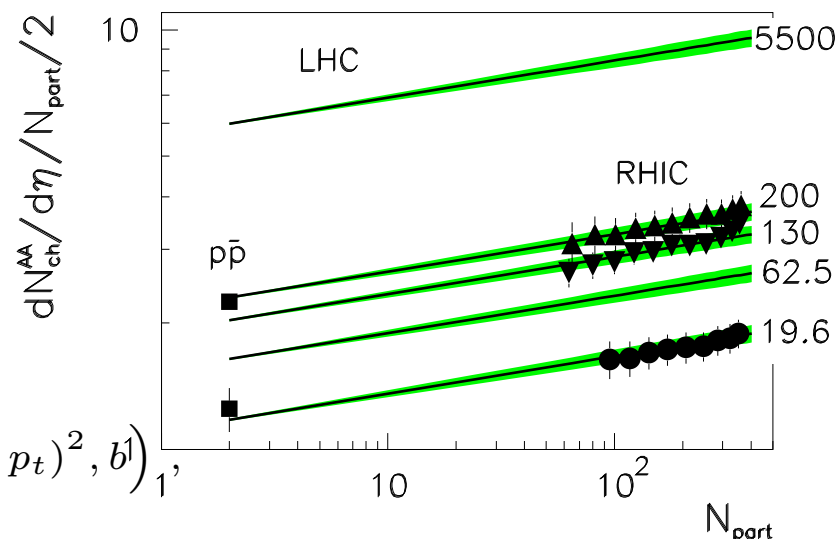
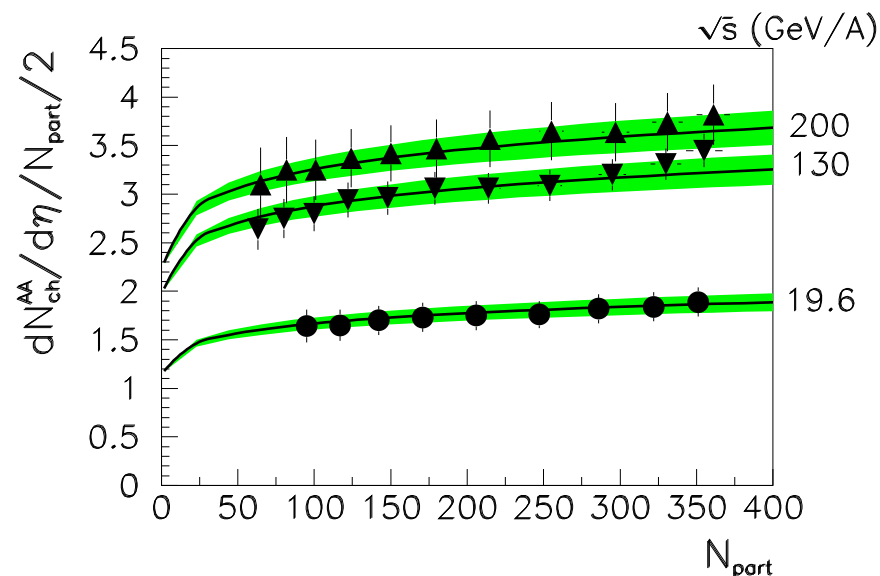
$$\left. \frac{1}{N_{\text{part}}} \frac{dN^{AA}}{d\eta} \right|_{\eta \sim 0} = N_0 \sqrt{s}^\lambda N_{\text{part}}^{\frac{1-\delta}{3\delta}}.$$

→ Energy and centrality dependence fixed by lepton-proton/nucleus data

Exercise: Check this formula. Use

$$\frac{dN_g^{AB}}{dy dp_t^2 d^2b} \propto \frac{\alpha_S}{p_t^2} \int d^2k \phi_A(y, k^2, b) \phi_B(y, (k - p_t)^2, b) \Big|_1,$$

[see Phys. Rev. Lett 94 (2005) 022002]

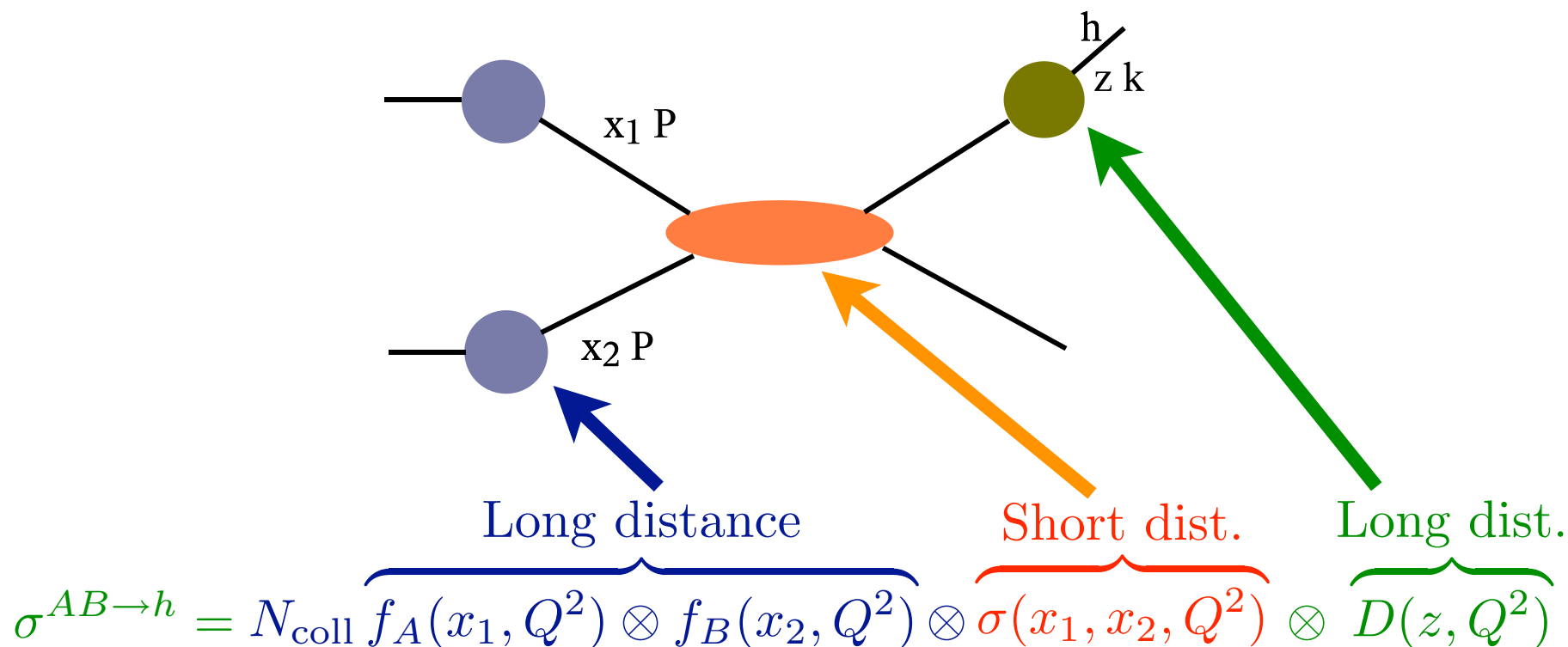


[More in Wit Busza's talks]

Characterizing the final state: Hard Probes

Hard probes

- ⇒ Remember, asymptotic freedom $\alpha_S(Q^2) \rightarrow 0$ for $Q^2 \rightarrow \infty$
- ⇒ A typical hard cross section expands in powers of $\alpha_S(Q^2)$



Long and short distance separation: factorization

Extension of the medium modifies the long distance parts

Hard probes in heavy-ion collisions

- ⇒ SPS $\sqrt{s} = 20$ GeV ($Q \sim 1$ GeV) → marginal access to HP
- ⇒ RHIC $\sqrt{s} = 200$ GeV ($Q \sim 10$ GeV) → access to HP
- ⇒ LHC $\sqrt{s} = 5500$ GeV ($Q \gtrsim 100$ GeV) → HP and QCD evolution

$$\sigma^{pp \rightarrow h} = f_p(x_1, Q^2) \otimes f_p(x_2, Q^2) \otimes \underbrace{\sigma(x_1, x_2, Q^2)}_{\text{RHIC}} \otimes D(z, Q^2) + \left(\frac{1}{Q^2}\right)^n$$

Diagram illustrating the energy scales of different collision experiments relative to the components of the cross-section formula:

- LHC (red arrow) points to $f_p(x_1, Q^2)$ and $f_p(x_2, Q^2)$.
- RHIC (red arrow) points to $\sigma(x_1, x_2, Q^2)$.
- SPS (red arrow) points to $\left(\frac{1}{Q^2}\right)^n$.

- ⇒ QCD → field theory → quantum corrections (evolution equations)
- ⇒ $Q^2 \gg 1 \Rightarrow$ short distances
 - ↘ But we want to study extended objects
 - ⇒ QCD-evolution in long-distance parts $f_p(x, Q^2)$ and $D(z, Q^2)$

A 'simple' example, J/Ψ suppression

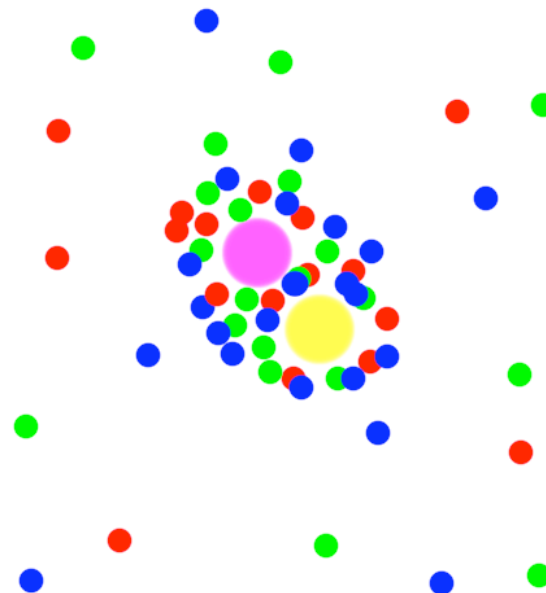
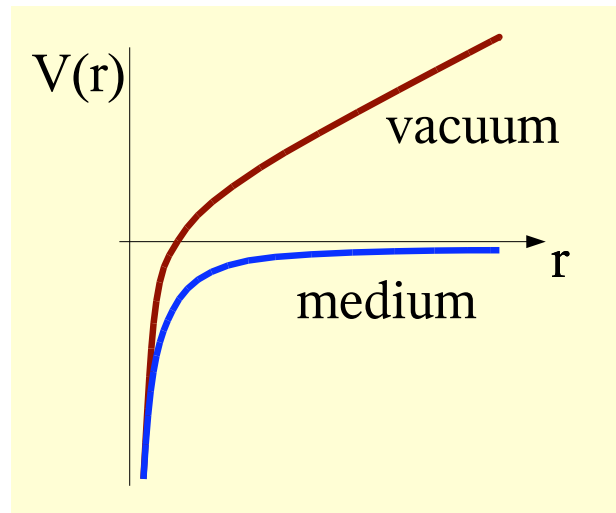
⇒ A J/Ψ is a $c\bar{c}$ bound state.

$$\sigma^{hh \rightarrow J/\Psi} = f_i(x_1, Q^2) \otimes f_j(x_2, Q^2) \otimes \sigma^{ij \rightarrow [c\bar{c}]}(x_1, x_2, Q^2) \langle \mathcal{O}([c\bar{c}] \rightarrow J/\Psi) \rangle$$

⇒ The potential is screened by the medium

→ The long-distance part is modified $\langle \mathcal{O}([c\bar{c}] \rightarrow J/\Psi) \rangle \rightarrow 0$

⇒ The J/Ψ production is suppressed [Matsui, Satz 1986]



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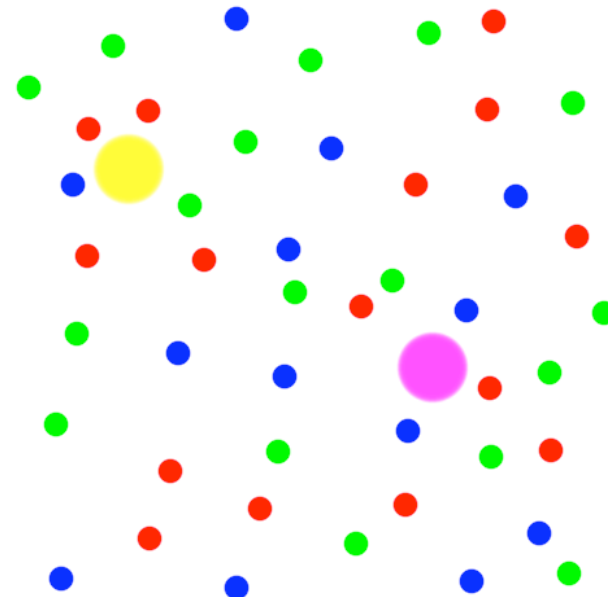
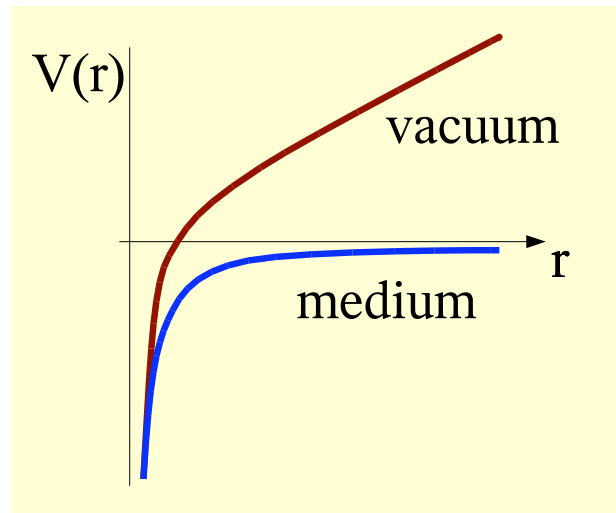
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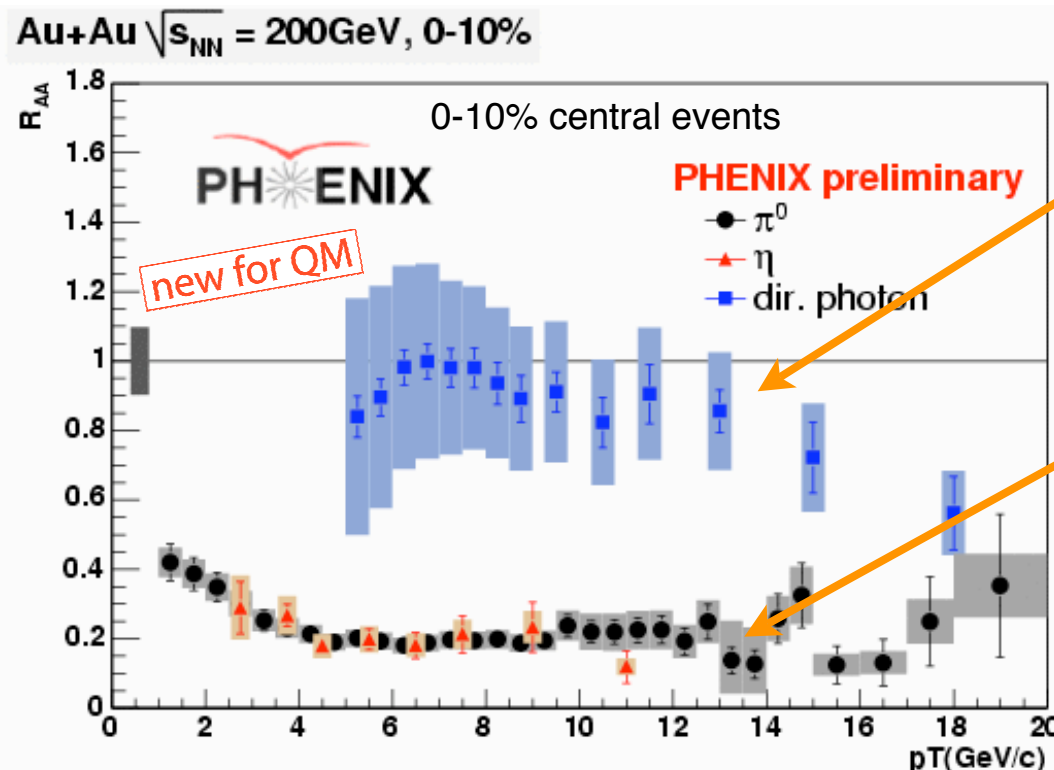
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Effects on high- p_t particles

$$R_{AA} = \frac{dN^{AA}/dp_t}{N_{\text{coll}}dN^{pp}/dp_t}$$



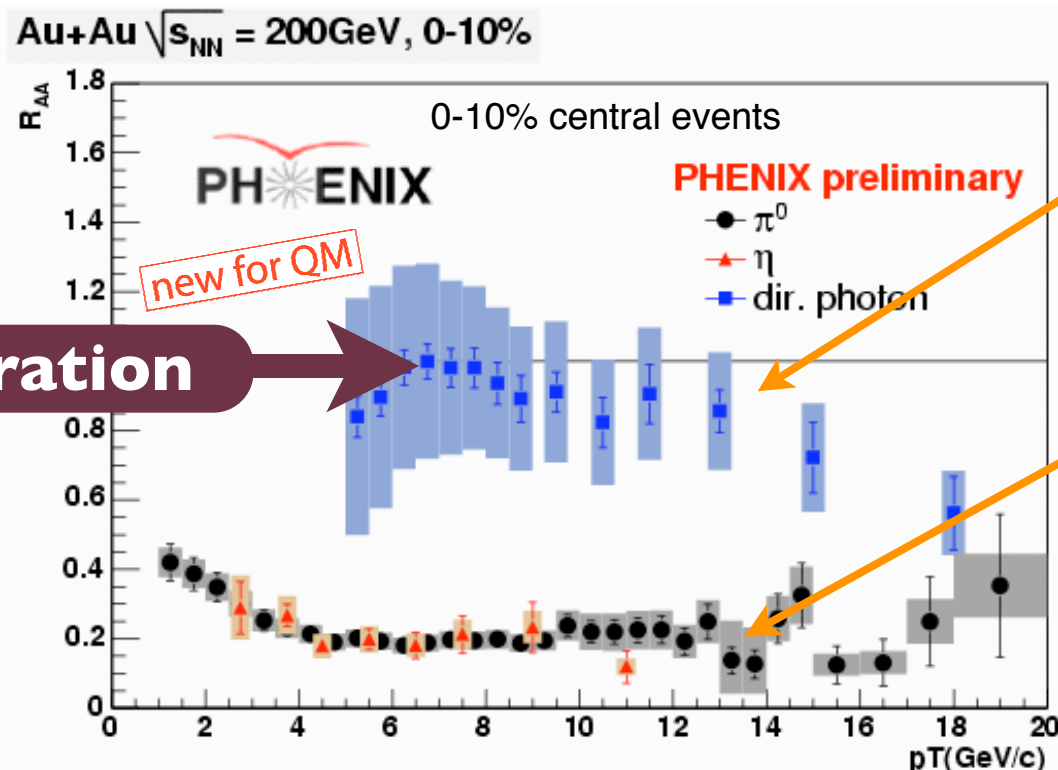
photons

mesons

Photons don't interact (no effect) quarks and gluons do (suppression)

Effects on high- p_t particles

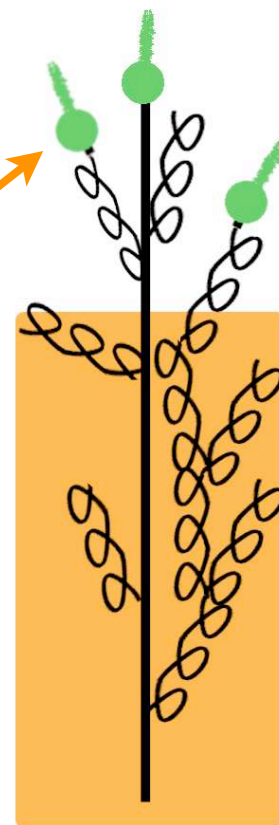
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Calibration

photons

mesons



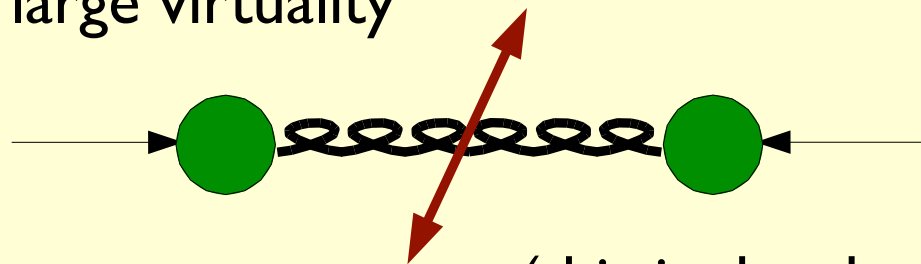
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What is a jet (naively)



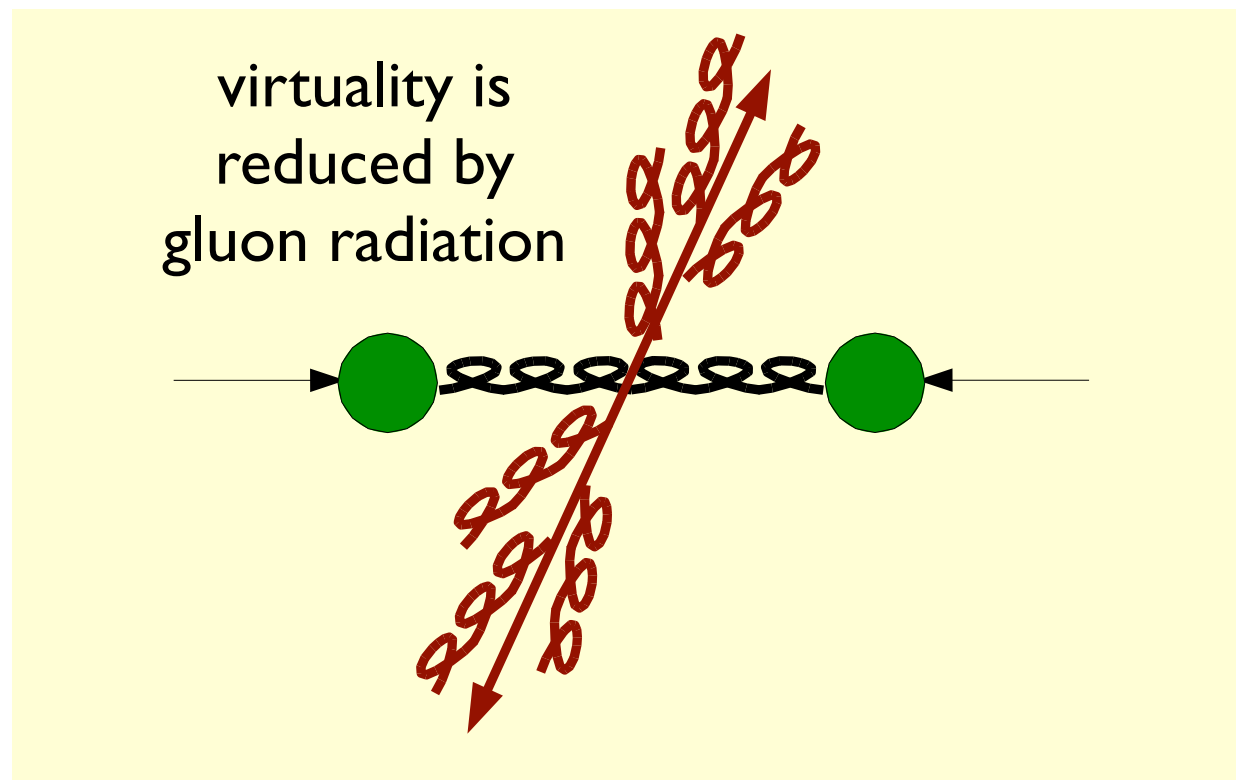
What is a jet (naively)

high-pt partons
produced with
large virtuality

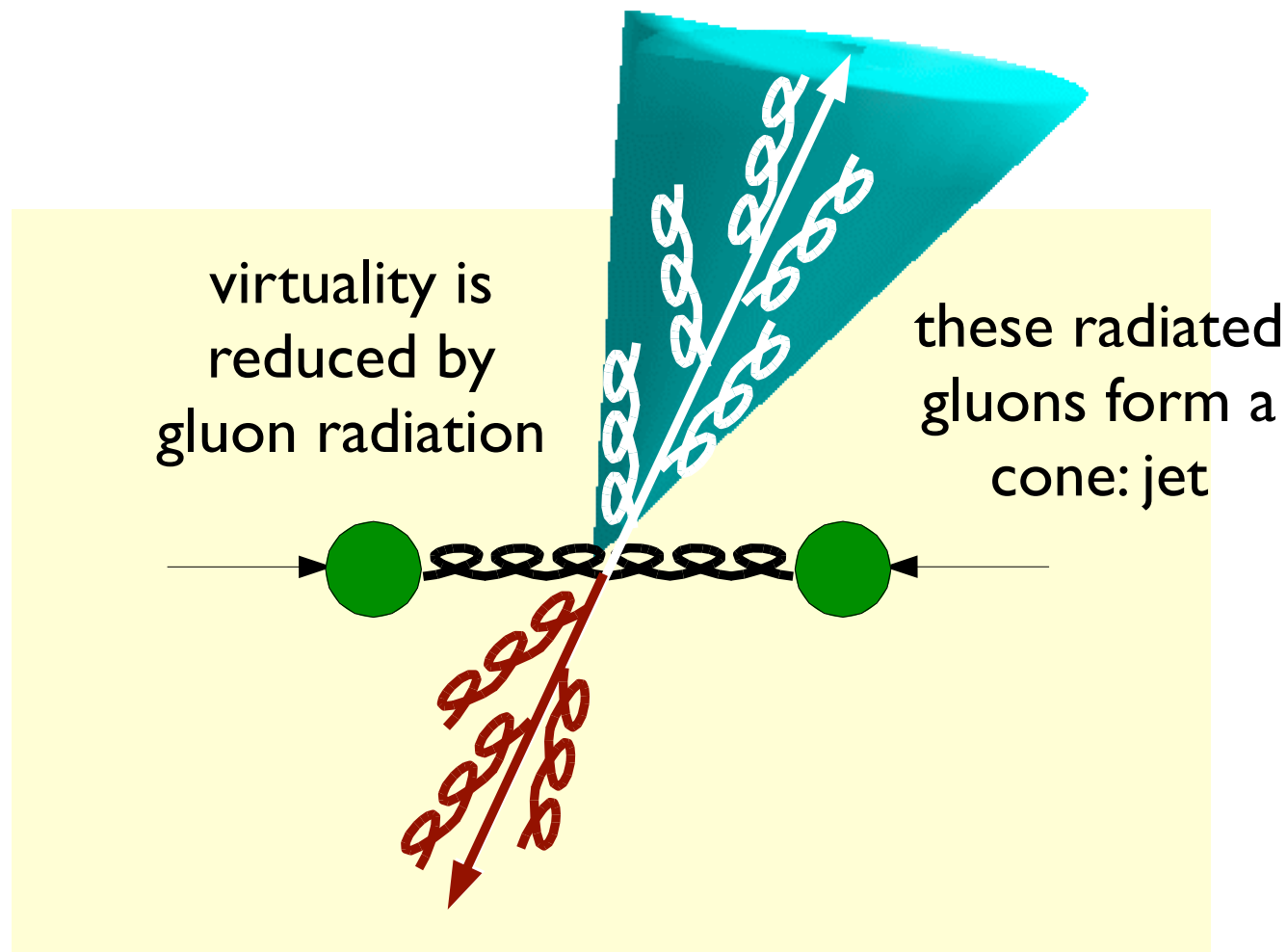


(this is the short
distance part)

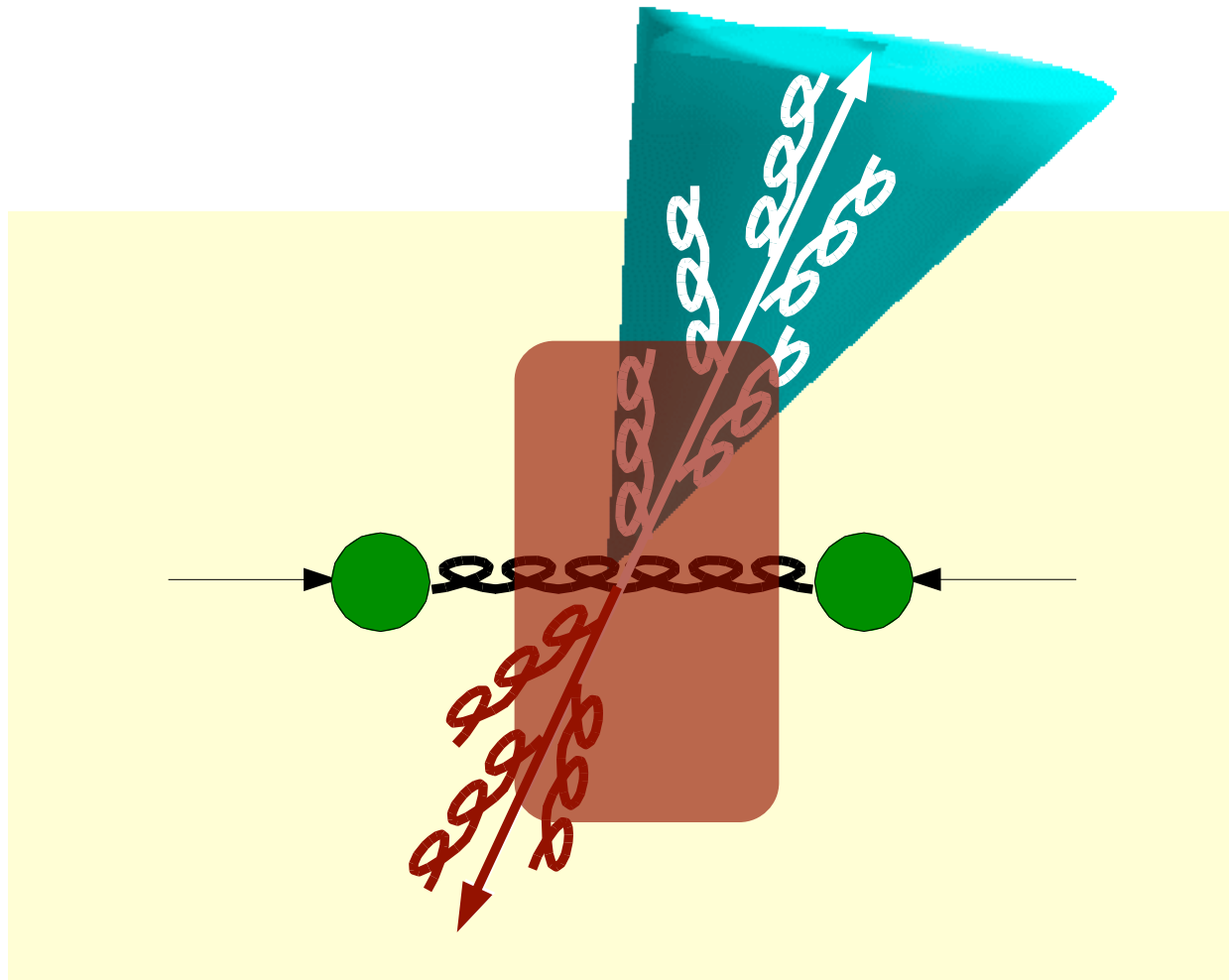
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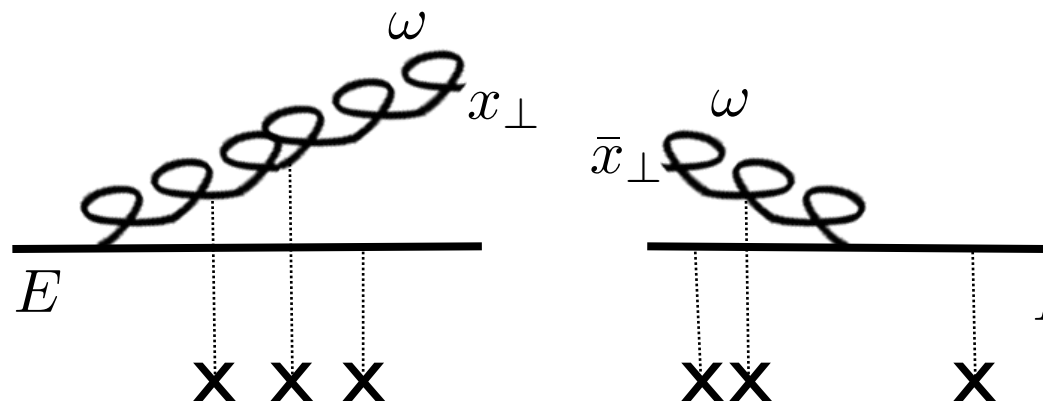


Jet quenching



What happens when this evolution takes place
in the medium created in the collision??

Medium-induced gluon radiation



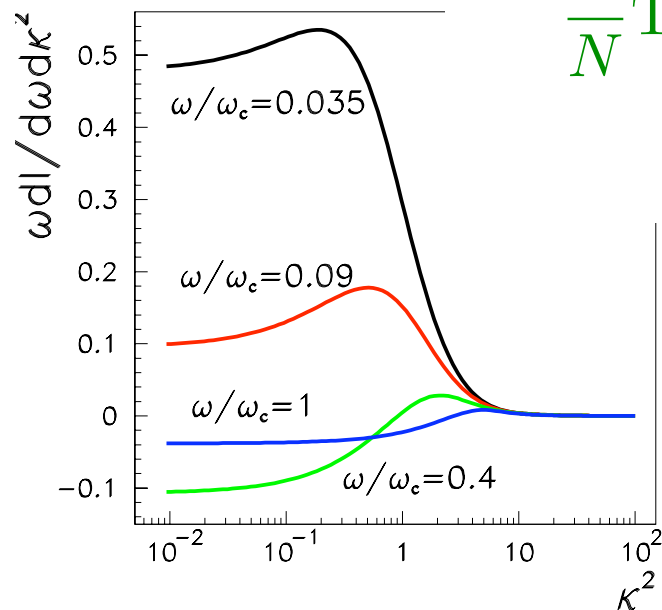
Compute gluon bremsstrahlung in a medium

⇒ High energy approximation

$$E \gg \omega \gg k_{\perp}$$

⇒ Same formalism as initial state but Wilson lines for gluons

$$\frac{1}{N} \text{Tr} \langle W^A(\mathbf{x}_{\perp}) W^{A\dagger}(\bar{\mathbf{x}}_{\perp}) \rangle \approx \exp \left\{ -\frac{1}{4} \hat{q} L (\mathbf{x}_{\perp} - \bar{\mathbf{x}}_{\perp})^2 \right\}$$

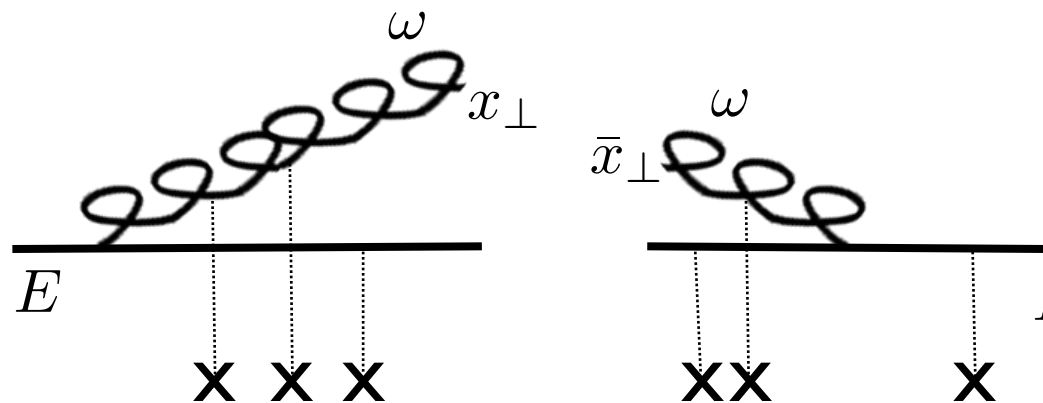


⇒ Two main predictions

⇒ Energy loss $\Delta E \sim \alpha_s \hat{q} L^2$

⇒ Jet broadening $\langle k_t \rangle \sim \hat{q} L$

Medium-induced gluon radiation



Compute gluon bremsstrahlung in a medium

⇒ High energy approximation

$$E \gg \omega \gg k_{\perp}$$

⇒ Same formalism as initial state but Wilson lines for gluons

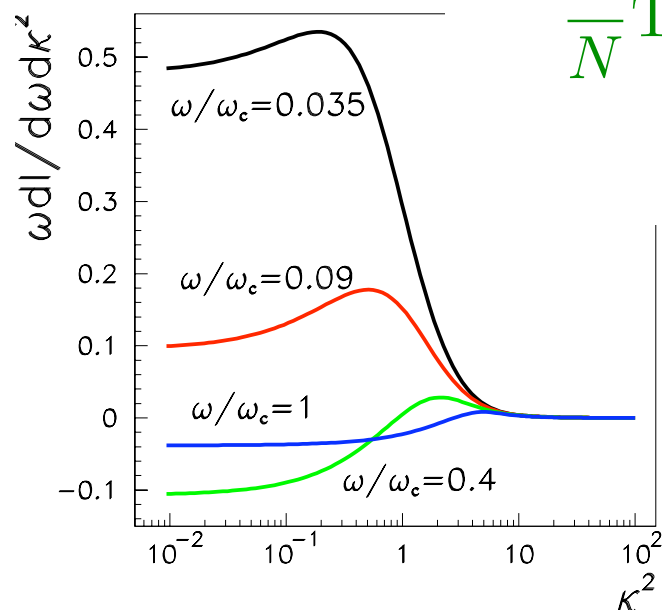
$$\frac{1}{N} \text{Tr} \langle W^A(\mathbf{x}_{\perp}) W^{A\dagger}(\bar{\mathbf{x}}_{\perp}) \rangle \approx \exp \left\{ -\frac{1}{4} \hat{q} L (\mathbf{x}_{\perp} - \bar{\mathbf{x}}_{\perp})^2 \right\}$$

transport coefficient

⇒ Two main predictions

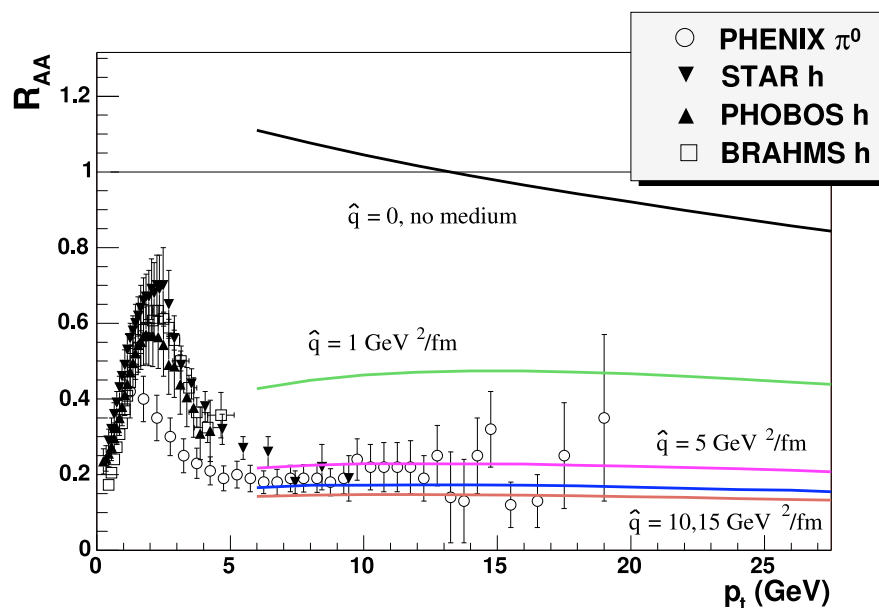
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⇒ Jet broadening $\langle k_t \rangle \sim \hat{q} L$



Description of the suppression

$$d\sigma_{(\text{med})}^{AA \rightarrow h+X} = \sum_f d\sigma_{(\text{vac})}^{AA \rightarrow f+X} \otimes P_f(\Delta E, L, \hat{q}) \otimes D_{f \rightarrow h}^{(\text{vac})}(z, \mu_F^2).$$

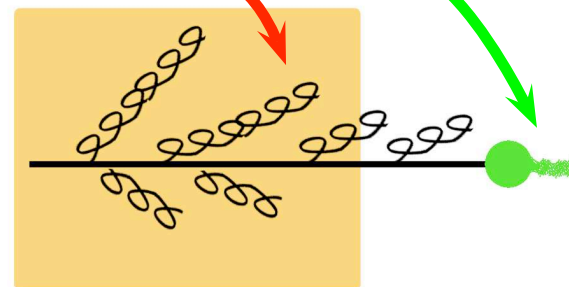


[Eskola, Honkanen, Salgado, Wiedemann (2004)]

⇒ Data favors a large time-averaged transport coefficient

$$\hat{q} \sim 5 \dots 15 \frac{\text{GeV}^2}{\text{fm}}$$

[Gyulassy, Levai, Vitev 2002; Arleo 2002; Dainese, Loizides, Paic 2004; Wang, Wang 2005; Drees, Feng, Jia 2005; Turbide, Gale, Jeon, Moore 2005...]



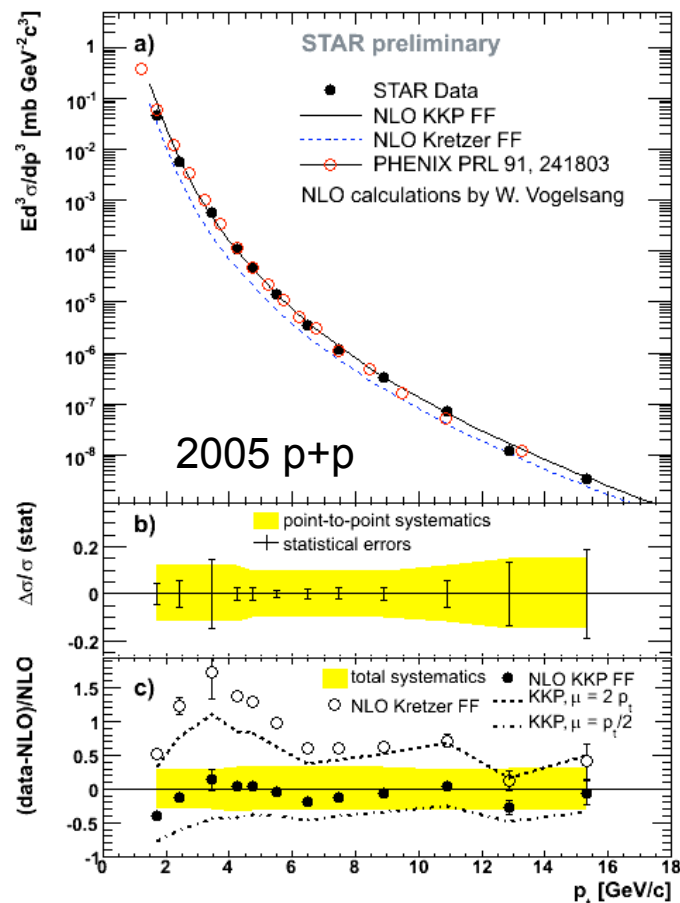
⇒ Multiple emission:
Poisson distribution

⇒ Hadronization in vacuum
at high- p_t

Calibration of the probes

proton-proton

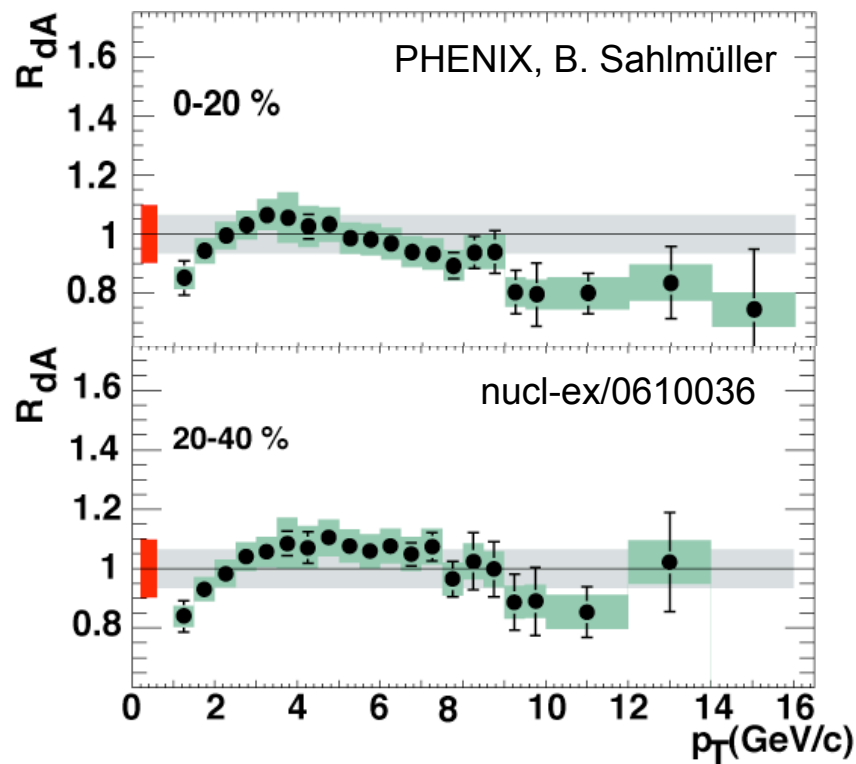
M. Russcher



STAR gearing up γ , π^0 in p+p, d+Au

Good agreement with NLO pQCD and PHENIX

$$R_{dA} = \frac{dN^{dA}/dp_t}{N_{\text{coll}} dN^{pp}/dp_t}$$

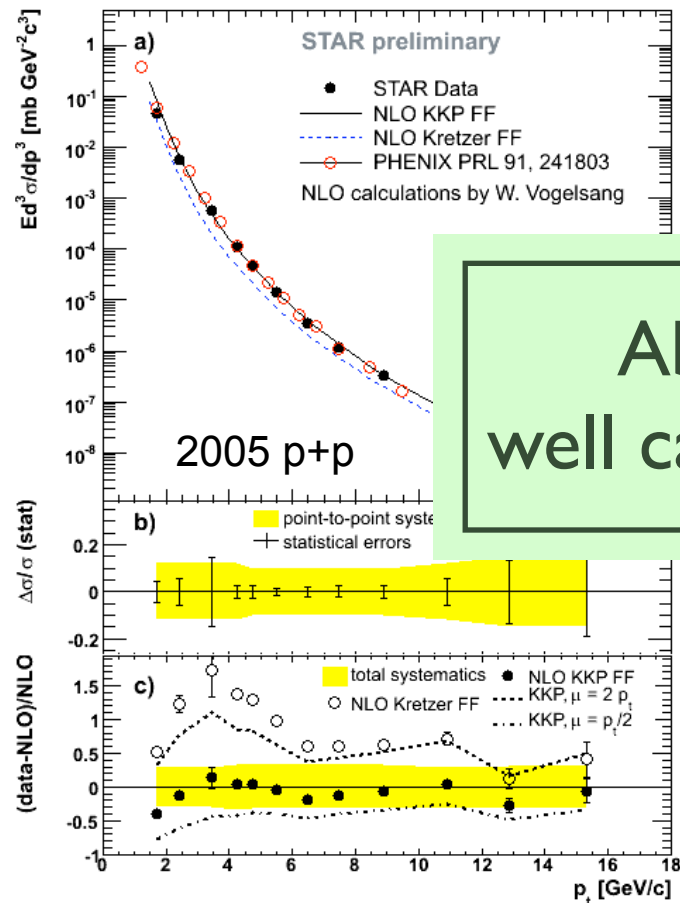


Measures Cronin, initial state effects

[Marco van Leeuwen QM06]

Calibration of the probes

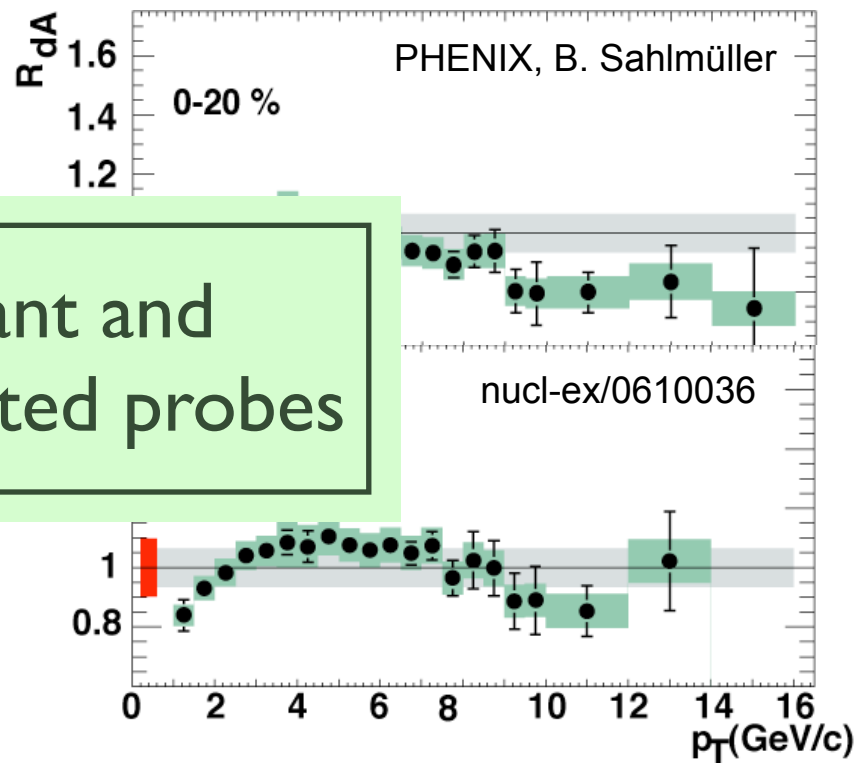
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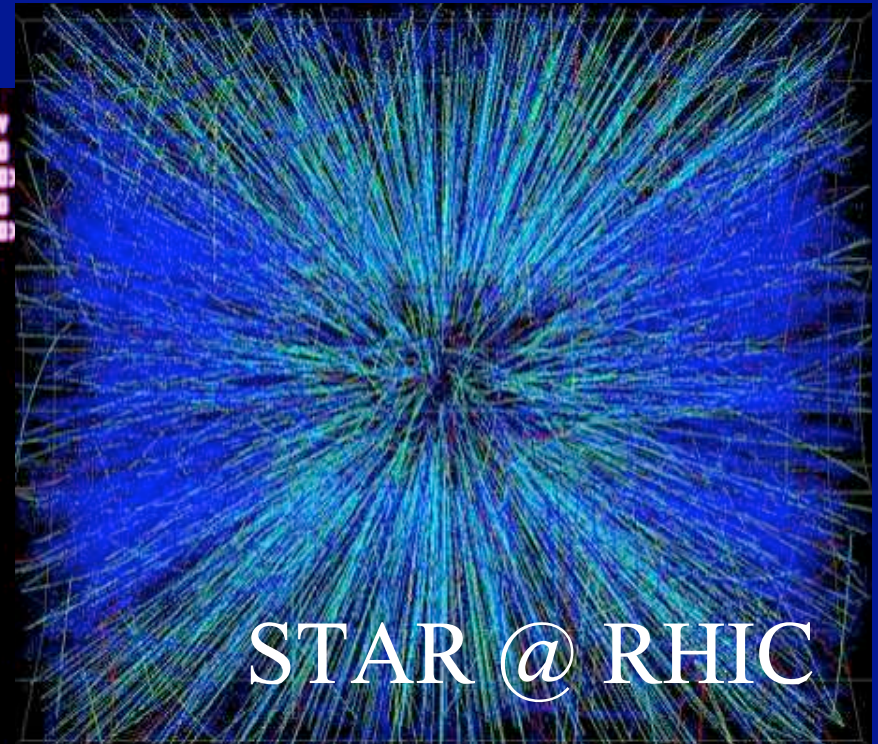


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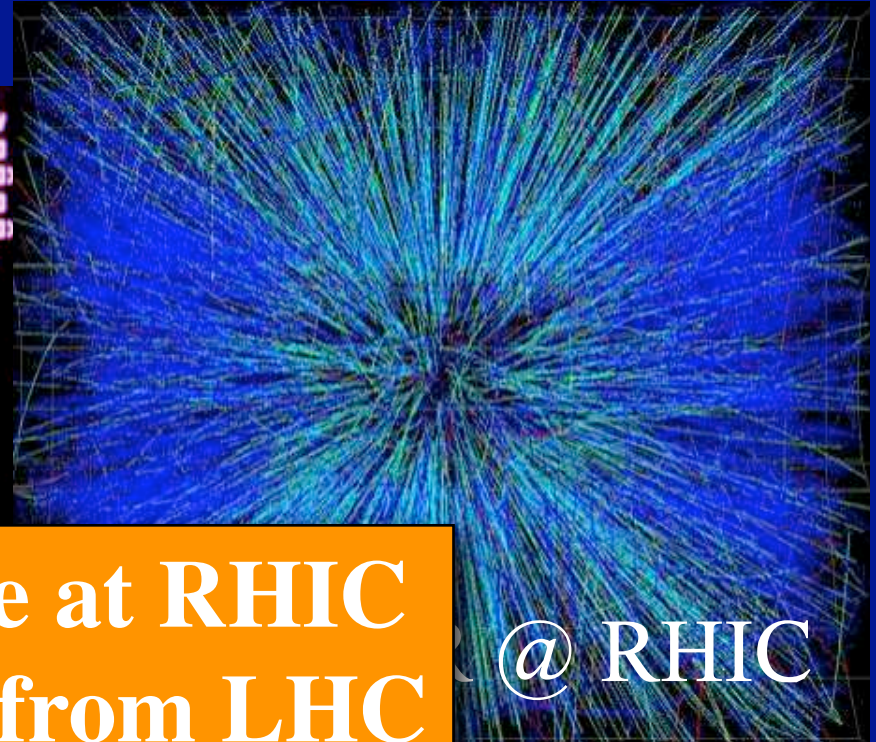
[Marco van Leeuwen QM06]

Abundant and
well calibrated probes

Jets in HIC



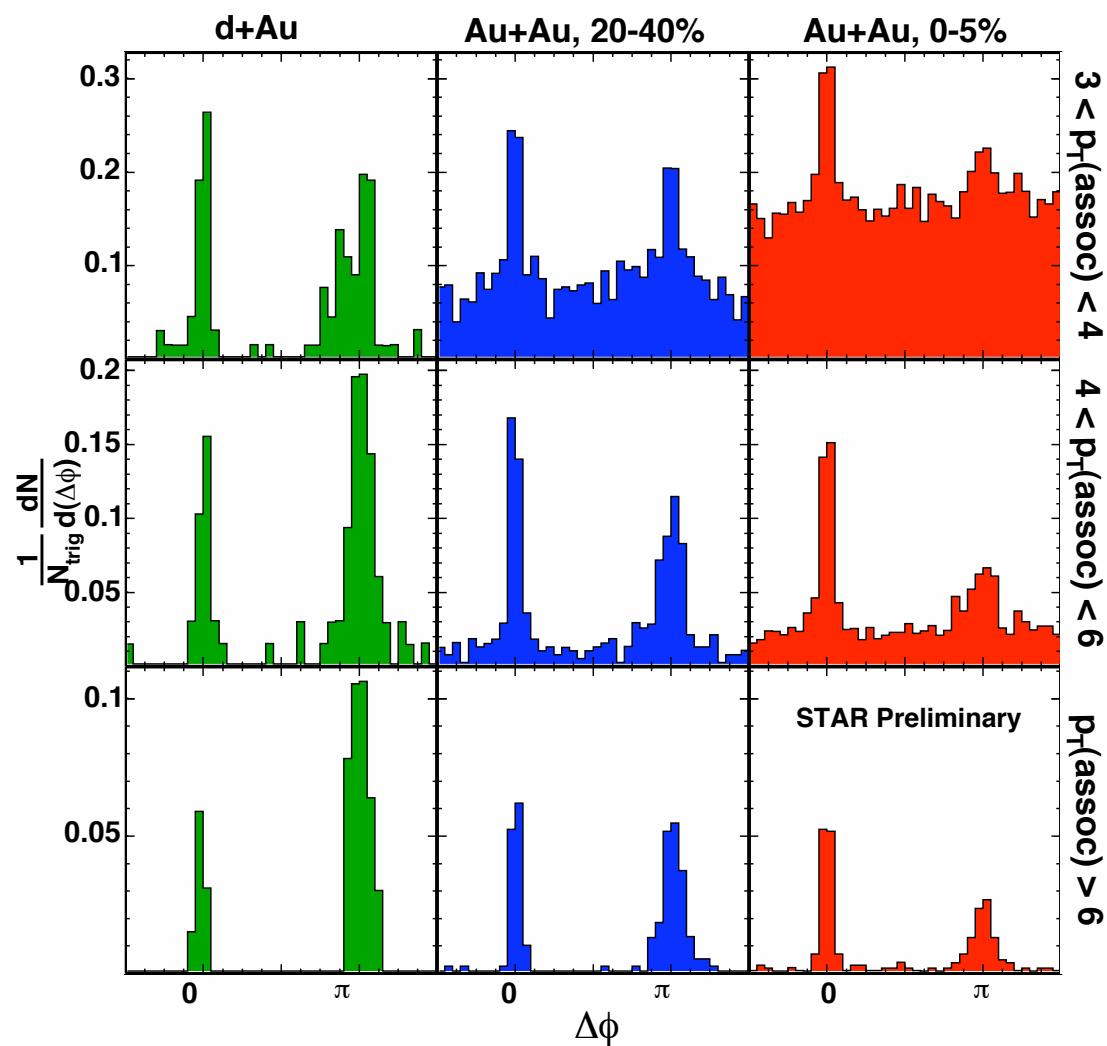
Jets in HIC



Not possible at RHIC
first results from LHC
expected for 2009-2010

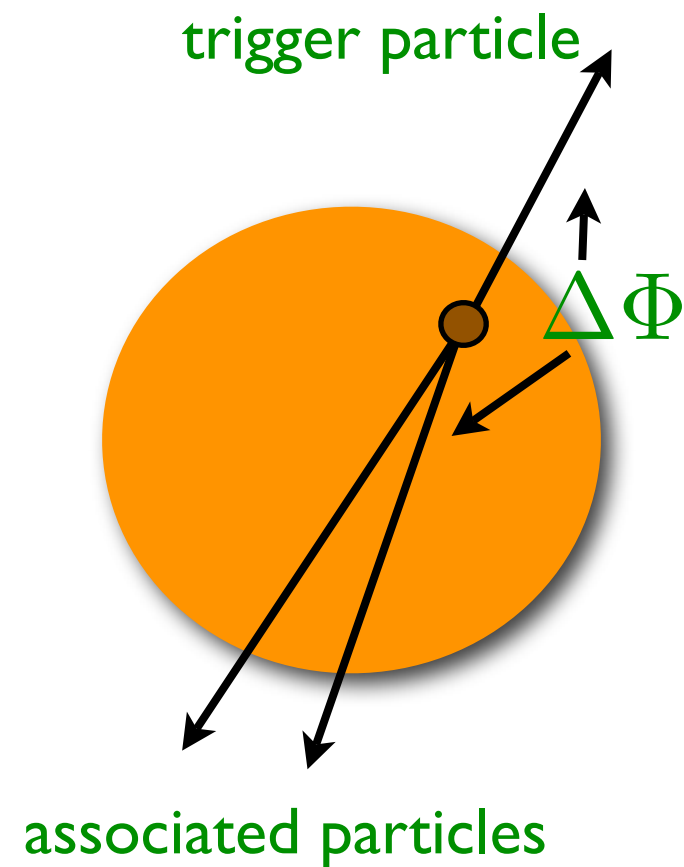


RHIC: two particle correlations



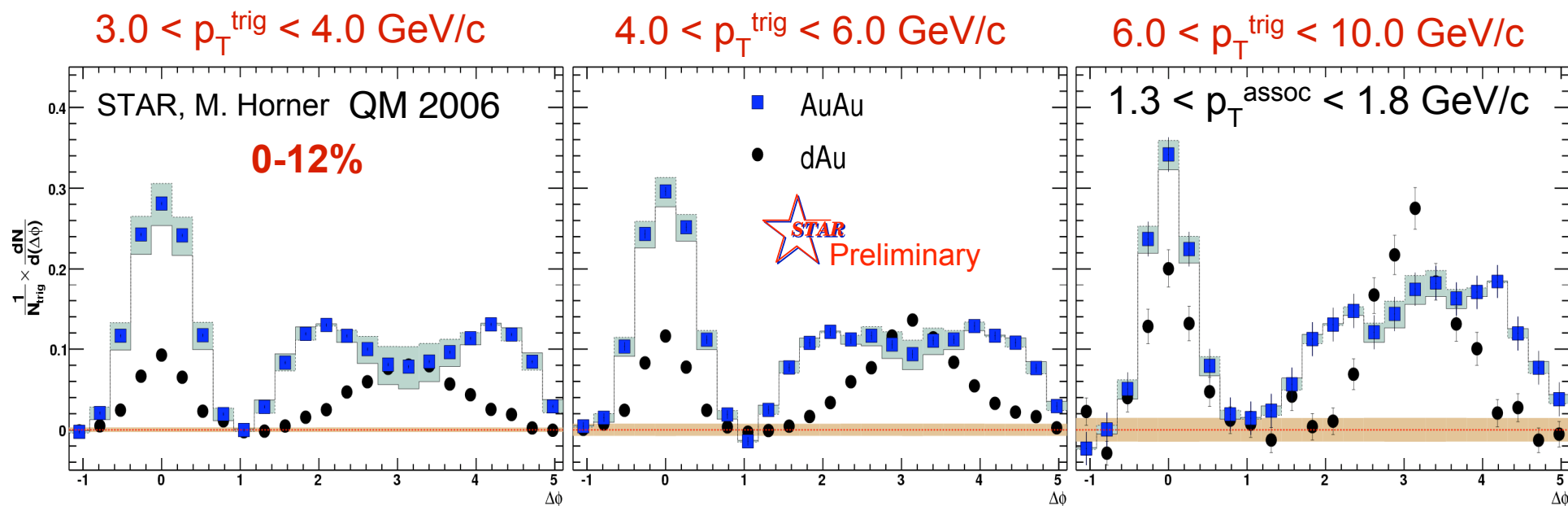
[STAR 2006]

Transverse plane



Removing the cut-off at RHIC

[Similar results for PHENIX and also SPS (Ceres)]



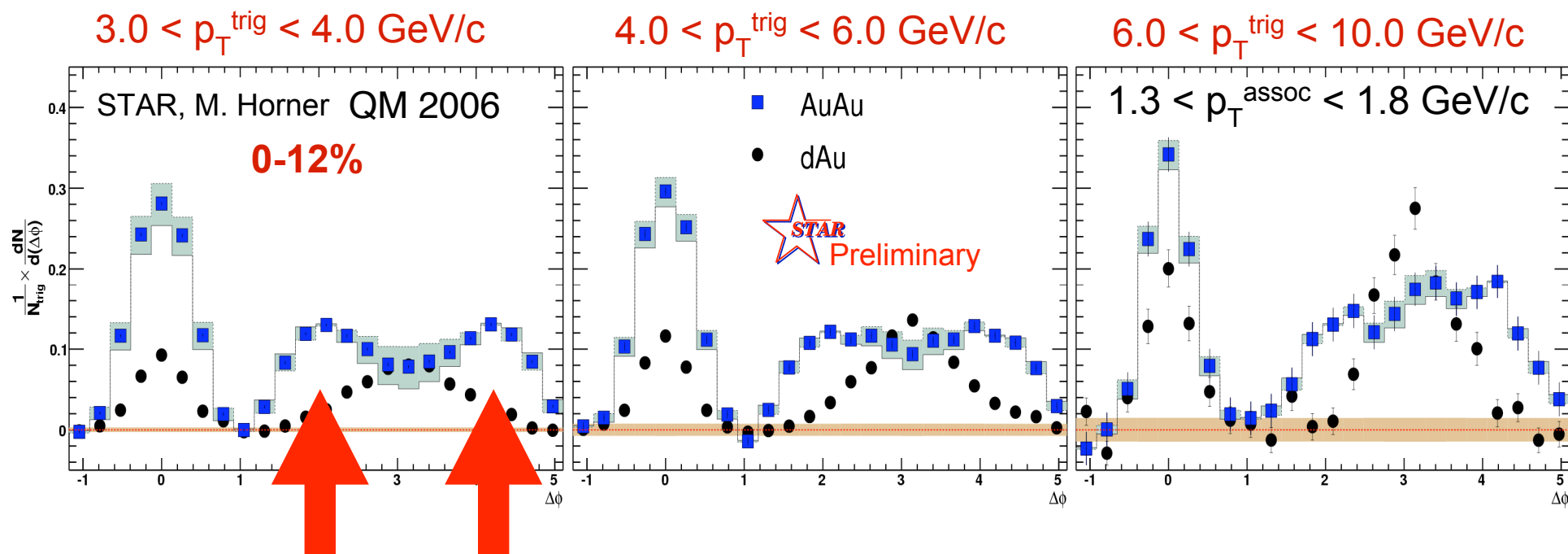
⇒ Nontrivial angular dependences in the away-side

➤ Large broadening

➤ Two-peaks when $p_t^{\text{trigg}} \sim p_t^{\text{assoc}}$

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Two opposite assumptions:

- All energy deposited in the medium
+hydrodynamical evolution
- Recoil-less medium-induced radiation

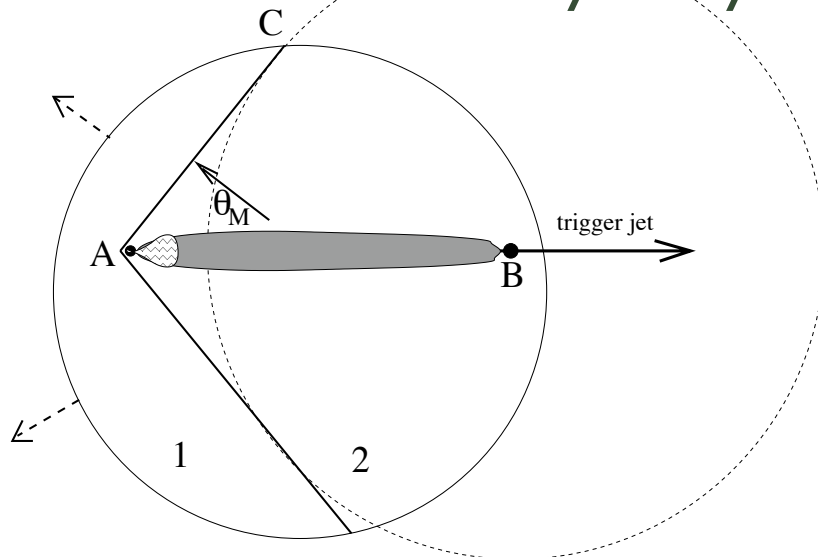
Two opposite assumptions:

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***A way to understand the
energy deposition in the medium***

Interpretations...

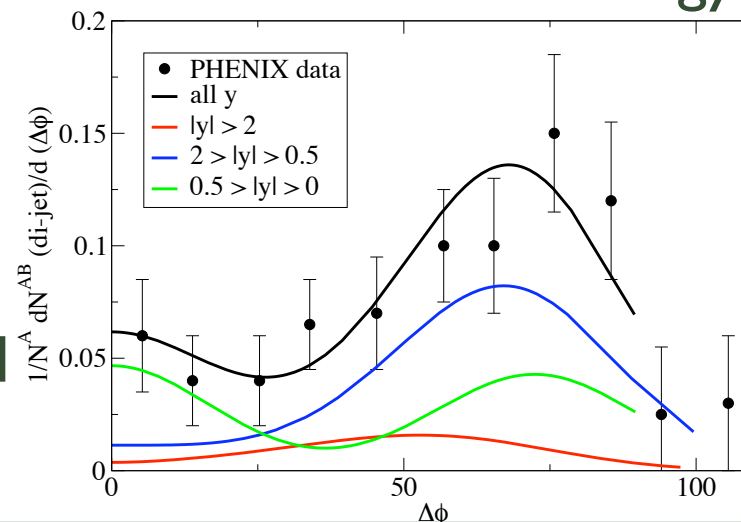
Shock waves in hydrodynamical medium



⇒ A hydrodynamical medium produces shock waves IF the energy is deposited fast enough

[Casalderrey-Solana, Shuryak, Teaney; Stoecker; Muller, Renk, Ruppert; Manuel, Mannarelli ...]

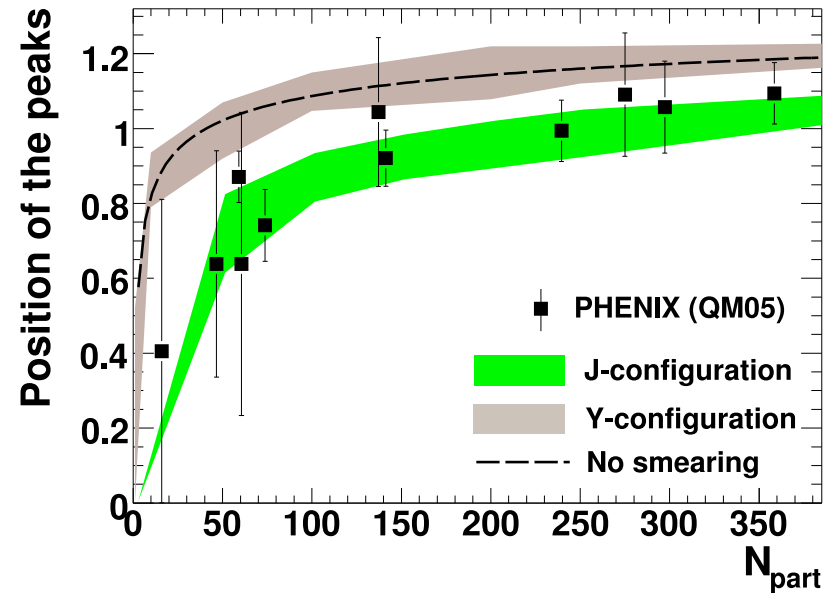
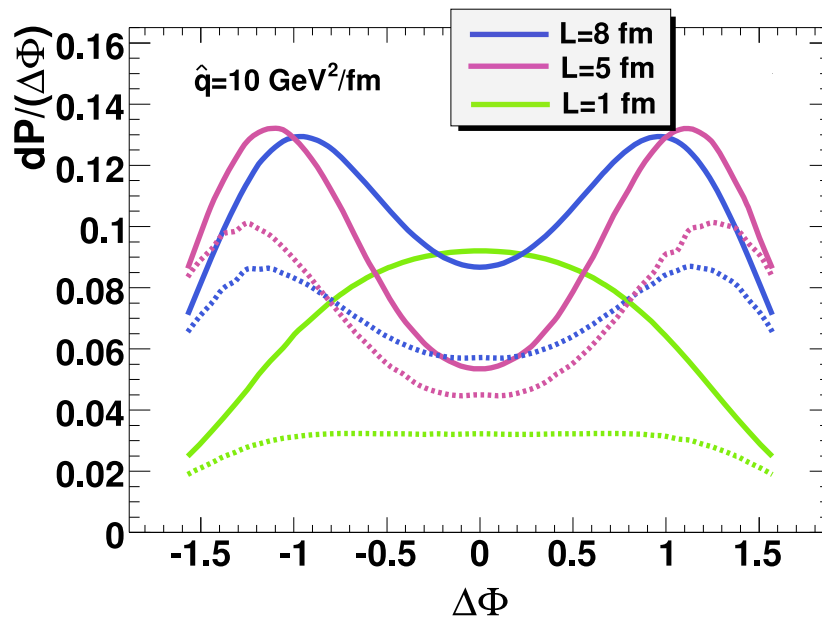
⇒ Also Cherenkov radiation proposed
[Dremin; Majumder, Wang]



Jet shapes in opaque media

⇒ The probability of only one splitting

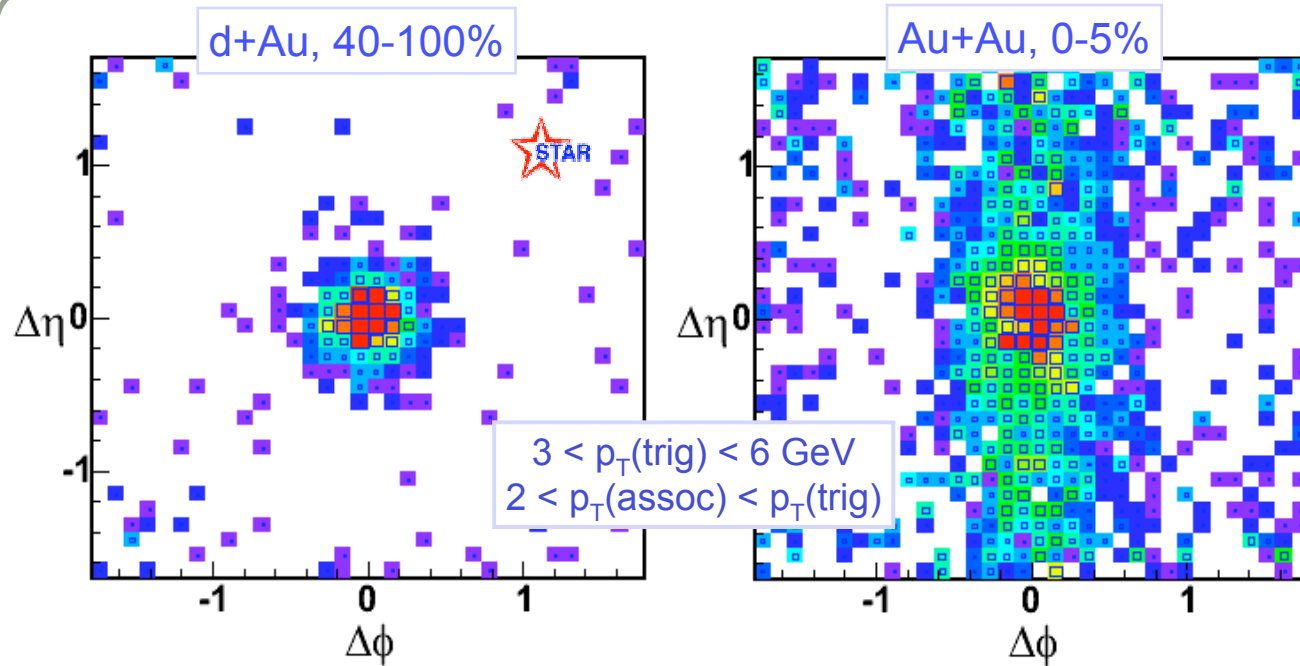
$$d\mathcal{P} = dz d\theta \frac{\alpha_s C_R}{8\pi} E L \sin \theta \cos \theta \exp \left\{ -\frac{\alpha_s C_R}{16\pi} E L \cos^2 \theta \right\}$$



[Polosa, Salgado hep-ph/0607295]

⇒ A perturbative mechanism, the medium-induced gluon radiation, is able to reproduce the observed 2-peak structure in the away side jet.

The 'ridge'

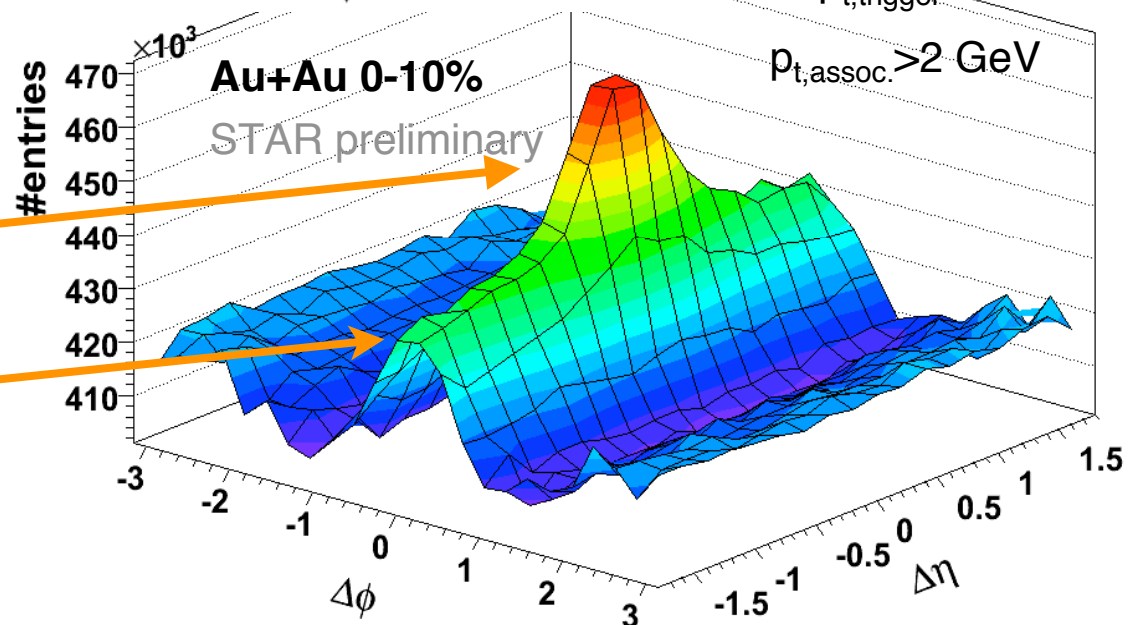


[Dan Magestro HP04]

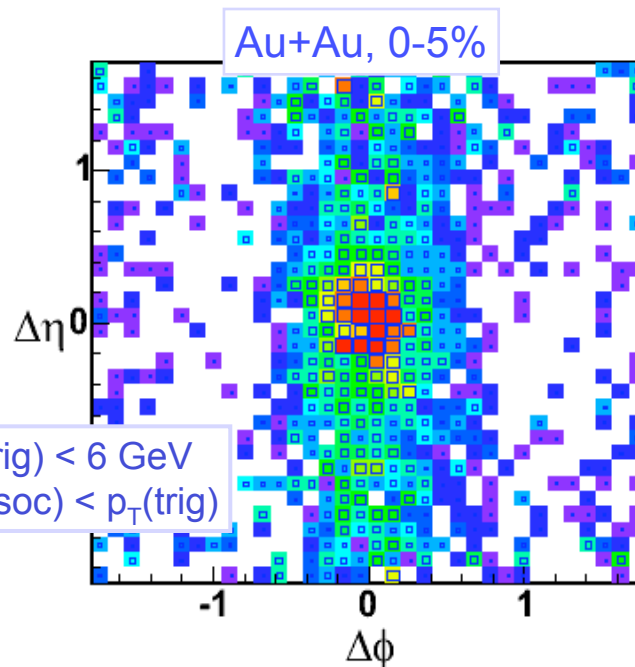
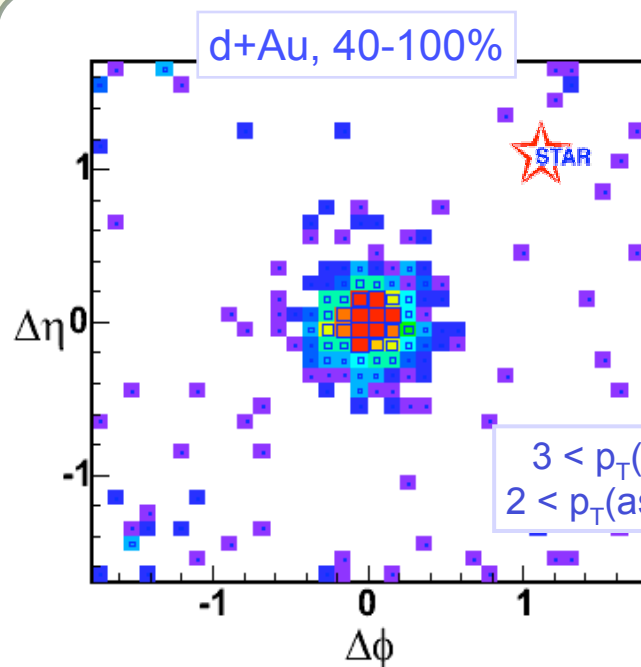
Near side correlations
gaussian+ridge

⇒ Gaussian similar to
vacuum fragmentation

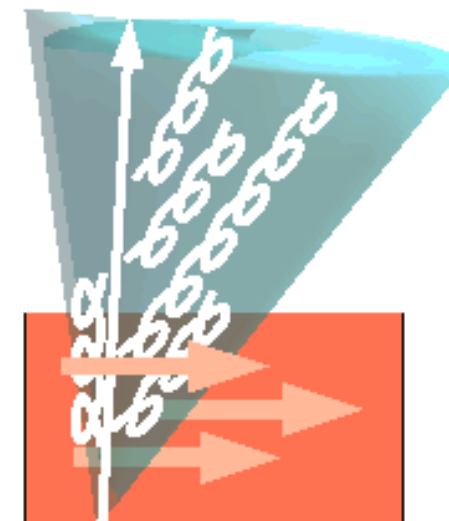
⇒ Ridge similar to bulk



The 'ridge'



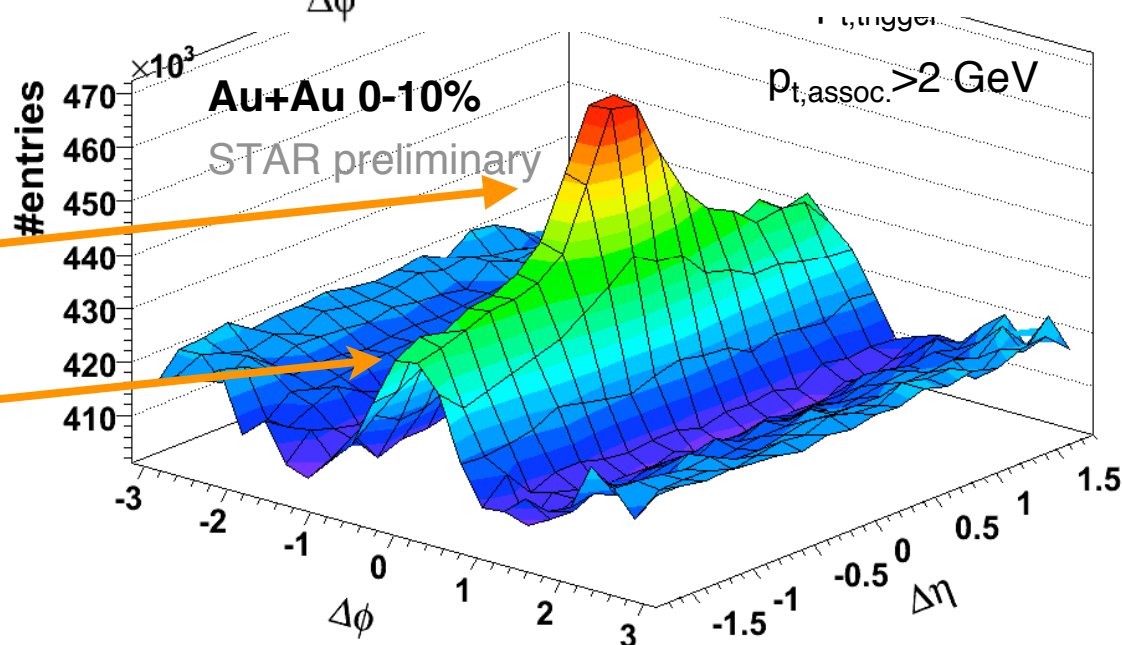
[Armesto, Salgado, Wiedemann 2004]



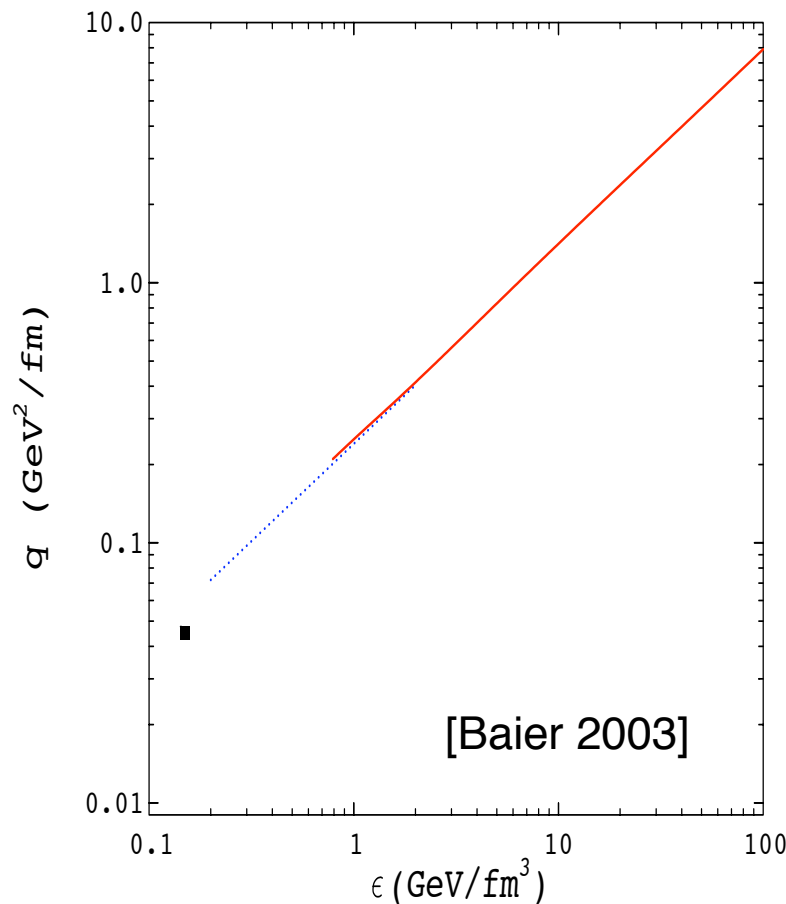
[Dan Magestro HP04]

⇒ Gaussian similar to vacuum fragmentation

⇒ Ridge similar to bulk



Interpretation of the value of \hat{q}



⇒ Transport coefficient for an ideal quark-gluon gas

$$\hat{q}_{\text{ideal gas}} \simeq \frac{72}{\pi} \xi(3) \alpha_s^2 T^3 \simeq 2\epsilon^{3/4}$$

[Baier and Schiff 2006]

⇒ Fits to the data

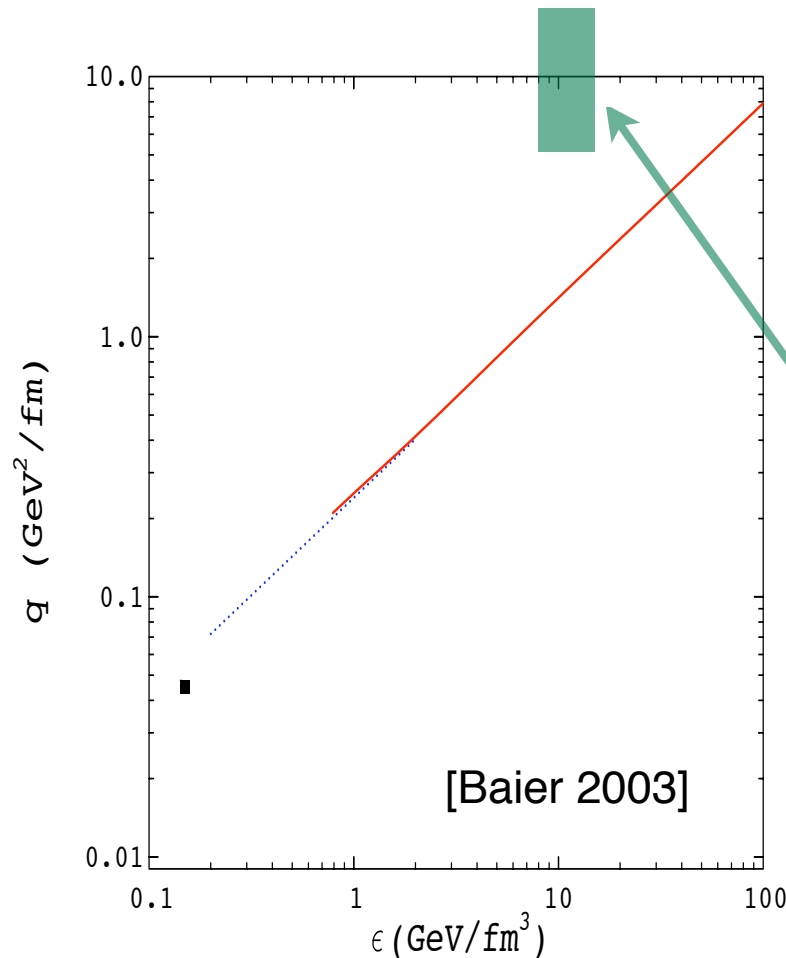
$$\hat{q} > 5 \hat{q}_{\text{ideal gas}} \quad [\text{Eskola et al. 2004}]$$

$$\hat{q} \simeq 4.2 \hat{q}_{\text{ideal gas}} \quad [\text{Renk et al. 2007}]$$

⇒ Geometry plays a crucial role

⇒ Model of the medium? sQGP?

Interpretation of the value of \hat{q}



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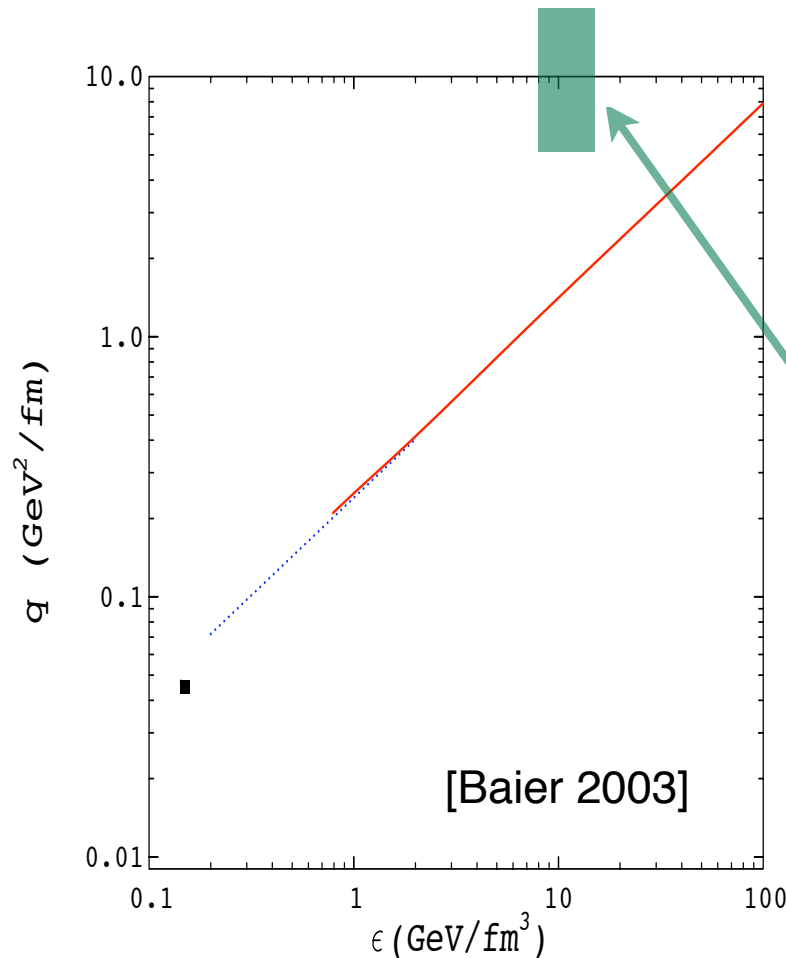
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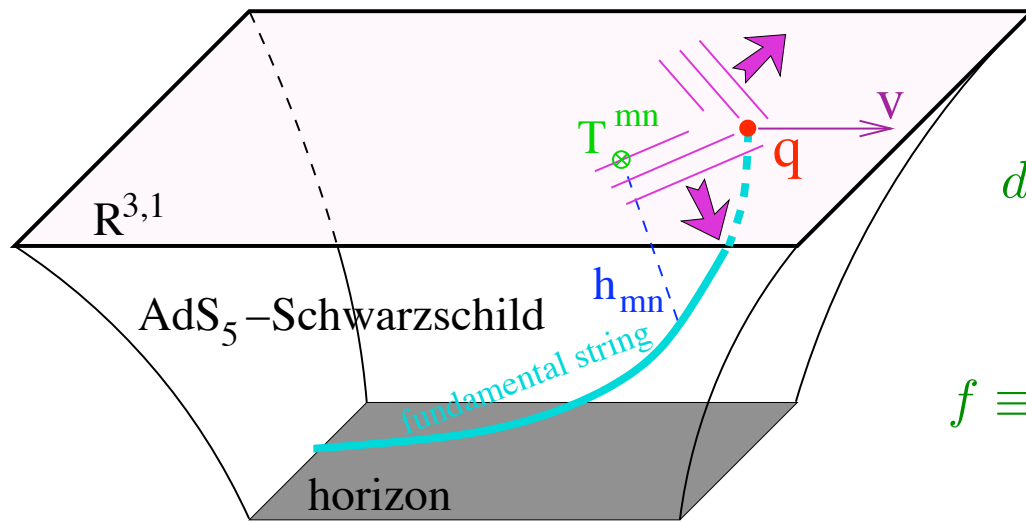
⇒ Geometry plays a crucial role

⇒ Model of the medium? sQGP?

What is the order of magnitude of the NLO correction?

Some new developments...
The String Theory connection

The AdS/CFT correspondence



⇒ Define a metric in 4+1 dimensions with a black hole

$$ds^2 = f dt^2 + \frac{r^2}{R^2} (dx_1^2 + dx_2^2 + dx_3^2) + \frac{1}{f} dr^2$$

$$f \equiv \frac{r^2}{R^2} \left(1 - \frac{r_0^4}{r^4} \right) \quad \text{black hole horizon at } r = r_0$$

⇒ Dual to a thermal $\mathcal{N} = 4$ super YM theory at finite temperature

$$T = \frac{r_0}{\pi R^2} \quad (\text{Hawking temperature})$$

⇒ Ex. compute the Wilson loop = compute the action for the string

$$\langle W^F(C) \rangle = e^{-S(C)}$$

$$S = \frac{1}{2\pi\alpha'} \int d\sigma d\tau \sqrt{\det g_{\alpha\beta}}$$

The observables

⇒ Applied to the jet quenching parameter:

$$\langle W^A(\mathcal{C}) \rangle \simeq \exp \left[-\frac{1}{4\sqrt{2}} \hat{q} r^2 L_- \right] \quad \begin{array}{l} \hat{q} = 4.5, 10.6, 20.7 \text{ GeV}^2/\text{fm} \\ T = 300, 400, 500 \text{ MeV} \end{array}$$

[Liu, Rajagopalan, Wiedemann; Armesto, Edelstein, Mas...2006]

⇒ The viscosity-to-entropy ratio

$$\frac{\eta}{s} = \frac{1}{4\pi}$$

$\eta \propto \text{area of horizon}$
 $s \propto \text{area of horizon}$

Universal lower bound?

[Kovtun, Son, Starinets 2003]

⇒ The hydrodynamic behavior

→ Bjorken hydrodynamics recovered (and more)

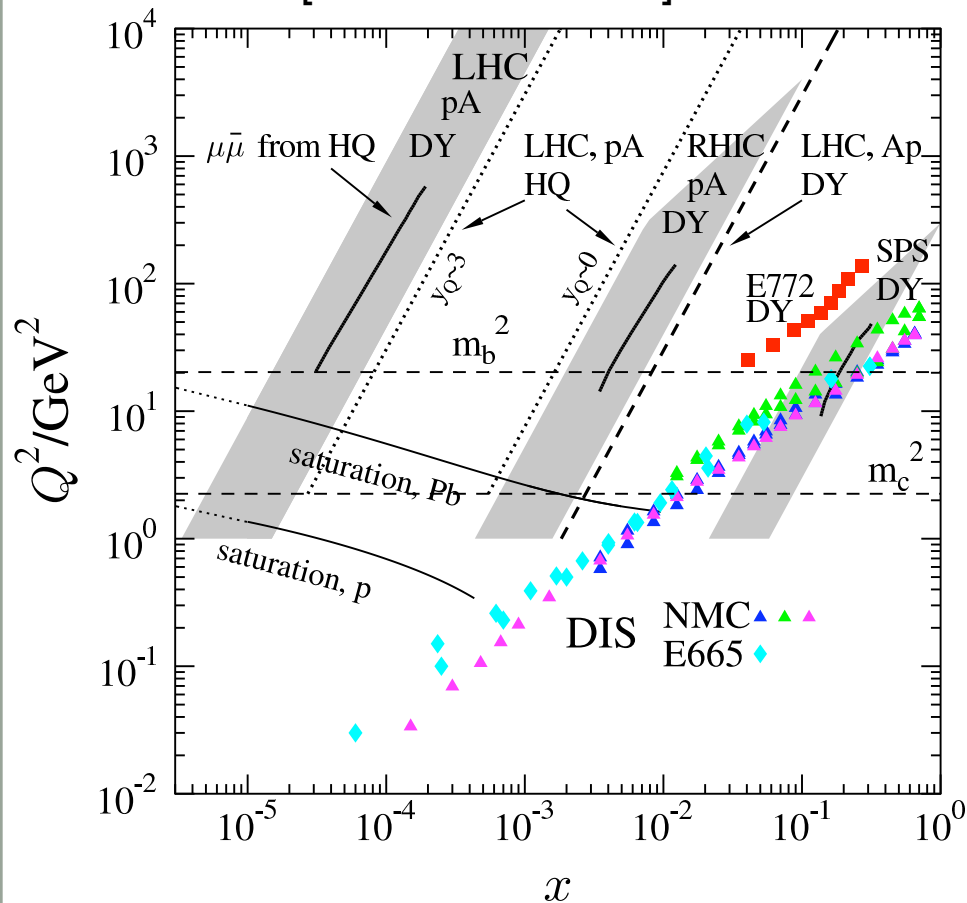
[Heller, Surowka: seminars; Janik, Peschanski 2006; Kovchegov, Taliotis 2007...]

⇒ Shock waves; heavy quark energy loss; bound states....

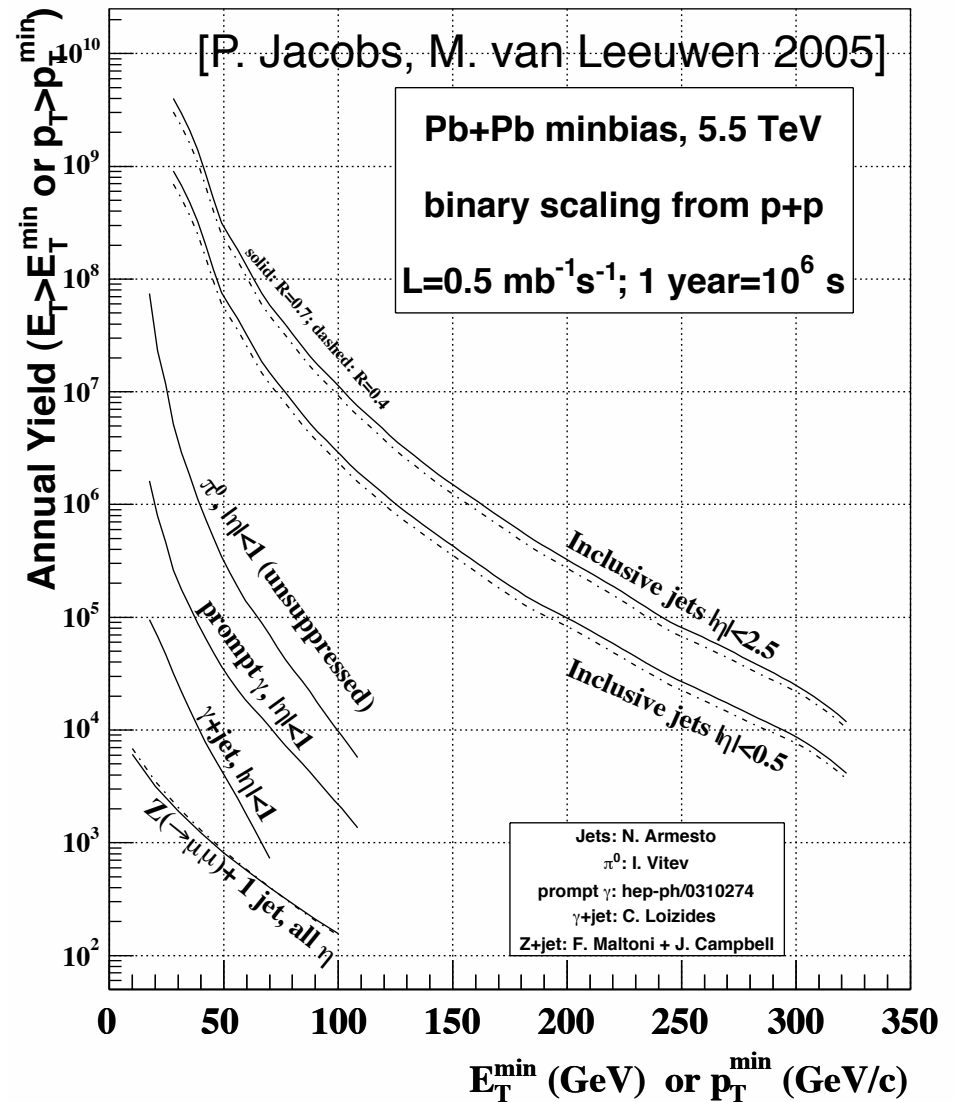
[Gubser; Herzog, Karch, Kovtun, Kozcaz, Yaffe; Casalderrey-Solana, Teaney.... 2006]

New regimes at the LHC

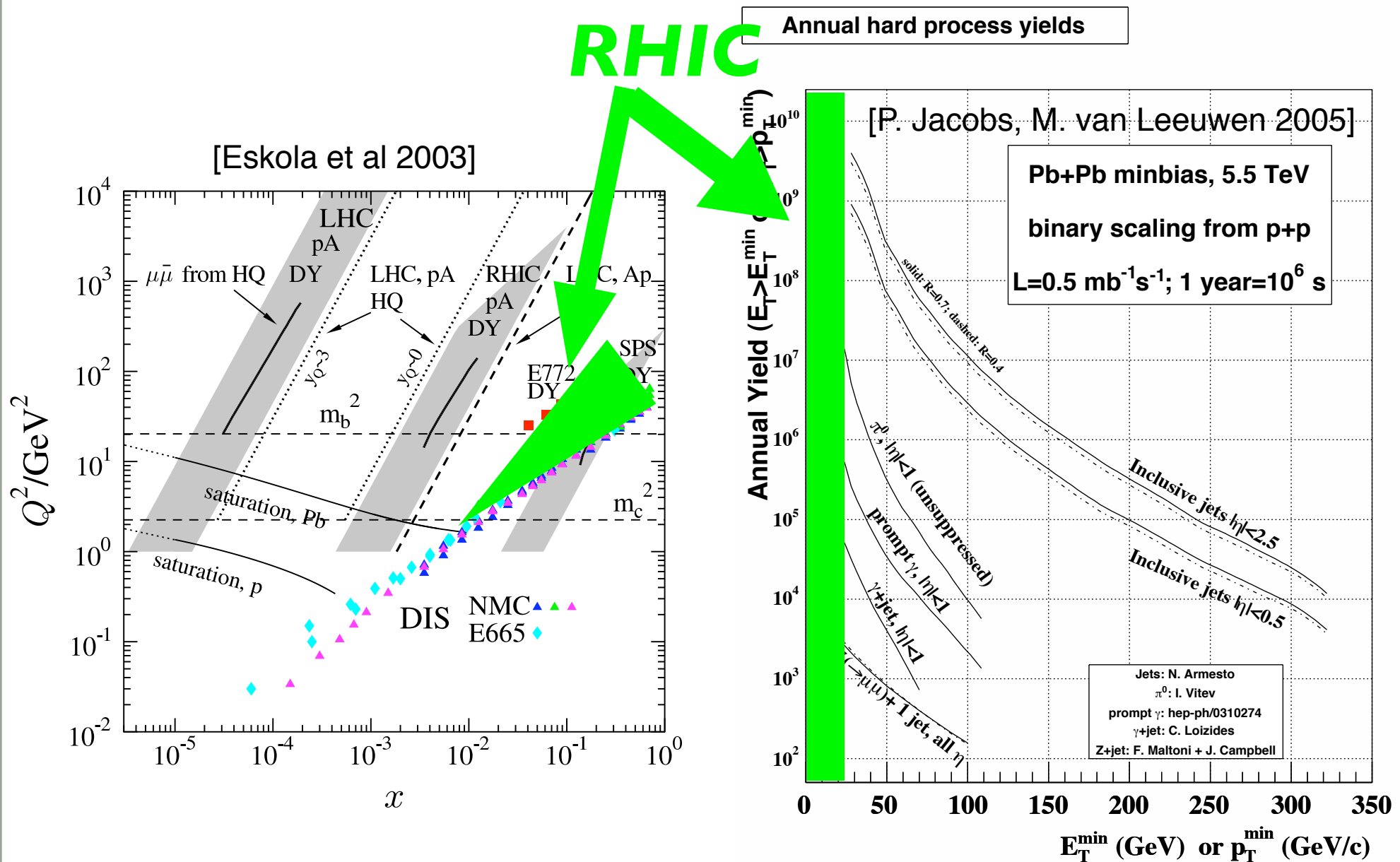
[Eskola et al 2003]



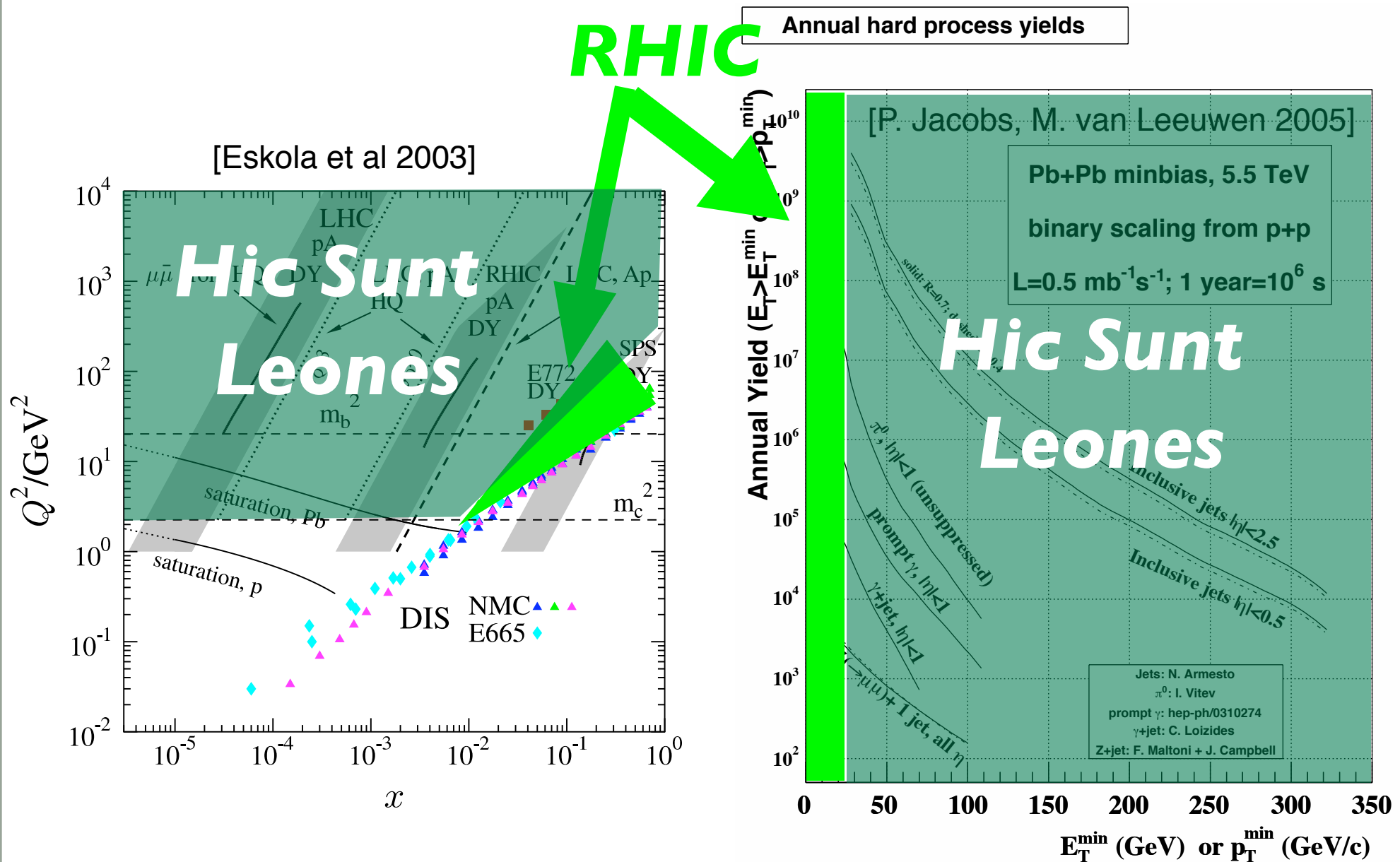
Annual hard process yields



New regimes at the LHC



New regimes at the LHC



Summary

- ⇒ HIC to study collective properties of fundamental interactions
- ⇒ Initial state probably dominated by strong color fields
 - Semiclassical approach
 - Hints from experimental data - definite checks at the LHC
- ⇒ Hard Probes ideal tools to characterize the medium
 - Jet quenching: Medium modification of jet structures
 - Interplay between hydrodynamical behavior and jet development
- ⇒ Different fields are contributing to these developments
 - String-theory computations (try to) face experimental data
- ⇒ LHC will explore completely new regimes of QCD